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OPTIONAL FORM 272 (4-77) (Formerly NTI5-35) Department of Commerce

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CAPITAL SYSTEMS GROUP, INC. 6110 EXECUTIVE BOULEVARD SUITE 250

A STUDY OF SEISMIC RISK

FOR NICARAGUA

PART 11

SUMMARY

by

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This research was partially supported by Banco Central de Nicaragua and by the National Science Foundation Grant GI-39l22

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#### ACKNOWLEDGMENTS

The authors of this report would like to thank Dr. Roberto lncer, B., President of Banco Central de Nicaragua, and Mr. Carlos G. Muniz, General Manager of Banco Central de Nicaragua, for their interest, support and encouragement. The cooperation of Mr. Pablo G. Pereira, Director of Research and Development of Banco Central de Nicaragua is very much appreciated.

The help and advice, of Arq. Ivan Osorio, Vice Minister for Urban Planning of Managua and the personnel of Planificacion Urbana, are gratefully acknowledged.

The authors would especially like to thank three very good friends of Stanford University, whose enthusiasm, encouragement, help and personal interest made this study possible. These three friends are Arq. Jose Francisco Teran, lng. Filadelfo Chamorro and lng. J. Luis Padilla. Truly, without their assistance and direction, the authors could not have learned about and appreciated Nicaraguan conditions. We owe them many thanks.

The partial support provided by Banco Central de Nicaragua and the National Science Foundation Grant GI 39122 are gratefully acknowledged. The help of Ms. Janice Bailey and Ms. Nancy Weaver in typing this report is appreciated.

> Any opinions, findings, conclusions or recommendations expressed in this publication are those of the author(s) and do not necessarily reflect the views of the National Science Foundation.

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 $A_n$ ,  $A_c$  = are PGA values at the damage and condemnation levels respectively

 $DAF = Dynamic Amplification Factor$ 

- $CDS = Condefinition$  Deformation Spectrum
- $DDS = Dama\&e$  Deformation Spectrum
- $DFS = Design Force Spectrum$
- $DMS = Design Overtering Moment Speech$
- $d_T^{\beta}$  = member désign force level factor for a particular type of lateral force resisting system
- $d_{OT}$  = design overturning moment factor for a particular type of system
	- E Earthquake force on a member due to the DFS response

**E'**C Earthquake force on a member due to the CFS response

L Structure Economic Life

- MCS = Mean Condemnation Spectrum
- MDS = Mean Damage Spectrum
- MDAF Mean Dynamic Amplification Factor

 $P_D$ ,  $P_C$  = are the respective probabilities of exceeding  $A_D$ ,  $A_C$  during the structure life <sup>L</sup>

- PDAF = Peak Dynamic Amplification Factor
- PGA = Peak Ground Acceleration value of earthquake accelerograph

R Acceleration Reduction Factor **<sup>=</sup> 0.7**

 $RP_D$ ,  $RP_C$  = are the respective return periods for  $A_D$ ,  $A_C$ 

R<sub>u</sub> = Ultimate Strength Capacity of a member

- SRSS = Square Root of the Sum of the Squared modal response to a given spectrum
	- $V_B$  = Base Shear
	- $V_S$  = is the coefficient of variation of the individual spectral ordinates as they are scattered about the mean shape value

 $\beta_{T}$  = Total damping for a given structural system type

confidence level factor where  $k_\mathrm{T}^{\phantom{\dag}}$  depends on the particular type of lateral force resisting system in a structure

 $\Delta$  = Structure Deformation

e Member Deformation

 $F =$  Member Load due to  $V_p$ 

 $\mu$ <sub>C</sub> = measure of average ductulity demand at the condemnation level  $\overline{\mu}_{\mathcal{C}}$  = local member ductility demand at the condemnation level

 $\sigma_{_{\bf S}}$  = standard deviation of spectral ordinates about mean shape

#### PREFACE

In January 1975, the first report, "A Study of Seismic Risk for Nicaragua, Part I" was published under the present study. The second and final part of this study is presented herewith in two separate volumes. Report No. l2A is "A Study of Seismic Risk for Nicaragua, Part II, Commentary". Whereas Report No. l2B is "A Study of Seismic Risk for Nicaragua, Part II, Summary".

In order to assist the reader in understanding the development of the proposed methodology, the following order of reading is suggested.

1. Report l2B, Summary Volume.

This provides an overview of seismic hazard zoning, the design methodology and sample design problems.

2. Report l2A Commentary Volume.

This volume provides detailed discussions on the development of seismic hazard maps (Chapter II), damage prediction and insurance risk (Chapter III) and the design methodology (Chapters IV through XIII). The summary of the design methodology development is given in Chapter IV. Each chapter begins with a description of the scope for that chapter. This should aid the reader in grasping the intent of the chapter.

The results presented in these reports represent a recommended methodology. For formulation of a building regulation based on this methodology, further study and coordination with Nicaraguan architects, engineers and planners is needed.

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# TABLE OF CONTENTS

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### INTRODUCTION

The purpose of this summary is to provide an overview of the methodology and results of a proposed design procedure based upon seismic risk analysis. Topics to be covered are:

• Seismic Hazard Zoning

Design Objectives

- Definition of Structure Importance or Use Classes
- Definition of the Type of Structural System
- Definition and Formation of the Design Spectra

• The Structural Design Procedure Based on the Response Spectrum Method

• An Equivalent Static Force Method

• Design Examples

In this brief overview, the important terms and concepts will be referenced to their relevant chapters in the final report " A Study of Seismic Risk for Nicaragua, Part II, Commentary," published as a technical report No. l2A, The John A. Blume Earthquake Engineering Center, Stanford University, Stanford, California, March 1976. (That report will be referred to as the "Commentary" report.)

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#### SEISMIC HAZARD ZONING

The description of the seismic hazard conditions of Nicaragua is in the form of an iso-contour map. figure S-l. and acceleration zone graphs for the principal cities. figure S-2. The map and the graphs (for better precision) provide the peak ground acceleration values PGA of earthquakes for a given return period or having a given probability of being exceeded during a given economic life in years. The development of the seismic hazard map and graphs is given in reference 1 and in chapter II of the "commentary."

#### DESIGN OBJECTIVES

For a given economic life of a structure, an adequate seismic design should provide acceptable reliabilities (as measured by a low acceptable risk) against:

- (1) excessive damage due to a moderate or damage level earthquake as represented by a PGA of  $A_n$
- (2) condemnation due to a major or condemnation level earthquake as represented by a PGA of  $A_C$
- (3) collapse due to a catastrophic earthquake.

The value of the acceptable reliabilities of protection against each level of earthquake depends on the use class or importance of the structure.

#### DEFINITION OF STRUCTURE USE CLASS AND CORRESPONDING RISK LEVELS

The use or function of structures may be organized into the following classes which depend on the desired reliabilities of operation and damage protection in the event of a large earthquake.

 $\sim 10^6$  $\label{eq:2.1} \mathcal{L}(\mathcal{L}^{\text{max}}_{\text{max}}(\mathcal{L}^{\text{max}}_{\text{max}}(\mathcal{L}^{\text{max}}_{\text{max}}(\mathcal{L}^{\text{max}}_{\text{max}})))$ 



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Class 1: Critical facilities necessary for life care and safety; hospitals; penal and mental institutions; gas, water, electric, and waste water treatment facilities; communications facilities; police and fire departments; and disaster control centers.

Class 2: Family residences; hotels; recreational and entertainment structures; churches and schools; commercial and industrial structures necessary for normal commerce.

Class 3: Facilities which are relatively non-essential for normal commerce and where damage will not create <sup>a</sup> life safety hazard. An example of such facilities would be warehouses.

The following values are suggested for the economic lives, return periods, and acceptable risks for each use class.

Use Class оf	Suggested Economic Life	Suggested Return Period (years)	
Structures	(years)	Condemnation	Damage
	100	1000	500
	50	500	100
へ	20	100	50

Table S-l. Suggested Return Periods

Corresponding to the values suggested in Table S-l, the risk levels for different classes are:

Class 1

(i) Risk Pc of exceeding condemnation level loading (having a *PGA* of  $A_C$ ) per year = 0.001 Risk  $P_c$  of exceeding condemnation level loading during 100 year economic life is 0.10.

(ii) Risk  $P<sub>D</sub>$  of exceeding damage level loading (having a PGA of  $A_n$ ) per year = 0.002. Risk of exceeding damage level loading during 100 year economic life is 0.20.

### Class 2

- (i) Risk of exceeding condemnation level loading per year = 0.002. Risk of exceeding condemnation level loading during 50 year economic life is 0.10.
- (ii) Risk of exceeding damage level loading per year  $= 0.01$ . Risk of exceeding damage level loading in <sup>50</sup> years = 0.40.

#### Class 3

- (i) Risk of exceeding condemnation level loading per year = 0.01. Risk of exceeding condemnation level loading in 20 years of economic life is approximately 0.20.
- (ii) Risk of exceeding damage level loading per year <sup>=</sup> 0.02. Risk of exceeding damage level loading in 20 years of economic life is approximately 0.40.

Example values of the peak ground accelerations  $A_{\overline{D}}$  and  $A_{\overline{C}}$ , at sites in Managua and Leon, are given in Table  $S-2$ ,  $S-3$ ,  $S-4$  and  $S-5$ . These are based on structure lives of 20, 50 and 100 years, and on the acceptable risk values  $P^{\text{}}_{\text{D}}$  and  $P^{\text{}}_{\text{C}}$  corresponding to the structure Use Class. As can be seen from these four tables, the same facility and risk in Leon and Managua requires different  $A_n$  and  $A_c$  values. Obviously, Leon has a lower seismic demand than Managua. 8ee chapter V of the Commentary.

Use Class	Economic Life Yrs.	$RP_$	P. D)	"Risk"/Yr.	units g
	100	500	.20	.002	.45
2	50	100	.40	.01	.35
3	20	50	.40	.02	.30

Suggested Damage "Risk" Levels  $P^{\text{}}_{\text{D}}$ 

Table 8-3. Managua Region

# Suggested Condemnation "Risk" Levels P<sub>C</sub>

Use Class	Economic Life Yrs.	$R_{C}^{P}$	$P_C$	"Risk"/Yr.	$rac{A}{g}C$ units
1	100	1000	$\cdot$ 1	.001	.47
$\overline{2}$	50	500	$\cdot$ 1	.002	.45
3	20	100	$\cdot$ 2	.01	.35

Table S~4. Leon Region

Suggested Damage "Risk" Levels  $P^{\vphantom{\dagger}}_{\vphantom{\dagger}}$ 

Use Class	Economic Life Yrs.	$RP_{-}$	$P_{D}$	"Risk"/Yr.	units ድ
	100	500	.20	.002	.30
2	50	100	.40	.01	.25
વ	20	50	.40	.02	.21

### Table 8-5. Leon Region

Use Class	Economic Life Yrs.	$RP_C$	P C	"Risk"/Yr.	<i>units</i> g
	100	1000	.1	.001	.35
$\overline{2}$	50	500	$\cdot$ 1	.002	.30
3	20	100	$\cdot$ 2	.01	.25

Suggested Condemnation "Risk" Levels  $P_{C}$ 

With these known values of  $A_n$  and  $A_c$  at the structure site, the primary objectives of the structural designer are to:

- Provide a structure with sufficient rigidity such that no significant non-structural damage will occur due to earthquake ground motions of a level represented by  $A_n$ .
- Provide a structure with sufficient strength capacity such that no significant structural damage will occur due to deformation demands caused by earthquake ground motions of a level represented by  $A_n$ .
- Provide a structure with sufficient strength, stability, and deformation capacity such that condemnation of the structure will not result from the effects of earthquake ground motions of a level represented by  $A_C$ .
- While the possibility of significant damage is admissible with the moderate probability  $P^{}_{\rm D}$ , and the possibility of building condemnation is admissible with the small probability  $P_{C}$ , every prudent effort is to be made to prevent serious injury or death of the building occupants. This life safety objective requires that the details of both the structural and non-structural elements, and the complete

structural system are such that neither injurious system failures, injurious falling debris, nor structural collapse will result from ground motions of a level represented by  $A_C^{\dagger}$ .

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### DEFINITION OF STRUCTURAL SYSTEM TYPE

The definition of the basic types of lateral force resisting systems is essentially the same as the K-factor descriptions provided in the 1973 Uniform Building Code. However, in order to better represent the particular qualities or deficiencies of a given structure, a grading system is used for each K-factor type. The grades of A, B, or C are assigned according to the quality or degrees of redundancy, symmetry, accuracy of analysis, past performance record, and construction quality control. The A grade represents excellent qualities and merits a lower design value than systems with B or C grades which have good and fair qualities. respectively. The structure type and grading system is discussed in Chapter VIII of the Commentary.

Each structure type (such as  $K = 1.00B$ ) has its particular structural damping  $\beta_{\pi}$ , damage deformation factor  $d_{\pi}$ , and spectral confidence level  $(1 + k_T V_S)$ , where  $V_S$  is the coefficient of variation of the spectral shape. These type characteristics are given in Table 10-1 of Chapter X from the Commentary and are used to form the appropriate design spectra. Table 10-1 is repeated here as Table S-6. Table S-7 gives numerical values for an example site and for class <sup>2</sup> structures.

#### Table 5-6  $\mathcal{L}^{\text{max}}_{\text{max}}$



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# Factors for besign Spectra

Values suggested here are preliminary.

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# Table S-7

# Factors for Design Spectra

Type	H	$\mathrm{^{H}O^{T}}$	$\rm ^{11}C$	$\rm{^{11}COT}$
0.67A	0.163	0.163	3.86	3.86
0.67B	0.196	0.196	3.86	3.86
0.67c	0.229.	0.229	3.86	3.86
0.80A	0.236	0.165	3.22	3.86
0.80B	0.275	0.197	3.22	3.86
0.80C	0.317	0.229	3.22	3.86
1.00A	0.294	0.197	2.57	3.86
1.00B	0.343	0.229	2.57	3.86
1.00C	0.392	0.262	2.57	2.57
1.33A	0.391	0.195	1.93	3.86
1.33B	0.456	0.229	1.93	3.86
1.33C	0.520	0.520	1.93	1.93

Managua - Class 2 Structures

$$
H = (0.7) A_D \frac{(MDAF)}{d_T} (1 + k_T V_S)
$$

$$
H_{OT} = (0.7) A_D \frac{(MDAF)}{d_{OT}} (1 + k_T V_S)
$$

Spectrum = H for  $T \le 0.5$  sec  $= .5H/{\frac{1}{T}}$  for T > 0.5 sec  $=$  H for T  $\leq$  0.8 sec =  $0.\underline{8H}$  for T > 0.8 sec  $\overline{T}$ For Hard to Medium soil conditions For soft sites

 $\label{eq:2.1} \frac{1}{\sqrt{2}}\int_{0}^{\infty}\frac{1}{\sqrt{2\pi}}\left(\frac{1}{\sqrt{2\pi}}\right)^{2\alpha} \frac{1}{\sqrt{2\pi}}\int_{0}^{\infty}\frac{1}{\sqrt{2\pi}}\left(\frac{1}{\sqrt{2\pi}}\right)^{\alpha} \frac{1}{\sqrt{2\pi}}\frac{1}{\sqrt{2\pi}}\int_{0}^{\infty}\frac{1}{\sqrt{2\pi}}\frac{1}{\sqrt{2\pi}}\frac{1}{\sqrt{2\pi}}\frac{1}{\sqrt{2\pi}}\frac{1}{\sqrt{2\pi}}\frac{1}{\sqrt{2\pi}}$ 

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#### STRUCTURE DESIGN SPECTRA

Given the structure site and use class, the risks  $P^D_D$  and  $P^C_D$  are known and the values  $A_n$  and  $A_c$  are found. Having selected the structural system type with its damping value, its reputation or reliability measure, and its ability to deform beyond its strength design level to <sup>a</sup> damage state and then further to a condemnation state, three design spectra are formed:

- (1) Design Force Spectrum (DFS) this is an appropriately modified form of the spectrum for the acceptable damage threshold earthquake with PGA level  $A_n$ . The force response from this spectrum is used as the seismic design loading for the ultimate strength design of the structural members.
- (2) Damage Deformation Spectrum (DDS) this provides the structure deformation demand of the earthquake with PGA level  $A_p$ , i.e., for the damage threshold event. The resulting deformations are used for computation of P-Delta effects, and for non-structural damage analyses (drift limitations).
- (3) Condemnation Deformation Spectrum (CDS) this is the spectrum of the acceptable condemnation threshold earthquake with PGA level  $A_{\mathbb C}^*$  . The resulting structure deformation response is used to estimate local member ductility demands and hence provides an approximate test whether or not these demands are within allowable limits. P-Delta effects and structural stability may be analyzed with these deformations.

These design spectra are used and formed as follows: Base Shear and Lateral Design Load are given by the SRSS Modal response to the Design Force Spectrum.

$$
DFS = R \cdot A_D \cdot (MDAF) \frac{1}{d_T} (1 + k_T V_S) \qquad S-1
$$

- $R = A$  Peak Acceleration Reduction Factor to represent the Effective Acceleration on the Structure. It represents the spacial average of Peak Accelerations on the effective soil-structure system. See Figure 4-2 and Chapter VII of the Commentary.
- $A_{p}$  = Peak Ground Acceleration at Structure Site -- having acceptable risk of being exceeded. If  $A_p$  is exceeded, then extensive structure damage may occur. See Chapter V of the Commentary.
- $MDAF = Mean$  or Statistical Average of Acceleration Response Spectrum Shapes for the region. The shape can include any soil-column response effects, and together with R can represent soilstructure interaction effects. See Figure 4-3 and Chapter VI of the Commentary.
	- $\mathbf{d}_{\mathrm{T}}$  = Damage Deformation Factor for a given lateral force resisting system. It represents the ratio between the maximum acceptable deformation at the damage earthquake level and the design deformation in the highest stressed member. The  $\mathrm{d}_{\mathrm{T}}$  value depends on the K-factor type of the system. See Figure 4-4 and Chapter VIII. of the Commentary.
- $(1.+)k_TV_S$ ) = Spectral Confidence Interval Factor, where  $V_S$  is the coefficient of Variation of the spectral shape, and  $k_{\text{F}}$  sets the confidence level. The factor  $\mathbf{k}_{_\text{T}}$  allows for the degree of reliability, inherent in a system, of attaining the given  $\textsf{d}_{\texttt{T}}^{\phantom{\dag}}$  distortion value without excessive damage. If a system is very reliable then  $k_{\tau}$ may be zero. See Figure 4-5 and Chapter IX of the Commentary.

The  $k_T$  value depends on the quality or grading of A, B, or C of a given structural system. See Figure 4-5 of the Commentary for the relation of confidence levels and the system grade of reliability.

Member seismic design forces are found by the SRSS value of the individual mode response to the DFS. In the formulation of the dynamic model the full dead load and some reasonable fraction of the live load (O.4L) is considered.

Within this proposed approach, the following comments are pertinent.

- Strength Design for Members is the Force Response of the DFS plus dead load and. a reasonable fraction of ambient live load (O.4L).
- Non~Structural Damage Control. verified at the SRSS modal deformation response.to the Damage Deformation Spectrum.

$$
DDS = R \cdot A_D \cdot (MDAF) (1 + k_T V_S) = d_T DFS
$$
 S-2

• Local Member Ductility Demand and Structure Stability verified at the SRSS modal deformation response to the Condemnation Deformation Spectrum.

$$
CDS = R \cdot A_C \cdot (MDAF) (1 + k_T V_S) = \frac{A_C}{A_D} d_T DFS
$$

 $A_C$  = PGA value corresponding to the condemnation level seismic event. See Figure 4-6 of the Commentary. Local member deformations are compared against their yield level deformations to assess whether ductility demands are within allowable limits.

 $\label{eq:2.1} \frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^{2} \left(\frac{1}{\sqrt{2}}\right)^{2} \left(\$  $\label{eq:2.1} \frac{1}{\sqrt{2}}\int_{\mathbb{R}^3}\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\frac{1}{\sqrt{2}}\frac{1}{\sqrt{2}}\frac{1}{\sqrt{2}}\frac{1}{\sqrt{2}}\frac{1}{\sqrt{2}}$ 

 $\label{eq:2.1} \frac{1}{\sqrt{2}}\int_{0}^{\infty}\frac{1}{\sqrt{2\pi}}\left(\frac{1}{\sqrt{2\pi}}\right)^{2\alpha} \frac{1}{\sqrt{2\pi}}\int_{0}^{\infty}\frac{1}{\sqrt{2\pi}}\left(\frac{1}{\sqrt{2\pi}}\right)^{\alpha} \frac{1}{\sqrt{2\pi}}\frac{1}{\sqrt{2\pi}}\int_{0}^{\infty}\frac{1}{\sqrt{2\pi}}\frac{1}{\sqrt{2\pi}}\frac{1}{\sqrt{2\pi}}\frac{1}{\sqrt{2\pi}}\frac{1}{\sqrt{2\pi}}\frac{1}{\sqrt{2\pi}}$  $\label{eq:2.1} \mathcal{L}(\mathcal{L}^{\text{max}}_{\mathcal{L}}(\mathcal{L}^{\text{max}}_{\mathcal{L}}),\mathcal{L}^{\text{max}}_{\mathcal{L}}(\mathcal{L}^{\text{max}}_{\mathcal{L}}))$ 

In Chapter X and sections X-I and X-2 of the Commentary, instructions were given for the formulation of DFS, DDS, DMS and CDS. Here, a step by step procedure for the complete design sequence is given.

- 1. Given <sup>a</sup> Use class of the structure (Table S··l) and its location, the values of  $A_n$  and  $A_c$  can be determined from Iso-Contour Map or the Acceleration Zone Graph (Chapter II of the Commentary). The appropriate design spectra can be constructd with the above information together with the parameters MDAF,  $V_S$ ,  $d_T$ ,  $d_{OT}$  and  $k_T$  of a given structural type and soil condition (Table 8-6).
- 2. Formulate the linear elastic structure model and determine mode shapes and periods using the DFS developed in (1) above, obtain the SRSS force response E in the structural members.
- 3. Design members for load combinations on an ultimate strength basis for the following conditions.
	- a) Load Factored Vertical Dead and Live Load; 1.7  $(D + L)$
	- b) DFS or DMS Force plus Vertical Dead and Live Load;  $(D + .4L) + E$

c)  $0.8$  ( $D + E$ ) for vertical acceleration effects.

In b) and c) above, the seismic load E is based on a  $(D + 0.4L)$  seismic weight of the structure.

- 4. Interstory drifts using DDS and calculated as the SRSS of the individual modal drifts shall not exceed 1% of the story height. This restriction should be for damage control.
- 5. The member design procedure has produced known values for the individual member resistance values  $R_{\text{u}}$ , where  $R_{\text{u}} > (D + 0.4L) + E$ ;  $R_{\text{u}} > 0.8(D + E); R_{\text{u}} > 1.7(D + L)$  and commonly exceeds these load

combinations because of the available section or sizing requirements as shown on the engineering plans for construction.

Using the proportionality of forces to deformations in the elastic model response to the CDS, and defining the force in a member as  $E_C^{\dagger}$ due to the SRSS force response in the linear model due to the CDS, a measure of the local inelastic "ductility" demand in a member at the condemnation threshold is (see Figure 10-6 of the Commentary).

$$
\mu_C = \frac{(D + 0.4L + E_C')}{R_u}
$$
  
or 
$$
\frac{0.8D + E_C'}{R_u}
$$
.

The computed values for  $\mu_{\alpha}$  are then to be compared with assigned allowable values. These allowable values have not yet been established at this reporting date, however, they could be of the order as follows:

Ductile Steel Beam Joints  $= 5$ Ductile Concrete Beam Joints = 4 Columns in Non-Ductile Frames and X-Bracing Systems =  $1.5$ Concrete Shear Wall Flexure  $= 2$  (in walls without ductile chords) 4 (in walls with ductile chords) Concrete Shear. Wall Shear  $= 2$  (in walls and piers without ductile chords) = 3 (in walls and piers with ductile chords)

Seismic loads for ultimate strength design are to be calculated from the following base shear

$$
V = ADBMM S-4
$$

where

- $A =$  The PGA value in g units from the iso-contour map at the structure site. This value is the same as the  $A_{\text{D}}$  value obtained for a given use group.
- $D =$  Dynamic amplification factor given as follows (similar to the MDAF of Chapter VI of the Commentary).

For medium to hard soil site conditions -

$$
D = 2
$$
 for  $T \le 0.5$  secs.

$$
= 2\frac{\sqrt{0.5}}{T} \text{ for } T \geq 0.5 \text{ secs.}
$$

For soft soil site conditions -

$$
D = 2 \quad \text{for } T \leq 0.8 \text{ secs.}
$$

$$
= 2 \frac{\sqrt{0.8}}{T} \quad \text{for } T \geq 0.8 \text{ secs.}
$$

- $T =$  Structural fundamental period as given by the 1973 Uniform Building Code.
- $B =$  Structural system behavior factor (see Chapter X).
- $B = R \frac{1}{d} (1 + k_T V_S)$ where  $d_T$ , R,  $k_T$  and  $V_S$  are discussed in the Commentary.  $S-5$

Example numerical values are given in Table S-6.

$$
M_N = \text{Structural mass} = W_N / g
$$
  

$$
W_N = W_D + 0.4W_L
$$

- $W_{n}$  is the dead weight of the structure, partitions, fixtures and other permanent attachments.
- $W_{I}$  is the code specified live load weight.

The base shear obtained. by equation 11-1 should be distributed throughout the height of the structure according to 1973 DBC.

- The load combinations for ultimate strength design should be the same as discussed in Chapter X.
- The overturning moment reduction factor should be in the ratio of  $d_T$  to  $d_{OT}$  for each specific structural type. (Refer to Table 10-1 of the Commentary).
- Damage Level Drift should be based on  $\textsf{d}_{\textsf{T}}^{\phantom{\dag}}$  times the calculated Base Shear Drift.
- Local, Ductility Demands at the Condemnation Level should be evaluated as given in Chapter X, but where the  $E_C'$  value is given by

$$
\frac{A_C}{A_D} \cdot d_T \cdot E
$$
 s-7

where E is the member seismic load due to the base shear equation 5-4.

#### DESIGN EXAMPLES

To demonstrate the use of the design methodology developed in this project, two design examples are given in the following pages.

Example I is a two story two bay ductile moment resisting frame. For this example, <sup>a</sup> 0.67B type of grading is assumed. It is also assumed that the structure is located in Managua and the use class is 2.

Example II is an existing building in Los Angeles which was originally designed according to the 1964 Los Angeles City Building Code. This building survived the 1971 San Fernando earthquake with minor damage. The building is a fourteen story reinforced concrete shear wall building. Again, it is assumed for this example that the building is located in Managua and belongs to use class 2. In terms of structural type, it is given a 1.33A type. The following calculations and explanations are selfexplanatory.

# EXAMPLE I

Concrete Ductile Moment Resisting Space Frame

Managua, Class 2 Type O.67B

 $\mathcal{A}$ 

 $\hat{\mathcal{A}}$ 

 $\equiv$  $\mathcal{L}^{\mathcal{L}}$  $\sim$   $\bar{q}$ 



Find: Story forces, story shears, overturning moments and deflections. Proposed Response Spectrum Method (SRSS)

$$
[\text{K}] = \begin{bmatrix} 160 & -60 \\ -60 & 60 \end{bmatrix} \text{ K/in} \quad \text{assumes that girders are very stiff} \quad \text{compared to columns,}
$$
\n
$$
[\text{M}] \quad \begin{bmatrix} 0.321 & 0 \\ 0 & 0.186 \end{bmatrix} \text{ K sec}^2 / \text{in} \quad \text{from } \text{W}_{\text{D}} + 0.4 \text{W}_{\text{L}}:
$$
\n
$$
\text{W}_{\text{1}} = 124 \text{K}
$$
\n
$$
\text{W}_{\text{2}} = 72 \text{K}
$$

Periods:

$$
\begin{vmatrix} 160 - 0.32/\omega^2 & -60 \\ -60 & 60 - 0.186\omega^2 \end{vmatrix} = 0
$$
  

$$
\omega_1 = 12.23, \quad T_1 = 0.514 \text{ sec}
$$
  

$$
\omega_2 = 25.91, \quad T_2 = 0.242 \text{ sec}
$$

Mode Shapes:

1st Mode: 
$$
\phi_{21} = 1
$$
  
\n $- 60\phi_{11} + 60 - 0.186\omega_1^2 = 0 \dots \phi_{11} = 0.537$ .  
\n2nd Mode:  $\phi_{22} = 1$   
\n $- 60\phi_{12} + 60 - 0.186\omega_2^2 = 0 \dots \phi_{12} = -1.082$ .





$$
\alpha_1 = \frac{138.59}{107.76} = 1.286
$$
,  $\alpha_2 = \frac{62.17}{217.17} = 0.286$ 

Mass Participation Factors:

 $\bar{z}$ 

 $\bar{z}$ 

 $\bar{\mathcal{A}}$ 

$$
\overline{\alpha}_1 = \frac{138.59^2}{107.76 \times 196} = 0.909
$$
,  $\overline{\alpha}_2 = \frac{62.17^2}{217.17 \times 196} = 0.091$ 

Mode 1: 
$$
T_1 = 0.514 \text{ sec.}
$$
  
\nFor Management, use class 2:  $A_g = 0.35g$ ;  
\n $K = 0.67 \text{ structure, Grade BL } \frac{1}{d_T} (1 + k_T V_S) = 0.40$   
\nFor  $T = 0.514 \text{ sec.}$ , hard soil: (MDAF) = 1.946  
\n(DFS)<sub>1</sub> = 0.7 x 0.35 x 1.946 x 0.40 = 0.191g

Story Forces:  $F_{i1} = 0.191 \times \alpha_1 W_i \phi_{i1}$  $F_{11}$  = 0.191 x 1.286 x 124 x 0.537 = 16.4K  $F_{21}$  = 0.191 x 1.286 x 72 x 1.0 = <u>17.7K</u> base shear  $V_1 = 34.1K$ Check:  $V_1 = 0.191 \times \overline{\alpha}_1 V = 0.191 \times 0.909 \times 196 = 34.1K$ Overturning Moments:  $M_{21} = 17.7 \times 12 = 212Kft$ 

$$
M_{11} = 212 \times 34.1 \times 12 = \underline{621 \text{Kft}}
$$

Story Deflections: (at design level, DFS)

$$
\delta_{j1} = 0.191 \frac{1}{\omega_1^2} g\alpha_1 \phi_{j1}
$$
  
\n
$$
\delta_{11} = 0.191 \frac{386.4}{149.6} 1.286 \times 0.537 = 0.341 \text{ m}
$$
  
\ncheck: 
$$
\delta_{11} = \frac{34.1}{100} = 0.341 \text{ m}
$$
  
\n
$$
\delta_{21} = 0.191 \frac{386.4}{149.6} \times 1.286 \times 1.0 = 0.635 \text{ m}
$$
  
\ncheck: 
$$
\delta_{21} = 0.341 \times \frac{17.7}{60} = 0.635 \text{ m}
$$

Mode 2:  $T_2 = 0.242 \text{ sec}$ ,  $(DFS)_2 = 0.7 \times 0.35 \times 2.0 \times 0.40 = 0.196g$ Story Forces:  $F_{12} = 0.196 \times 0.286 \times 124 \times (-1.082) = -7.5K$  $F_{22}$  = 0.196 x 0.286 x 72 x 1.0 =  $\frac{4.0K}{4.0}$ 

base shear  $V_2 = -3.5K$ 

check:  $V_2 = 0.196 \times 0.091 \times 196 = 3.5K$ Overturning Moments:  $M_{22}$  = 4.0 x 12 = 48 Kft  $M_{12} = 48 - 3.5 \times 12 =$ <br>Story Deflections:  $\delta_{12} = -\frac{3.5}{100} = -\frac{0.035}{100}$  $M_{12}$  = 48 - 3.5 x 12 = 6 Kft  $\delta_{22}$  = - 0.035 x  $\frac{4.0}{6}$  = 0.032



Check Story Drift:  $\frac{\delta}{h} d_T = \frac{0.343}{144} \times 3 = 0.007 \times 0.01 \dots \text{ o.k.}$ 

# EXAMPLE II

# Fourteen Story Reinforced Concrete Shear Wall Building

Managua, Class 2

Type 1.33A

 $\epsilon$ 

#### INTRODUCTION

An actual building example is presented in order to illustrate the design procedure for the proposed response spectrum method. The building selected for the example has been designed by methods presently used or proposed in the United States. The example Building (ATC-2 Building  $#4$ )\* was originally designed in accordance with the 1964 Los Angeles City Building Code and was updated in the ATC-2 Report to fulfill the requirements of the 1973 Uniform Building Code. This design example and the resulting comparison of the seismic shear forces, overturning moments, and member design forces resulting from the 1973. UBC, the 1974 SEAOC and the proposed response spectrum method should prove helpful for an eva1uation of the proposed method. However, general conclusions should be made with caution since modal participation may vary widely for different structural configurations, and the load factors proposed for the Nicaragua Code will have dissimilar effects on different structural systems.

\*ATC-2, "An Evaluation of a Response Spectrum Approach to Seismic Design of Buildings." Applied Technology Council (sponsored by NSF and NBS) 171 Second Street, San Francisco, California 94105

# 1. Design for Strength

la. Design Force Spectrum, DFS

For each natural period  $T_{\scriptscriptstyle \rm I\!I\!I}$  of the significant modes of the structure the value of DFS is given by

$$
DFSm = R \cdot AD \cdot (MDAF)m \frac{1}{dT} (1 + kTVS)
$$

where

- m is the number of the natural mode
- <sup>R</sup> is taken as 0.7

$$
A_{D}
$$
 is the PGA value of the ground acceleration at the damage threshold level for the structure use class.

$$
d_T
$$
,  $k_T$  are coefficients pertaining to the type of structural system (see Table 10-1 of the commentary).

(MDAF)<sub>m</sub> is the dynamic amplification factor for the period  $T_m$ . (MDAF) is. presented for intermediate to dense soils in Fig. S~5.

# lb. Computation of Seismic Forces

1. Compute the lateral forces at each floor level for all significant modes, i.e.,

$$
\mathbf{F}_{\mathbf{j}m} = \frac{\text{DFS}_{m}}{\text{g}} \alpha_{m} \mathbf{W}_{\mathbf{j}} \phi_{\mathbf{j}m}
$$

where

g is the acceleration of gravity

$$
\alpha_m \; = \; \frac{\displaystyle \left| \displaystyle \sum_{\underline{1} = \underline{1}}^n \; \frac{W^{\phantom{+}}_1 \varphi^{\phantom{+}}_{\underline{1}m}}{\displaystyle \sum_{\underline{i} = \underline{1}}^n \; \; W^{\phantom{+}}_{\underline{1}} \varphi^{\phantom{+}}_{\underline{1}m}} \right|}
$$

n is the number of stories in the structure

W<sub>j</sub> is the weight of story j, including the total dead load and 40% of the live load

 $\phi_{jm}$  is the amplitude of the mth mode at the jth floor.

2. By methods of statics compute the shear forces and overturning moments at each floor level for all significant modes. Check the resulting base shear in each mode by the equation

$$
V_m = \frac{DFS_m}{g} \overline{\alpha}_m \sum_{i=1}^n W_i
$$

where

 $\sim$ 

$$
\frac{1}{\alpha_{m}} = \frac{\left(\sum_{i=1}^{n} W_{i} \phi_{i m}\right)^{2}}{\sum_{i=1}^{n} W_{i} \phi_{i m}^{2}} \frac{1}{\sum_{i=1}^{n} W_{i}}
$$

3. Compute the design shears, overturning moments and lateral story deflections by

$$
v_j = \sqrt{\sum_{m} v_{jm}^2}
$$

$$
M_j = \sqrt{\sum_{m} M_{jm}^2} \frac{d_T}{d_{OT}}
$$

$$
\delta_j = \sqrt{\sum_{m} \delta_{jm}^2}
$$

where

 $d_T/d_{OT}$  is the overturning moment reduction factor (see Table 5-6).

# lc. Design of Structural Members

All members need to be designed for the internal forces caused

by

1. The effects of  $V_j$  and  $M_j$  plus the effects of  $D + 0.4L$ 2. The effects of  $0.8V_j$  and  $0.8M_j$  plus the effects of  $0.8D$ . Remarks:

The story shears shall be distributed to the elements of the lateral load resisting elements in proportion to their rigidities. Torsional effects shall be included wherever the center of mass does not coincide with the center of rigidity. This will in general require a three dimensional analysis. The torsional moments in each story shall be computed by multiplying the effective weight of the story  $(D + 0.4L)$  with a modified distance between the centers of mass and rigidity which is equal to the actual distance plus or minus 5% of the base dimension of the structure normal to the applied lateral load. This additional 5% torsion is necessary to account for accidental torsion caused by stiffness variations and unequal distribution of. live loads.

The P-Delta effects shall be estimated by rational analysis and shall be included when of importance. In lieu of a more exact analysis, it can be estimated that the P-Delta effects will increase the story shears by the amount

$$
\overline{v}_j = \frac{P_j(\delta_j - \delta_{j-1})}{h_j}
$$

where

P is the sum of the axial column loads above level j,<br>j  $\delta$ <sub>1</sub> is the lateral deflection of floor j.  $h_i$  is the height of story j.

If  $D_j$  is larger than 5% of the story shear  $V_j$ , then  $\overline{V}_j$  should be included in the story shear.

## 2. Design for Stiffness

The elements of the lateral load resisting system shall be designed for stiffness such that the lateral deflection between adjacent stories is smaller than one percent of story height under the actions of the damage level earthquake (DDS). This is equivalent to the requirement that the story drift index  $\delta/h$  shall be less than 0.01/d<sub>T</sub> under the actions of the DFS design level, where  $d_T$  is the damage deformation factor.

### 3. Design for Inelastic Deformation Demand

The inelastic deformation demand should be evaluated by either a detailed deformation analysis or an approximate method.

- The detailed analysis involves the evaluation of the elastic and inelastic deformations in the individual elements based on the total story deformation of the CDS load. The resulting inelastic member deformations provide the ductility demand values.
- The approximate method uses the relation for local ductility demand as

$$
\mu_C = \frac{D + 0.4L + E_C'}{R_u}
$$

where  $R_{\rm u}$  is the ultimate design capacity of the member and  $E_{C}^{\dagger}$  can be obtained from the DFS design forces E through the linear relationship

$$
E_C' = E \frac{A_C}{A_D} d_T.
$$

Stability of the structure at the CDS level should be investigated carefully; in particular, the P-Delta effects need to be investigated.

#### DESIGN EXAMPLE ATC-2 BUILDING #4

This building is discussed in detail in the report "An Evaluation of a Response Spectrum Approach to Seismic Design of Buildings," published by the Applied Technology Council, and in the report "San Fernando, California, Earthquake of February 9, 1971," Volume I, Part B, U.S. Department of Commerce, NOAA.

The building is of particular interest insofar that it survived the 1971 San Fernando earthquake with minor damage, despite being designed for only half of shear forces and two thirds of the overturning moments specified in the 1973 UBC. Three strong-motion accelerographs were installed in the building at the ground-floor level, sixth-floor level and roof. The records indicated maximum ground accelerations occurring in the north-south direction. with peaks of 26% g. A dynamic analysis of the building subjected to the recorded ground motion is reported in the second of the aforementioned references. This analysis indicated story forces, overturning moments and lateral deflections far in excess of the design values, however, actual damage was restricted to hairline cracks in the exterior north-south shear walls.

The building is a fourteen-story reinforced concrete shear wall building. Floors are framed with an 8-inch flat slab supported on columns at 19' x 20' bays and on bearing walls. Twelve-inch thick concrete shear walls on both major axes of the building provide the major lateral load resisting elements. The analysis reported in the ATC-2 report

indicated that the flat slab system would carry up to 10% of the total lateral load in the east-west direction and up to 5% in the north-south direction. This contribution is included in the following study, that was carried out for the north-south direction of the building.

Since the flat slab system should not be considered as a complete vertical load carrying frame, the building was assigned a K value of 1.33. Since the detailing of the structure was done with great care and a dynamic analysis is carried out, the structure was assigned a grade A in the proposed Nicaragua code. All other requirements for grade A are fulfilled with this particular structural system.

The basic gravity load data for the structure are:

Average  $DL = 156$  psf

LL =  $50$  psf.

Floor framing plans and. transverse building section are. shown on the next two pages (Figures  $S-6$  and  $S-7$ ).

#### Proposed Nicaragua Code Spectrum. Method:

1. DFS

$$
DFS_{m} = RA_{D} (MDAF)_{m} \frac{1}{d_{T}} (1 + k_{T}V_{S})
$$

where

R = 0.70  
\n
$$
A_{\text{D}} = 0.35g
$$
 (Managua, use class 2)  
\n $\frac{1}{d_{\text{T}}}$  (1 +  $k_{\text{T}}V_{\text{S}}$ ) = 0.80 (for K = 1.33, Grade A)  
\n $T_{\text{m}}$  from ATC-2 report; (MDAF) from Fig. 1  
\n $T_{1} = 0.677 \text{ sec} \div (\text{MDAF})_{1} \div 1.48 \text{ DFS}_{1} = 0.290g$   
\n $T_{2} = 0.153 \text{ sec} \div (\text{MDAF})_{2} \div 2.00 \text{DFS}_{2} = 0.392g$ 









Figure S-6





 $\overline{\phantom{a}}$ 

 $\sim$   $\sim$ 

Transverse Building Section



$$
T_3 = 0.072 \text{ sec} \rightarrow (\text{MDAF})_3 \rightarrow \text{DFS}_3 = 0.392g
$$
  
\n $T_4 = 0.048 \text{ sec} \rightarrow (\text{MDAF})_4 \rightarrow \text{DFS}_4 = 0.392g$ 

2. Computation of Seismic Forces:

$$
F_{jm} = \frac{DFS_m}{g} \alpha_m W_j \phi_{jm}
$$

Mode shapes and effective weights from ATC-2.

Effective weights: D + 0.4L = D + 0.4  $\frac{50}{156}$  D = 1.13D 15

$$
\alpha_{\mathbf{m}} = \frac{\left| \sum_{\mathbf{i}=1}^{13} \mathbf{W}_{\mathbf{i}} \phi_{\mathbf{i}\mathbf{m}} \right|}{\sum_{\mathbf{i}=1}^{15} \mathbf{W}_{\mathbf{i}} \phi_{\mathbf{i}\mathbf{m}}^2}
$$

10,650  $\frac{0,630}{5,395}$  = 1.66  $\mathfrak{a}_2$  $\frac{6,300}{6,130}$  = 1.03

$$
\alpha_3 = \frac{4,170}{6,570} = 0.63
$$
\n $\alpha_4 = \frac{3,250}{6,715} = 0.48$ 

Mass Participation:  $\overline{\alpha}_m = \frac{(\sum W_i \ n_i)^2}{\sum W_i \ n_i} \cdot \frac{1}{\sum W_i}$ 

$$
\overline{\alpha}_1 = \frac{10,650^2}{6395 \times 30,148} = 0.588
$$
  $\overline{\alpha}_2 = \frac{6300^2}{6130 \times 30,148} = 0.215$ 

$$
\overline{\alpha}_3 = \frac{4170^2}{6570 \times 30,148} = 0.088
$$
  $\overline{\alpha}_4 = \frac{3250^2}{6715 \times 30,148} = 0.052$ 

The mass participation for the first 4 modes is  $0.588 + 0.215 + 0.088 +$  $0.052 = 0.943 = 94.3\%$ , i.e., 5.7% of the mass vibrates in higher modes.

$$
v_{jm} = \frac{15}{\sum_{i=1}^{m} F_{im}}
$$
  
\n
$$
v_{j} = \sqrt{\sum_{m=1}^{4} v_{jm}^{2}}
$$
  
\n
$$
\overline{M}_{jm} = \sum_{i=1}^{15} V_{im}h_{i}
$$
  
\n
$$
\overline{M}_{j} = \sqrt{\sum_{m=1}^{4} \overline{M}_{jm}^{2}}
$$
  
\n
$$
M_{j} = \overline{M}_{j} \cdot \frac{d_{T}}{d_{OT}} = \overline{M}_{j} \cdot \frac{1.50}{3.00} = 0.5 \overline{M}_{j}
$$

# Modal Story Forces:

$$
F_{j1} = 0.290 \times 1.66 \times W_{j} \phi_{j1} = 0.481 W_{j} \phi_{j1}
$$
  
\n
$$
F_{j2} = 0.392 \times 1.03 \times W_{j} \phi_{j2} = 0.404 W_{j} \phi_{j2}
$$
  
\n
$$
F_{j3} = 0.392 \times 0.63 \times W_{j} \phi_{j3} = 0.247 W_{j} \phi_{j3}
$$
  
\n
$$
F_{j4} = 0.392 \times 0.48 \times W_{j} \phi_{j4} = 0.18 W_{j} \phi_{j4}
$$

Modal Base Shears:

 $\cdot$ 

$$
v_{11} = 5142K, v_{12} = 2545K
$$
  
 $v_{13} = 1038K, v_{14} = 615K$ 

SRSS Base Shear

$$
V_1 = 5863K
$$

SRSS Overturning Moment at Base:

 $M_1$  = 320 x 10<sup>3</sup> Kft

The final story shears and overturning moments are shown in Figures S-8 and S-9. For comparison, story shears and overturning moments were also computed by methods presently used in U. S. engineering practice.

## 1973 UBC (SEAOC):



 $V = 1.33 \times 0.0498 \times 26,680 = 1767K$ 

The effects of the base structure have been neglected in the ATC-2 calculations. Since the results of ATC-2 are used in these calculations, the same will be done here.

1974 SEAOC:

 $V = ZIKCSW$  $Z = 1.0$  $I = 1.0$  $K = 1.33$ 



- 1) 1973 UBC (SEAOC), no load factors.
- 2) 1974 SEAOC, Case a, T = 1.02 sec, S =  $S_{min}$  = 1.15, no load factors.
- 3) 1974 SEAOC, Case b, T =  $0.677 \text{ sec}$ , S =  $S_{\text{max}}$ no load factors.  $= 1.50,$
- 4) 1973UBC (SEAOC), with load factors 2.8 for shear and 1.4 for overturning.
- 5) 1974 SEAOC, Case a, with load factors 2.0 for shear and 1.4 for overturning.
- 6) 1974 SEAOC, Case b, with load factors 2.0 for shear and 1.4 for overturning.
- 7) ATC-2 strength design spectrum  $(DFS<sub>1</sub> = 0.35g, DFS<sub>2</sub>$ 0.44g, DFS<sub>3</sub> = 0.24g, DFS<sub>4</sub> = 0.24g)
- 8) Proposed Nicaragua Code, SRSS.

#### DISCUSSION AND COMPARISON TO SEAOC RECOMMENDATIONS

- 1. The computed seismic forces are significantly higher than those of the SEAOC recommendations, however, once the loads are factored for design shear, the force level is only somewhat higher than that of the 1973 SEAOC design and in general lower than that of the 1974 SEAOC design.
- 2. The increase in shear reinforcement for a typical shear wall in this structure is approximately 25%, when compared to the 1973 UBC (SEAOC).
- 3. The required increase in shear wall flexural reinforcement (for overturning) is roughly in the same proportion as that for shear reinforcement.
- 4. The increase in cost for updating this building from the 1973 UBC to the proposed Nicaragua code is by no means significant.
- 5. The level of lateral forces due to the DFS spectrum was smaller than expected because of modal participation; only 59% of the seismic mass vibrates in the first mode. If 100% of the mass would participate in first mode vibration, the base shear would increase from 5863K to 8710 K. This should be kept in mind when one extrapolates from the results of this example to building with only a few stories where the mass participation of the first mode may be close to one.
- 6. If the structure were to be built on loose soil, which will load to an increase in the value of  $(MDAF)$ <sub>1</sub> from 1.48 to 2.00, then the base shear would increase roughly to 7500 K, i.e. by 28%.
- 7. The increase in story shears due to 5% accidental torsion are not considered in this example, since the member forces are obtained from the computer output of the ATC-2 study that does not include this accidental torsion.

 $\label{eq:2.1} \frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^{2} \left(\frac{1}{\sqrt{2}}\right)^{2} \left(\$  $\label{eq:2.1} \frac{1}{\sqrt{2}}\int_{\mathbb{R}^3}\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2.$ 

 $\label{eq:2.1} \frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac{1}{\sqrt{2}}\sum_{i=1}^n\frac$ 

 $\label{eq:2.1} \frac{1}{\sqrt{2\pi}}\int_{0}^{\infty}\frac{1}{\sqrt{2\pi}}\left(\frac{1}{\sqrt{2\pi}}\int_{0}^{\infty}\frac{1}{\sqrt{2\pi}}\left(\frac{1}{\sqrt{2\pi}}\int_{0}^{\infty}\frac{1}{\sqrt{2\pi}}\right)\frac{1}{\sqrt{2\pi}}\right)\frac{1}{\sqrt{2\pi}}\frac{1}{\sqrt{2\pi}}\frac{1}{\sqrt{2\pi}}\frac{1}{\sqrt{2\pi}}\frac{1}{\sqrt{2\pi}}\frac{1}{\sqrt{2\pi}}\frac{1}{\sqrt{2\pi}}\frac{1}{\sqrt{$