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**LASS-III, Computer Program for Seismic
Response and Liquefaction of Layered
Ground Under Multi-Directional Shaking**

Illinois Univ at Urbana Champaign Dept of Civil Engineering

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16. Abstract (Limit: 200 words) A new method of analysis is described for evaluation of seismic response and liquefaction of horizontally layered ground subjected to three components of earthquake base acceleration. Heretofore, only one component--the horizontal one with highest peak acceleration--was chosen for analysis. However, it is generally agreed that the potential for liquefaction under the simultaneous action of both horizontal earthquake components is often higher than the liquefaction potential under the strongest horizontal component of earthquake base acceleration. Accordingly, saturated sand below the water table was modeled as a two-phase medium, with the porous granular solid and pore water as constituent materials. A new material model was introduced for the behavior of sand under cyclic bi-axial shear stresses. Results of analyses indicate the following: (1) the vertical component of base acceleration has minimal influence on the development and pattern of liquefaction, (2) interaction between the two horizontal components of shaking significantly influences the development and pattern of liquefaction, (3) increasing the amplitude of base acceleration in a one-dimensional analysis does not completely reproduce the major effects present in a two-dimensional analysis, and (4) interaction between the two horizontal components of shaking produces surface response spectra somewhat different from that of one-dimensional analysis.														
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LASS-III, COMPUTER PROGRAM FOR
SEISMIC RESPONSE AND LIQUEFACTION
OF LAYERED GROUND UNDER MULTI-DIRECTIONAL SHAKING

By

Jamshid Ghaboussi
S. Umit Dikmen

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INTRODUCTION

In analysis of seismic response and liquefaction of level ground, usually one horizontal component of earthquake acceleration history is considered (1, 6, 10, 11). The horizontal component with the higher peak acceleration is chosen for the purpose of analysis. At the present, to the authors' knowledge, no method of analysis is available for computation of seismic response and liquefaction of level ground subjected to simultaneous action of the three components of earthquake base acceleration time histories. However, it is generally recognized that the potential for liquefaction under the simultaneous action of both horizontal components of earthquake is often higher than the liquefaction potential under the stronger horizontal component of earthquake base acceleration. This effect has been demonstrated experimentally, (12, 13). The surface response in a horizontally layered ground is the result of vertical propagation of two shear waves and one compression wave. The coupling and the interaction between the two horizontal components of earthquake and the influence of the vertical component may significantly influence the character of the surface response.

A new method of analysis is presented here for computation of the response and the liquefaction potential of horizontally layered ground subjected to three components of earthquake base acceleration. This study and the proposed method of analysis are the extensions of the method of analysis presented recently in Ref. (6), which only considered the response to one horizontal component.

METHOD OF ANALYSIS

Most of the theoretical background for this study can be found elsewhere (2, 3, 5, 6). The basic approach is similar to that of Ref. (6) except that more than one direction of shaking is considered. Only the main features of the method of analysis will be described in this section and some more details of the formulation can be found in the above references.

The saturated sand below the water table is modeled as a coupled two phase medium; the two phases are the porous deformable granular solid and the pore water. These two phases are coupled through volumetric strains. D'Arcy flow law is assumed to govern the flow of pore water through the porous elastic solid, with the material constant for this process being the coefficient of permeability. A nonlinear material model to be described in the next section specifies the stress-strain relationship for the granular solid portion.

A vertical column of the horizontally layered ground is divided into a number of layer elements. At each nodal plane, separating two adjacent layer elements, there are four displacement degrees of freedom. Three components of displacement of granular solid and the vertical displacement of pore water. The stress state for the solid portion within each layer element consists of two horizontal shear stresses and effective pressure. An incremental relationship is established between the increments of these stresses and the increments of corresponding strains.

MATERIAL MODEL FOR CYCLIC BI-AXIAL SHEAR

In the horizontally layered ground the state of stress consists of two shear stresses τ_x and τ_y and the effective pressure σ' . The material model for these stress components is a specialized version of the general material model for the cyclic behavior of sand presented in Refs. (4, 8).

In this material model failure is assumed to correspond to very large plastic shear strains. Thus a failure surface exists, which acts as an asymptotic state for all the shear stress paths. Shear strength is assumed to be isotropic with respect to shear stresses, i.e. the shear strength is independent of the direction of the resultant shear stress. Moreover, the shear strength is assumed to vary linearly with the effective pressure. These considerations imply that the failure surface is a circular cone in the stress space, as shown in Fig 1a and given in the following equation.

$$F(\sigma) = \tau_x^2 + \tau_y^2 - (M \sigma')^2 = 0 \quad (1)$$

in which M is the failure parameter. The cross-section of the failure surface on a plane of $\sigma' = \text{constant}$ is a circle with the radius $M \sigma'$, as shown in Fig. 1b. This circular shape is the direct consequence of the isotropy of the shear strength as described earlier.

The yield surface is also assumed to have a conical shape but the axis of the yield surface does not coincide with the σ' axis. Moreover, the axis of the yield surface and its radius change during the process of deformation and the yield surface undergoes a combination of isotropic and kinematic hardening. The cross-section of the yield surface on a plane of $\sigma' = \text{constant}$

is an ellipse, as shown in Fig. 1b. The equation for the yield surface is of the following form.

$$f(\tau, \tau_c, b) = 0$$

in which τ_c is the stress vector to the center of the ellipse and b is the half minor axis of the ellipse as shown in Fig. 2. The quantities τ_c and b define the kinematic and the isotropic hardening, respectively. A stress vector τ' can be defined as the difference between the stress vectors τ and τ_c (Fig. 2).

$$\tau' = \begin{Bmatrix} \tau'_x \\ \tau'_y \end{Bmatrix} = \begin{Bmatrix} \tau_x - \tau_{cx} \\ \tau_y - \tau_{cy} \end{Bmatrix} \quad (3)$$

The equation for the elliptic yield surface is written in terms of stress vector τ'

$$f = \tau'^T A^T A \tau' - 1 = 0 \quad (4)$$

in which $A = \begin{bmatrix} \frac{1}{a} \cos\alpha & \frac{1}{a} \sin\alpha \\ -\frac{1}{b} \sin\alpha & \frac{1}{b} \cos\alpha \end{bmatrix}$

and α is the angle between the axes τ_x and τ'_x , as shown in Fig. 2.

The plastic strain increments are related to the stress increments by using the associated flow rule, which specifies that the vector of the incremental plastic shear strains is normal to the yield surface.

$$d\gamma^P = \frac{1}{h} (n^T d\tau) n \quad (5)$$

in which n is the unit outward normal vector to the yield surface

$$n = \frac{1}{\left[(\partial f / \partial \tau_x)^2 + (\partial f / \partial \tau_y)^2 \right]^{1/2}} \begin{Bmatrix} \partial f / \partial \tau_x \\ \partial f / \partial \tau_y \end{Bmatrix} \quad (6)$$

It can be seen from Eq 5 that the function h is the ratio of $d\tau$ projected along the normal to yield surface and $d\gamma^P$.

$$h = \frac{(n^T d\tau)}{|d\gamma^P|} \quad (7)$$

Therefore, it is appropriate that h be called the "plastic modulus".

The isotropic and the kinematic hardening of the material is given by the following two equations

$$db = g |d\gamma^P| \quad (8)$$

$$d\tau_c = c d\gamma^P \quad (9)$$

where g and c are the isotropic and the kinematic hardening functions, respectively. The second equation above indicates that the change of the center of the elliptic yield surface, $d\tau_c$, is along the normal of the yield surface, n .

The material behavior is defined through the three functions h , c and g , which are related through the consistency condition, $df = 0$.

$$df = \frac{\partial f}{\partial \tau} d\tau + \frac{\partial f}{\partial \tau_c} d\tau_c + \left(\frac{\partial f}{\partial b} + \frac{\partial f}{\partial a} \frac{\partial a}{\partial b} \right) db = 0 \quad (10)$$

substituting the Eqs 9, 10 and 5 into Eq 10, the following relation between the three material functions can be obtained.

$$h - c - \frac{1}{\beta} g = 0 \quad (11)$$

in which $\beta = b \left[\left(\frac{\partial f}{\partial \tau_x} \right)^2 + \left(\frac{\partial f}{\partial \tau_y} \right)^2 \right]^{1/2}$

It is only necessary to specify two of the above three functions. The third function will be evaluated from Eq 11.

The plastic modulus is determined from the uni-directional stress-strain relation. Here, it is assumed that the uni-directional stress-strain relationship is given by a hyperbolic function, as shown in Fig 3.

$$\frac{\tau}{\sigma'} = \frac{H_0 \gamma^p}{M + H_0 \gamma^p} \quad (12)$$

in which H_0 is the "initial plastic modulus". Such a hyperbolic function was

proposed by Kondner and Zelask (9) and has been used earlier (4). The plastic modulus function, h , is the slope of the stress-strain equation.

$$h = H_0 \sigma' \left(1 - \frac{1}{M} \frac{\tau}{\sigma'}\right)^2 \quad (13)$$

in which $\tau = \left[\tau_x^2 + \tau_y^2\right]^{1/2}$

It can be seen that the initial value of h (for $\tau = 0$) is $H_0 \sigma'$ and when the failure is reached ($\tau = M\sigma'$) h becomes zero.

Of the remaining two functions, the kinematic hardening function c is specified and the isotropic hardening function g is determined from Eq 11. The equation for $d\tau_c$ can be written in following form by substituting Eq 5 into Eq 9.

$$d\tau_c = \frac{c}{h} (n^T d\tau) n \quad (14)$$

It can be seen from this equation that $\frac{c}{h}$ is the ratio the length of $d\tau_c$ and projection of $d\tau$ along normal to yield surface, $n^T d\tau$. It has been experimentally observed (8, 14) in uni-directional tests that when the yielding occurs in one direction, the yield stress in the opposite direction remains unaffected. To satisfy such a condition, as seen from Fig 4, requires the following relation.

$$\frac{c}{h} = \frac{|d\tau_c|}{(n^T d\tau)} = \frac{1}{2} \quad (15)$$

$$c = \frac{1}{2} h \quad (16)$$

The function g can now be determined from Eq 11.

$$g = \frac{1}{2} R^h \quad (17)$$

Both the hardening functions are related to the plastic modulus function which is the slope of the stress-strain curve. Here, a hyperbolic stress-strain relation has been used. However, this is not an essential part of the proposed model and other similar stress-strain relations can also be used.

The incremental shear stress-shear strain relations can be derived by using standard methods in plasticity (15). For the proposed model the incremental relations are as follows,

$$\begin{Bmatrix} d\tau_x \\ d\tau_y \end{Bmatrix} = \frac{G^2}{(n_x - n_y) G + h} \begin{bmatrix} n_y^2 + \frac{h}{G} & -n_x n_y \\ -n_x n_y & n_x^2 + \frac{h}{G} \end{bmatrix} \begin{Bmatrix} d\gamma_x \\ d\gamma_y \end{Bmatrix} \quad (18)$$

$$\begin{Bmatrix} d\tau_{xc} \\ d\tau_{yc} \end{Bmatrix} = \frac{1}{2} \begin{bmatrix} n_x^2 & n_x n_y \\ n_x n_y & n_y^2 \end{bmatrix} \begin{Bmatrix} d\tau_x \\ d\tau_y \end{Bmatrix} \quad (19)$$

in which n_x and n_y are the components of the unit outward normal to the yield surface. It is interesting to note that in uni-direction ($n_x = 1$, $n_y = 0$)

the incremental stress-strain relation is as follows

$$d\tau_x = \left[1 / (1/h + 1/G) \right] d\gamma_x \quad (20)$$

The quantity in the square brackets is an equivalent modulus composed of an elastic and a plastic modulus. The equivalent modulus is a decreasing function of the resultant shear stress, approaching zero at failure shear stress.

Effective Stress-- The method of determination of effective stresses is the same as in Ref (6). Undrained condition is assumed at each instant when the effective stresses are determined. However, the dissipation of pore pressures do occur from one time step to the next, when the coupled equations of motion are solved. The undrained effective stress path, similar to Ref (6), is assumed to be a quarter of an ellipse, as shown in Fig 5. The equation for the effective stress path is as follows.

$$\epsilon_e = \tau_x^2 + \tau_y^2 + \lambda^2 \left[\sigma'^2 - \left(\frac{2\lambda}{\lambda+M} \right) \sigma' \sigma'_0 + \left(\frac{\lambda-M}{\lambda+M} \right) \sigma'_0{}^2 \right] = 0$$

The two parameters σ'_0 and λ completely define the effective stress path. The effective isotropic pressure σ'_0 defines the position of the effective stress path. The material parameter λ is the ratio of vertical to horizontal axis of the elliptic stress path. It has been shown in Ref (6) that the parameter λ can be correlated to relative density. This correlation is shown in Fig 6 for a number of experiments reported in the literature. In general λ increases with relative density.

The effective stress path is followed only during the elasto-plastic shear stress increments when yielding takes place. When the stress increments are purely elastic and fall within the yield surface, it is assumed that no changes in the effective stresses occur other than those caused by the dissipation of pore pressures.

LIQUEFACTION CRITERION

As is commonly used, the word liquefaction refers to a state of zero or residual effective stress in a region within the sand mass. Obviously, in a liquefied region of sand the pore pressure is equal to or slightly less than the total mean stress. The liquefied soil has very little shear resistance and capable of undergoing flow and large deformations.

The criterion for the onset of liquefaction can therefore be stated as the effective stresses reaching a specified residual value (usually a small percentage of the initial effective stress). Upon liquefaction the modulus of sand in the liquefied region must be reduced to a fraction of its original value.

Prior to liquefaction, as the pore pressures are increasing, the stress state (shear stress and effective stress) reaches a condition of "near failure"; a point very close to the failure line. Such a stress state in a monotonic drained test would be considered failure stress. However, under cyclic stresses complete failure has not occurred but the strain amplitudes start increasing. Clearly at such a state of "near failure" the effective stresses have not vanished and the sand cannot be considered as liquefied but under additional cycles of stress, the sand is well on its way towards liquefaction. This state of "near failure" will be referred to as "initial liquefaction"

The response of sand to cyclic stresses after initial liquefaction is different than that of prior to initial liquefaction. This change of material behavior is evidenced by an increase in the strain amplitude and a change in the effective stress path in any typical constant stress amplitude test, (8). A post initial liquefaction model is required to represent the behavior after the occurrence of initial liquefaction. However, the mechanism of the behavior of sand after initial liquefaction is not clearly understood at the present. Of necessity, the simple stress path model proposed in Ref. (6) has been used in this study. It must also be emphasized that the post initial liquefaction model is not considered a very important aspect of the method of analysis. Complete liquefaction usually follows the initial liquefaction. The few seconds difference between the occurrence of initial liquefaction and the onset of the complete liquefaction is a minor detail. However, it is important to recognize the existence of the state of initial liquefaction as a critical intermediate point on the path to complete liquefaction.

INFLUENCE OF VERTICAL COMPONENT OF BASE ACCELERATION

To study the influence of the vertical component of base acceleration on the liquefaction potential, a 100 ft layer with the material properties shown in Fig. 7 was subjected to the vertical component and one horizontal (SOOE) component of the El Centro earthquake record of 1940. The same system was also analyzed for one horizontal component of the earthquake. The pore pressure time histories for two points at the depths of 17.5 ft and 22.5 ft below the ground surface are given in Fig. 8. The horizontal

component of the earthquake alone causes liquefaction extending to a depth of 25 ft. However, when the vertical component is included, the liquefied zone extends to only 20 ft. It can also be seen from Fig. 8 that at the depth of 17.5 ft below ground surface for the horizontal component alone the liquefaction occurs at about 5 seconds but for horizontal and vertical components the liquefaction occurs at about seven seconds. It appears that the inclusion of the vertical component slightly reduces both the zone and the time of liquefaction. The major effect of the vertical component of the base acceleration is to cause oscillations in the pore pressure. However, the effective stresses remain unaffected from the oscillations in the pore pressure.

In the analysis shown in Fig. 8 the depth of the water table was at 2 ft below the ground surface. The same analysis was repeated for water table at 5 ft below the ground surface. The pore pressure time histories for this case are shown in Fig. 9. In this analysis no liquefaction occurred. The same trend as in the previous analysis can also be observed in absence of liquefaction. It can be seen from Fig. 9 that at 10 seconds the pore pressures are slightly higher for the horizontal component alone than when the vertical component is included.

Overall, the analysis results presented in this section seem to indicate that the influence of the vertical component of the earthquake on the pore pressures is minor, aside from causing some oscillation in the pore pressures. The development of liquefaction and potential for liquefaction are not significantly affected by the vertical component of the base acceleration.

INTERACTION OF TWO HORIZONTAL COMPONENTS OF BASE ACCELERATION

In this section the result of some analyses of horizontally layered ground subjected to both components of horizontal acceleration will be presented. The material model described in the previous section was used in these analyses. The main purpose of the analyses presented in this section is to compare the response of the horizontally layered ground under the simultaneous action of the two horizontal components of base acceleration with the response of the same system when it is subjected only to one component of horizontal base acceleration.

The hypothetical soil profile analyzed is shown in Fig. 7. The water table is 5 ft below the ground surface. The material properties are shown in Fig. 7. This soil profile was analyzed with the following base accelerations:

- (a) S00E component of El Centro earthquake record of 1940 with peak acceleration of 0.314 g,
- (b) S90W component of the same earthquake with peak acceleration of 0.214 g,
- (c) Both components (a) and (b) applied simultaneously in a two directional analysis.

Some selected results of these analyses are shown in Figs. 10 through 13. Stress-strain diagrams at two depths are shown in Figs. 10 and 11.

The extent of interaction between two horizontal components of shaking evident by comparing the stress-strain diagrams for the one directional analysis of cases (a) and (b) with those of the two-directional analysis

of case (c). The trace of the resultant shear stress for the two directional analysis of case (c) at several depths is given in Fig. 12. It is interesting to note that at greater depths a reasonably well defined main direction is present. However, near the ground surface no obvious main direction for the shear stress resultant exists and the shear stress components in two directions are of the same magnitude. This effect is the direct result of the interaction between two directions of shaking.

The pore pressure time histories for the three analyses are shown in Fig. 13. No liquefaction occurs in one-directional analyses but extensive liquefaction occurs in the two-directional analysis. The time history of liquefaction is shown in Fig. 14. Also shown in this Fig. 14 are the time histories of liquefaction for one directional analyses with S00E component of El Centro earthquake record but with the acceleration amplitudes increased by factors of 1.2 and 1.3 to peak accelerations of $1.2 \times 0.314 \text{ g} = 0.377 \text{ g}$ and $1.3 \times 0.314 \text{ g} = 0.408 \text{ g}$. It is sometimes argued that the main effects of two-directional shaking can be reproduced in a one-directional analysis if the base acceleration amplitudes are increased such that the peak base acceleration equals the value of the resultant of the peak accelerations from two directions. In this case for the El Centro earthquake the resultant peak acceleration is,

$$[(0.314 \text{ g})^2 + (0.214 \text{ g})^2]^{1/2} = 0.380 \text{ g} .$$

It can be seen from Fig. 14 that in the two-directional analysis the liquefaction occurs much earlier and is much more extensive than those of the one directional analyses with the increased peak base accelerations. This is

an indication that some important features of the interaction between the two horizontal components of shaking, which increase the liquefaction potential, cannot be reproduced in a one directional analysis. It can easily be concluded from the results presented here, that in some cases the one-directional analysis, even with the increased base acceleration amplitudes as discussed earlier, may indicate no liquefaction, whereas a two-directional analysis of the same system may indicate occurrence of liquefaction.

Additional information on the differences between the one-directional and two-directional analyses is evident in Figure 15 which shows the distribution of the pore pressure with depth at 4.5 seconds, prior to occurrence of liquefaction in two-directional analysis. It can be seen in Figure 15 that the pore pressure from water table to a depth of about 35 ft below ground surface is much higher in two-directional analysis than in one-directional analysis of SOOE component. The reverse occurs from 35 to about 55 ft below the ground surface. Below 55 ft from the ground surface the pore pressures are almost the same for two-directional and one-directional analyses. When the amplitude of the base acceleration in one-directional SOOE component is increased by a factor of 1.2, it can be seen from Figure 15 that the pore pressures increase almost uniformly over the whole soil profile but still the pore pressure distribution is different than that of two-directional analysis; the pore pressures are still smaller than the pore pressures in the two-directional analysis to a depth of about 30 ft below the ground surface. Since increasing the amplitude of the base acceleration does not bring the pore pressure distribution any closer to that of the two-directional

analysis, it can be expected that the liquefaction patterns of one-directional analysis with increased base acceleration and the two-directional analysis will be quite different.

The extent of the response interaction between the two components of the horizontal shaking can be evaluated by studying the ground surface response spectra. The ground surface response spectra were computed for the cases (a) through (c) described earlier, but the peak base accelerations were reduced to prevent occurrence of liquefaction. The peak base accelerations used in these analyses were 0.150 g in S00E direction and 0.102 g in S90W direction. The ground surface response spectra computed from one-directional analyses along with those of the two-directional analysis are shown in Fig. 16. The two-directional analysis gives surface response spectra which are generally similar to those resulting from one-dimensional analysis. However, some significant differences do exist. The two-directional analysis yields higher peak spectral accelerations in both directions. Moreover, the position of the peak spectral acceleration in S00E direction has shifted to lower frequency in two-directional analysis. The spectral velocity in the high frequency region is lower in S00E direction and higher in S90W direction than those of the one-directional analysis. In summary, the interaction between the two components of shaking produces some changes in the surface response spectra, as compared to one-directional analyses, without drastically affecting their overall shape.

CONCLUDING REMARKS

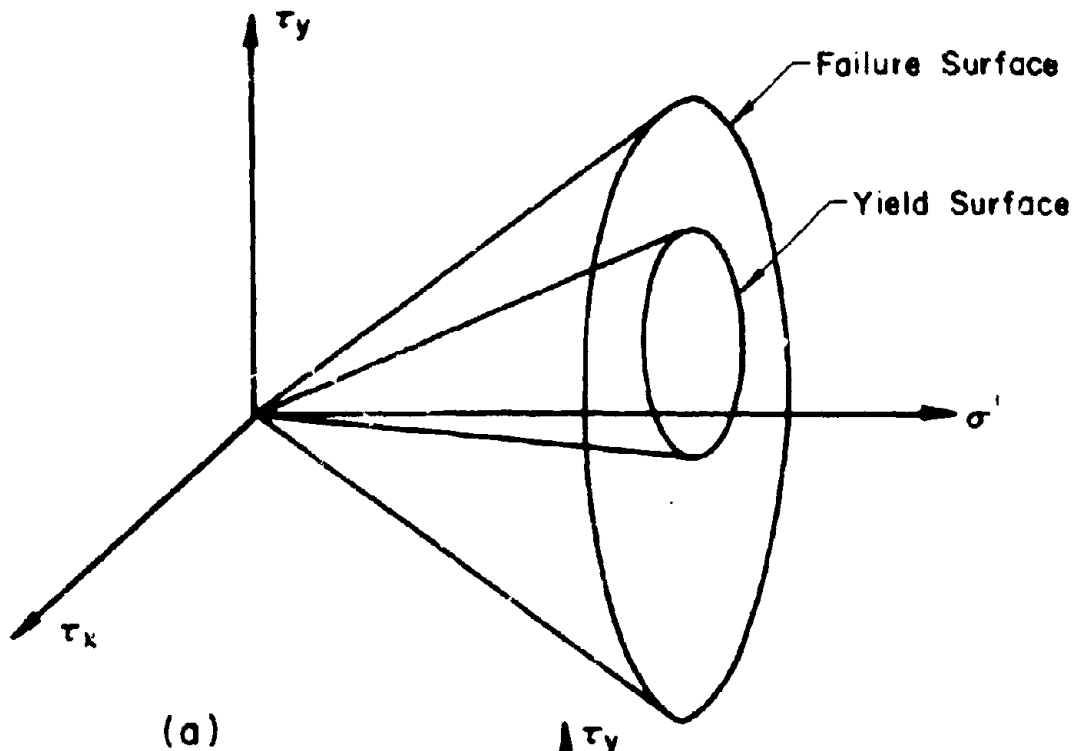
A method of analysis was presented for evaluation of seismic response and liquefaction of horizontally layered ground subjected to multi-directional shaking. The saturated sand below the water table was modeled as a two-phase medium, with the porous granular solid and the pore water as the constituent materials. A new material model was introduced for the behavior of sand under cyclic bi-axial shear stresses. A new computer program LASS-III was developed and used in a few sample case studies. The results of the analyses presented in this paper indicate the following.

- (a) The vertical component of base acceleration has a very minor influence on the development and the pattern of liquefaction.
- (b) Interaction between the two horizontal components of shaking significantly influences the development and the pattern of liquefaction. The potential for liquefaction can increase significantly when both the horizontal components of base acceleration are considered simultaneously.
- (c) Increasing the amplitude of the base acceleration in a one-directional analysis, such that the peak base acceleration equals the resultant of the peak base accelerations in two-directions, does not completely reproduce the major effects present in a two-directional analysis.
- (d) Interaction between the two horizontal components of shaking produces surface response spectra which are somewhat different than those of one-directional analysis.

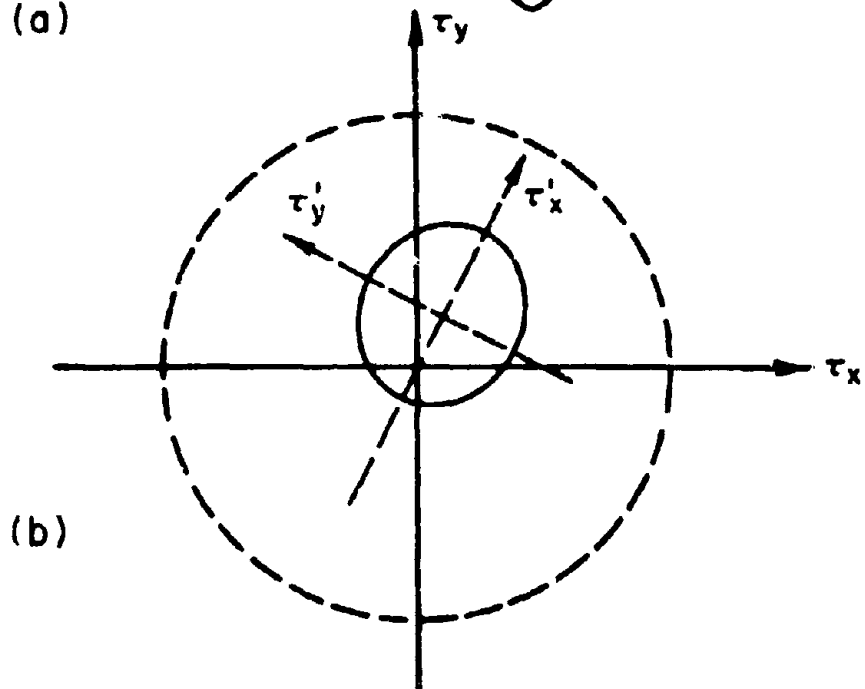
REFERENCES

1. Finn, W. D., Lee, K. W. and Martin, G. R., "An Effective Stress Model for Liquefaction," Journal of the Geotechnical Engineering Division, ASCE, Vol. 103, No. GT6, Paper 13008, June 1977, pp. 517-533.
2. Ghaboussi, J. and Wilson, E. L., "Variational Formulation of Dynamics of Fluid Saturated Porous Elastic Solids," Journal of Engineering Mechanics Division, American Society of Civil Engineers, Vol. 98, No. EM4, August 1972.
3. Ghaboussi, J. and Wilson, E. L., "Liquefaction Analysis of Saturated Granular Soils," Fifth World Conference on Earthquake Engineering, Rome, June 1973.
4. Ghaboussi, J. and Karshenas, M., "On the Finite Element Analysis of Certain Material Nonlinearities in Geomechanics," Proceedings of the International Conference on Finite Elements in Nonlinear Solids and Structural Mechanics, Norway, August 1977.
5. Ghaboussi, J., and Dikmen, S. U., "LASS-III, Computer Program for Analysis of Seismic Response and Liquefaction of Horizontally Layered Sand," Report No. UILU-ENG-77-2010, Department of Civil Engineering, University of Illinois at Urbana-Champaign, Urbana, Illinois, 1977.
6. Ghaboussi, J. and Dikmen, S. U., "Liquefaction Analysis of Horizontally Layered Sands," Journal of Geotechnical Engineering Division, ASCE, Vol. 104, No. GT3, March 1978.
7. Ghaboussi, J. and Momen, H., "Plasticity Model for Cyclic Behavior of Sands," 3rd International Conference on Numerical Methods in Geomechanics, Aachen, April, 1979.
8. Ishihara, K., Tatsuoka, F. and Yasuda, S., "Undrained Deformation and Liquefaction of Sand Under Cyclic Stresses," Soils and Foundations, Vol. 15, No. 1, March 1975.
9. Kondner, R. L. and Zelask, J. S., "A Hyperbolic Stress-Strain Formulation for Sands," Proceedings, 2nd Pan-American Conference on Soil Mechanics and Foundation Engineering, Brazil, Vol. 1, 1963, pp. 389-324.
10. Liou, C. P. Streeter, V. L., and Richart, F. E., "A Numerical Model for Liquefaction," Journal of the Geotechnical Engineering Division, ASCE, Vol. 103, No. GT6, Proc. Paper 12998, June 1977, pp. 589-606.

11. Martin, P. P., Seed, H. B., "Simplified Procedure for Effective Stress Analysis of Ground Response," Journal of the Geotechnical Engineering Division, ASCE, Vol. 105, GT6, June, 1979, pp. 739-758.
12. Pyke, R. M., Seed, H. B., and Chan, C. K., "Settlement of Sands Under Multi-directional Shaking," Journal of the Geotechnical Engineering Division, ASCE, Vol. 101, No. GT4, April, 1975, pp. 379-398.
13. Seed, H. B. Pyke, R. M. and Martin, G. R., "Effect of Multidirectional Shaking on Pore Pressure Development in Sand," Journal of the Geotechnical Engineering Division, ASCE, Vol. 104, No. GT1, January, 1978.
14. Tatsuoka, F. and Ishihara, K., "Drained Deformation of Sand Under Cyclic Stresses Reversing Direction," Soils and Foundations, Vol. 14, No. 3, December 1974.
15. Zienkiewicz, D. C., The Finite Element Method in Engineering Science, McGraw-Hill Book Company, Ltd., London, England 1971.



(a)



(b)

Figure 1 (a) Failure and yield surfaces, (b) Failure and yield surfaces in a plane of $\sigma' = \text{constant}$

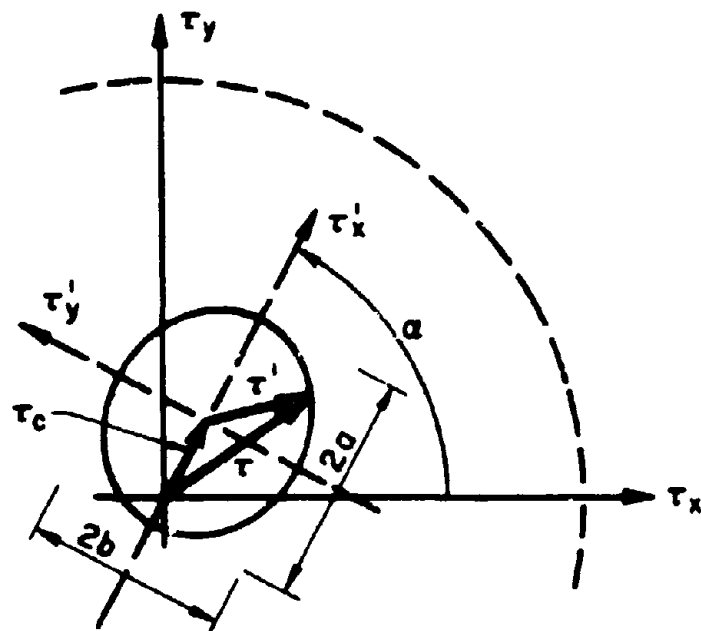


Figure 2 Elliptic yield surface in a plane of $\sigma' = \text{constant}$

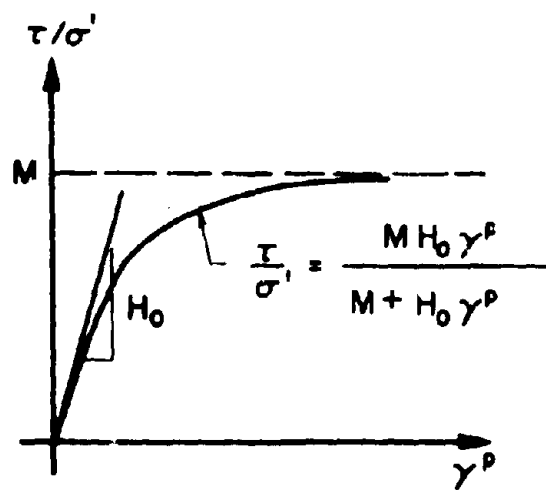


Figure 3 Generalized shear stress-strain curve

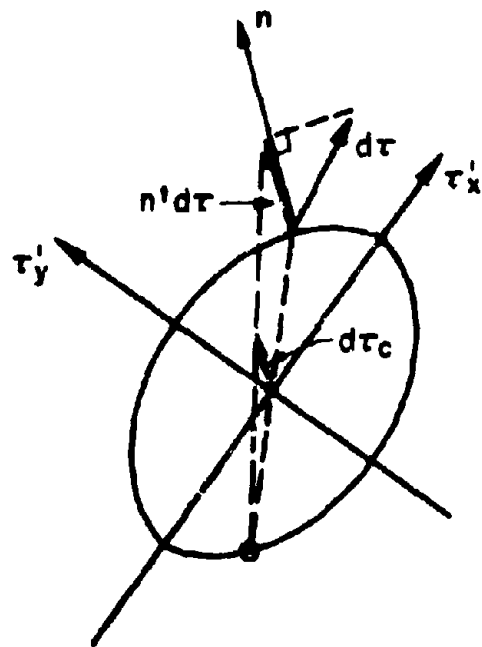


Figure 4 Determination of kinematic hardening

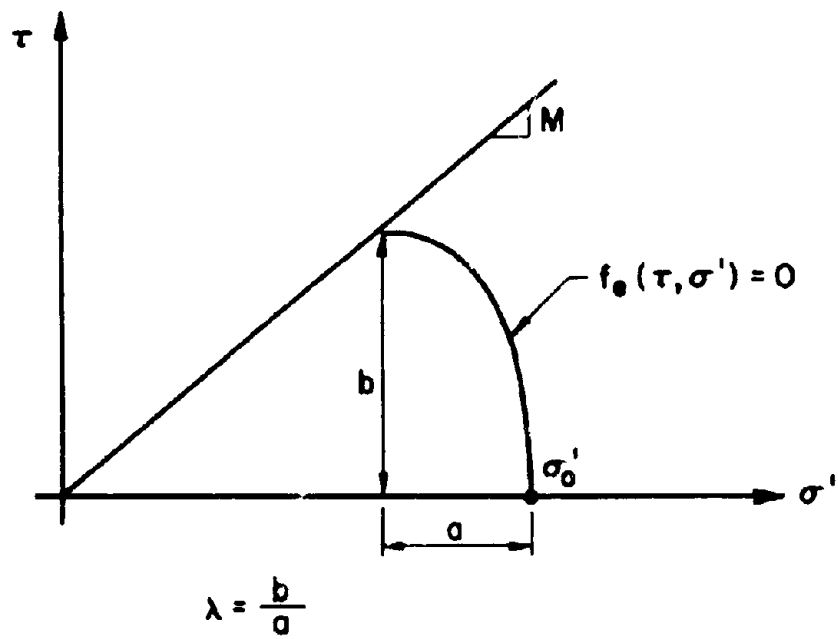


Figure 5 Effective stress path

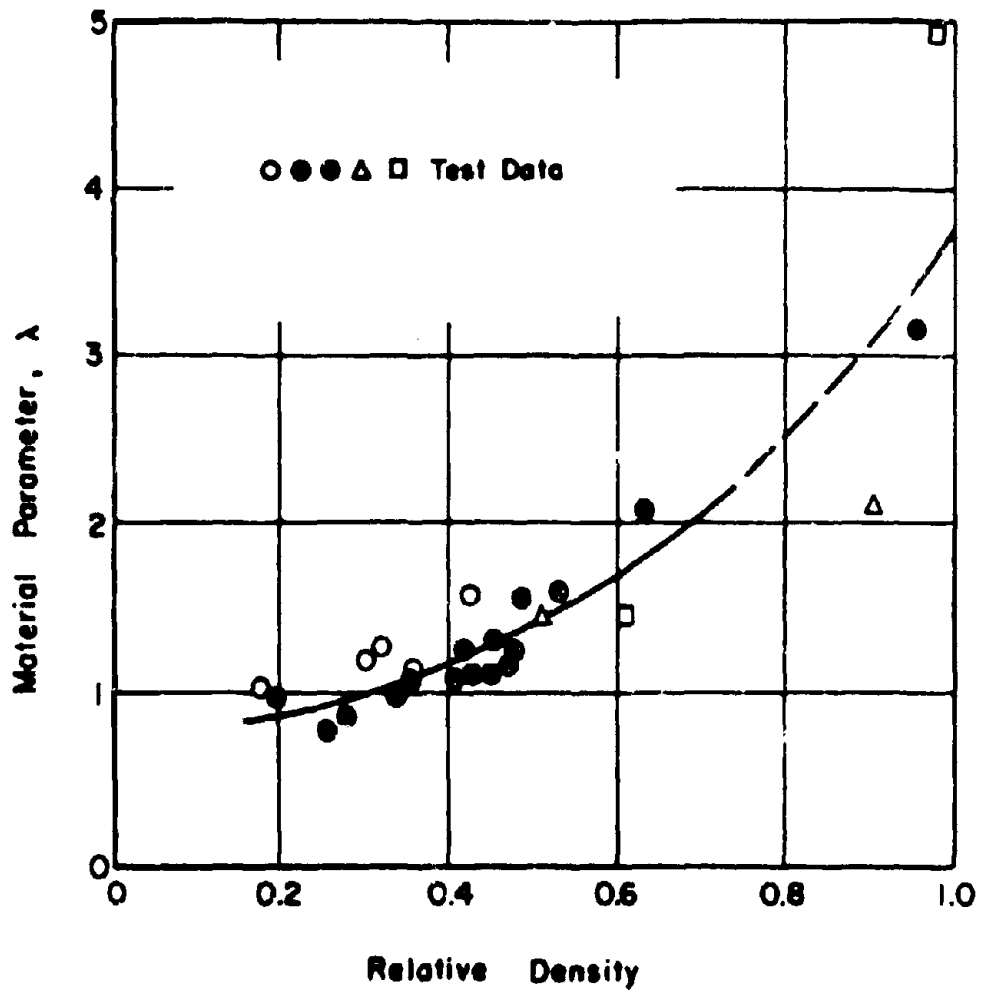


Figure 6 -Relationship Between Material Parameter λ and Relative Density, (Reference 6)

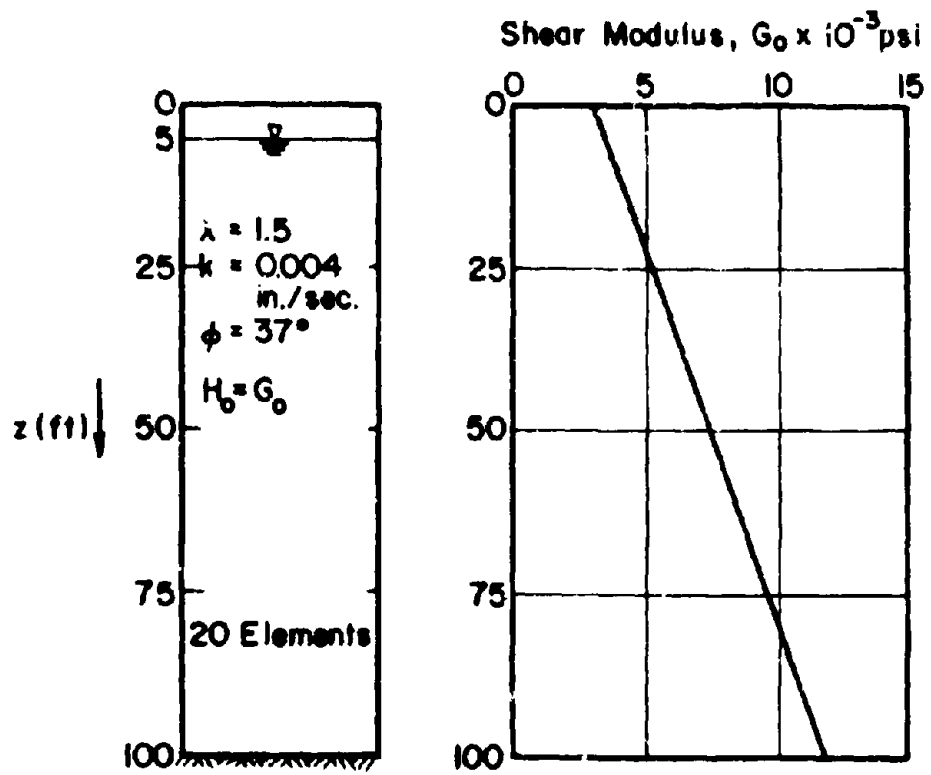


Figure 7 Soil profile used in the analyses

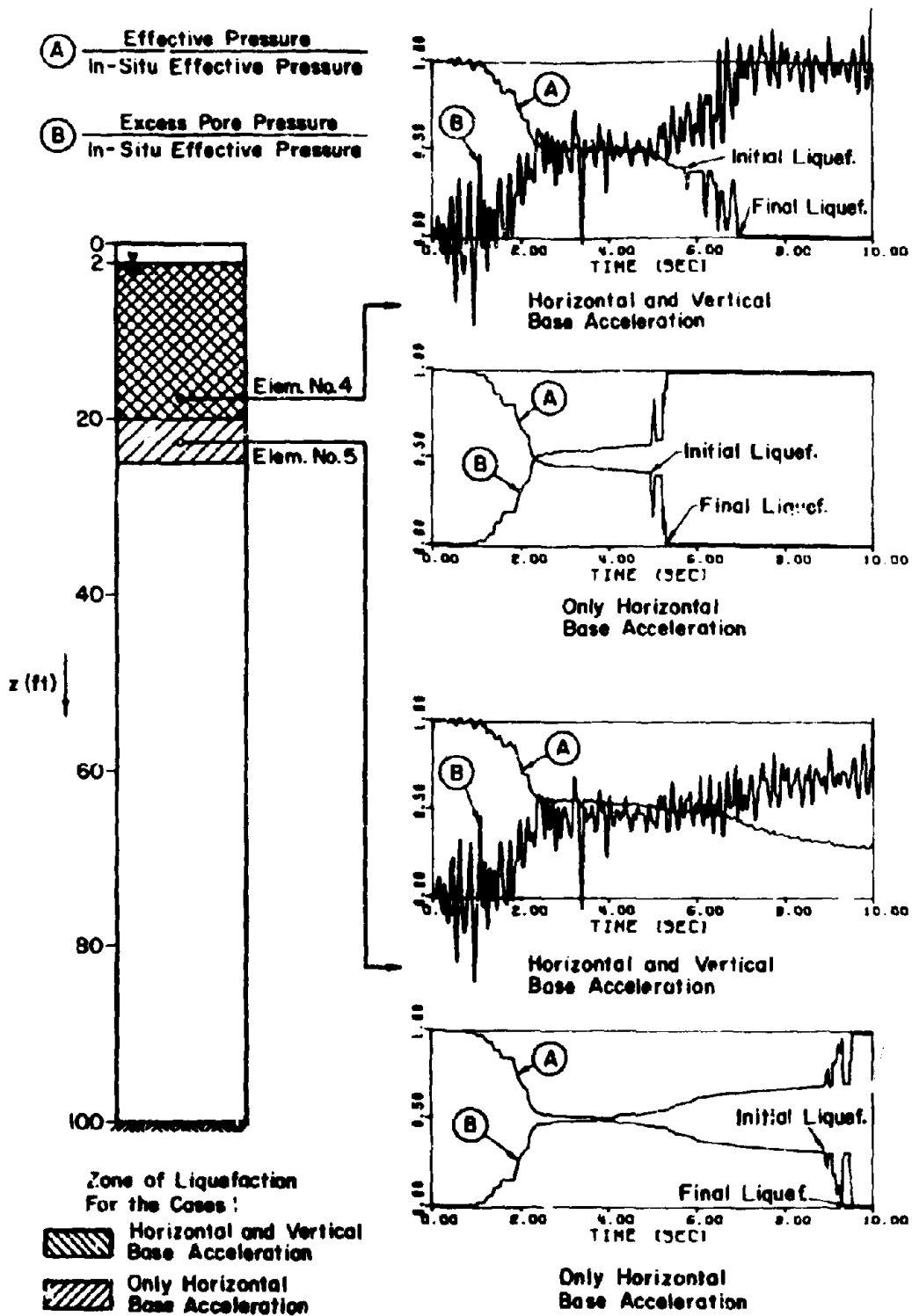


Figure 8 Influence of the vertical component of base acceleration on liquefaction

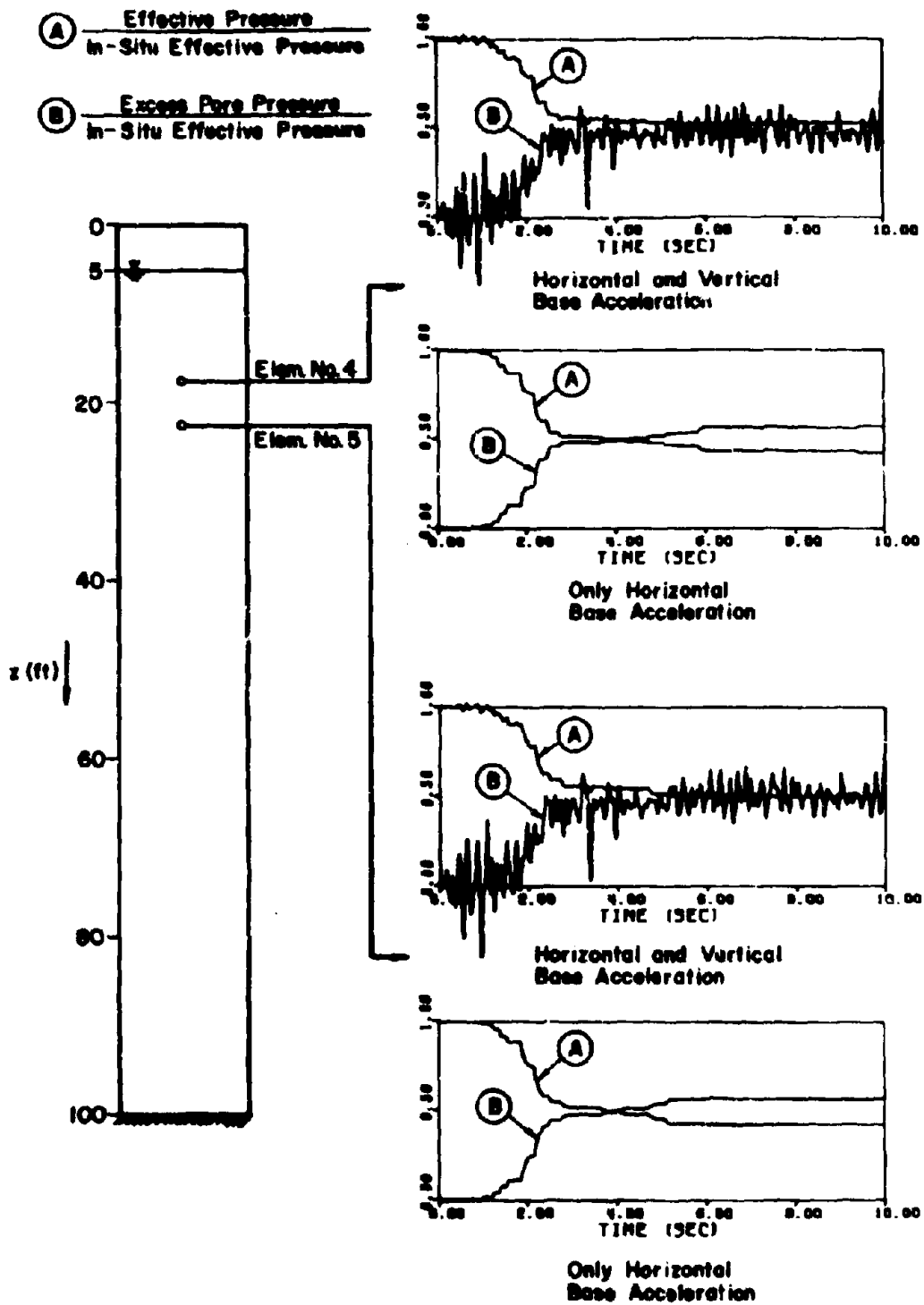


Figure 9 Influence of the vertical component of base motion on pore pressure increase

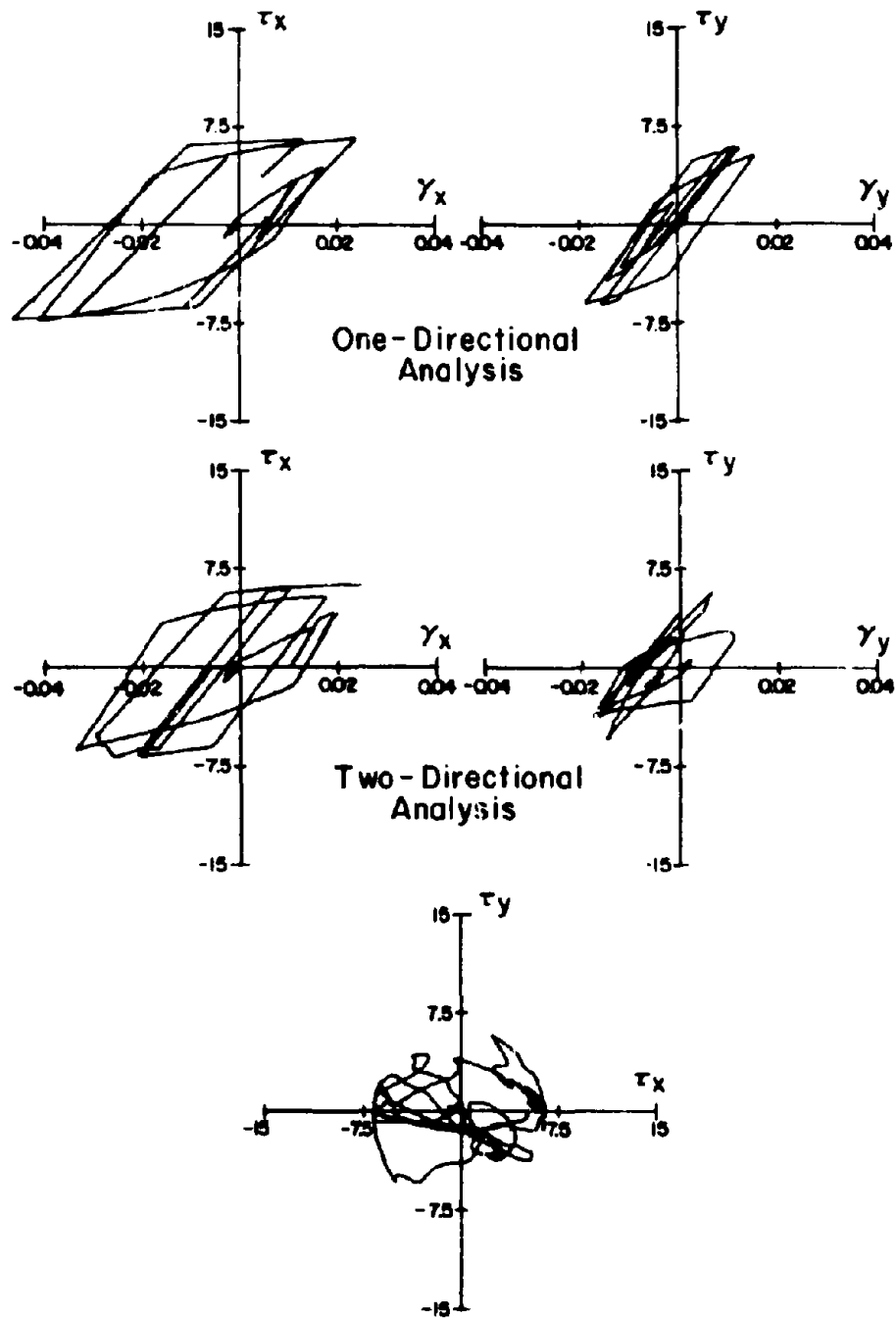


Figure 10 Comparison of stress-strain diagrams from one directional and two-directional analyses at a depth of 32.5 feet below ground surface.

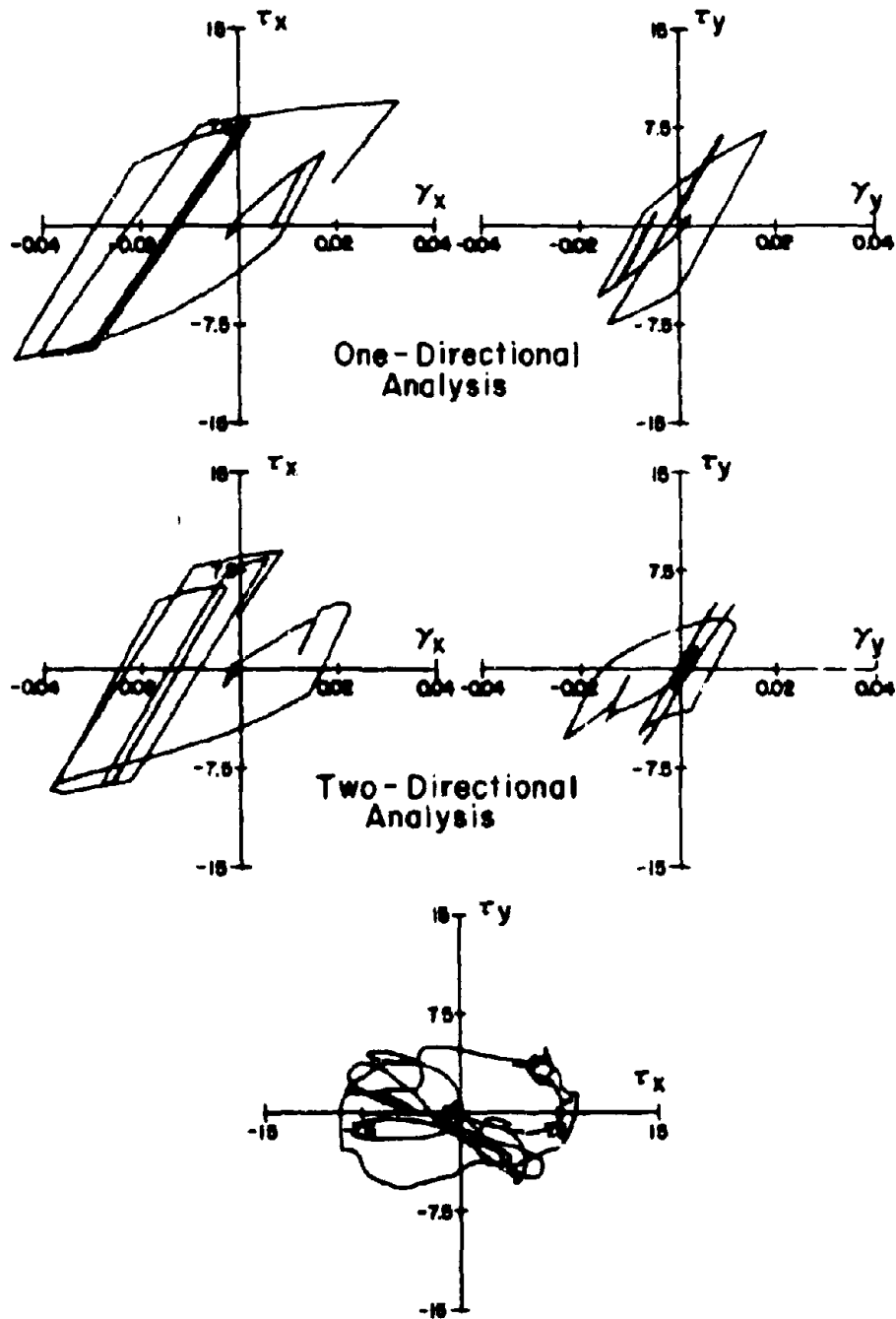


Figure 11 Comparison of stress-strain diagrams from one-directional and two-directional analyses at a depth of 47.5 feet below ground surface

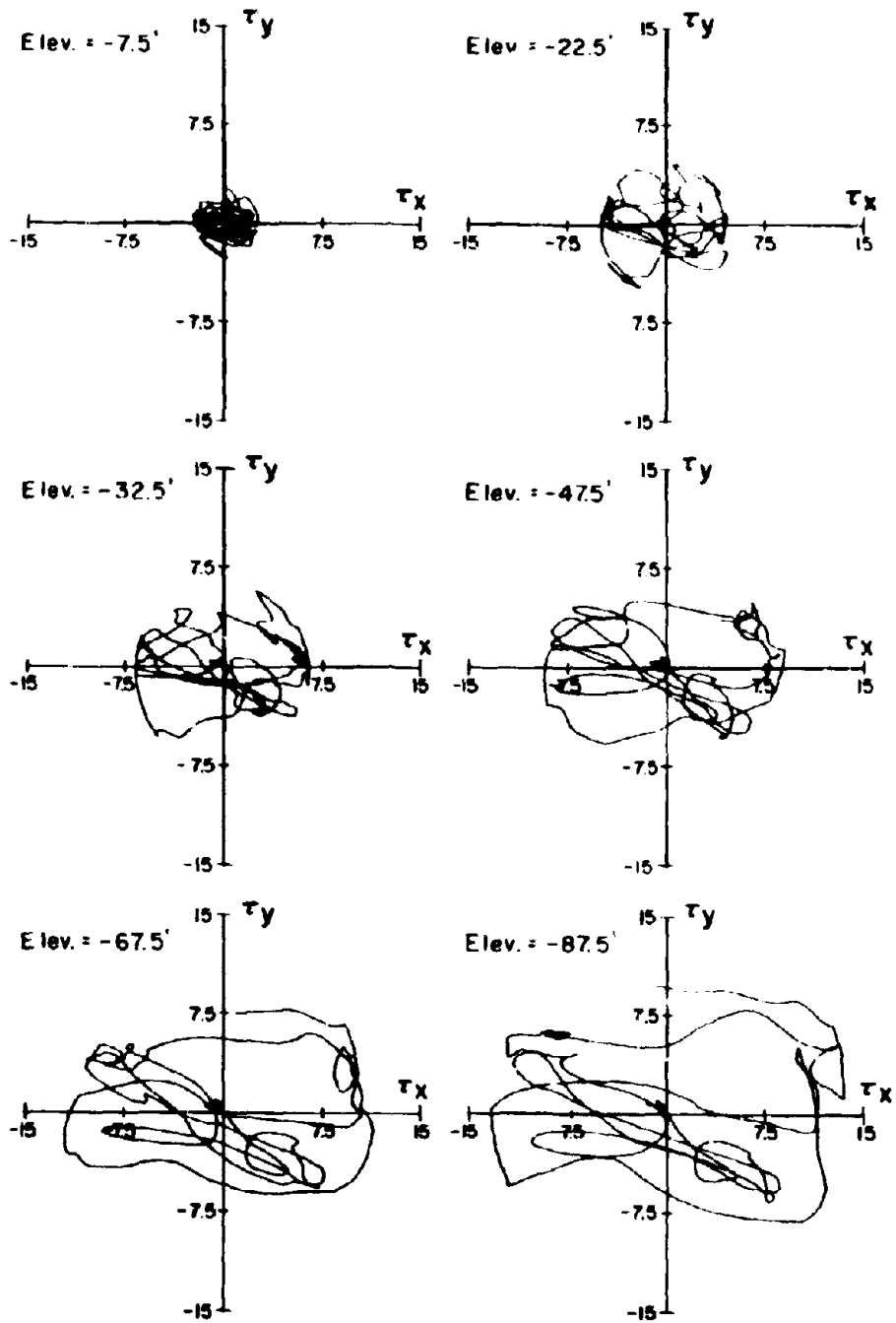


Figure 12 Traces of the shear stress resultant from two-directional analysis

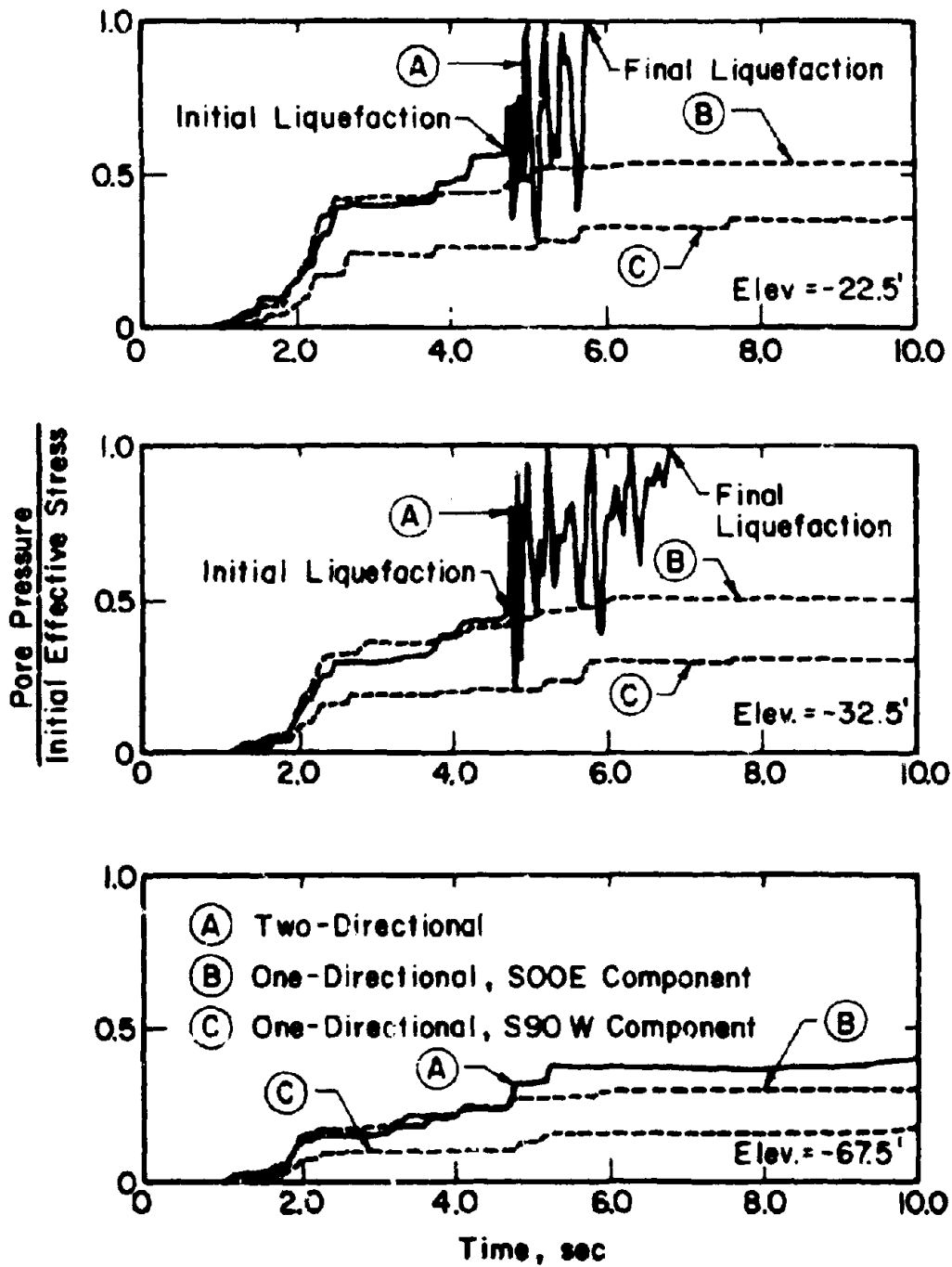
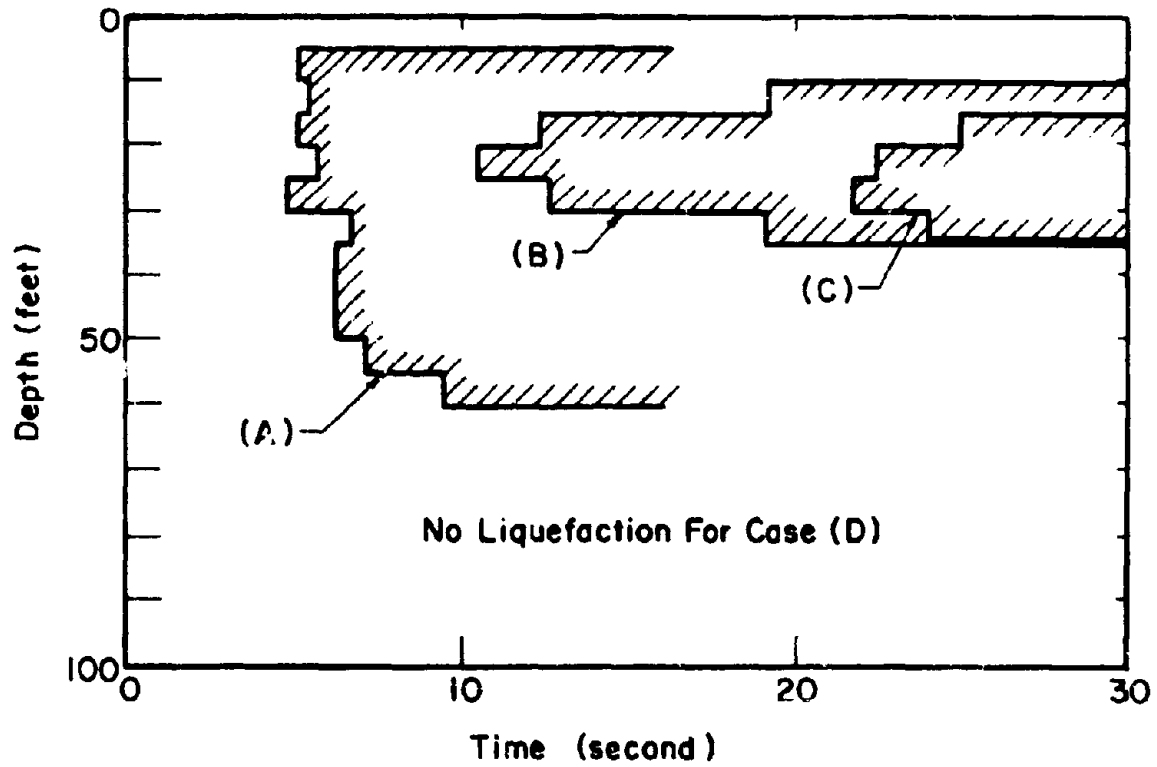


Figure 13 Comparison of the pore pressure time history from one-directional and two-directional analyses



		Peak Base Acceleration
(A)	Two - Directional	0.314g and 0.214g
(B)	} One - Directional	0.408g
(C)		0.377g
(D)		0.314 g

Figure i4 Time histories of liquefaction in one- and two-directional analyses

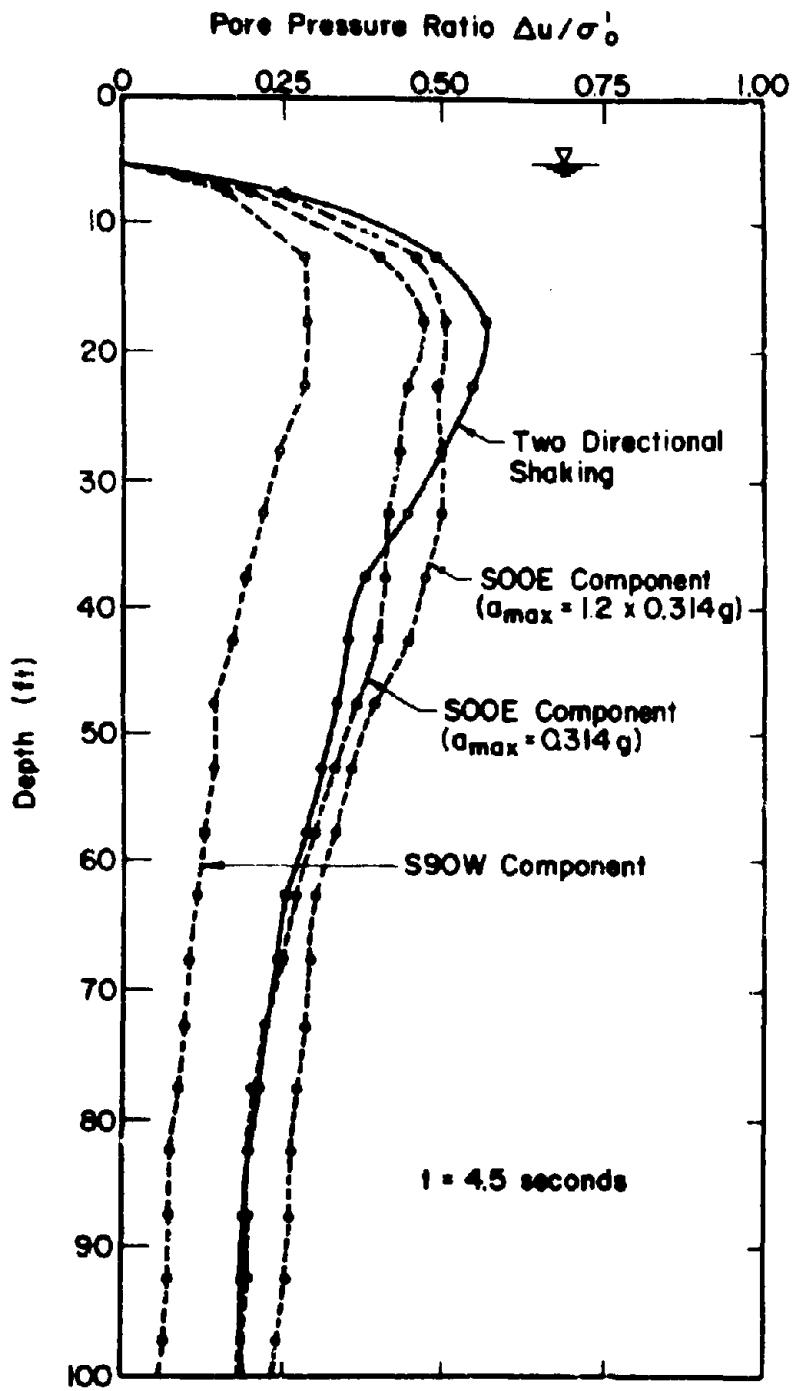


Figure 15 Pore pressures distribution with depth prior to liquefaction

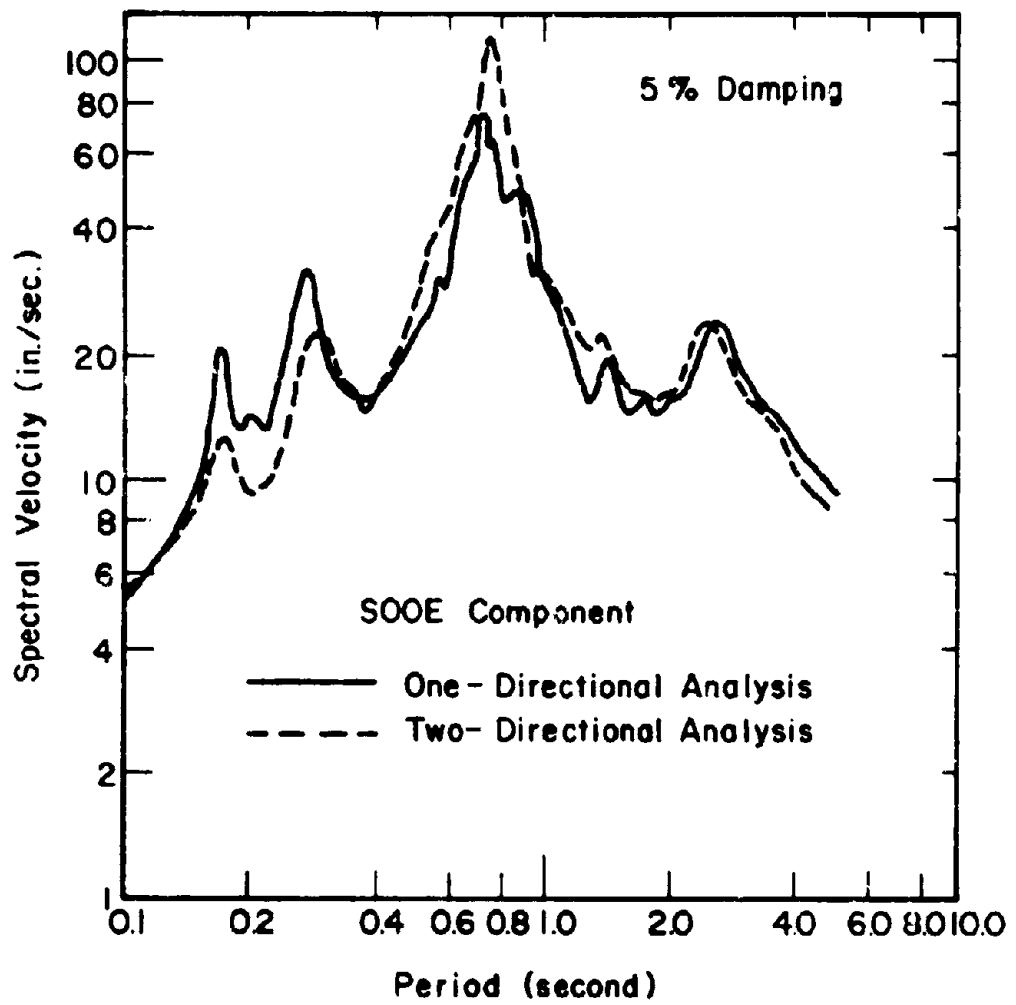


Figure 16 Comparison of the surface response spectra from one- and two-directional analyses

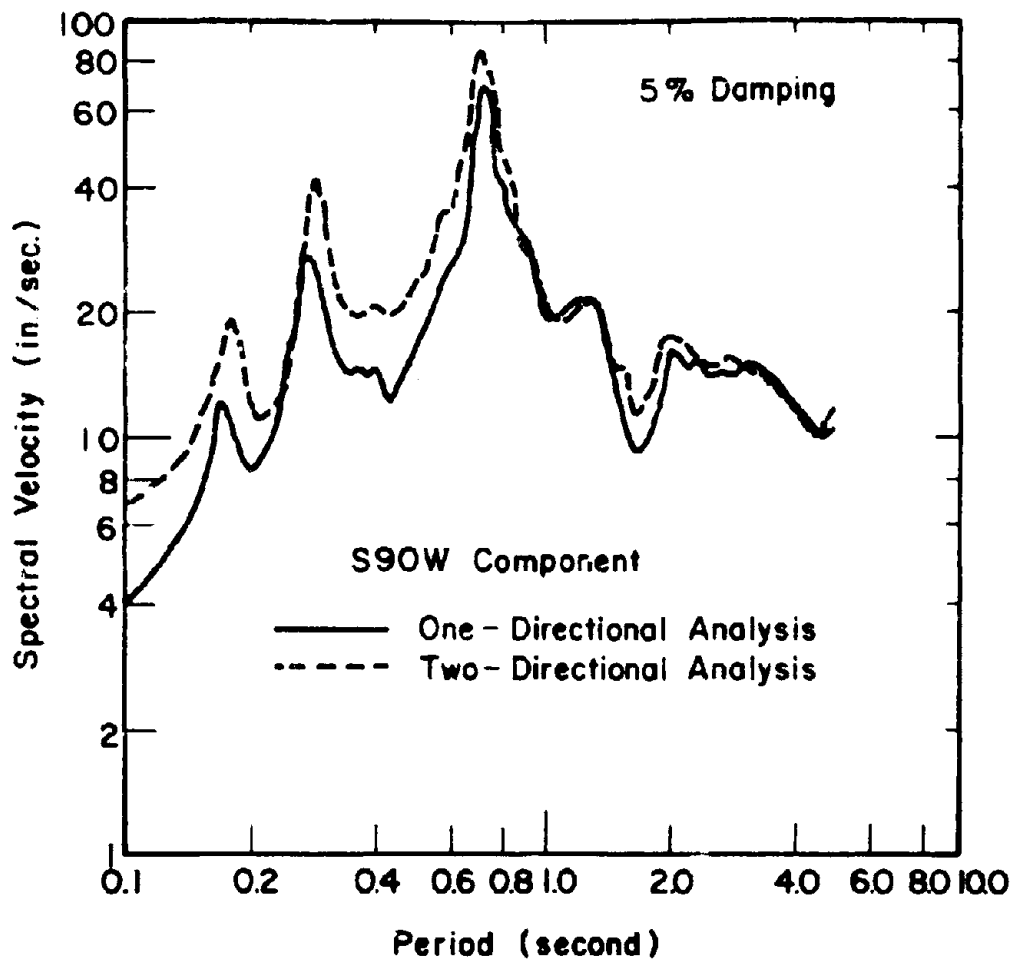


Figure 16 (continued)

APPENDIX A

A STUDY OF THE INFLUENCE OF SOME PARAMETERS
ON LIQUEFACTION OF LEVEL GROUND

INTRODUCTION

The results of any method of analysis depend on the values of the input parameters. Such dependence may be linear or nonlinear. The degree of sensitivity of the results varies from parameter to parameter. Small changes in some parameters may cause large changes in the response of the system whereas changes in some other parameters have little influence on the response. On the other hand, there is always certain amount of uncertainty associated with the actual values of the input parameters. The knowledge of the manner in which the response of the system depends on the input parameters can be an important aid in interpreting the results of analysis. The purpose of this appendix is to present a study of the influence on the liquefaction potential of three important parameters; the depth of the water table, the pore pressure parameter λ and the coefficient of permeability. These three parameters are probably the most important factors in determining the potential for liquefaction in any site. The in-situ effective stress is significantly influenced by the water table. The pore pressure parameter, λ , is directly related to the relative density; the smaller value of λ implies looser sand. A correlation between the value of the parameter λ and the relative density is given in Ref. (6). The coefficient of permeability determines how rapidly the excess pore pressures can dissipate, thus influencing the potential for liquefaction.

CASES ANALYZED

A hypothetical reference site with the profile and the properties shown in Fig. A1 was chosen. The depth of the layer of sand is 100 ft and water table is 5 ft below the ground surface. Throughout this study the SOOE component of the El Centro earthquake record of 1940 was used as the base acceleration. In each analysis only one of the parameters was changed while all the other properties were kept constant with the values shown in Fig. A1. All the cases analyzed are tabulated in Table A1. In cases A1 through A3 only the depth of the water table was varied. The variable in cases B1 through B7 was the pore pressure parameter λ . In cases C1 through C3 the value of the coefficient of permeability was varied.

Liquefaction characteristics of all the cases studied are summarized in Table A2. The data given in this table are: the time of occurrence and the depth of the first liquefaction and the final zone of liquefaction.

INFLUENCE OF THE DEPTH OF THE WATER TABLE

The overall effect of the variation of the depth of the water table is to vary the in-situ effective pressure. And generally the higher the in-situ effective pressure is, the less susceptible is the ground to liquefaction. This general pattern can be observed by comparing the results of the analyses of cases A1, A2 and A3, in which the depths of the water table are 2.5, 5.0 and 10.0 feet, respectively. The liquefaction time histories for these three cases are shown in Figure A2. Shown in Figure A3 are the variation with depth of the ratio of the excess pore water pressure and the in-situ effective pressure at $t = 10$ seconds.

No liquefaction has occurred in case A3 with the water table at 10 ft below the ground surface. Liquefaction does occur in both the cases A1 and A2. However, with water table at 2.5 ft below ground surface, the liquefaction occurs much earlier and is much more extensive than with the water table at 5.0 ft below the ground surface.

As indicated by the results of the analysis of cases A1 through A3, generally the lowering of the water table will reduce the potential for liquefaction. But this effect is more drastic when the water table is originally close to the ground surface.

INFLUENCE OF THE PORE PRESSURE PARAMETER, λ

In general, as the value of the pore pressure parameter λ decreases the potential for pore pressure build up increases and as mentioned earlier, this is due to the fact that the parameter λ is directly related to the relative density. The parameter λ was varied in cases B1 through B7 of Table A1.

Shown in Figure A4 are the liquefaction time histories for cases B1 through B4 with the values of the parameter λ at 1.0, 1.5, 2.0 and 2.5. The variation of the excess pore pressures with depth, at $t = 10$ seconds, are shown in Figure A5. It can be seen that the lower values of λ , corresponding to lower relative densities, cause generally higher excess pore pressures. For $\lambda = 1.0$, the first liquefaction occurs at 6.5 seconds and the final zone of liquefaction extends from 15 to 40 ft below the ground surface. The two analyses with $\lambda = 1.5$ and 2.0 yield very similar results; the first liquefactions occur within 1.5 seconds of each other, and much later than the case with $\lambda = 1.0$. No liquefaction occurs for the case with $\lambda = 2.5$.

The depth of the water table in cases B1 through B7 was at 5 ft below the ground surface. The first two of these cases with $\lambda = 1.0$ and 1.5 were repeated, with the water table lowered to 10 ft below the ground surface (cases B5 and B6 of Table A1). The liquefaction of time histories and the variation of the excess pore pressures with depth are shown in Figures A6 and A7. It can be seen that liquefaction only occurs for the case B5 with $\lambda = 1.0$ while the case with $\lambda = 1.5$ does not liquefy.

In all the analyses with the reference profile, λ was assumed to be constant with depth. To study the influence of the variation of λ with depth, in one analysis (case B7) λ was assumed to increase linearly from 1.0 at the ground surface to 3.0 at 100 ft. Such a variation of λ represents the increase of relative density with depth. The time history of liquefaction and the variation of the excess pore pressure with depth for this analysis are shown in Figures A8 and A9 and compared with the results the analysis in which λ is assumed to be constant and equal to 1.5 (Case B2). Note that in variable λ analysis, at 25 ft below the ground surface where the first liquefaction occurs λ is equal to 1.5. As is expected for variable λ case the pore pressures are higher near the ground surface than the pore pressures for the case of constant λ with depth. The reverse is true below the depth of 30 ft. Generally it can be stated the variation of λ with depth has increased the liquefaction potential, in spite of the fact that at the point where the first liquefaction has occurred in both cases B2 and B7 the value of λ is the same.

COEFFICIENT OF PERMEABILITY

The reference profile was analyzed with three coefficients of permeability; $k = 0.04, 0.004$ and 0.0004 inches per second (Cases C1 through C3). The time histories of liquefaction for these three cases are shown in Figure A10. Shown in Figures A11a to A11c are the variations of excess pore pressures with depth. The earliest liquefaction occurs for the smallest value of the coefficient of permeability. No liquefaction occurred for the highest coefficient permeability used, $k = 0.04$ inches per second. The main reason for this trend can be explained in terms of the potential for dissipation of the excess pore pressures. For higher coefficient of permeability as the pore pressures are generated they can dissipate into adjacent zone, therefore reducing the likelihood of liquefaction. Also, it can be seen from Figure A10 that for lower coefficient of permeability, although the likelihood of liquefaction is higher, the zone of liquefaction is less likely to spread much.

TABLE A1. Cases Analyzed

Case	Depth of Water Table (feet)	Parameter λ	Variation of λ with Depth	Coefficient of Permeability (in./sec)
A1	2.5	1.5	constant	0.004
A2	5.0	1.5	constant	0.004
A3	10.0	1.5	constant	0.004
B1	5.0	1.0	constant	0.004
B2	5.0	1.5	constant	0.004
(same as A2)				
B3	5.0	2.0	constant	0.004
B4	5.0	2.5	constant	0.004
B5	10.0	1.0	constant	0.004
B6	10.0	1.5	constant	0.004
(same as A3)				
B7	5.0	$1.0 + 0.02 z$	linear	0.004
C1	5.0	1.5	constant	0.04
C2	5.0	1.5	constant	0.004
(same as A2)				
C3	5.0	1.5	constant	0.0004

A-7

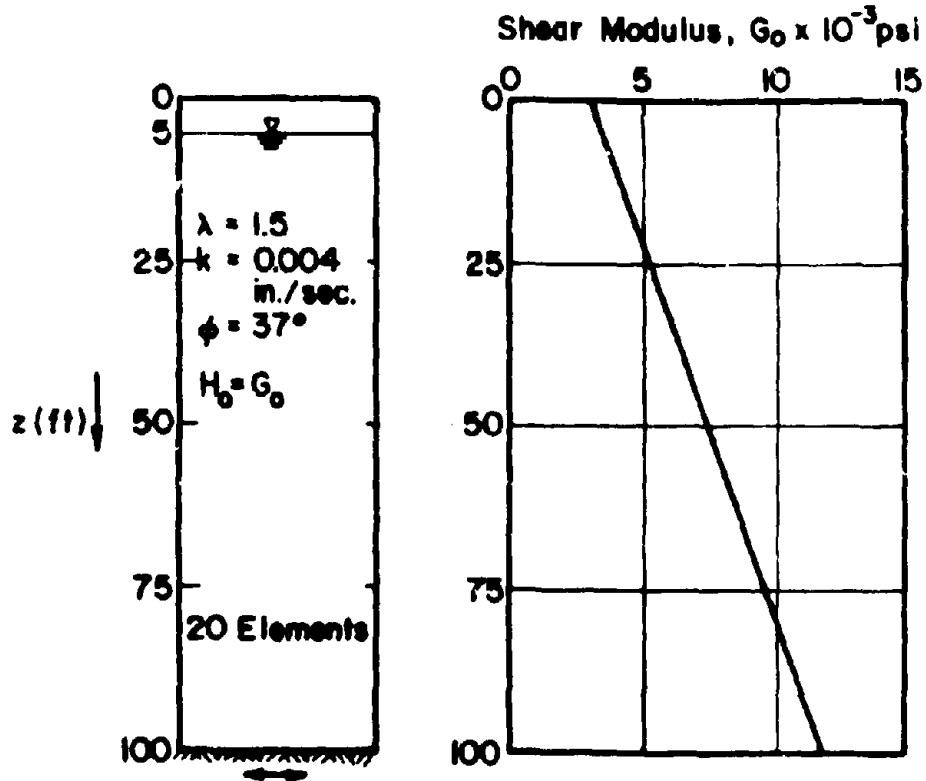
Table A2. Liquefaction Data for the Cases Studied

Case	Time of First Liquefaction (sec)*	Depth of First Liquefaction (ft)**	Depth of Final Liquefaction (ft)
A1	6.0	10	5 to 30
A2	24.0	20	15 to 30
A3	No Liquefaction		
B1	6.5	25	15 to 40
B2	24.0	20	15 to 30
B3	25.5	20	15 to 30
B4	No Liquefaction		
B5	13.5	25	20 to 35
B6	No Liquefaction		
B7	7.5	20	15 to 30
C1	No Liquefaction		
C2	24.0	20	15 to 30
C3	14.0	25	20 to 30

* Rounded off to the nearest 0.5 second.

** Depth to the top of the element which liquefied first (each element is 5 ft high).

A-8



Base Acceleration: SOOE Component of El Centro Earthquake Record of May 1940 ($a_{\max} = 0.314g$)

Figure A1 Soil profile used in the analysis

A-9

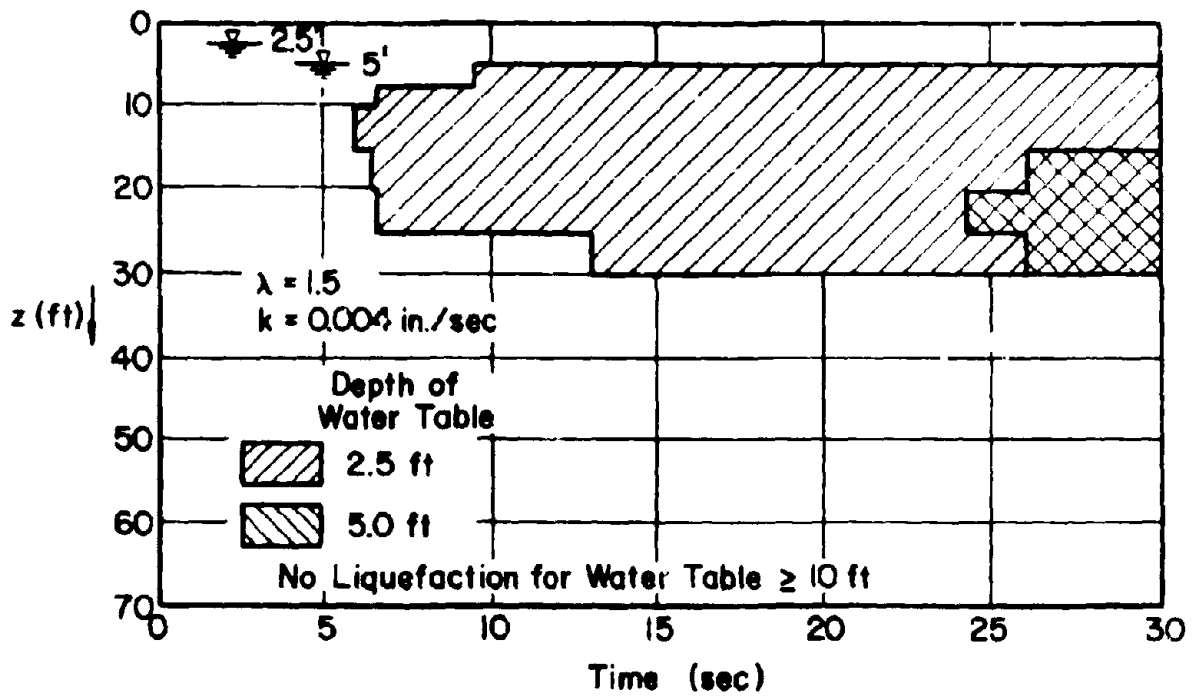


Figure A2 Time histories of liquefaction for water table depths of 2.5, 5.0 and 10.0 feet.

A-10

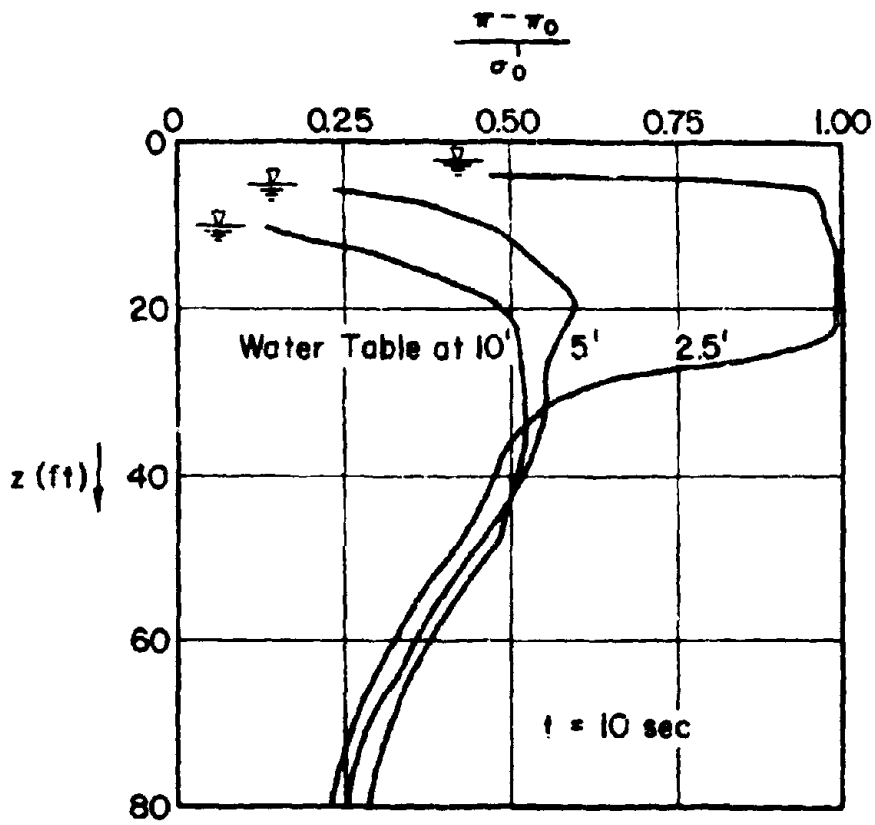


Figure A3 Variation with depth of the excess pore water pressure for water table depths of 2.5, 5.0 and 10.0 feet at $t = 10$ seconds

A-11

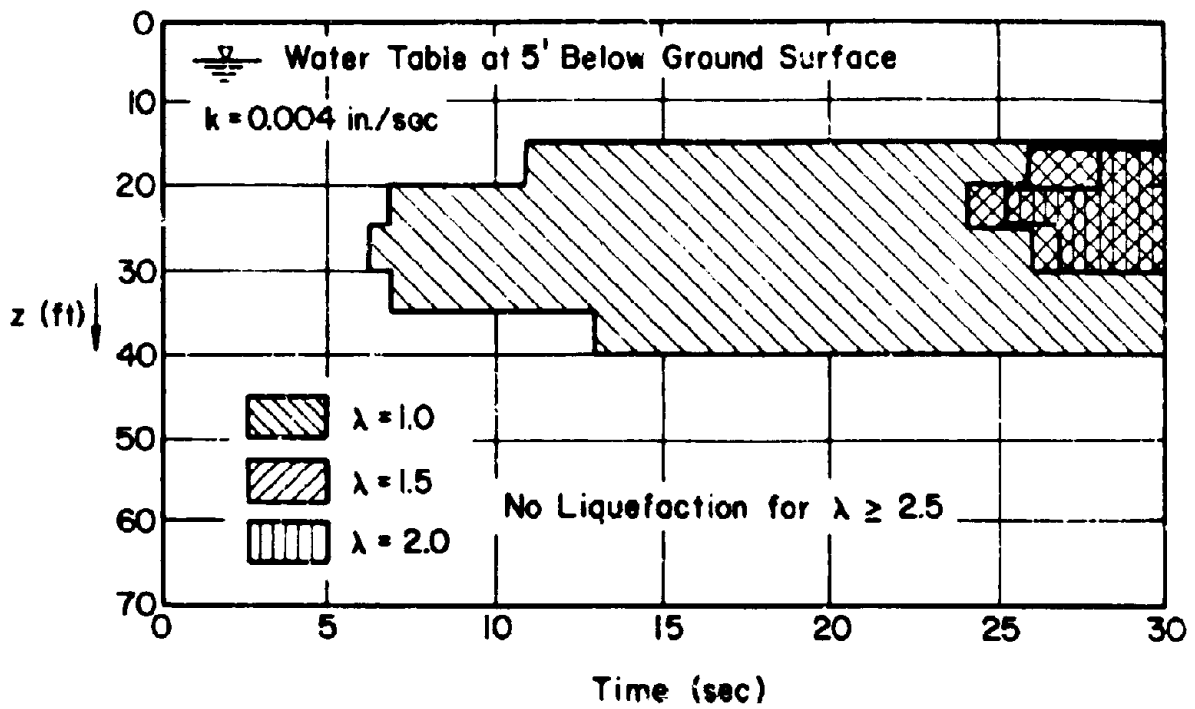


Figure A4 Time histories of liquefaction for parameter λ values of 1.0, 1.5, 2.0 and 2.5, and water table at 5 ft. below ground surface

A-12

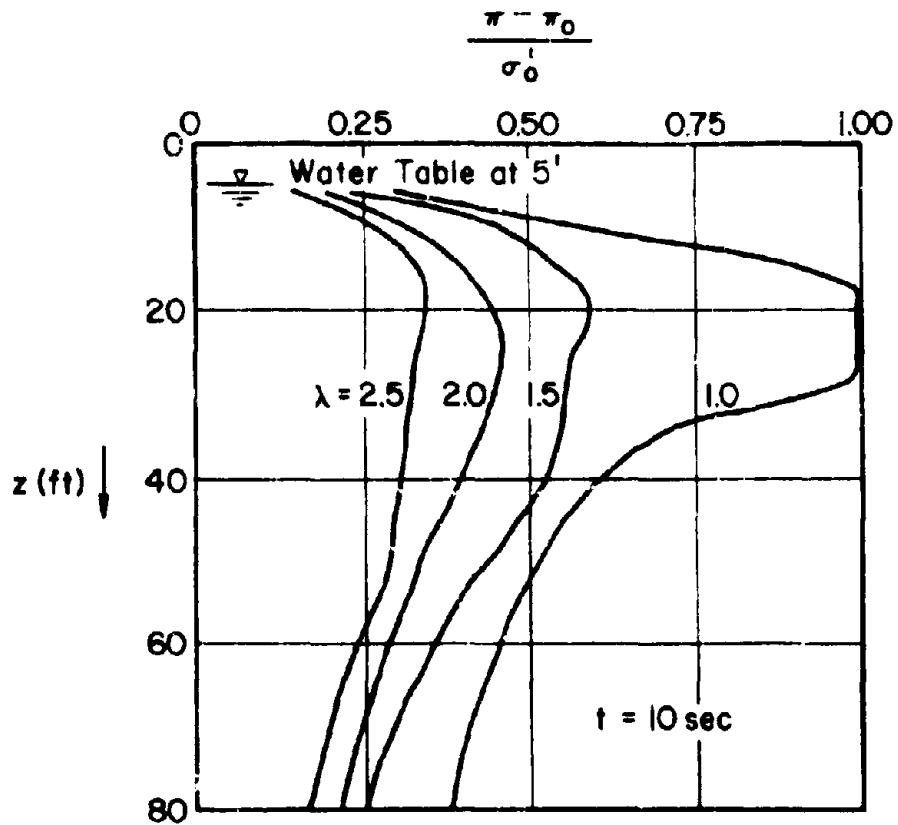


Figure A5 Variation with depth of the excess pore water pressure for values of parameter λ at 1.0, 1.5, 2.0 and 2.5, and water table at 5 ft below ground surface at $t = 10$ seconds

A-13

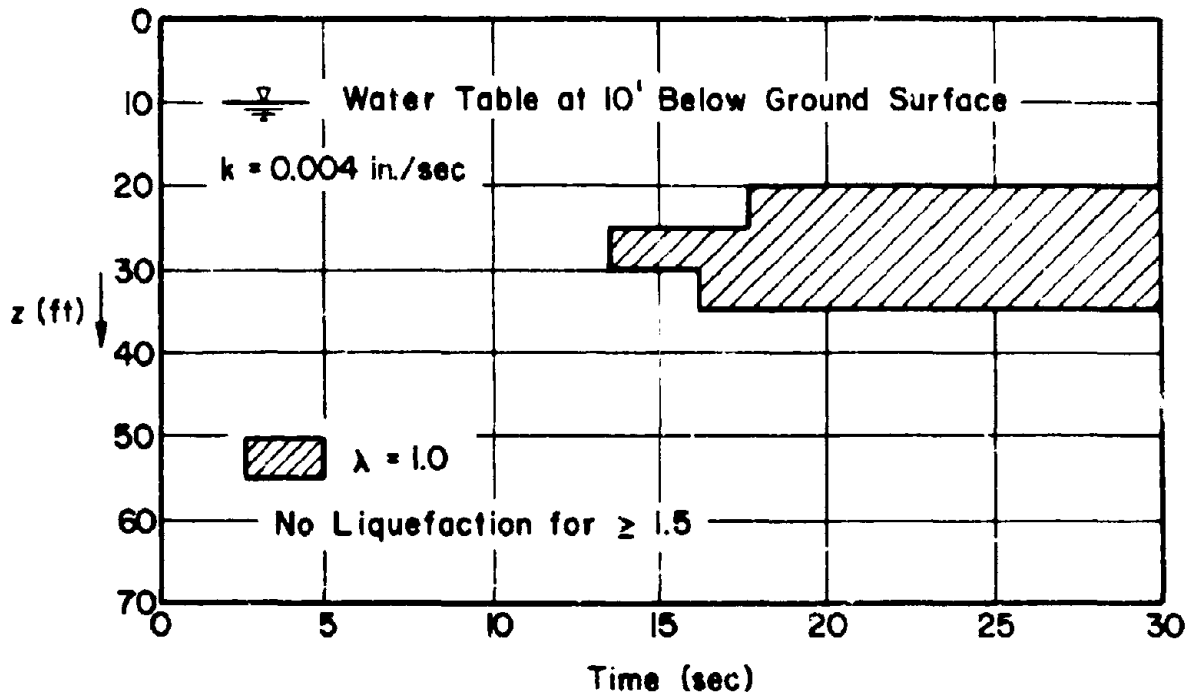


Figure A5 Time histories of liquefaction for parameter λ values of 1.0 and 1.5 and water table at 10 ft below ground surface

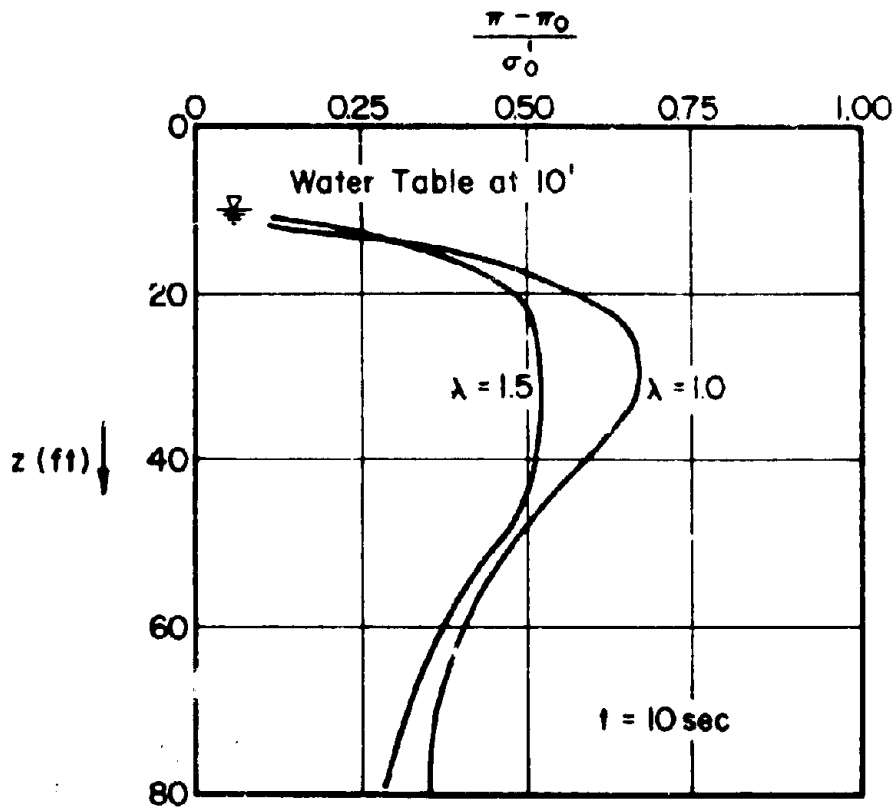


Figure A7 Variation with depth of the excess pore water pressure for parameter λ values of 1.0 and 1.5 and water table at 10 ft below ground surface at $t = 10$ seconds

A 15

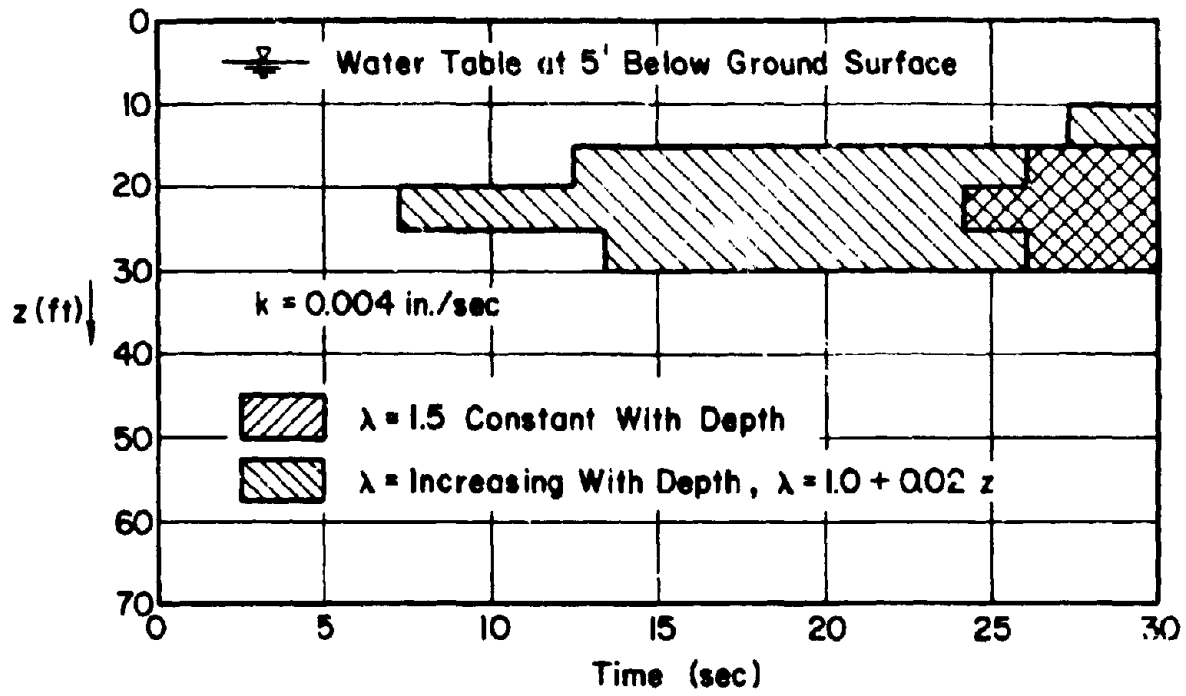


Figure A8 Time histories of liquefaction for cases of constant and increasing λ parameter with depth

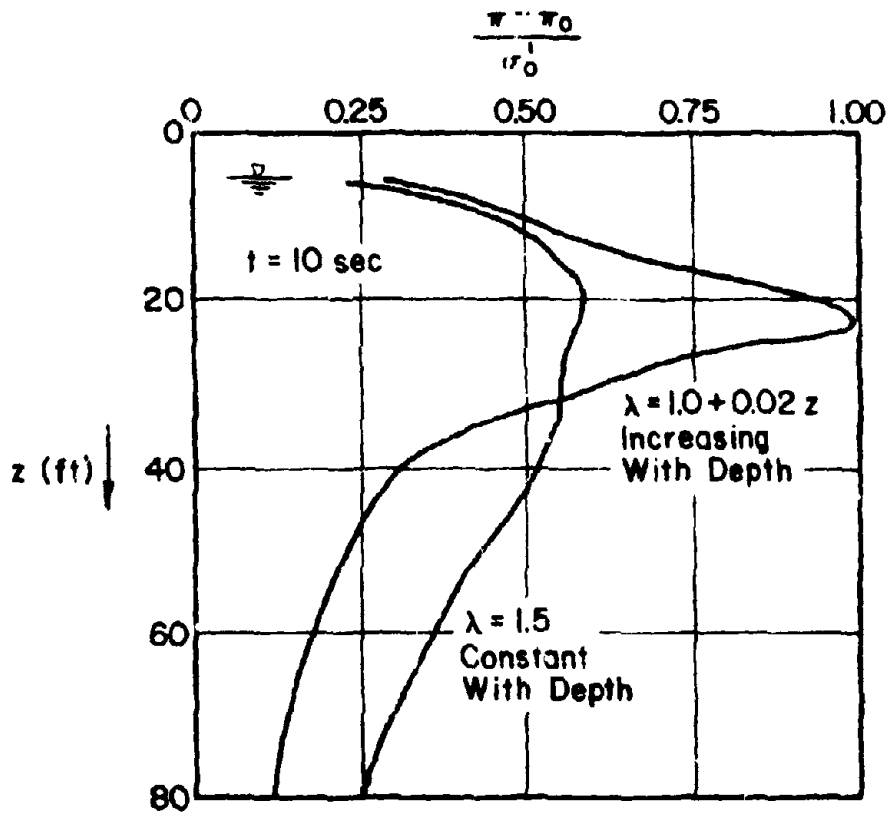


Figure A9 Variation with depth of the excess pore water pressure for cases of constant and increasing λ parameter with depth

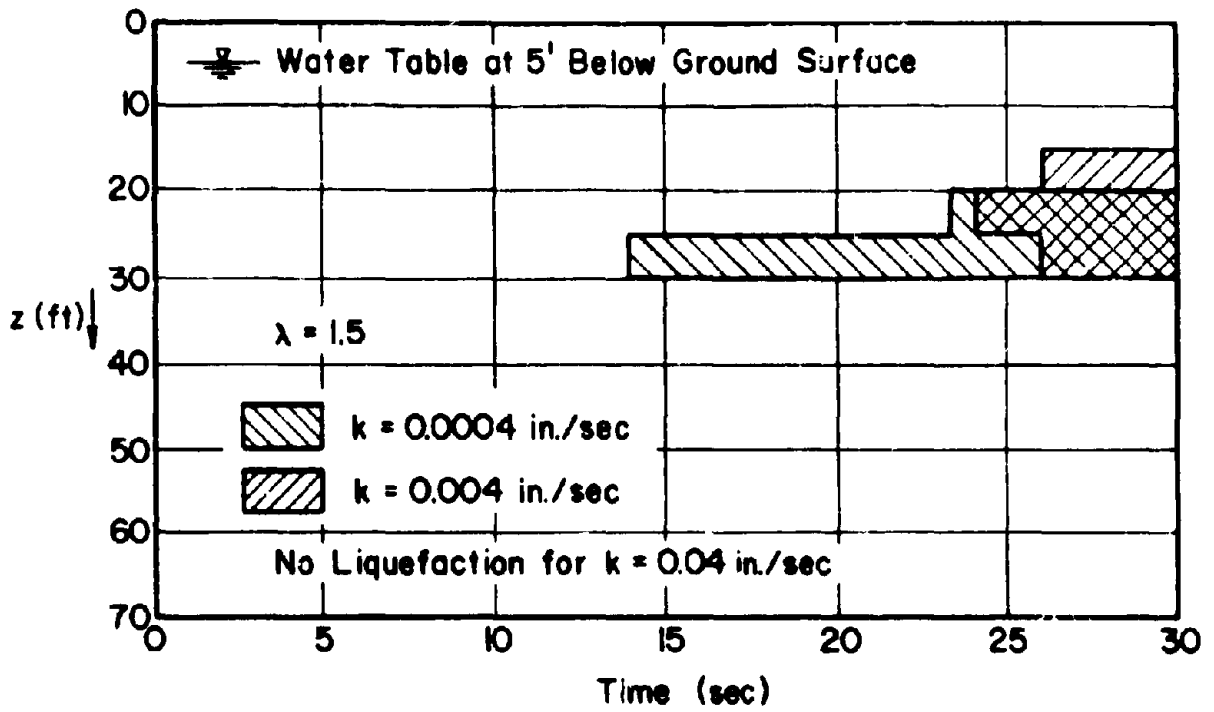


Figure A10 Time histories of liquefaction for coefficients of permeability 0.04, 0.40, 0.004 and 0.0004 in/sec

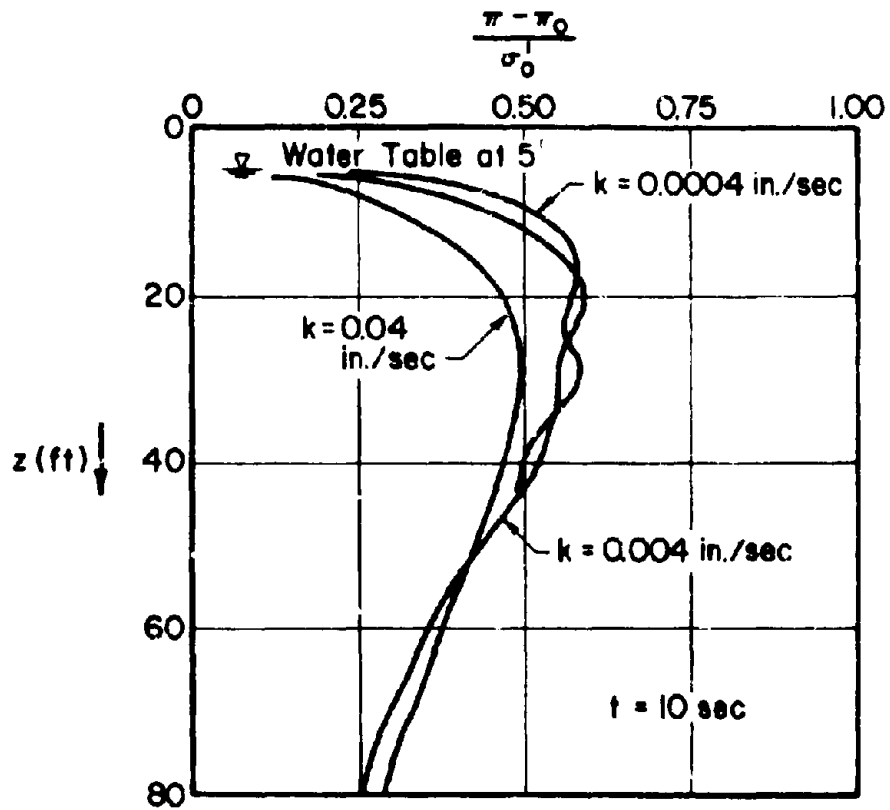


Figure A11 Variation with depth of the excess pore water pressure for coefficients of permeability 0.04, and 0.004 and 0.0004 in./sec. at (a) $t = 10$ seconds, (b) $t = 12.5$ seconds, (c) $t = 15$ seconds

A-19

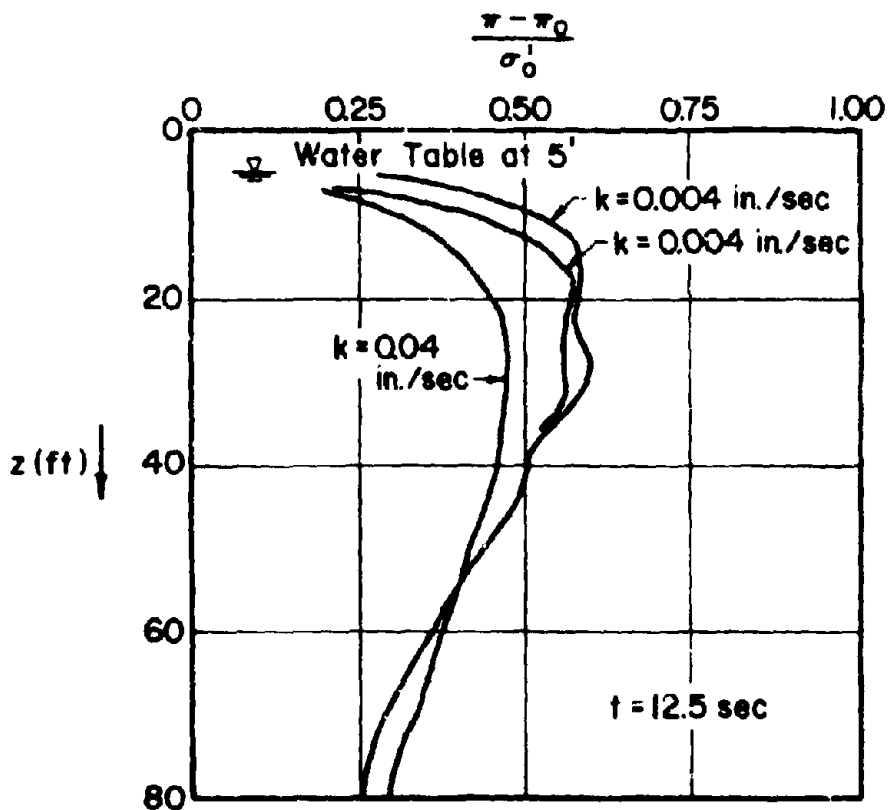


Figure A11 (continued).

A-20

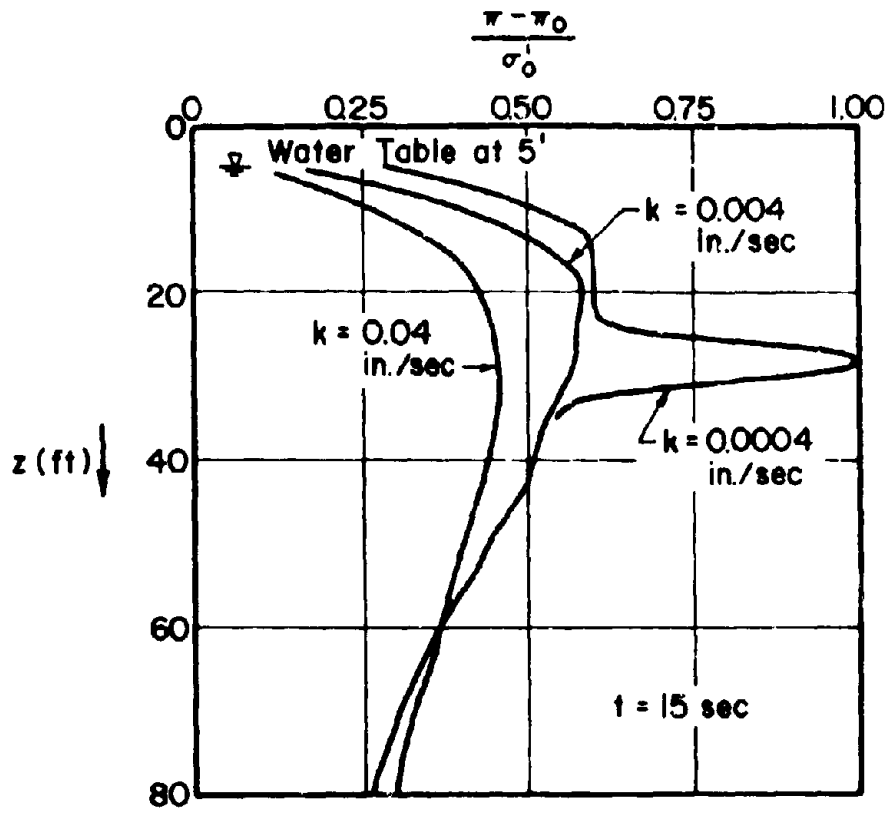


Figure A11 (continued)

APPENDIX B
 INPUT DATA FOR
 COMPUTER PROGRAM LASS-III

The computer program LASS-III is for Liquefaction Analysis of Saturated Soil Deposits. This version is capable of dynamic analysis of horizontally layered saturated cohesionless soil deposits under multi-directional base motion.

I. CONTROL CARDS

Card 1 (18A4)

Columns 1-72 Problem title (To be printed in output)

Card 2 (6I5, F10.0)

Columns 1-5 Number of layers

6-10 Number of different material properties

11-15 Maximum number of subincrements per plastic step
(Default value is 10).

16-20 A non-zero value indicates a request for a
transmitting boundary at the base (see Card 13)

21-25 A non-zero value indicates a request for the usage
of mass and stiffness proportional damping
(see Card 14)

26-30 Number of dynamic time steps

31-40 Dynamic time step (Δt)

Card 3 (3I5)

Columns 1-5 Existence of first horizontal component of base motion (0 = No, 1 = Yes)

6-10 Existence of second horizontal component of base motion (0 = No, 1 = Yes)

11-15 Existence of the vertical component of base motion (0 = No, 1 = Yes)

Card 4 (4I5)

Columns 1-5 Interval of steps for printing of response (displacements, velocities, accelerations, strains and stresses).

6-10 Interval of steps for saving of response at selected points to be specified later for the purpose of plotting.

11-15 Step number for starting printing of response at intervals indicated in columns 1-5 of this card.

16-20 Interval of steps for updating of stiffness matrix.

Card 5 (3I5, 6F10.0)

Columns 1-5 Number of nodes for which the time histories of acceleration, velocity and displacement are to be plotted.

6-10 Number of elements for which the time histories of shear stress and shear strain, and the shear stress vs. the shear strain are to be plotted.

- Columns 11-15 Number of elements at which the time histories of pore water pressure are to be plotted.
- 16-25 Height of the plotter paper in inches, (Default value is 10).
- 26-35 Height of the stress and strain time history diagram in inches, (Default value is 2).
- 36-45 Length of the time axis in inches, (Default value is 10).
- 46-55 Size (height = length) of the stress vs strain diagrams in inches, (Default value is 8).
- 56-65 Height of the pore pressure history diagrams in inches, (Default value is 4).
- 66-75 Maximum time value to be plotted in seconds, (Default value is 10).
- Card 6 (415)
- Columns 1-5 A non-zero value indicates a request for the computation of response spectras (Acceleration, velocity and displacement).
- 6-10 A non-zero value indicates a request for the plot of response spectras.
- 11-15 Number of damping values to be used in the computation of response spectra, (Default value is 3). Maximum value that can be specified is 10.

B-4

Columns 16-20 Number of nodes for which the response spectras to be computed. Maximum value that can be specified is 10.

Card Group 7 (8F10.0)

This card is required if a non-zero value is specified in columns 11-15 of Card 6. In the above format give the damping values as percent of critical damping. If a zero is specified in columns 11-15 of Card 6, program computes spectras for .02, .05, .1 damping.

Card 8 (10I5)

This card is required if the computation of response spectra is requested. In the above format give the node numbers.

Card 9 (2I5)

Columns 1-5 A non-zero value indicates a request for the post-earthquake analysis.

6-10 If a non-zero value is specified in the column 1-5 of this card, give the number of different time steps which will be used in post-earthquake analysis. Maximum value that can be specified is 10.

Card Group 10 (F10.0, 2I5)

One card must be provided for each time step indicated in columns 6-10 of card 9.

Columns 1-10 Time step.
 11-15 Number of times that this time step is to be repeated.
 16-20 Print interval of the time step.

Card 11 (2F10.0)

Columns 1-10 Depth of water table.
 11-20 Gravity, g, (Default value is 386.2 in/sec²).

II. SOIL DEPOSIT DATA

Card Group 12 (F10.0, 215)

One card required for each layer of soil.

Columns 1-10 Depth of the base of the layer.
 11-15 Number of elements the layer is to be subdivided.
 16-20 Material number of layer. This number is to identify the type of material properties in the sequence given in the next card group to be assigned to this layer.

This data is provided for the layers in the sequence of increasing depth starting at the layer at the ground surface.

Card 13 (210.0)

Transmitting boundary coefficients at the base can be defined as follows, in horizontal directions

$$c_2 = \rho V_s$$

in vertical direction,

$$c_1 = \rho V_p$$

where c_1 and c_2 are dashpot constants, ρ is the mass density of the base, V_s and V_p are shear wave and compression wave velocities at the base respectively.

The following card must be provided if a non-zero value was specified in columns 16-20 of card 2.

Columns 1-10	c_2 , dashpot constant in horizontal direction
11-20	c_1 , dashpot constant in vertical direction

Card 14 (2F10.0)

Mass and stiffness proportional damping is defined as follows,

$$c = \alpha' M + \beta' K_0$$

The following card must be provided if a non-zero value was specified in columns 21-25 of card 2.

Columns 1-10	α' , factor for mass proportional damping
11-20	β' , factor for stiffness proportional damping

Card Group 15 (8F10.0)

The following cards must be provided for each material type as indicated in columns 6-10 of Card 2.

Card 15.1

Columns 1-10	Constrained modulus for effective stresses.
11-20	Shear modulus at the top of the layer.
21-30	Change in shear modulus per unit of depth.

Columns 31-40 Plastic modulus at the top of the layer.
 41-50 Change in plastic modulus per unit of depth.
 51-60 Bulk modulus of fluid.
 61-70 Permeability.
 71-80 Mass density of solid.

Card 15.2

Columns 1-10 Mass density of fluid.
 11-20 S_{max}
 21-30 $1/\lambda$
 31-40 Tolerance for subincrementing at each plastic
 step (Default value is .001).
 41-50 α
 51-60 Constant for the direction of stress vector in
 p' - q stress plane for post-initial liquefaction
 calculation.
 61-70 Effective stress at final liquefaction.
 71-80 Void ratio.

III. PLOT DATA

Card Group 16 (16I5)

This card group is required if a non-zero value is specified in columns 1-5 of Card 5. In the above format give the node numbers of the nodes where the motion plots are required.

Card Group 17 (1615)

This card group is required if a non-zero value is specified in columns 6-10 of Card 5. In the above format give the element numbers of the elements for which the time histories of shear stresses and shear strains, and the stress-strain diagrams are to be plotted.

Card Group 18 (1615)

This card group is required if a non-zero value is specified in columns 11-14 of Card 5. In the above format give the element numbers of the elements for which the time histories of pore water pressures are to be plotted.

IV. EARTHQUAKE DATA**Card 19 (12A6)**

Columns 1-72 Earthquake identification title (to be printed in output).

Card 20 (2F10.0, 315)

Columns 1-10 Time scale factor. Earthquake time points are multiplied by this time scale factor. (If zero or blank, a value of one is used). This is not required if a non-zero value is specified in columns 26-30 of this card.

- Columns 11-20 Amplitude scale factor. Earthquake amplitudes are multiplied by this scale factor (If zero or blank, a value of one is used).
- 21-25 Number of time points to define the time history of base acceleration.
- 26-30 Base acceleration data type: zero or blank when the base acceleration data are given at irregular time intervals; any non-zero value when the base acceleration is given at equal intervals with the same time step as specified in columns 31-40 of Card 2.
- 31-35 A non-zero value will suppress the output of the base acceleration time history.

If the value in columns 26-30 of Card 20 is zero provide Card group 21, otherwise provide Card group 22.

Card Group 21 (8F10.0)

In the above format for each base acceleration time point give sequentially the values of time and corresponding base acceleration. The program interpolates to determine the value of base acceleration at intervals of time step Δt .

Card Group 22 (8F5.0)

In the above format for each base acceleration time point give sequentially the values of base acceleration at intervals of time step Δt .

C-1

APPENDIX C

LISTING OF COMPUTER
PROGRAM LASS-III

PROGRAM LASSIII(INPUT,OUTPUT,TAPE1,TAPE5=INPUT,TAPE6=OUTPUT)

PROGRAM FOR SEISMIC ANALYSIS OF HORIZONTALLY LAYERED
SATURATED SOILS WITH EVALUATION OF LIQUEFACTION POTENTIAL

DEVELOPED BY JAMSHID GHABOUSSI AND ERIT DIKHEM
CIVIL ENGINEERING DEPARTMENT
UNIVERSITY OF ILLINOIS AT URBANA-CHAMPAIGN
JANUARY 1979

```

COMMON A (40000)
COMMON/CONTL/HED(18),NCYCL,DT,NDI,NLOP,NPRNT,NSAVE,
* LUN,NC,NUPDAT,NSTPRT
COMMON/BLVL/MTABLE,GRAV
COMMON/PLTNG/NPLOTN,NPLTSS,NSETS,HPAP,HPLOT,BPLOT,DPLOT,ELOT,
* TEND,NPLPNT
COMMON/SPEC/DV(10),NODE(10),NMODE,IRS,IRSP
COMMON/BOSEQ/NTREP(10),TS(10),TLIMIT,NTS,NPEQPB(10)
COMMON/BASDAN/IBDNP,C1,C2
COMMON/DIRECT/NX,NY,NZ
COMMON/DAMP/IVDNP,ALPA,BETA

WRITE(6,2014)
WRITE(6,2015)
NTOT=40000
LUN=1
IPLOT=0
READ(5,1000) HED
READ(5,1001) N1AYER,NMAT,NKINC,IBDNP,IVDNP,NCYCL,DT
IF(NKINC.LE.0) NKINC=10
WRITE(6,2000) HED,N1AYER,NMAT,NKINC,NCYCL,DT
READ(5,1003) NX,NY,NZ
IF(NX.EQ.0.AND.NY.NE.0) NY=0
IF(NX.EQ.0) NX=1
WRITE(6,2013) NX,NY,NZ
READ(5,1003) NPRNT,NSAVE,NSTPRT,NUPDAT
WRITE(6,2001) NPRNT,NSAVE,NSTPRT,NUPDAT
READ(5,1004) NPLOTN,NPLTSS,NSETS,HPAP,HPLOT,BPLOT,DPLOT,ELOT,TEND
NPLTOT=NPLOTN+NPLTSS+NSETS
IF(NPLTOT.LE.0) GO TO 200
IPLOT=1
IF(HPAP.LT.1..OR.HPLOT.LT.1..OR.BPLOT.LT.1..OR.DPLOT.LT.1..OR.TEND
* .LT.1..OR.ELOT.LT.1.) WRITE(6,2004)
IF(HPAP.LT.1.) HPAP=10.
IF(HPLOT.LT.1.) HPLOT=2.
IF(BPLOT.LT.1.) BPLOT=10.
IF(DPLOT.LT.1.) DPLOT=8.
IF(ELOT.LT.1.) ELOT=4.
IF(TEND.LT.1.) TEND=10.
WRITE(6,2003) NPLOTN,NPLTSS,NSETS,HPAP,HPLOT,BPLOT,DPLOT,ELOT,
* TEND
200 READ(5,1005) IRS,IRSP,NDV,NMODE
NHD=1
IF(NY.NE.0) NHD=2
IF(IRSP.NE.0) IPLOT=1
IF(IRS.EQ.0) GO TO 215
WRITE(6,2005)
IF(NDV.LE.0) GO TO 230

```

```

READ(5,1006) (DV(L),L=1,NDV)
GO TO 240
230 NDV=3
WRITE(6,2006)
DV(1)=0.02
DV(2)=0.05
DV(3)=0.1
240 WRITE(6,2007) (DV(L),L=1,NDV)
READ(5,1007) (NODE(L),L=1,NNODE)
WRITE(6,2008) (NODE(L),L=1,NNODE)
215 READ(5,1007) IPOSEQ,NTS
IF(IPOSEQ.EQ.0) GO TO 210
WRITE(6,2009)
READ(5,1008) (TS(I),NTREP(I),NPEQPR(I),I=1,NTS)
WRITE(6,2010) (TS(I),NTREP(I),NPEQPR(I),I=1,NTS)
210 CONTINUE
NDI=NI+NY+NZ
NC=NDI+1
IF(WZ.EQ.0) NC=NC+1
NDOP=4
READ(5,1002) WTABLE,GRAV
IF(GRAV.LE.0.0) GRAV=386.2
WRITE(6,2002) WTABLE,GRAV
N1=1
N2=N1+N_LAYER
N3=N2+N_LAYER
N4=N3+N_LAYER
N5=N4+35*MMAT
IF(NDI.EQ.0) NDI=1
N6=N5+NDI*NCYCL
KK1=N6
KK2=KK1+NPLOTH
KK3=KK2+NPLTSS
KK4=KK3+NSETS
K1=KK4
CALL REED (A(N1),A(N2),A(N3),A(N4),A(N5),A(KK1),A(KK2),A(KK3),
* N_LAYER,MMAT,NUMNP,A(K1),NCYCL,NDI)
K2=K1+NUMNP
K3=K2+NUMNP
K4=K3+NUMNP
CALL MESH (A(N1),A(N2),A(N3),A(K1),A(K2),A(K3),WTABLE,
* N_LAYER)
NEQ=NC+NUMNP+NC
IF(IBMHP.EQ.0) NEQ=NEQ-NC
HBAND=2*NC
K5=K4+NEQ*HBAND
K6=K5+NEQ*HBAND
K7=K6+NEQ
K8=K7+NEQ
K9=K8+NEQ
K10=K9+NEQ
K11=K10+NEQ
K12=K11+NEQ
K13=K12+NEQ
K14=K13+NDOP*NUMNP
K15=K14+NDOP*NUMNP
KK15=K15+NEQ
KK16=KK15+2*NUMNP
KK17=KK16+15*NUMNP
KK18=KK17+NEQ*6
KK19=KK18+NUMNP*(4+(NHD+1))

```

```

K16=K19+MNODE*NCYCL*NHD
NCCY=NCYCL
NTLL=0
NPLPNT=TEND/DT
IF(NPLTOT.LE.0) GO TO 130
RTSAVE=(NPLPNT-1.0)/NSAVE+1.0
NTSAVE=RTSAVE
IF(NTSAVE.GT.RTSAVE) NTSAVE=NTSAVE-1
KN1=K16
KN2=KN1+NTSAVE+2
K16=KN2+NTSAVE+2
NBLK=NTSAVE
NPTOT=3*NPLOTH+2*NPLTSS+NSETS+3
IF(NY.NE.0) NPTOT=NPTOT+3*NPLOTH+2*NPLTSS
IF(NZ.NE.0) NPTOT=NPTOT+3*NPLOTH
IF(NPTOT.LE.0) GO TO 100
NLEFT=NPTOT-K16-1
NNEED=NPTOT*NTSAVE
IF(NNEED.LE.NLEFT) GO TO 100
NUM=(NEED-1)/NLEFT+1
NBLK=NLEFT/NPTOT
REWIND LUN
100 CONTINUE
NTLL=NPTOT*NBLK
130 CONTINUE
K17=K16+NTLL
IF(IRS.NE.0) GO TO 135
K21=K17
GO TO 137
135 CONTINUE
K18=K17+NDV*89*NHD
K19=K18+NDV*89*NHD
K20=K19+NDV*89*NHD
K21=K20+89
137 IF(IPOSEQ.NE.0) GO TO 138
K30=K21
GO TO 139
138 CONTINUE
K22=K21+NUMNP*2
K23=K22+NUMNP*2
K24=K23+NUMNP*2
K25=K24+NUMNP*2
K26=K25+NUMNP
K27=K26+NUMNP
K28=K27+NUMNP
K29=K28+NUMNP
K30=K29+NUMNP
139 CONTINUE
K31=K30+2*NEQ
K32=K31+NEQ
WRITE(6,2012) NPTOT,K32
IF(K32.LT.NTOT) GO TO 140
WRITE(6,2011)
STOP
140 CONTINUE
NTLL=K32-K4+1
CALL SZERO (A(K4),NTLL)
IF(IPLOT.GT.0) CALL PLOTS(0,0,10)
CALL HASSMT (A(K10),A(K1),A(K2),A(K3),A(K4),NUMNP,NC)
CALL SELPLD (A(K1),A(K2),A(K3),A(K4),A(K13),A(K15),NUMNP,NC)
CALL SOLVE (A(K1),A(K2),A(K3),A(K4),A(K5),A(K4),A(K5),A(K6),A(K7),

```

```

* A(K8),A(K9),A(K10),A(K11),A(K12),A(K13),A(K14),A(K15),A(KK1),
* A(KK2),A(KK3),A(K16),A(KK15),A(KK19),A(K30),A(F31),A(KK17),
* A(KK18),A(KK16),WBLK,NPTOT,WJHNP,WHAT,WEQ,WBAND,WCCY,
* WYINC)
CALL OUTP (A(KK1),A(KK2),A(KK3),A(KK1),A(KK2),A(K16),A(KK15),
* WJHNP,LUN,WBLK,NPTOT,NTSAVE,WDI)
150 CONTINUE
IF(NNODE.L2.0) GO TO 160
CALL RESPEC(A(KK19),WCYCL,A(K17),A(K18),A(K19),A(K20),NDV,DT,WHD)
160 IF(IPOSEQ.EQ.0) GO TO 170
IF(IPOSEQ.GE.1) CALL SOLPEQ (A(W4),A(K1),A(K2),A(K3),A(K13),
* A(K21),A(K22),A(K23),A(K24),A(K25),A(K26),A(K27),A(K28),A(K29),
* WJHNP)
170 CONTINUE
IF(IPLT.GT.0) CALL PLOT(0,0,999)
STOP
1000 FORMAT(18A4)
1001 FORMAT (6I5,F10.0)
1002 FORMAT (8F10.0)
1003 FORMAT (16I5)
1004 FORMAT(3I5,6F10.0)
1005 FORMAT(4I5)
1006 FORMAT(8F10.0)
1007 FORMAT(16I5)
1008 FORMAT(F10.0,2I5)
2000 FORMAT (////18A4////)
* 35H NUMBER OF LAYERS ..... = ,I5//
* 35H NUMBER OF MATERIALS ..... = ,I5//
* 35H MAX. NO. OF SUBINC. PER /
* 35H PLASTIC STEP ..... = ,I5//
* 35H NUMBER OF CYCLES ..... = ,I5//
* 35H TIME STEP (DT) ..... = ,E10.0 )
2001 FORMAT (// 35H PRINT INTERVAL ..... = ,I5//
* 35H INTERVAL FOR SAVING RESPONSE = ,I5//
* 35H STEP FOR STARTING PRINT .... = ,I5//
* 35H STIFFNESS UPDATE CYCLE ..... = ,I5//)
2002 FORMAT (//
* 35H DEPTH OF WATER TABLE ..... = ,F10.3//
* 35H GRAVITY ..... = ,F10.3//)
2003 FORMAT (//25H ..... PLOT DATA ..... //
* 55H NUMBER OF MOTION PLOTS ..... = ,I5,/
* 55H NUMBER OF STRESS, STRAIN, TIME PLOTS ..... = ,I5,/
* 55H NUMBER OF PORE PRESSURE VS. TIME PLOTS ..... = ,I5,/
* 55H HEIGHT OF THE PLOT PAPER (INCHES) ..... = ,F5.1,/
* 55H HEIGHT OF THE STRESS AND STRAIN HISTORY PLOTS (IN) = ,F5.1,/
* 55H LENGTH OF THE TIME AXIS (INCHES) ..... = ,F5.1,/
* 55H SIZE OF THE STRESS VS. STRAIN PLOTS (INCHES) ... = ,F5.1,/
* 55H HEIGHT OF THE PORE PRESSURE HISTORY PLOTS (IN) .. = ,F5.1,/
* 55H MAX. TIME VALUE TO BE PLOTTED (SECONDS) ..... = ,F5.1,
* //)
2004 FORMAT(//,50H DEFAULT VALUE(S) ASSUMED FOR PLOT PARAMETER(S) )
2005 FORMAT(30H ....RESPONSE SPECTRA DATA... /)
2006 FORMAT(54H DEFAULT VALUES WILL BE ASSUMED FOR DAMPING VALUES )
2007 FORMAT(16H DAMPING VALUES= ,10F10.5)
2008 FORMAT(45H RESPONSE SPECTRA WILL CALCULATED FOR NODES ,10I5//)
2009 FORMAT(//40H ...DATA FOR POST EARTHQUAKE ANALYSIS... //
* 11H TIME STEPS ,3X,10H NO. REP. ,3X,11H PRINT INT. )
2010 FORMAT(F10.5,9X,I5,9X,I5)
2011 FORMAT(45H PROBLEM DEFINED IS TOO LARGE TO BE COMPUTED )
2012 FORMAT(//22H STORAGE INFORMATION //
* 23H CORE SPACE AVAILABLE= ,I6,

```

```

* 23H CORE SPACE REQUESTED=      ,I6)
2013 FORMAT(35H ACCELERATION IN X-DIRECTION=      ,I5/
*      35H      Y-DIRECTION=      ,I5/
*      35H      Z-DIRECTION=      ,I5/
*      35H ( YES=1, NO=0 )      )

```

```

2014 FORMAT(1H1/
*/35X,58H*****
*/35X,58H*
*/35X,58H* LL      AAAAA SSSSSS  SSSSSS  IIIII IIIII IIIII *
*/35X,58H* LL      AA  AA SS      SS      I      I      I      *
*/35X,58H* LL      AA  AA SSSSSS  SSSSSS  I      I      I      *
*/35X,58H* LL      AAAAAA SSSSSS  SSSSSS  == I      I      I      *
*/35X,58H* LL      AA  AA      SS      SS      I      I      I      *
*/35X,58H* LLLLLL AA  AA SSSSSS  SSSSSS  IIIII IIIII IIIII *
*/35X,58H*
*/35X,58H*      PROGRAM FOR SEISMIC RESPONSE AND LIQUEFACTION OF *
*/35X,58H*      LAYERED GROUND UNDER MULTI-DIRECTIONAL SHAKING *
*/35X,58H*
* )

```

```

2015 FORMAT(
* 35X,58H*      DEVELOPED BY *
*/35X,58H*
*/35X,58H*      JAMSHID GHABOUSSI AND UNIT DIKHEH *
*/35X,58H*      UNIVERSITY OF ILLINOIS AT URBANA-CHAMPAIGN *
*/35X,58H*      JANUARY 1979 *
*/35X,58H*
*/35X,58H*****
* )
END

```

```

SUBROUTINE REED (DEPTH,NEL,NATYP,EMATL,BACC,JPLTH,JPLTSS,
* JSETS,NLAYFB,NHAT,NUMNP,ACC,NCYCL,NDI)
C
C   DIMENSION DEPTH(NLAYER),NEL(NLAYER),NATYP(NLAYER),EMATL(35,NHAT),
*   BACC(NCYCL,NDI),ACC(2,1),TITLE(18),JPLTH(1),JPLTSS(1),JSETS(1)
C
COMMON/CONTL/ HED(18),DUMM,DT
COMMON/PLTING/ NPLOTM,NPLTSS,NSETS,HMAP,NPLOT,BPLOT,DPLOT,EPLOT,
*   TEND,NPLPNT
COMMON/WLVL/ WTABLE,GRAV
COMMON/BASDAM/IBDMP,C1,C2
COMMON/DAMP/IVDMP,ALFA,BETA
COMMON/DIRECT/NX,NY,NZ
C
READ (5,1000) (DEPTH(I),NEL(I),NATYP(I),I=1,NLAYER)
WRITE (6,2000)
WRITE (6,2001) (I,DEPTH(I),NEL(I),NATYP(I),I=1,NLAYER)
IF (IBDMP.EQ.0) GO TO 80
READ (5,1006) C2,C1
WRITE (6,2019) C2,C1
80 CONTINUE
IF (IVDMP.EQ.0) GO TO 90
READ (5,1006) ALFA,BETA
WRITE (6,2020) ALFA,BETA
90 CONTINUE
WRITE (6,2002)
DO 100 L=1,NHAT
READ (5,1001) (EMATL(I,L),I=1,5),(EMATL(I,L),I=12,22)
100 CONTINUE
DO 103 L=1,NHAT
IF (EMATL(18,L).LE.0) EMATL(18,L)=0.001
103 CONTINUE
WRITE (6,2016)
DO 101 L=1,NHAT
WRITE (6,2003) L,(EMATL(I,L),I=1,5),(EMATL(I,L),I=12,14)
101 CONTINUE
WRITE (6,2017)
DO 102 L=1,NHAT
WRITE (6,2003) L,(EMATL(I,L),I=15,22)
102 CONTINUE
NUMNP=0
DO 110 I=1,NLAYER
110 NUMNP=NUMNP+NEL(I)
IF (NPLOTM.LE.0) GO TO 130
READ (5,1005) (JPLTH(I),I=1,NPLOTM)
WRITE (6,2008)
WRITE (6,2013) (JPLTH(I),I=1,NPLOTM)
130 IF (NPLTSS.LE.0) GO TO 140
READ (5,1005) (JPLTSS(I),I=1,NPLTSS)
WRITE (6,2010)
WRITE (6,2013) (JPLTSS(I),I=1,NPLTSS)
140 IF (NSETS.LE.0) GO TO 150
READ (5,1005) (JSETS(I),I=1,NSETS)
WRITE (6,2011)
WRITE (6,2013) (JSETS(I),I=1,NSETS)
150 CONTINUE
C
C   READ AND INTERPOLATE BASE ACCEL.
C
DO 400 LL=1,NDI

```

```

READ (5,1002) TITLE,TSCAL,ASCAL,NPOINT,NTYPE,IPRNT
WRITE (6,2004) TITLE,TSCAL,ASCAL
IF (NTYPE.NE.0) GO TO 162
WRITE(6,2014)
READ (5,1003) (ACC(1,I),ACC(2,I),I=1,NPOINT)
IF(IPRNT.NE.0) GO TO 155
WRITE (6,2005) (ACC(1,I),ACC(2,I),I=1,NPOINT)
GO TO 156
155 CONTINUE
WRITE(6,2021)
156 CONTINUE
IF (TSCAL.LE.0.0) GO TO 170
DO 160 I=1,NPOINT
160 ACC(1,I)=ACC(1,I)*TSCAL
GO TO 170
162 RPAD (5,1004) (ACC(2,I),I=1,NPOINT)
IF(IPRNT.NE.0) GO TO 163
WRITE(6,2015)
WRITE(6,2005) (ACC(2,I),I=1,NPOINT)
GO TO 164
163 CONTINUE
WRITE(6,2021)
164 CONTINUE
170 CONTINUE
DO 180 I=1,NPOINT
180 ACC(2,I)=ACC(2,I)*ASCAL
IF (NTYPE.NE.0) GO TO 300
CA1=0
I=1
T=DT
K=0
200 IF(ACC(1,I).GE.T) GO TO 250
220 I=I+1
IF (I.LE.NPOINT) GO TO 200
WRITE (6,2007)
STOP
250 SLOPE=(ACC(2,I)-ACC(2,I-1))/(ACC(1,I)-ACC(1,I-1))
280 K=K+1
IF (K.GT.NCYCL) GO TO 400
BACC(K,LL)=ACC(2,I-1)+SLOPE*(T-ACC(1,I-1))
T=T+DT
IF (ACC(1,I).GE.T) GO TO 280
GO TO 220
300 GRAVITY=GRAV
DO 320 I=1,NCYCL
320 BACC(I,LL)=ACC(2,I)*GRAVITY
400 CONTINUE
RETURN
1000 FORMAT (P10.0,2I5)
1001 FORMAT (8P10.0)
1002 FORMAT (10A4/2P10.0,3I5)
1003 FORMAT (8P10.0)
1004 FORMAT (8P9.0)
1005 FORMAT (16I5)
1006 FORMAT (2P10.0)
2000 FORMAT (1N1/45H ----- PROPERTIES OF LAYERS ----- .//
* 5X,5NLAYER,15X,5NDEPTH,11X,9NNUMBER OF,12X,6NMATERIAL /X,
* 6NNUMBER,32X,4NELEMENTS,14X6HNUMBER//)
2001 FORMAT (I10,P20.3,2I20)
2002 FORMAT (1N1/45H ----- MATERIAL PROPERTIES ----- .// )
2003 FORMAT (I5,8E15.6)

```



```

2004 FORMAT (1H1//18A4//
* 29H TIME SCALE ----- =,F10.4 //
* 29H AMPLITUDE SCALE ----- =,F10.4 //)
2005 FORMAT (8E15.6)
2007 FORMAT (//////////
* 60H ----- INPUT BASE ACCEL. IS LESS THAN REQUESTED RESPONSE //
* 21H EXECUTION TERMINATED /)
2008 FORMAT (/30H MOTION PLOT REQUEST FOR NODES /)
2010 FORMAT (/40H STRESS-STRAIN PLOT REQUEST FOR ELEMENTS /)
2011 FORMAT (/39H PORE PRESSURE PLOTS FOR ELEMENTS :
)
2013 FORMAT (10I5)
2014 FORMAT (4 (11K,4HTIME,10X,5HACCEL)//)
2015 FORMAT (15H ACCELERATION :.//)
2016 FORMAT (10H MAT. NO.
* 11H CONS. MOD. 1X,
* 11H SHEAR MOD. 2X,
* 15H SH. MOD. CHGE.
* 18H IN. PL. SH. MOD. 2X,
* 15H PL. MOD. CHGE. 2X,
* 15H BULK MOD. (PL.)
* 13H PERMEABILITY 2X,
* 17H MASS DEN. (TOTAL) / )
2017 FORMAT (//10H MAT. NO.
* 15H MASS DEN. (PL.) 2X,
* 8H S (MAX) 3X,
* 10H 1./LAMBDA 4X,
* 8H TLRNC,6X,
* 6H ALPHA 9X,
* 6H THETA 9X,
* 16H RES. EFF. STRS.
* 10H VOID RAT. /)
2019 FORMAT (53H ----- TRANSMITTING BOUNDARY COEFF. ----- ./
* 25H HORIZONTAL DIRECTION = ,F13.4,/
* 25H VERTICAL DIRECTION = ,E13.4)
2020 FORMAT (//
* 53H ----- PROPORTIONAL DAMPING COEFF. ----- //
* 20H MASS DEPENDENT = ,F10.4,/
* 20H STIFF. DEPENDENT = ,F10.4./)
2021 FORMAT (65H OUTPUT OF BASE MOTION INPUT IS SUPPRESSED DUE TO USER R
*EQUEST
)
END

```

```
SUBROUTINE MESH (DEPTH,NEL,MATYP,XLENT,MATNUM,IWTBL,WTABLE,  
* N LAYER)
```

C

```
DIMENSION DEPTH(1),NEL(1),MATYP(1),XLENT(1),MATNUM(1),IWTBL(1)
```

C

```
ZCOORD=0.0
```

```
NUM=0
```

```
DO 200 I=1,NLAYER
```

```
NTL=NEL(I)
```

```
IF (I.EQ.1) XL=DEPTH(I)/NTL
```

```
IF (I.GT.1) XL=(DEPTH(I)-DEPTH(I-1))/NTL
```

```
DO 150 J=1,NTL
```

```
NUM=NUM+1
```

```
ZCOORD=ZCOORD+XL
```

```
XLENT(NUM)=XL
```

```
MATNUM(NUM)=MATYP(I)
```

```
IF (ZCOORD.LE.WTABLE) IWTBL(NUM)=0
```

```
IF (ZCOORD.GT.WTABLE) IWTBL(NUM)=1
```

```
150 CONTINUE
```

```
200 CONTINUE
```

```
RETURN
```

```
END
```

```

SUBROUTINE SELPLD (XLENT,MATNUM,IWTBL,EMATL,STRS,SLVCT,NUMNP,NC)
C
C SUBROUTINE TO COMPUTE INSITU FORCE VECTOR
C
C DIMENSION XLENT(1),MATNUM(1),IWTBL(1),EMATL(35,1),STRS(4,1),
* SLVCT(1)
C
COMMON/WLVL/WTABLE,GRAV
COMMON/BASDAM/IBDMP,C1,C2
C
DEPT=0.
SYN=-1.0
DO 500 LL=1,NUMNP
ZLENT=XLENT(LL)
NUM=MATNUM(LL)
IW=IWTBL(LL)
GMA=GRAV*EMATL(14,NUM)
GMAW=GRAV*EMATL(15,NUM)
DEPT=DEPT+0.5*ZLENT
STRS2=0.5*SYN*GMA*ZLENT
IF(IW.EQ.0) GO TO 100
STRS(4,LL)=(DEPT-WTABLE)*GMAW*SYN
STRS2=STRS2+0.5*GMAW*ZLENT
100 CONTINUE
LT=LL*NC-1
L=LT+NC
SLVCT(LT)=SLVCT(LT)+STRS2
IF(IBDMP.EQ.0.AND.LL.GE.NUMNP) GO TO 150
SLVCT(LB)=SLVCT(LB)+STRS2
150 CONTINUE
DEPT=DEPT+0.5*ZLENT
500 CONTINUE
RETURN
END

```

```

SUBROUTINE MASS4T (EM, XLENT, MATNUM, IWTBL, ENATL, NUHNP, NC)
C
C SUBROUTINE TO FORM MASS MATRIX
C
C DIMENSION EM(1), XLENT(1), MATNUM(1), IWTBL(1), ENATL(35, 1)
C
C COMMON/BASDAH/IBDHP, C1, C2
C
NCC=NC-1
K=0
L=NC
DO 300 LL=1, NUHNP
  NUH=MATNUM(LL)
  RHO=ENATL(14, NUH)
  RHO*=ENATL(15, NUH)
  ZLENT=XLENT(LL)
  EMAS=0.5*RHO*ZLENT
  DO 100 I=1, NCC
    EM(K+I)=EMAS+EM(K+I)
    IF (IBDHP.EQ.0.AND.LL.GE.NUHNP) GO TO 100
    EM(L+I)=EMAS
100 CONTINUE
    IF (IWTBL(LL).EQ.0) GO TO 200
    EMAS=0.5*RHO*ZLENT
    EM(K+NC)=EMAS+EM(K+NC)
    IF (IBDHP.EQ.0.AND.LL.GE.NUHNP) GO TO 200
    EM(L+NC)=EMAS
200 CONTINUE
    N=L
    L=L+NC
300 CONTINUE
  RETURN
  END

```

```
      SUBROUTINE GSTIP (A,C,NC,NEQ,LFLAG)
C
C      SUBROUTINE TO FORM STIFFNESS MATRIX
C
      DIMENSION A(1),C(4,4)
C
      DO 400 N=1,NC
      L=N
      DO 100 K=N,NC
      A(L)=A(L)+C(N,K)
100  L=L+NEQ
      IF (LFLAG.EQ.0) GO TO 400
      DO 200 K=1,NC
      A(L)=-C(N,K)
200  L=L+NEQ
      L=NC+N
      DO 300 K=N,NC
      A(L)=C(N,K)
300  L=L+NEQ
400  CONTINUE
      RETURN
      END
```

SUBROUTINE SOLVE (ILENT, MATNUN, INTBL, EHATL, BACC, ST, DD, DI, VE, AC,
 * DU, ER, FLU, NBW, STRS, STRN, SLVCT, JPLTH, JPLTSS, JSETS,
 * PL, TLIQ, AHIST, HDD, BVC, RHAX, EXTSS, RHEVAR, NBLK, NPTOT, NUHNP, NHAT,
 * NEQ, HBAND, NCCY, NXINC)

C

COMMON/CONTL/HED(18), NCYCL, DT, NDI, NDOF, NPRNT, NSAVE,
 * LUN, NC, NUPDAT, NSTPRT
 COMMON/PLTING/ NPLOTH, NPLOTSS, NSETS, NPAP, HPLOT, BPLOT, DPLOT, EPLOT,
 * TEND, NPLPNT
 COMMON/SPEC/DV(10), NODE(10), NNODE, IRS, IRSP
 COMMON/BASDAH/IBDHP, C1, C2
 COMMON/DAMP/IVDHP, ALFA, BETA
 COMMON/DIRECT/NX, NY, NZ

C

DIMENSION ILENT(1), MATNUN(1), INTBL(1), EHATL(35,1), BACC(NCCY,1),
 * ST(NEQ,1), DD(NEQ,1), DI(1), VE(1), AC(1), DU(1), ER(1), ELD(1), NBW(1),
 * STRN(4,1), STRS(4,1), DEPSL(4), SK(4,4), SLVCT(1),
 * JPLTH(1), JPLTSS(1), JSETS(1), PL(NBLK,1), TLIQ(NUHNP,1),
 * AHIST(NCCY,1), HDD(1), BVC(1), RHEVAR(15,1), IX(4),
 * RHAX(NEQ,3,1), EXTSS(NUHNP,4,1)

C

C

C

C

INTEGRATION CONSTANT

TETA=2.0
 TAU=TETA*DT
 A0=6.0/(TAU*TAU)
 A1=6.0/TAU
 A2=2.0
 A3=A0/TETA
 A4=-6.0/(TETA*TAU)
 A5=1.0-3.0/TETA
 A6=DT/2.0
 A7=DT*DT/6.0
 B0=3.0/TAU
 B1=2.0
 B2=TAU/2.0

C

IF(NY.EQ.0) GO TO 10
 IX(1)=3
 IX(2)=1
 IX(3)=2
 IX(4)=4
 GO TO 15
 10 CONTINUE
 IX(1)=2
 IX(2)=1
 IX(3)=0
 IX(4)=3
 15 CONTINUE
 TIME=0.0

C

C

NQB=NEQ*HBAND
 KPRNT=0
 KSAVE=0
 KUPDAT=0
 NCYST=NCYCL+1
 XINCRT=0.0
 NFIRST=0

```

      IF (IVDHP.NE.0) GO TO 16
      ALFA=0.0
      BETA=0.0
16  CONTINUE
      CALL SZERO (SK (1,1),16)
      AST=0.0
      NN=0
      DO 30 I=1,NUMNP
      J=I*NC-1
      AST=AST+SLVCT (J)
      SLVCT (J+1)=SLVCT (J+1)+STRS (4,I)
      SLVCT (J)=SLVCT (J)+SLVCT (J+1)
      IF (I.NE.NUMNP) SLVCT (J+NC+1)=-STRS (4,I)
      STRS (1,I)=AST
30  CONTINUE
      DO 40 I=1,NUMNP
      IF (MATNUM (I).EQ.NN) GO TO 20
      NN=MATNUM (I)
      DPT=0.0
      GZRO=ENATL (2,NN)
      DG=ENATL (3,NN)
      HO=ENATL (4,NN)
      DH=ENATL (5,NN)
20  CONTINUE
      DPT=DPT+0.5*XLENT (I)
      G=GZRO+DG*DPT
      ENVAR (1,I)=-G/STRS (1,I)
      H=HO+DH*DPT
      ENVAR (15,I)=-H/STRS (1,1)
      DPT=DPT+0.5*XLENT (I)
40  CONTINUE
      G=GZRO+DG*DPT
      IF (IBDHP.NE.0) SLVCT (NEQ-1)=0.0
      DO 45 I=1,NUMNP
      TLIQ (I,1)=-1.0
45  TLIQ (I,2)=-1.0
C
C      MAIN DYNAMIC SOLUTION LOOP
C
      DO 46 I=1,NDOP
46  DEPSL (I)=0.0
      DO 800 NCNT=1,NCYST
      LPLAG=1
      KUPDAT=KUPDAT+1
      IF (NCNT.EQ.1) KUPDAT=NUPDAT
      IF (KUPDAT.EQ.NUPDAT) CALL SZERO (ST (1,1),NOB)
      NUMYLD=0
C
C      ELEMENT LOOP
C
      DO 200 LL=1,NUMNP
      ZLENT=XLENT (LL)
      IL2=LL*NC
      IL1=IL2-NC
      IF (IBDHP.EQ.0.AND.LL.GE.NUMNP) LPLAG=0
      IF (LPLAG.EQ.0) GO TO 50
C
C      STRAINS
C
      DO 47 I=1,4
      J=IX (I)

```

```

      IF(J.EQ.0) GO TO 47
      DEPSL(I) = (DU(IL1+J) - DU(IL2+J))/ZLENT
47  CONTINUE
      GO TO 60
50  CONTINUE
      DO 55 I=1,4
      J=IX(I)
      IF(J.EQ.0) GO TO 55
      DEPSL(I) = DU(IL1+J)/ZLENT
55  CONTINUE
60  CONTINUE
      NN=MATNUM(LL)
      BLK=EMATL(1,NN)
      IW=IW*BL(LL)
      DELP=0
      IF(IW.EQ.1) DELP=-DEPSL(1)*BLK
      IF(TLIQ(LL,1).GT.0.0) DELP=0
      DO 100 I=1,4
100  STRN(I,LL) = STRN(I,LL) + DEPSL(I)
C
C   STRESS AND MATERIAL PROPERTIES
C
      CALL HATPAC (STRN(1,LL), STRS(1,LL), DEPSL, SK, EMATL(1,NN),
*   EMATL(16,NN), EMVAR(1,LL), TLIQ, TIME, DELP, LL, NC, NFIRST, IN, NUNNP,
*   NKINC)
      IF(NCWT.LE.1) GO TO 110
      IF(IW.EQ.0) GO TO 110
      BULKP=EMATL(12,NN)
      STRS(4,LL) = STRS(4,LL) + BULKP*(DEPSL(4) + DEPSL(1))
110  CONTINUE
C
C   INTERNAL RESISTING FORCE VECTOR
C
      DO 115 I=1,4
      J=IX(I)
      IF(J.EQ.0) GO TO 115
      ELD(IL1+J) = ELD(IL1+J) - STRS(I,LL)
      IF(LFLAG.EQ.0) GO TO 115
      ELD(IL2+J) = ELD(IL2+J) + STRS(I,LL)
115  CONTINUE
      J=IX(1)
      ELD(IL1+J) = ELD(IL1+J) - STRS(4,LL)
      IF(LFLAG.EQ.0) GO TO 120
      ELD(IL2+J) = ELD(IL2+J) + STRS(4,LL)
120  CONTINUE
C
C   SYSTEM STIFFNESS MATRIX
C
      IF(NCWT.EQ.1) GO TO 145
      IF(KUPDAT.NE.NUPDAT) GO TO 180
145  CONTINUE
      DO 150 I=1,4
      DO 150 J=1,4
150  SK(I,J) = SK(I,J)/ZLENT
      NPOS=NC*(LL-1)+1
      CALL GSTIF (ST(NPOS,1), SK, NC, NREQ, LFLAG)
      IF(IW.EQ.0) ST(NPOS+NC-1,1) = 1.0
C
C   DISSIPATION RESISTANCE MATRIX
C
      PERM=EMATL(13,NN)

```



```

PAC=ZLENT/(6.0*PERM)
NPOS=NPOS+NC-1
IF(NCNT.NE.1) GO TO 180
IF (IN.EQ.0) GO TO 180
I=NPOS
DD(I,1)=DD(I,1)+2.0*PAC
IF(LPLAG.EQ.0) GO TO 160
DD(I,NC+1)=DD(I,NC+1)+PAC
DD(I+NC,1)=DD(I+NC,1)+2.0*PAC
160 CONTINUE
IF(IVDMP.EQ.0) GO TO 180

C
C      MASS AND STIFFNESS PROPORTIONAL
C      DAMPING
C
I=Y-NC
JJJ=2
DO 172 J=2,NC
JI=1
DO 171 JJ=JJJ,NC
DD(I+J,JI)=DD(I+J,JI)+BETA*SK(J,JJ)
JI=JI+1
171 CONTINUE
JJJ=JJJ+1
172 CONTINUE
DD(I+NC,1)=DD(I+NC,1)+ALFA*EM(I+NC)
IF(LPLAG.EQ.0) GO TO 180
I=I+NC
JJJ=2
DO 174 J=2,NC
JI=1
DO 173 JJ=JJJ,NC
DD(I+J,JI)=DD(I+J,JI)+BETA*SK(J,JJ)
JI=JI+1
173 CONTINUE
JJJ=JJJ+1
174 CONTINUE
I=I-NC
JI=NC+1
DO 177 J=2,NC
DO 176 JJ=2,NC
DD(I+J,JI)=DD(I+J,JI)-BETA*SK(J,JJ)
JI=JI+1
176 CONTINUE
JI=JI-NC
177 CONTINUE
I=I+2*NC
DD(I,1)=DD(I,1)+ALFA*EM(I)
180 CONTINUE
200 CONTINUE

C
C      ABSORBING BOUNDARY
C
IF(NCNT.NE.1) GO TO 208
IF(IBDMP.EQ.0) GO TO 240
DD(NEQ,1)=0.0
DO 207 I=2,MBAND
J=I-1
207 DD(NEQ-J,I)=0.0
240 CONTINUE
CALL PROFIL(DD,NDD,NEQ,MBAND)

```

```

208 CONTINUE
  DO 209 I=1,NEQ
  DO 209 J=1,MBAND
209 ST(I,J)=ST(I,J)+B0*DD(I,J)
  IF (IBDNE.EQ.0) GO TO 206
  ELD(NEQ-1)=0.0
  ST(NEQ-1,1)=ST(NEQ-1,1)+B0*C1
  ST(NEQ-2,1)=ST(NEQ-2,1)+B0*C2
  IF (NY.EQ.0) GO TO 215
  ST(NEQ-3,1)=ST(NEQ-3,1)+B0*C2
215 CONTINUE
  ST(NEQ)=1.0
  DO 204 I=2,MBAND
  J=I-1
204 ST(NEQ-J,I)=0.0
206 CONTINUE
C
C   SAVE DATA FOR PLOTTING
C
  IF (NPTOT.LE.0) GO TO 201
  IF (TIME.GE.TEND) GO TO 201
  IF (NCNT.LE.1) GO TO 201
  IF (NFIRST.EQ.0) GO TO 201
  KSAVE=KSAVE+1
  IF (KSAVE.LT.NSAVE) GO TO 201
  CALL SAVE (JPLTH,JPLTSS,JSETS,PL,AC,VE,DI,STRN,STRS,
*  NUHNP,MBLK,TIME,NPTOT,LUM,BACELX,BACELY,BACELZ,NDI,NC)
  KSAVE=0
201 CONTINUE
C
C   PRINT STRESSES
C
  IF (KPRNT.NE.0) GO TO 205
  IF (NFIRST.NE.0) GO TO 202
  WRITE (6,2004)
  WRITE (6,2005) (I,STRS(1,I),STRS(4,I),I=1,NUHNP)
  IF (NPTOT.LE.0) GO TO 190
  DO 203 I=1,NUHNP
  PL(I,NPTOT-1)=STRS(4,I)
203 PL(I,NPTOT)=STRS(1,I)
190 CONTINUE
  GO TO 205
202 CONTINUE
  IF (NCNT.LT.NSTPRT) GO TO 205
  IF (NY.NE.0) GO TO 211
  WRITE (6,2006) TIME
  WRITE (6,2007) (I,STRN(1,I),STRN(2,I),STRN(4,I),STRS(1,I),STRS(2,
* I),STRS(4,I),I=1,NUHNP)
  GO TO 205
211 WRITE(6,2009) TIME
  WRITE(6,2010) (I,(STRN(J,I),J=1,4),(STRS(J,I),J=1,4),I=1,NUHNP)
205 CONTINUE
C
C   COMPUTE MAXIMUM STRESSES AND STRAINS
C
  K=1
  DO 216 I=2,N
  IF (NY.EQ.0.AND.I.EQ.3) GO TO 214
  DO 213 J=1,MBAND
  IF (ABS(STRS(I,J)).LT.ABS(EXTSS(J,I,I-K))) GO TO 210
  EXTSS(J,I,I-K)=STRS(I,J)

```

```

EXTSS(J,2,I-K)=TIME
210 CONTINUE
IF(I.EQ.4) GO TO 217
IF(ABS(STRN(I,J)).LT.ABS(EXTSS(J,3,I-K))) GO TO 212
EXTSS(J,3,I-K)=STRN(I,J)
EXTSS(J,4,I-K)=TIME
GO TO 212
217 EXTSS(J,3,I-K)=STES(1,J)
212 CONTINUE
213 CONTINUE
214 CONTINUE
IF(NY.EQ.0.AND.I.EQ.2) K=2
216 CONTINUE
NFIRST=NFIRST+1
WDL=0
IF(NCNT.EQ.NCYST) GO TO 800
C
C K+A0*M
C
C
IF(KUPDAT.NE.WUPDAT) GO TO 230
DO 220 I=1,NEQ
220 ST(I,1)=ST(I,1)+A0*EM(I)
230 CONTINUE
C
C EQUIVALENT LOAD VECTOR
C
DO 250 I=1,NEQ
AA=A1*VE(I)+A2*AC(I)
250 ELD(I)=ELD(I)+EM(I)*AA+SLVCT(I)
DO 280 I=1,NEQ
280 BVC(I)=B1*VE(I)+B2*AC(I)
CALL MULTPLY(DD,ELD,BVC,HDD,NEQ)
IF(IBDMP.EQ.0) GO TO 290
IF(NY.EQ.0) GO TO 285
AA=B1*VE(NEQ-3)+B2*AC(NEQ-3)
ELD(NEQ-3)=ELD(NEQ-3)+AA*C2
285 CONTINUE
AA=B1*VE(NEQ-2)+B2*AC(NEQ-2)
ELD(NEQ-2)=ELD(NEQ-2)+AA*C2
AA=B1*VE(NEQ-1)+B2*AC(NEQ-1)
ELD(NEQ-1)=ELD(NEQ-1)+AA*C1
ELD(NEQ)=0.0
290 CONTINUE
L=0
IF(NX.EQ.0) GO TO 292
L=L+1
BACELX=BACC(NCNT,L)
292 IF(NY.EQ.0) GO TO 294
L=L+1
BACELY=BACC(NCNT,L)
294 IF(NZ.EQ.0) GO TO 296
L=L+1
BACELZ=BACC(NCNT,L)
296 CONTINUE
NND=0
DO 330 I=1,NEQ,NC
NND=NND+1
IF(NND.LE.NDL) GO TO 330
L=I-1
IF(NY.EQ.0) GO TO 300

```

```

L=L+1
ELD(L)=ELD(L)-EM(L)*BACELY
300 IF(NY.EQ.0) GO TO 320
L=L+1
FLD(L)=ELD(L)-EN(L)*BACELY
320 IF(NZ.EQ.0) GO TO 330
L=L+1
ELD(L)=ELD(L)-EM(L)*BACELZ
330 CONTINUE
C
C SOLVE
C
IF(NCNT.EQ.1) GO TO 351
IF(KUPDAT.NE.NUPDAT) GO TO 352
351 CALL TRIA (ST,NBW,NEQ,NBAND)
352 CONTINUE
CALL BACKS (ST,ELD,NBW,NEQ,NBAND)
C
C DISPL., VELOCITY, ACCEL.
C
DO 400 I=1,NEQ
ACCEL=A3*FLD(I)+A4*VE(I)+A5*AC(I)
VELOC=VE(I)+A6*(AC(I)+ACCEL)
DISPL=DI(I)+DT*VE(I)+A7*(2.*AC(I)+ACCEL)
AC(I)=ACCEL
VE(I)=VELOC
DI(I)=DISPL-DI(I)
OI(I)=DISPL
ELD(I)=0.0
400 CONTINUE
C
C SAVE DATA FOR RESPONSE SPECTRA CALC.
C
IF(NNODE.LE.0) GO TO 409
DO 408 I=1,NNODE
J=(NODE(I)-1)*NC+1
AHIST(NCNT,I)=AC(J)+BACELX
IF(NY.NE.0) AHIST(NCNT,I+NNODE)=AC(J+1)+BACELY
408 CONTINUE
409 CONTINUE
TIME=TIME+DT
C
C COMPUTE MAXIMUM RESPONSE
C
J=0
INDEX=3
IF(NY.NE.0) INDEX=4
DO 407 I=1,NEQ,INDEX
II=I+INDEX-1
N=0
DO 404 K=I,II
J=K
N=N+1
IF(ABS(DI(K)).LT.ABS(RMAX(J,1,1))) GO TO 401
RMAX(J,1,1)=DI(K)
RMAX(J,1,2)=TIME
401 CONTINUE
IF(ABS(VE(K)).LT.ABS(RMAX(J,2,1))) GO TO 402
RMAX(J,2,1)=VE(K)
RMAX(J,2,2)=TIME
402 CONTINUE

```

```

ACH=AC(K)
IF(M.EQ.1) ACH=ACH+BACELX
IF(M.EQ.2.AND.INDEX.EQ.4) ACH=ACH+BACELY
IF(M.EQ.3.AND.INDEX.EQ.4) ACH=ACH+BACELZ
IF(M.EQ.2.AND.INDEX.EQ.3) ACH=ACH+BACELZ
IF(ABS(ACH).LT.ABS(RMAX(J,3,1))) GO TO 403
RMAX(J,3,1)=ACH
RMAX(J,3,2)=TIME
403 CONTINUE
404 CONTINUE
407 CONTINUE
C
C PRINT RESPONSE
C
KPRNT=KPRNT+1
IF(KPRNT.LT.NPRNT) GO TO 420
KPRNT=0
IF(NCNT.LT.NSTPRT) GO TO 420
IF(NY.EQ.0) GO TO 405
WRITE(6,2002) TIME
GO TO 406
405 WRITE(6,2000) TIME
406 CONTINUE
J=0
INDEX=3
IF(NY.NE.0) INDEX=4
DO 410 I=1,NEQ,INDEX
J=J+1
II=I+INDEX-1
IF(NY.NE.0) GO TO 411
WRITE(6,2001) J,(DI(K),K=I,II),(VE(F),K=I,II),(AC(K),K=I,II)
GO TO 410
411 WRITE(6,2008) J,(DI(K),K=I,II),(VE(K),K=I,II),(AC(K),K=I,II)
410 CONTINUE
420 CONTINUE
IF(KUPDAT.EQ.NUPDAT) KUPDAT=0
800 CONTINUE
C
C PRINT MAXIMUM RESPONSE
C AND
C EXTREME STRESSES AND STRAINS
C
INDEX=3
IF(NY.NE.0) INDEX=4
WRITE(6,2011)
DO 960 I=1,INDEX
J=0
IF(INDPX.EQ.4) GO TO 925
GO TO (920,921,922),I
920 WRITE(6,2013)
GO TO 940
921 WRITE(6,2015)
GO TO 940
922 WRITE(6,2016)
GO TO 940
925 GO TO (930,931,932,933),I
930 WRITE(6,2013)
GO TO 940
931 WRITE(6,2014)
GO TO 940
932 WRITE(6,2015)

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GO TO 940
933 WRITE(6,2016)
940 CONTINUE
WRITE(6,2017)
DO 950 K=I,NEQ,INDEX
J=J+1
II=K
WRITE(6,2018) J,RMAX(II,1,1),RMAX(II,1,2),RMAX(II,2,1),
* RMAX(II,2,2),RMAX(II,3,1),RMAX(II,3,2)
950 CONTINUE
960 CONTINUE
WRITE(6,2019)
WRITE(6,2013)
WRITE(6,2020)
WRITE(6,2021) (I,(EXTSS(I,J,1),J=1,4),I=1,NUNNP)
K=2
IF(NY.EQ.0) GO TO 970
K=3
WRITE(6,2014)
WRITE(6,2020)
WRITE(6,2021) (I,(EXTSS(I,J,2),J=1,4),I=1,NUNNP)
970 WRITE(6,2022)
WRITE(6,2023)
WRITE(6,2024) (I,(EXTSS(I,J,K),J=1,3),I=1,NUNNP)
RETURN
2000 FORMAT (1H1/ 40H ----- RESPONSE AT TIME ----- = ,P10.5//
* 2X,1HN,5X,2HDX,11X,2HDZ,11X,2HDW,11X,2HVX,11X,2HVZ,11X,2HWV,11X,
* 2HAX,11X,2HAZ,11X,2HAW / )
2001 FORMAT (I3,9E13.4)
2002 FORMAT (1H1/ 40H ----- RESPONSE AT TIME ----- = ,P10.5//
* 2X,1HN,8X,2HDX,8X,2HDY,8X,2HDZ,8X,2HDW,8X,2HVX,8X,2HVV,8X,2HVZ,
* 8X,2HWV,8X,2HAX,8X,2HAY,8X,2HAZ,8X,2HAW / )
2004 FORMAT (//40H ----- INSITU STRESS CONDITION ----- /
* 3X,7HELEMENT,5X,9HEFFECTIVE,6X,4HPORE/3X,6HNUNBER,6X,8HPRESSURE,
* 7X,8HPRESSURE//)
2005 FORMAT (5Y,15,5X,2E15.4)
2006 FORMAT (//45H ----- STRAINS AND STRESSES AT TIME ----- = ,P10.5//
* 3X,7HELEMENT,10X,6HVOLUME,9X,5HSHEAR,10X,9HFLUID VOL,6X,
* 9HEFFECTIVE,6X,5HSHEAR,10X,4HPORE/3X,6HNUNBER,11X,6HSTRAIN,9X,
* 6HSTRAIN,9X,6HCHANGE,9X,8HPRESSURE,7X,6HSTRESS,9X,8HPRESSURE//)
2007 FORMAT (5Y,15,5X,6E15.4)
2008 FORMAT (1X,I3,3(1PE12.2,3(1PE10.2)))
2009 FORMAT (//44H ----- STRAINS AND STRESSES AT TIME ----- = ,P10.5//
* 1X,7HELEMENT,3X,6HVOLUME,8X,5HSHEAR,8X,5HSHEAR,10X,9HFLUID VOL,
* 6X,9HEFFECTIVE,6X,5HSHEAR,10X,5HSHEAR,8X,4HPORE/1X,6HNUNBER,
* 4X,6HSTRAIN,8X,7HSTRN. X,6X,7HSTRN. Y,8X,6HCHANGE,9X,8HPRESSURE,
* 7X,6HSTRESS,7X,6HSTRESS,7X,8HPRESSURE//)
2010 FORMAT (I3,5X,8E13.4)
2011 FORMAT (1H1//40H ----- MAXIMUM RESPONSE ----- /
2013 FORMAT (//25H ----- X-DIRECTION ----- /)
2014 FORMAT (//25H ----- Y-DIRECTION ----- /)
2015 FORMAT (//25H ----- Z-DIRECTION ----- /)
2016 FORMAT (//25H ----- WATER ----- /)
2017 FORMAT (3X,2H M,2X,11H MAX. DISP.,4X,5H TIME,4X,10H MAX. VFL.,4X,
* 5H TIME,3X,10H MAX. ACC.,3X,5H TIME/)
2018 FORMAT (I5,3(E13.4,F10.5))
2019 FORMAT (1H1//50H ----- EXTREME STRESSES AND STRAINS -----
* /)
2020 FORMAT (//3X,2H M,2X,12H SHEAR STRS. ,5X,5H TIME,5X,
* 12H SHEAR STRN. ,5X,5H TIME/)
2021 FORMAT (I5,E13.4,F10.5,E13.4,F10.5)

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```
2022 FORMAT (/50H ----- EFFECTIVE STRS. AND PORE PRESS. ----- )
2023 FORMAT(3X,2H N,2X,12H PORE PRFS. ,3X,5H TIME,4X,12H EFF. STRS.
* /)
2024 FORMAT(I5,E13.4,F10.5,E13.4)
END
```

SUBROUTINE MATPAC (STRN, STRS, DEPSL, SK, EMATLA, EMATLB, ENVAR,
 * TLIQ, TMEF, DELP, LL, NC, NFIRST, IW, NUMNP, NYINC)

DIMENSION STRN(4), STRS(4), SK(4,4), EMATLA(1), EMATLB(1),
 * TLIQ(NUMNP,1), FMVAR(15), DEPSL(4), EN(2,2),
 * CEP(2,2), AV(2)

MAIN MATERIAL PROPERTY SUBROUTINE

PY=0.
 FLAMBDA=1.0/EMATLB(2)
 FM=EMATLB(1)
 BLK=EMATLA(1)
 BLKP=EMATLA(12)
 FAL=EMATLB(4)*FM
 PF=-STRS(1)
 IF(TLIQ(LL,1).GT.0.0) PE=ENVAR(10)
 GG=FMVAR(1)*PE
 TLRNC=EMATLB(3)*PE
 HQ=FMVAR(15)
 CEP(1,1)=GG
 CEP(2,2)=GG
 CEP(1,2)=0.0
 CEP(2,1)=0.0
 DGAMAX=DEPSL(2)
 DGAMAY=DEPSL(3)
 TAUH=STRS(2)
 TAUH=STRS(3)
 YIELD=ENVAR(2)
 TAUCY=FMVAR(3)
 TAUCY=ENVAR(4)
 TAUHAX=FMVAR(5)
 TAUHAY=ENVAR(6)
 PEO=ENVAR(9)
 BRRA=ENVAR(13)
 BZ=FMVAR(14)
 IF(NFIRST.EQ.0) GO TO 790
 IF(TLIQ(LL,1).GT.0.0) GO TO 50
 PP=(PE+DELP)/PE
 TAUCY=TAUCY*PP
 TAUHAX=TAUHAX*PP
 TAUHAY=TAUHAY*PP
 TAUH=TAUH*PP
 TAUH=TAUH*PP
 PE=PE+DELP
 TAUP=SQRT(TAUHAY*TAUHAY+TAUHAX*TAUHAX)/PE
 CALL FINDPO (PE, TAUP, FLAMBDA, EN, PEO)
 50 CONTINUE
 DTEY=GG*DGAMAX
 DTEY=GG*DGAMAY
 IF(IW.NE.0) GO TO 60
 TAUH=TAUH+DTEY
 TAUH=TAUH+DTEY
 GO TO 600
 60 CONTINUE
 IF(NFIRST.GT.1) GO TO 90
 RE=DTEY*DTEY+DTEY*DTEY
 RE=SQRT(RE)


```

IF (RF.GT.0.1) GO TO 90
TAUAX=0.10001
TAUY=0.0
TAUCX=0.00001
TAUCY=0.0
TAUX=DTEX
TAUY=DTEY
YIELD=-1.0
TAUP=SQRT(TAUAX*TAUAX+TAUY*TAUY)
CALL FINDPO (PE, TAUP, ELANDA, EM, PEO)
CALL FINDBA (TAUAX, TAUY, TAUCX, TAUCY, PE, BBAA, B2)
GO TO 600
90 CONTINUE
CALL FINDBA (TAUAX, TAUY, TAUCX, TAUCY, PE, BBAA, B2)
DTE=SQRT(DTEX*DTEX+DTEY*DTEY)
IF (YIELD.LT.0.0) GO TO 200
C
C
C
PREVIOUS STEP PLASTIC
CALL CALPE (TAUCX, TAUCY, ALFA)
INDEX=1
CALL TRNPRH (TAUAX, TAUY, TAUCX, TAUCY, TTAX, TTAY, ALFA, INDEX)
VNX=BBAA*TTAX
VNY=TTAY
INDEX=2
CALL TRNPRH (VNX, VNY, 0.0, 0.0, VNX, VNY, ALFA, INDEX)
AA=VNX*DTEX+VNY*DTEY
IF (AA.LT.0.0) GO TO 100
GO TO 500
100 CONTINUE
CALL FINDB (TAUAX, TAUY, TX, TY, TAUCX, TAUCY, DTEX, DTEY, DTE, PE, YIELD,
* BBAA)
IF (YIELD.LT.0.) GO TO 300
PLPART=(DTEX-TX+TAUX)/DTEX
DGAMAX=PLPART*DGAMAX
DGAMAY=PLPART*DGAMAY
TAUAX=TX
TAUAY=TY
GO TO 400
C
C
C
PREVIOUS STEP ELASTIC
200 CONTINUE
TX=TAUX+DTEX
TY=TAUY+DTEY
CALL CKYLD (TY, TX, TAUCX, TAUCY, PE, PY, BBAA, B2)
IF (PY.LT.0.0) GO TO 300
CALL FINDC (TAUX, TAUY, TX, TY, TAUAX, TAUAY, TAUCX, TAUCY, PE, BBAA, B2)
TAUX=TAUAX
TAUY=TAUAY
PLPART=(TY-TAUAY)/DTEY
DGAMAX=PLPART*DGAMAX
DGAMAY=PLPART*DGAMAY
GO TO 400
C
C
C
ELASTIC STEP
300 CONTINUE
TAUX=TX
TAUY=TY
YIELD=-1.0

```

```

GO TO 600
C
C FROM ELASTIC TO PLASTIC
C
400 CONTINUE
I*(TLIQ(LL,1).GT.0.0) GO TO 500
TAUP=SQRT(TAUAX*TAUAX+TAUAY*TAUAY)/PE
CALL FINDPO (PE,TAUP,ELANDA,EN,PZO)
C
C PLASTIC STEP
C
500 CONTINUE
TAUP=SQRT(TAUAX*TAUAX+TAUAY*TAUAY)/PE
HH=1.0-TAUP/EM
HH=HO*PE*HH*HH
CALL AVECT (AV,TAUAX,TAUAY,TAUCX,TAUCY,B2,BBAA)
EN(1,1)=AV(2)*AV(2)
EN(2,1)=-AV(1)*AV(2)
EN(1,2)=EN(2,1)
EN(2,2)=AV(1)*AV(1)
ENC=AV(1)-AV(2)
FNC=ENC*ENC*GG+HH
FNC=GG*GG/FNC
DTAUX=ENC*((EN(1,1)+HH/GG)*DGAMAX+EN(1,2)*DGAMAY)
DTAUY=ENC*(EN(2,1)*DGAMAX+(EN(2,2)+HH/GG)*DGAMAY)
DTAU=SQRT(DTAUX*DTAUX+DTAUY*DTAUY)
IF(DTAU.LE.TLRNC) GO TO 520
NSINC=DTAU/TLRNC+1
I*(NSINC.GT.NXINC) NSINC=NXINC
DDGAMX=DGAMAX/NSINC
DDGAMY=DGAMAY/NSINC
DO 510 N=1,NSINC
DTAUX=ENC*((EN(1,1)+HH/GG)*DDGAMX+EN(1,2)*DDGAMY)
DTAUY=ENC*(EN(2,1)*DDGAMX+(EN(2,2)+HH/GG)*DDGAMY)
DTAUCX=0.5*(EN(2,2)*DTAUX-EN(1,2)*DTAUY)
DTAUCY=0.5*(-EN(2,1)*DTAUX+EN(1,1)*DTAUY)
TAUAX=TAUAX+DTAUX
TAUAY=TAUAY+DTAUY
TAUCX=TAUCX+DTAUCX
TAUCY=TAUCY+DTAUCY
CALL FINDBA (TAUAX,TAUAY,TAUCX,TAUCY,PE,BBAA,B2)
CALL AVECT (AV,TAUAX,TAUAY,TAUCX,TAUCY,B2,BBAA)
TAUP=SQRT(TAUAX*TAUAX+TAUAY*TAUAY)/PE
HH=1.0-TAUP/EM
HH=HO*PE*HH*HH
EN(1,1)=AV(2)*AV(2)
EN(2,1)=-AV(1)*AV(2)
EN(1,2)=EN(2,1)
EN(2,2)=AV(1)*AV(1)
ENC=AV(1)-AV(2)
FNC=ENC*ENC*GG+HH
FNC=GG*GG/FNC
510 CONTINUE
GO TO 530
520 TAUAX=TAUAX+DTAUX
TAUAY=TAUAY+DTAUY
TAUCX=TAUCX+0.5*(EN(2,2)*DTAUX-EN(1,2)*DTAUY)
TAUCY=TAUCY+0.5*(-EN(2,1)*DTAUX+EN(1,1)*DTAUY)
530 CONTINUE
TAUX=TAUAX
TAUY=TAUAY

```

```

TAUP=SQRT(TAUX*TAUX+TAUY*TAUY)/PE
CEP(1,1)=ENC*(EN(1,1)+HH/GG)
CEP(2,1)=ENC*EN(2,1)
C2P(1,2)=CEP(2,1)
CEP(2,2)=ENC*(EN(2,2)+HH/GG)
IF(IW.FQ.0) GO TO 600
IF(TLIQ(LL,1).GT.0.0) GO TO 561
IF(TAUP.GE.PAIL) TAUP=PAIL
ETA=EN/ELANDA
ELLA=TAUP/ELANDA
ELLA=ELLA*ELIA
AA=1.0+ELLA
BB=ETA*ETA
BB=BB*AA+ELLA
BB=SQRT(BB)
BB=1.+BB
AA=1./AA
PP=PEO*AA*BB/(1.0+ETA)
PP=PP/PE
IF(PP.GT.1.0) PP=1.0
TAUAX=TAUAX*PP
TAUAY=TAUAY*PP
TAUCY=TAUCY*PP
TAUCY=TAUCY*PP
TAUY=TAUY*PP
TAUY=TAUY*PP
PE=PP*PE
561 CONTINUE
CALL FINDBA (TAUAX,TAUAY,TAUCX,TAUCY,PE,BEAA,B2)
YIELD=1.0
600 CONTINUE
IF(*TLIQ(LL,1).GT.0.0) GO TO 705
TAUP=SQRT(TAUAX*TAUAX+TAUAY*TAUAY)/PE
IF(TAUP.LT.PAIL) GO TO 790
C
C POST-INITIAL LIQUEFACTION
C
TLIQ(LL,1)=TIME
ENVAR(10)=PE
PVAR=ENVAR(10)
ENVAR(11)=PAIL*PE
ENVAR(12)=PAIL*PE
705 CONTINUE
TAU=TAUX
IF(TLIQ(LL,2).LE.0.0) GO TO 710
PENEW=-STRS(1)
GO TO 760
710 PK=ENATL(5)
QT=ENVAR(11)
QR=ENVAR(12)
IF(QR.LE.0.0) GO TO 720
IF(TAU.GT.QR) GO TO 730
PR=PK+QT*QT/(PAIL*QR)
PENP=TAU/PAIL+PR*(1.0-TAU/QR)
AR=TAU/PENEW
IF(ABS(AR).LE.PAIL) GO TO 740
BETA=QT/QR
BETA=PAIL/(1.0-BK*BETA*BETA)
QP=PAIL*BETA*PR/(BETA+PAIL)
PENW=ABS(TAU)/PAIL
QT=-QP

```

```

QR=TAU
GO TO 740
720 IF(TAU.LT.QR) GO TO 730
PR=-SK*QT*QT/(FAIL*QR)
PENFW=-TAU/FAIL+PR*(1.0-TAU/QR)
AB=TAU/PENFW
IF(ABS(AB).LE.FAIL) GO TO 740
BETA=QT/QR
BETA=FAIL/(1.0-SK*BETA*BETA)
QP=FAIL*BETA*QR/(BETA+FAIL)
PENFW=ABS(TAU/FAIL)
QT=Q*
QR=TAU
GO TO 740
730 CONTINUE
PENFW=ABS(TAU/FAIL)
QR=TAU
740 CONTINUE
CL=PMATLB(6)
IF(PENFW.GT.CL) GO TO 750
IF((QT/FAIL).GT.CL) GO TO 750
IF(TLIQ(LL,2).GT.0.0) GO TO 750
TLIQ(LL,2)=TIME
PENFW=CL
750 CONTINUE
EMVAR(11)=QT
EMVAR(12)=QR
760 CONTINUE
STRS(1)=-PENFW
GO TO 800
790 CONTINUE
STRS(1)=-PE
800 CONTINUE
EMVAR(2)=YIELD
EMVAR(3)=TAUCK
EMVAR(4)=TAUCY
EMVAR(5)=TAUAX
EMVAR(6)=TAUAY
EMVAR(9)=PE0
EMVAR(13)=BBAA
EMVAR(14)=B2
STRS(2)=TAUX
STRS(3)=TAUY
IF(IW.PQ.0) BLK=0.0
IF(MC.EQ.3) GO TO 850
SK(1,1)=CFP(1,1)
SK(2,2)=CFP(2,2)
SK(3,3)=BLK+BLKP
SK(1,2)=CFP(1,2)
SK(1,3)=0.0
SK(2,1)=CFP(2,1)
SK(2,3)=0.0
SK(3,1)=0.0
SK(3,2)=0.0
SK(1,4)=0.0
SK(2,4)=0.0
SK(4,2)=0.0
SK(3,4)=BLKP
SK(4,3)=BLKP
SK(4,4)=BLKP
GO TO 900

```

```
850 CONTINUE
      SK(1,1)=CFP(1,1)
      SK(2,2)=BLK+BLKP
      SK(3,3)=BLKP
      SK(1,2)=0.0
      SK(1,3)=0.0
      SK(2,1)=0.0
      SK(3,1)=0.0
      SK(3,2)=BLKP
      SK(2,3)=BLK
900 CONTINUE
      RETURN
      END
```

```

SUBROUTINE AVECT (AV,TAUAX,TAUAY,TAUCX,TAUCY,B2,BBAA)
C
DIMENSION AV(2),AM(2,2)
C
CALL CALPA (TAUCX,TAUCY,ALPA)
CC=COS(ALPA)
SS=SIN(ALPA)
A2=B2/BBAA
AM(1,1)=CC*CC/A2+SS*SS/B2
AM(2,1)=CC*SS/A2-CC*SS/B2
AM(1,2)=AM(2,1)
AM(2,2)=SS*SS/A2+CC*CC/B2
TAX=TAUAX-TAUCX
TAY=TAUAY-TAUCY
AV(1)=(AM(1,1)*TAX+AM(2,1)*TAY)*2.0
AV(2)=(AM(1,2)*TAX+AM(2,2)*TAY)*2.0
AA=AV(1)*AV(1)+AV(2)*AV(2)
AA=SQRT(AA)
AV(1)=AV(1)/AA
AV(2)=AV(2)/AA
C
RETURN
END

```

```
C  SUBROUTINE CKYLD (TX, TY, TCK, TCY, PE, PY, BBAA, BB)
    CALL CALPA (TCX, TCY, ALFA)
    INDEX=1
    CALL TRNPRM (TX, TY, TCK, TCY, TTX, TTY, ALFA, INDEX)
    AA=BBAA
    PY=AA*TTX*TTX+TTY*TTY-BB
    RETURN
    END
```

```

SUBROUTINE FINDBA (TAUAX,TAUAY,TAUCX,TAUCY,PE,BBAA,BZ)
C
CALL CALPA (TAUCX,TAUCY,BETA)
INDEX=1
CALL TRNPPH (TAUAX,TAUAY,TAUCX,TAUCY,TAX,TAY,BETA,INDEX)
TGAMA=(TAUCX*TAUCX+TAUCY*TAUCY)
TGAMA=SQRT(TGAMA)/PE
AD=TGAMA*(TAY*TAY+PE*PE)
CX=TAX*TAX+TAY*TAY-2.0*PE*TAX*TGAMA+PE*PE
TALPA=SQRT(CX*CX+4.0*TGAMA*PE*PE*AD)-CX
TALPA=TALPA/(2.0*AD)
HBAA=1.0/(1.0+TALPA*TGAMA)
BZ=BBAA*TAX*TAX+TAY*TAY
RETURN
END

```


SUBROUTINE FINDB (TAX,TAY,TBK,TBY,TCX,TCY,DTX,DTY,DTE,PE,YIELD,
 * BBA)

C

```

CALL CALPA (TCX,TCY,ALFA)
INDEX=1
CALL TRNPRM (TAX,TAY,TCX,TCY,TTAX,TTAY,ALFA,INDEX)
CALL TRNPRM (DTX,DTY,0.0,0.0,DDTX,DDTY,ALFA,INDEX)
CALL CALPA (DDTX,DDTY,BETA)
CC=COS(BETA)
SS=SIN(BETA)
AA=BBA
DDTE=AA*TTAX*CC+TTAY*SS
DDTE=- (2.0*DDTE)/(AA*CC*CC+SS*SS)
IF (ABS(DDTE) .LE. DTE) GO TO 100
DDTE=DTE
YIELD=-1.0
100 CONTINUE
TTBX=TTAX+DDTE*CC
TTY=TTAY+DDTE*SS
INDEX=2
CALL TRNPRM (TBK,TBY,TCX,TCY,TTBX,TTY,ALFA,INDEX)
RETURN
END

```

```

SUBROUTINE PINDD (TIX,TIY,TEK,TEY,TAX,TAY,TCY,TCY,PE,BBAA,BB)
C
CALL CALPA (TCY,TCY,ALFA)
INDEX=1
CALL TRNPRM (TIX,TIY,TCY,TCY,TTIX,TTIY,ALFA,INDEX)
CALL TRNPRM (TEY,TEY,TCY,TCY,TTEY,TTEY,ALFA,INDEX)
CALL TRNPRM (TAX,TAY,TCY,TCY,TTAX,TTAY,ALFA,INDEX)
D=TTEK-TTIX
D=D*D
AA=BBAA
A=AA+(TTEY-TTIY)**2.0/D
B=(TTEY*TTIY-TTIX*TTEY)*(TTEY-TTIY)/D
C=(TTIY*TTIY-TTIX*TTIY)**2.0/D-BB
CC=SQRT(B*B-A*C)
TTAX=(-B+CC)/A
S=(TTAX-TTIX)/(TTEK-TTIX)
IF(S.GT.0.0) GO TO 100
TTAX=(-B+CC)/A
S=(TTAY-TTIX)/(TTEY-TTIX)
100 CONTINUE
TTAY=S*(TTIY-TTIY)+TTIY
INDEX=2
CALL TRNPRM (TAX,TAY,TCY,TCY,TTAX,TTAY,ALFA,INDEX)
RETURN
END

```

SUBROUTINE PINDPO (PE,TAUP,ELANDA,RH,PEO)

C

```
ETA=ET/ELANDA
EX=TAUP/ELANDA
EX=PK*FK
EY=ETA*ETA*(1.0+EY)-EX
EY=1.0-SQRT(EX)
PEO=PE+EY/(1.0-ETA)
RETURN
END
```

```
      SUBROUTINE TRNPRM (AX,AY,CX,CY,AA,AA,ALPHA,N)
C
      CC=COS(ALPHA)
      SS=SIN(ALPHA)
      GO TO (100,200),N
100  CONTINUE
      AA=(AX-CX)*CC+(AY-CY)*SS
      AA=- (AX-CY)*SS+(AY-CY)*CC
      GO TO 300
200  CONTINUE
      AX=AA*CC-AA*SS+CX
      AY=AA*SS+AA*CC+CY
300  RETURN
      END
```

```

SUBROUTINE CALPA (X,Y,ALFA)
C
PI=2.0*ACOS(0.0)
TOL=1.0E-20
IF (ABS(X).GT.TOL) GO TO 100
ALFA=PI/2.0
IF (Y.LT.0.0) ALFA=ALFA+PI
GO TO 400
100 IF (ABS(Y).GT.TOL) GO TO 200
ALFA=0.0
IF (Y.LT.0.0) ALFA=PI
GO TO 400
200 ALFA=ATAN(Y/X)
XY=X*Y
IF (XY.LT.0.0) GO TO 300
IF (Y.GT.0.0) GO TO 400
ALFA=ALFA+PI
GO TO 400
300 ALFA=ALFA+PI
IF (X.GT.0.0) ALFA=ALFA+PI
400 RETURN
END

```

```

SUBROUTINE OUTC (JPLTH,JPLTSS,JSETS,I,Y,PL,TLIQ,NUMHP,LUN,
* NBLK,NPTOT,NCYCL,NDI)
C
  DIMENSION JPLTH(1),JPLTSS(1),JSETS(1),I(1),Y(1),PL(NBLK,NPTOT),
* TLIQ(NUMHP,1)
C
  COMMON/PLTING/ NPLOTH,NPLTSS,NSETS,HPAP,HPLOT,BPLOT,DPLOT,EPLOT,
* TEND,NPLPNT
C
  WRITE (6,2002)
  DO 100 I=1,NUMHP
    TT=TLIQ(I,1)
    IF(TT.GT.0.0) GO TO 40
    WRITE(6,2003) I
    GO TO 100
  40 TTT=TLIQ(I,2)
    IF(TTT.GT.0.0) GO TO 50
    WRITE(6,2018) I,TT
    GO TO 100
  50 CONTINUE
    WRITE(6,2004) I,TT,TTT
  100 CONTINUE
    NT=NBLK
    N=1
    NN=NPLOTH+NPLTSS+NSETS
    IF(NN.LE.0) GO TO 600
    IF (NPLOTH.EQ.0) GO TO 200
    DO 150 I=1,NPLOTH
      DO 140 K=1,NDI
        N=N+1
        IF(K.EQ.2) GO TO 141
        WRITE(6,2005) JPLTH(I)
        GO TO 142
      141 WRITE(6,2015) JPLTH(I)
      142 WRITE (6,2001) (PL(J,N),J=1,NT)
      140 CONTINUE
        DO 147 K=1,NDI
          N=N+1
          IF(K.EQ.2) GO TO 143
          WRITE (6,2006) JPLTH(I)
          GO TO 144
        143 WRITE(6,2016) JPLTH(I)
        144 WRITE (6,2001) (PL(J,N),J=1,NT)
        147 CONTINUE
          DO 148 K=1,NDI
            N=N+1
            IF(K.EQ.2) GO TO 145
            WRITE (6,2007) JPLTH(I)
            GO TO 146
          145 WRITE(6,2017) JPLTH(I)
          146 WRITE (6,2001) (PL(J,N),J=1,NT)
          148 CONTINUE
        150 CONTINUE
      200 CONTINUE
        IF (NPLTSS.EQ.0) GO TO 400
        DO 350 I=1,NPLTSS
          N=N+1
          WRITE (6,2010) JPLTSS(I)
          WRITE (6,2001) (PL(J,N),J=1,NT)
          N=N+1

```

```

WRITE (6,2009) JPLTSS(I)
WRITE (6,2001) (PL(J,N),J=1,NT)
350 CONTINUE
400 CONTINUE
IF (NSETS.EQ.0) GO TO 500
DO 450 I=1,NSETS
N=N+1
WRITE (6,2012) JSETS(I)
WRITE (6,2001) (PL(J,N),J=1,NT)
450 CONTINUE
500 CONTINUE
CALL PLTLAS(PL,JPLTN,JPLTSS,JSETS,X,Y,NBLK,NCYCL,LUN,NDI)
600 RETURN
2001 FORMAT (10E12.4)
2002 FORMAT (//30H ELEMENT LIQUEFACTION DATA //10H EL. NO. /)
2003 FORMAT (3X,I5,5X,20H NO LIQUEFACTION )
2004 FORMAT (3X,I5,5X,26H INITIAL LIQUEF. AT TIME = ,F10.4,18H LIQUEF.
* AT TIME = ,F10.4)
2005 FORMAT (// 45H ----- ACCELERATION TIME HISTORY FOR NODE NO ,I4,
* 12H X-DIRECTION /)
2006 FORMAT (// 45H ----- VELOCITY TIME HISTORY FOR NODE NO ,I4,
* 12H X-DIRECTION /)
2007 FORMAT (// 45H ----- DISPLACEMENT TIME HISTORY FOR NODE NO ,I4,
* 12H X-DIRECTION /)
2009 FORMAT (// 45H ----- SHEAR STRAIN TIME HISTORY FOR ELEM NO ,I4 /)
2010 FORMAT (// 45H ----- SHEAR STRESS TIME HISTORY FOR ELEM NO ,I4 /)
2012 FORMAT (// 45H ----- PORE PRESSURE TIME HISTORY FOR ELEM NO ,I4 /)
2015 FORMAT (// 45H ----- ACCELERATION TIME HISTORY FOR NODE NO ,I4,
* 12H Y-DIRECTION /)
2016 FORMAT (// 45H ----- VELOCITY TIME HISTORY FOR NODE NO ,I4,
* 12H Y-DIRECTION /)
2017 FORMAT (// 45H ----- DISPLACEMENT TIME HISTORY FOR NODE NO ,I4,
* 12H Y-DIRECTION /)
2018 FORMAT (3X,I5,5X,26H INITIAL LIQUEF. AT TIME = ,F10.4,
* 18H NO FINAL LIQUEF. )
END

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SUBROUTINE SAVE (JPLTH,JPLTSS,JSETS,PL,AC,VE,DI,STRN,
* STRS,NUMNP,NBLK,TIME,NPTOT,LUN,BACELX,BACPLY,BACELE,NDI,NC)
C
  DIMENSION JPLTH(1),JPLTSS(1),JSETS(1),PL(NBLK,
* NPTOT),AC(1),VE(1),DI(1),STRN(4,1),STRS(4,1)
C
  COMMON/PLTING/ NPLOTH,NPLTSS,NSETS,HPAP,HPLOT,BPLOT,DPLOT,TEND
* ,NPLPNT
  COMMON/DIRECT/NX,NY,NZ
C
  DATA IR/0/
C
  IF (IR.LE.NBLK) GO TO 600
  IR=0
  WRITE (LUN) PL
  N=NPTOT*NPLK
  CALL SZERO (PL,N)
600 CONTINUE
  IC=1
  IB=IR+1
  PL(IR,IC)=TIME
  IF (NPLOTH.LE.0) GO TO 120
  DO 100 N=1, NPLOTH
  JL=JPLTH(N)
  JL=(JL-1)*NC+1
  IC=IC+1
  PL(IR,IC)=AC(JL)+BACELX
  IC=IC+1
  PL(IR,IC)=VE(JL)
  IC=IC+1
  PL(IR,IC)=DI(JL)
  I=1
  IF(NY.EQ.0) GO TO 50
  IC=IC+1
  PL(IR,IC)=AC(JL+I)+BACELY
  IC=IC+1
  PL(IR,IC)=VE(JL+I)
  IC=IC+1
  PL(IR,IC)=DI(JL+I)
  I=I+1
50 CONTINUE
  IF(NZ.EQ.0) GO TO 100
  IC=IC+1
  PL(IR,IC)=AC(JL+I)+BACELE
  IC=IC+1
  PL(IR,IC)=VE(JL+I)
  IC=IC+1
  PL(IR,IC)=DI(JL+I)
100 CONTINUE
120 CONTINUE
  IF (NPLTSS.LE.0) GO TO 320
  DO 300 N=1,NPLTSS
  JL=JPLTSS(N)
  IC=IC+1
  PL(IR,IC)=STRS(2,JL)
  IC=IC+1
  PL(IR,IC)=STRN(2,JL)
  IF(NY.EQ.0) GO TO 300
  IC=IC+1
  PL(IR,IC)=STRS(3,JL)

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      IC=IC+1
      PL(IR,IC)=STRN(3,JL)
300 CONTINUE
320 CONTINUE
      IF (NSETS.LE.0) GO TO 420
      DO 400 N=1,NSETS
      JL=JSETS(N)
      PIO=PL(JL,NPTOT-1)
      SIG=PL(JL,NPTOT)
      IC=IC+1
      PL(IR,IC)=(STRS(4,JL)-PIO)/SIG
400 CONTINUE
420 CONTINUE
      RETURN
      END
```

```

SUBROUTINE PTLAS (PL, JPLTH, JPLTSS, JSETS, X, Y, NBLK, NCYCL, LUN, NDI)
C
COMMON/PLTING/ NPLOTH, NPLTSS, NSETS, HPAP, HPLOT, BPLOT, DPLOT, EPLOT,
* TEND, NPLPNT
COMMON/DIRECT/ NX, NY, NZ
C
DIMENSION PL (NBLK, 1), JPLTH (1), JPLTSS (1), JSETS (1)
DIMENSION X (1), Y (1), DNAX (3), SCA (6, 2)
C
SCALE DETERMINATION FOR THE MOTION DIAGRAMS
C
CALL LOADXY (X, Y, 1, 0, PL, NBLK, NCYCL, LUN)
DO 100 I=1, NCYCL
  IF (X (I) .GT. TEND) GO TO 24
  N=I
100 CONTINUE
  GO TO 25
24 NCYCL=N
25 CONTINUE
  SCC=TEND/BPLOT
  ILN=0
  IF (NPLOTH.NF.0) GO TO 23
  CALL PLOT (0.0, HPAP, -3)
  GO TO 200
23 CONTINUE
  DO 1 I=1, 3
  1 DNAX (I) =-9999.
  N=1
  DO 2 I=1, NPLOTH
  DO 2 J=1, 3
  N=N+1
  CALL LOADXY (X, Y, N, 0, PL, NBLK, NCYCL, LUN)
  XMAX=-9999.
  XMIN=+9999.
  DO 3 K=1, NCYCL
  IF (X (K) .GT. XMAX) XMAX=X (K)
  3 IF (X (K) .LT. XMIN) XMIN=X (K)
  DX=XMAX
  IF (ABS (XMIN) .GT. DX) DX=ABS (XMIN)
  IF (DX .LE. DNAX (J)) GO TO 2
  DNAX (J) =DX
  2 CONTINUE
  DO 4 I=1, 3
  4 CALL SCAL (DNAX (I), HPLOT, SCA (I, 1), SCA (I, 2))
C
PLOTTING OF THE MOTION DIAGRAMS
C
HGAP=(HPAP-HPLOT*3)/4.
CALL PLOT (0.0, HPAP, -3)
HTIT=HGAP/3.
N=1
C
DO 5 I=1, NPLOTH
DO 50 III=1, NDI
CALL PLOT (1.0, 0.0, -3)
YY=-(2./3.)*HGAP
CALL SYMBOL (0.0, YY, HTIT, 6HNODE N. , 0.0, 8)
CALL NUMBER (0.0, 0.0, -HTIT, FLOAT (JPLTH (I)) , 0.0, -1)
IF (III.EQ.2) GO TO 110
CALL SYMBOL (0.0, 0.0, -HTIT, 7H X-DIR. , 0.0, 7)

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```

GO TO 120
110 CALL SYMBOL(0.0,0.0,-HTIT,7H Y-DIR. ,0.0,7)
120 CONTINUE
    ILN=ILN+1
C
    DO 10 J=1,J
    YY=-(HGAP+HPLOT)
    CALL PLOT(0.0,YY,-3)
    N=N+1
    CALL LOADXY(X,Y,1,N,PL,NBLK,NCYCL,LUN)
    X(NCYCL+1)=0.0
    Y(NCYCL+2)=SCC
    Y(NCYCL+1)=SCA(J,1)
    Y(NCYCL+2)=SCA(J,2)
    CALL AXIS(0.0,0.0,10HTIME (SEC) ,-10,BPLOT,0.0,0.0,SCC)
    GO TO (6,7,8),J
5 CALL AXIS(0.0,0.0,4HACC. ,4,HPLLOT,90. ,SCA(J,1),SCA(J,2))
    GO TO 9
7 CALL AXIS(0.0,0.0,4HVEL. ,4,HPLLOT,90. ,SCA(J,1),SCA(J,2))
    GO TO 9
8 CALL AXIS(0.0,0.0,6HDISPL. ,6,HPLLOT,90. ,SCA(J,1),SCA(J,2))
9 CALL PLOT(0.0,HPLLOT,3)
    CALL PLOT(BPLOT,HPLLOT,2)
    CALL PLOT(BPLOT,0.0,2)
    YY=HPLOT/2.
    CALL PLOT(BPLOT,YY,3)
    CALL PLOT(0.0,YY,2)
10 CALL LINE(X,Y,NCYCL,1,0,0)
C
    YY=HPAP-HGAP
    CALL PLOT(BPLOT,YY,-3)
50 CONTINUE
C
C
C
    PLOTTING MOTION INTERACTION DIAGRAMS
    IF(NY.EQ.0) GO TO 60
    PHOVE=(HPAP-DPLOT)/2.0+DPLOT
    DO 55 III=1,3
    CALL PLOT(2.0,-PHOVE,-3)
    N1=N+III-3
    N2=N+III-6
    CALL LOADXY(X,Y,N2,N1,PL,NBLK,NCYCL,LUN)
    X(NCYCL+1)=SCA(III,1)
    SCA(III,2)=(SCA(III,2)/DPLOT)*HPLOT
    X(NCYCL+2)=SCA(III,2)
    Y(NCYCL+1)=SCA(III,1)
    Y(NCYCL+2)=SCA(III,2)
    GO TO (51,52,53),III
51 CALL AXIS(0.0,0.0,10H ACC. (X) ,10,DPLOT,0.0,SCA(III,1),
    * SCA(III,2))
    CALL AXIS(0.0,0.0,10H ACC. (Y) ,-10,DPLOT,90.0,SCA(III,1),
    * SCA(III,2))
    GO TO 54
52 CALL AXIS(0.0,0.0,10H VEL. (X) ,10,DPLOT,0.0,SCA(III,1),
    * SCA(III,2))
    CALL AXIS(0.0,0.0,10H VEL. (Y) ,-10,DPLOT,90.0,SCA(III,1),
    * SCA(III,2))
    GO TO 54
53 CALL AXIS(0.0,0.0,10H DISP. (X) ,10,DPLOT,0.0,SCA(III,1),
    * SCA(III,2))
    CALL AXIS(0.0,0.0,10H DISP. (Y) ,-10,DPLOT,90.0,SCA(III,1),

```

```

* SCA(IIL,2)
54 CONTINUE
  CALL PLOT(0.0,DPL0T,3)
  CALL PLOT(DPLOT,DPL0T,2)
  CALL PLOT(DPLOT,0.0,2)
  YY=DPL0T/2.0
  CALL PLOT(DPLOT,YY,3)
  CALL PLOT(0.0,YY,2)
  CALL PLOT(YY,DPL0T,3)
  CALL PLOT(YY,0.0,2)
  CALL LINE(Y,Y,NCYCL,1,0,0)
  CALL PLOT(DPLOT,PROVE,-3)
55 CONTINUE
60 CONTINUE
  WRITE(6,2000) JPLTH(I)
  5 CONTINUE
200 CONTINUE
C
C   SCALE DETERMINATION FOR THE STRESS AND STRAIN DIAGRAMS
C
  IF(NPLTSS.EQ.0) GO TO 400
  NF=NPLTSS
  IF(NY.GT.0) NF=NF*2
  N=1+NPL0TH*NDI*3
13 DHAX(1)=-9999.
  DHAX(2)=-9999.
  DO 12 I=1,NF
  N=N+2
  CALL LOADXY(X,Y,N-1,N,PL,NBLK,NCYCL,LUN)
  XMAX=-9999.
  XMIN=9999.
  YMAX=-9999.
  YMIN=9999.
  DO 11 J=1,NCYCL
  IF(X(J).GT.XMAX) XMAX=X(J)
  IF(Y(J).GT.YMAX) YMAX=Y(J)
  IF(X(J).LT.XMIN) XMIN=X(J)
11 IF(Y(J).LT.YMIN) YMIN=Y(J)
  DX=XMAX
  IF(ABS(XMIN).GT.DX) DX=ABS(XMIN)
  IF(DX.GT.DHAX(1)) DHAX(1)=DX
  DX=YMAX
  IF(ABS(YMIN).GT.DX) DX=ABS(YMIN)
  IF(DX.GT.DHAX(2)) DHAX(2)=DX
12 CONTINUE
C
  CALL SCAL(DHAX(1),HPLOT,SCA(6,1),SCA(6,2))
  CALL SCAL(DHAX(2),HPLOT,SCA(5,1),SCA(5,2))
  CALL SCAL(DHAX(1),DPLOT,SCA(4,1),SCA(4,2))
  CALL SCAL(DHAX(2),DPLOT,SCA(3,1),SCA(3,2))
C
400 CONTINUE
C
C   PLOTTING OF THE STRESS AND STRAIN DIAGRAMS
C
  NAXS=0
  NAXP=0
  IF(NPLTSS.EQ.0) GO TO 500
  DO 16 I=1,NPLTSS
16 IF(JPLTSS(I).GT.NAXP) NAXP=JPLTSS(I)
500 IF(NSETS.EQ.0) GO TO 600

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```

DO 17 I=1, NSETS
17 IF (JSETS (I) .GT. MAXS) MAXS=JSETS (I)
600 IF (MAXS. EQ. 0. AND. MAXP. EQ. 0) GO TO 102
I=0

```

C

```

18 I=I+1
IF (I. GT. MAXS. AND. I. GT. MAXP) GO TO 102
KP=0
JS=0
IF (NSETS. EQ. 0) GO TO 800
DO 19 J=1, NSETS
IF (JSETS (J) .NE. I) GO TO 19
JS=JSETS (J)
GO TO 800
19 CONTINUE
800 IF (NPLTSS. EQ. 0) GO TO 900
DO 20 K=1, NPLTSS
IF (JPLTSS (K) .NE. I) GO TO 20
KP=JPLTSS (K)
GO TO 900
20 CONTINUE
900 IF (KP. EQ. 0. AND. JS. EQ. 0) GO TO 18

```

C

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ILN=ILN+1
IF (KP. EQ. 0) GO TO 101
CALL PLOT (1. 0, 0. 0, -3)
HGAP=(HPAP-HPLOT*2.)/3.
HTIT=HGAP/3.
YY=-2.*HTIT
CALL SYMBOL (0. 0, YY, HTIT, 9HELEN. N. , 0. 0, 9)
DX=FLOAT (KP)
CALL NUMBER (0. 0, 0. 0, -HTIT, DX, 0. 0, -1)

```

C

```

N=NPLTM*NDI*3+K*2
NJT=1
IF (NY. NE. 0) N=N+(K-1)*2
IF (NY. NE. 0) NJT=NJT+1
DO 30 NLJ=1, NJT
N=N+(NLJ-1)*2
N=N
DO 21 L=1, 2
CALL PLOT (1. 0, 0. 0, -3)
HGAP=(HPAP-HPLOT*2.)/3.
YY=- (HGAP+HPLOT)
CALL PLOT (0. 0, YY, -3)
N=N+L-1
CALL LOADXY (X, Y, 1, N, PL, NBLK, NCYCL, LUN)
Y (NCYCL+1) =SCA (6-L+1, 1)
Y (NCYCL+2) =SCA (6-L+1, 2)
X (NCYCL+1) =0. 0
X (NCYCL+2) =SCC
CALL AXIS (0. 0, 0. 0, 10HTIME (SEC) , -10, BPLOT, 0. 0, 0. 0, SCC)
IF (L. EQ. 1) CALL AXIS (0. 0, 0. 0, 10HSH. STRESS, 10, HPLOT, 90. , SCA (6, 1) ,
* SCA (6, 2) )
IF (L. EQ. 2) CALL AXIS (0. 0, 0. 0, 10HSH. STRAIN, 10, HPLOT, 90. , SCA (5, 1) ,
* SCA (5, 2) )
CALL PLOT (0. 0, HPLOT, 3)
CALL PLOT (BPLOT, HPLOT, 2)
CALL PLOT (BPLOT, 0. 0, 2)
YY=HPLOT/2.
CALL PLOT (BPLOT, YY, 3)

```

```

CALL PLOT(0.0,YY,2)
21 CALL LINE(X,Y,NCYCL,1,0,0)
C
YY=HGAP
HGAP=(HPAP-DPLOT)/2.
YY=HGAP-YY
CALL PLOT(BPLOT+1,YY,-3)
N=N
CALL LOADIX(X,Y,N+1,N,PL,NBLK,NCYCL,LUM)
X(NCYCL+1)=SCA(3,1)
X(NCYCL+2)=SCA(3,2)
Y(NCYCL+1)=SCA(4,1)
Y(NCYCL+2)=SCA(4,2)
CALL AXIS(0.0,0.0,10HSH. STRAIN,-10,DPLOT,0.,SCA(3,1),SCA(3,2))
CALL AXIS(0.0,0.0,10HSH. STRESS,10,DPLOT,90.,SCA(4,1),SCA(4,2))
CALL PLOT(0.0,DPLOT,3)
CALL PLOT(DPLOT,DPLOT,2)
CALL PLOT(DPLOT,0.0,2)
YY=DPLOT/2.
CALL PLOT(DPLOT,YY,3)
CALL PLOT(0.0,YY,2)
CALL PLOT(YY,DPLOT,3)
CALL PLOT(YY,0.0,2)
CALL LINE(X,Y,NCYCL,1,0,0)
YY=HPAP-HGAP
CALL PLOT(DPLOT,YY,-3)
30 CONTINUE
IF(NY.EQ.0) GO TO 150
CALL PLOT(1.0,-YY,-3)
N=N-2
CALL LOADIX(X,Y,N,N+2,PL,NBLK,NCYCL,LUM)
X(NCYCL+1)=SCA(4,1)
Y(NCYCL+2)=SCA(4,2)
Y(NCYCL+1)=SCA(4,1)
Y(NCYCL+2)=SCA(4,2)
CALL AXIS(0.0,0.0,11HSH. STRS. X,-11,DPLOT,0.,SCA(4,1),SCA(4,2))
CALL AXIS(0.0,0.0,11HSH. STRS. Y,11,DPLOT,90.,SCA(4,1),SCA(4,2))
CALL PLOT(0.0,DPLOT,3)
CALL PLOT(DPLOT,DPLOT,2)
CALL PLOT(DPLOT,0.0,2)
YY=DPLOT/2.
CALL PLOT(DPLOT,YY,3)
CALL PLOT(0.0,YY,2)
CALL PLOT(YY,DPLOT,3)
CALL PLOT(YY,0.0,2)
CALL LINE(X,Y,NCYCL,1,0,0)
YY=HPAP-HGAP
CALL PLOT(DPLOT,YY,-3)
150 CONTINUE
IF(JS.EQ.0) WRITE(6,3000) KP
101 IF(JS.EQ.0) GO TO 18
CALL PLOT(1.0,0.0,-3)
HGAP=(HPAP-EPLLOT)/2.
IF(KP.NE.0) GO TO 300
HTIT=HGAP/3.
YY=-2.*HTIT
CALL SYMBOL(0.0,YY,HTIT,9HSHLN. N. ,0.0,9)
DX=FLOAT(JS)
CALL NUMBER(0.0,0.0,-HTIT,DX,0.0,-1)
300 YY=- (HGAP+EPLLOT)
CALL PLOT(0.0,YY,-3)

```

```

DX=1./EPLOT
CALL AXIS(0.0,0.0,10HTIME (SEC) ,-10,BPLOT,0.0,0.0,SCC)
CALL AXIS(0.0,0.0,12H PORE PRESS. ,12,EPLOT,90.,0.0,DX)
CALL PLOT(0.0,EPLOT,3)
CALL PLOT(BPLOT,EPLOT,2)
CALL PLOT(BPLOT,0.0,2)
N=NPLOTM*NDI*3+NPLTSS*2+J*2
IF(NY.GT.0) N=N+NPLTSS*2
CALL LOADYY(Y,Y,1,N,PL,NBLK,NCYCL,LUN)
Y(NCYCL+1)=0.0
Y(NCYCL+2)=DX
Y(NCYCL+1)=0.0
Y(NCYCL+2)=SCC
CALL LINE(Y,Y,NCYCL,1,0,0)
YY=HPAP-HGAP
CALL PLOT(BPLOT,YY,-3)
WRITE(6,1000) JS
GO TO 18
C
102 WRITE(6,1000) ILN
YY=-HPAP+0.2
CALL PLOT(0.0,YY,-3)
RETURN
C
1000 FORMAT(//,15,25H SETS OF PLOTS COMPLETED )
2000 FORMAT(//,20H PLOTS FOR NODE NO. ,I4,10H COMPLETED
3000 FORMAT(//,20H PLOTS FOR ELEM NO. ,I4,10H COMPLETED
END

```

```

SUBROUTINE LOADX(X,Y,IX,IY,PL,NBLK,NCYCL,LUN)
C
C
DIMENSION X(1),Y(1),PL(NBLK,1)
NB=NCYCL/NBLK
IF(NB.LT.1) NB=1
IF(NCYCL.LE.NBLK) GO TO 4
REWIND LUN
4 N=-NBLK
DO 1 I=1,NB
N=N+NBLK
IF(NCYCL.GT.NBLK) READ(LUN) PL
IF(IX.EQ.0) GO TO 3
DO 2 J=1,NBLK
2 Y(J+N)=PL(J,IX)
3 IF(IY.EQ.0) GO TO 1
DO 6 J=1,NBLK
6 Y(J+N)=PL(J,IY)
1 CONTINUE
IF(NCYCL.LE.NBLK) RETURN
READ(LUN) PL
N=NB*NBLK
NB=NCYCL-N
N=N+1
IF(IX.EQ.0) GO TO 8
DO 7 J=1,NB
7 X(N+J)=PL(J,IX)
8 IF(IY.EQ.0) RETURN
DO 9 J=1,NB
9 Y(N+J)=PL(J,IY)
RETURN
END

```



```

SUBROUTINE RESPEC (ACC, NP, R1, R2, R3, R4, NDV, DT, NHD)
C
C   DIMENSION R1 (89, NDV), R2 (89, NDV), R3 (89, NDV), R4 (1), ACC (1),
C   *   DW (10), NH (10), SDISP (10), SVP (10), SACC (10), SI (10), SAMAX (10)
C
C   COMMON/SPPC/DV (10), NODE (10), NNODE, IRS, IRSP
C   COMMON/WLVL/ WTABLE, GRAV
C
C   DATA DW (1) / .01/, DW (2) / .02/, DW (3) / .04/, DW (4) / .05/, DW (5) / .1/,
C   *   DW (6) / .2/, DW (7) / .4/, DW (8) / .5/, DW (9) / 1.0/, DW (10) / 2.0/
C   DATA NH (1) / 11/, NH (2) / 10/, NH (3) / 5/, NH (4) / 8/, NH (5) / 10/,
C   *   NH (6) / 10/, NH (7) / 5/, NH (8) / 8/, NH (9) / 10/, NH (10) / 10/
C
C   THIS SUBROUTINE COMPUTES RESPONSE SPECTRA BY
C   SIMPSON'S RULE FOR PERIODS .1 TO 40.0 SECONDS
C
C
C   SORT THE GIVEN DAMPING VALUES IN INCREASING ORDER
C
C   IF (NDV.EQ.1) GO TO 101
C   INDV=NDV-1
C   DO 100 IK=1, INDV
C   IP=IK+1
C   DO 100 IJ=IP, NDV
C   IF (DV (IK).LE.DV (IJ)) GO TO 100
C   TDV=DV (IK)
C   DV (IK)=DV (IJ)
C   DV (IJ)=TDV
C   100 CONTINUE
C   101 CONTINUE
C
C   COMPUTE SPECTRAL VALUES
C
C   DO 160 K=1, NNODE
C   NNOD=NODE (K)
C   WRITE (6, 2002) NODE (K)
C   WRITE (6, 2000)
C   KK=(K-1)*NP+1
C   DO 159 NN=1, NHD
C   PERIO=0.09
C   IND=0
C   IF (NN.EQ.1) WRITE (6, 2006)
C   IF (NN.EQ.2) WRITE (6, 2007)
C   IF (NN.EQ.2) KK=KK+NNODE*NP
C   KL=KK+NP-1
C   KP=KK+1
C   DO 150 L=1, 10
C   N=NH (L)
C   DO 150 LOOP=1, N
C   IND=IND+1
C   PERIO=PERIO+DW (L)
C   W=6.2831853/PERIO
C   DO 140 J=1, NDV
C   SVP (J)=0.0
C   TIME=0.0
C   EXPP=EXP (DV (J)*W*DT)
C   AHULT=1.0/(EXPP*EXPP)
C   BHULT=4.0/EXPP
C   W=SQRT (1-DV (J)+DV (J))*W

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WT=TIME*W
SINWT=SIN(WT)
COSWT=COS(WT)
ACCL=ACC(KF)
A11=COSWT*ACCL
B11=SINWT*ACCL
AA=0.0
BB=0.0
DDT=DT/3.0
SVPP=0.0
DO 130 N=KF, KL, 2
A21=AA+A11
A31=AMULT*A21
B21=BB+B11
B31=AMULT*B21
SV=(AA*SINWT-BB*COSWT)*DDT
SVV=ABS(SV)
IF(SVV.GT.SVPP) SVPP=SVV
TIME=TIME+DT
WT=W*TIME
ACCL=ACC(N)
A12=COS(WT)*ACCL
A32=A12*BMULT
B12=SIN(WT)*ACCL
B32=B12*BMULT
TIME=TIME+DT
WT=W*TIME
SINWT=SIN(WT)
COSWT=COS(WT)
ACCL=ACC(N+1)
A11=COSWT*ACCL
B11=SINWT*ACCL
AA=A31+A32+A11
BB=B31+B32+B11
130 CONTINUE
SVP(J)=SVPP
SACC(J)=SVP(J)*W/GRAV
SDISP(J)=SVP(J)/W
R1(IND,J)=SDISP(J)
R2(IND,J)=SVP(J)
R3(IND,J)=SACC(J)
R4(IND)=PERIO
140 CONTINUE
WRITE(6,2001) PERIO,(DV(J),SDISP(J),SVP(J),SACC(J),J=1,NDV)
150 CONTINUE
C
C COMPUTE SPECTRUM INTENSITIES
C
DO 155 J=1,NDV
SI(J)=0.0
DO 155 INT=1,46
I1=INT
SI(J)=(R2(INT,J)+R2(INT+1,J))/2*(R4(INT+1)-R4(INT))+SI(J)
155 CONTINUE
C
C FIND MAXIMUMS OF SPECTRAL VALUES
C
DO 156 N=1,NDV
SAMAX(N)=0.0
DO 156 M=1,IND

```

```

156 IF(R3(N,N).GT.SANAY(N)) SANAY(N)=R3(N,N)
WRITE(6,2005) (DV(J),SANAY(J),J=1,NDV)
WRITE(6,2003) (DV(J),SI(J),J=1,NDV)
IF(IRSP.LE.0) GO TO 159
C
C PLOT RESPONSE SPECTRA IF REQUESTED
C
CALL PLORES(NNOD,IND,R1,R2,R3,R4,NDV)
159 CONTINUE
160 CONTINUE
RETURN
2000 FORMAT(27Y,11H DAMP. RAT.,7X,11H SPEC. DIS.,9Y,11H SPEC. VEL.,10X,
* 20H SPEC. ACC. (/GRAV.) )
2001 FORMAT(8H PERIOD=,F8.5/(27X,F10.5,3X,3(E15.6,5Y)))
2002 FORMAT(37X,31H ***RESPONSE SPECTRA OF NODE N.,I5,4H ***/)
2003 FORMAT(//,35H * RESPONSE SPECTRUM INTENSITIES * ,/6X,11H DAMP. RA
*T.,5Y,11H SPEC. INT./ (4X,F10.5,3X,E15.6) )
2005 FORMAT(/11H DAMP. RAT.,5X,25H MAX. SPEC. ACCELERATION / (3X,F10.5,
* 8Y,E15.6) )
2006 FORMAT(10X,15H X-DIRECTION //)
2007 FORMAT(10X,15H Y-DIRECTION //)
END

```

```

SUBROUTINE PLORES(NNOD,IND,R1,R2,R3,R4,NDV)
C
C
DIMENSION R1(89,1),R2(89,1),R3(89,1),R4(1)

CALL SYMBOL(1.0,8.3,0.5,16HRESPONSE SPECTRA ,0.0,16)
CALL SYMBOL(1.0,7.3,0.5,7HNODE N.,0.0,7)
CALL NUMBER(4.5,7.3,0.5,FLOAT(NNOD),0.0,-1)
R1MAX=0.0
R2MAX=0.0
R3MAX=0.0
DO 100 K=1,IND
IF(R1(K,1).GT.R1MAX) R1MAX=R1(K,1)
IF(R2(K,1).GT.R2MAX) R2MAX=R2(K,1)
IF(R3(K,1).GT.R3MAX) R3MAX=R3(K,1)
100 CONTINUE
IS1=R1MAX*1.05
IS2=R2MAX*1.05
IS3=R3MAX*1.40
YINC1=IS1/4.0
YINC2=IS2/4.0
YINC3=IS3/4.0
DO 350 J=1,NDV
R1(IND+1,J)=0.0
R1(IND+2,J)=YINC1
R2(IND+1,J)=0.0
R2(IND+2,J)=YINC2
R3(IND+1,J)=0.0
R3(IND+2,J)=YINC3
350 CONTINUE
R4(IND+1)=0.0
R4(IND+2)=1.
DO 400 LOOP=1,3
CALL PLOT(1.0,2.3,-3)
CALL AXIS(0.0,0.0,12HPERIOD (SEC) ,-12,5.0,0.0,0.0,1.0)
IF(LOOP.EQ.1) CALL AXIS(0.0,0.0,11HSPEC. DISP.,11,4.0,90.,0.0,
* YINC1)
IF(LOOP.EQ.2) CALL AXIS(0.0,0.0,11HSPEC. VEL. ,11,4.0,90.,0.0,
* YINC2)
IF(LOOP.EQ.3) CALL AXIS(0.0,0.0,11HSPEC. ACC. ,11,4.0,90.,0.0,
* YINC3)
CALL PLOT(0.0,4.0,3)
CALL PLOT(5.0,4.0,2)
CALL PLOT(5.0,0.0,2)
DO 375 J=1,NDV
IF(LOOP.EQ.1) CALL LINE(R4,R1(1,J),55,1,0,0)
IF(LOOP.EQ.2) CALL LINE(R4,R2(1,J),55,1,0,0)
IF(LOOP.EQ.3) CALL LINE(R4,R3(1,J),55,1,0,0)
375 CONTINUE
CALL PLOT(5.0,-2.3,-3)
400 CONTINUE
RETURN
END

```

```

SUBROUTINE NATAB (A4,BH,NDRY,NSEL,EHATL,XLENT,HATNUM,IWTBL,NUN)
C
  DIMENSION AH(NUN,1),BH(NUN,1),EHATL(35,1),XLENT(1),HATNUM(1),
* IWTBL(1)
  NSEL=0
  DO 100 I=1,NUN
  IF(IWTBL(I).LE.0) GO TO 100
  NSEL=NSEL+1
  NN=HATNUM(I)
  AH(NSEL,1)=EHATL(1,NN)/XLENT(I)
  BH(NSEL,1)=XLENT(I)/EHATL(13,NN)/3.
100 CONTINUE
  N=NSEL-1
  DO 200 K=1,N
  AH(K,1)=AH(K,1)+AH(K+1,1)
  AH(K,2)=-AH(K+1,1)
  BH(K,1)=BH(K,1)+BH(K+1,1)
  BH(K,2)=BH(K+1,1)/2.
200 CONTINUE
  AH(NSEL,2)=0.0
  BH(NSEL,2)=0.0
  NDRY=NUN-NSEL
  RETURN
  END

```

```

SUBROUTINE SOLPEQ (EHATL,XLENT,MATNUM,IWTBL,STRS,A,B,C,D,E,PPO,
* PI,NB,PPE,NUM)
C
COMMON/WLVL/ WTABLE, GRAV
COMMON/POSEQ/NTREP(10),DT(10),TLIMIT,NTS,NPEQPR(10)
C
DIMENSION EHATL(35,1),MATNUM(1),IWTBL(1),XLENT(1),A(NUM,1),
* B(NUM,1),C(NUM,1),D(NUM,1),E(1),PPO(1),PI(1),NB(1)
* ,PPE(1),STRS(4,1)
C
WRITE(6,2000)
DO 850 I=1,NUM
PPE(I)=-STRS(4,I)
850 CONTINUE
TLIMIT=0.0
DO 800 I=1,NTS
M=NTREP(I)
DO 800 J=1,M
TLIMIT=TLIMIT+DT(I)
800 CONTINUE
GRAV=EHATL(15,1)*GRAV
TIME=0.0
WTCH=0.0
SETTL=0.0
KONTR=0
KOUNT=0
DO 500 J=1,2
DO 500 I=1,NUM
A(I,J)=0.0
B(I,J)=0.0
500 CONTINUE
DO 550 I=1,NUM
C(I,1)=1.0
C(I,2)=0.0
D(I,1)=1.0
D(I,2)=0.0
E(I)=0.0
550 CONTINUE
CALL MATAB (A,B,NDRY,NSEL,EHATL,XLENT,MATNUM,IWTBL,NUM)
NDRY=NDRY
C
C CALCULATE HYDROSTATIC WATER PRESSURES
C
DEPT=0.0
DO 100 I=1,NUM
PPO(I)=0.0
NI=MATNUM(I)
DEPT=DEPT+0.5*XLENT(I)
IF(IWTBL(I).EQ.0) GO TO 95
PPO(I)=(DEPT-WTABLE)*EHATL(15,NI)*GRAV
95 DEPT=DEPT+0.5*XLENT(I)
100 CONTINUE
C
C CALCULATE EXCESS PORE PRESSURE AFTER EQ
C
DO 90 I=1,NSEL
PI(I)=PPE(NDRY+I)-PPO(NDRY+I)
90 CONTINUE
WRITE(6,2010)
IF(NDRY.EQ.0) GO TO 120

```

```

DO 110 I=1,NDRY
WRITE(6,2011) I,PPO(I),PPR(I)
110 CONTINUE
120 I1=NDRY+1
DO 130 I=I1,NUM
WRITE(6,2012) I,PPO(I),PPR(I),PI(I-NDRY)
130 CONTINUE
C
C CALCULATE EXCESS PORE PRESSURE DISSIPATION
C
WRITE(6,2008) TLIMIT
DO 400 I=1,NTS
M=NTREP(I)
DO 400 J=1,M
NSRL=NUM-NDRY
DO 200 K=1,2
DO 200 L=1,NSEL
C(L,K)=A(L,K)/2.+B(L,K)/DT(I)
D(L,K)=B(L,K)/DT(I)-A(L,K)/2.0
200 CONTINUE
NSE=NSEL-1
E(1)=D(1,1)*PI(1)+D(1,2)*PI(2)
DO 210 K=2,NSE
E(K)=D(K,1)*PI(K)+D(K,2)*PI(K+1)+D(K-1,2)*PI(K-1)
210 CONTINUE
E(NSEL)=D(NSEL,1)*PI(NSEL)+D(NSEL-1,2)*PI(NSEL-1)
CALL TRIA(C,HB,NUM,2)
CALL BACKS(C,E,HB,NUM,2)
TIME=TIME+DT(I)
C
C CALCULATE SETTLEMENT
C
DO 230 K=1,NSEL
N1=NATNUM(NDRY+K)
SETTL=SETTL+VLENT(NDRY+K)/ENATL(1,N1)*(PI(K)-E(K))
230 CONTINUE
C
C CALCULATE WATER TABLE RISE
C
N1=NATNUM(NDRY+1)
DWTCH=DT(I)*ENATL(13,N1)*E(1)/VLENT(NDRY+1)/ENATL(22,N1)
WTCH=WTCH+DWTCH
WTABLE=WTABLE-DWTCH
DO 220 K=1,NSEL
PI(K)=E(K)
220 CONTINUE
KOUNT=KOUNT+1
IF(KOUNT.LT.NPEQPR(I)) GO TO 261
KOUNT=0
WRITE(6,2001) TIME,SETTL,WTABLE
WRITE(6,2002)
IF(NDRY.EQ.0) GO TO 257
Z=0.0
DO 250 K=1,NDRY
250 WRITE(6,2003) K,Z
257 IF(NDRY.EQ.0) GO TO 256
DO 255 K=NDRY,NDRY
IND=K+1
WRITE(6,2003) IND,E(IND-NDRY)
255 CONTINUE
256 K1=NDRY+1

```

```

TDSPR=0.0
TXLENT=0.0
DO 260 K=K1, NUN
DSPR=1.0-E(K-NDRY)/(PPE(K)-PPO(K))
TDSPR=XLENT(K)*DSPR+TDSPR
TXLENT=TXLENT+XLENT(K)
WRITE(6,2004) K, E(K-NDRY),DSPR
260 CONTINUE
ODSPR=TDSPR/TXLENT
WRITE(6,2009) ODSPR
261 CONTINUE
IF(NDRY.EQ.0) GO TO 400
IF(KONTR.NE.1) GO TO 900
IF(WTCH.LT.XDUM) GO TO 950
WTCH=WTCH-XDUM
XLENT(NDRY)=XDUM
KONTR=0
CALL MATAB(A,B,NDRY,NSEL,ENATL,XLENT,MATNUM,IWTBL,NUN)
GO TO 950
900 WTCH=WTCH/XLENT(NDRY)
IF(WTCH.LT.0.5) GO TO 950
XDUM=XLENT(NDRY)
XLENT(NDRY)=WTCH
IWTBL(NDRY)=1
CALL MATAB(A,B,NDRY,NSEL,ENATL,XLENT,MATNUM,IWTBL,NUN)
KONTR=1
NSE=NSEL-1
DO 295 K=1,NSE
PI(K+1)=E(K)
295 CONTINUE
PI(1)=WTCH*GHAW/2.
GO TO 400
950 IF(NDRY.EQ.0) GO TO 951
N0=MATNUM(NDRY)
951 N1=MATNUM(NDRY+1)
N2=MATNUM(NDRY+2)
AENAT=(ENATL(1,N0)*WTCH+ENATL(1,N1)*XLENT(NDRY+1))/(WTCH+
*XLENT(NDRY+1))
A(1,1)=ENATL(1,N2)/XLENT(NDRY+2)+AENAT/(WTCH+XLENT(NDRY+1))
B(1,1)=B(1,1)+DWTCH/ENATL(1,N0)/3.
400 CONTINUE
RETURN
2000 FORMAT(1=1,37X,35H *** POST-EARTHQUAKE ANALYSIS *** //)
2001 FORMAT(/ / 15H -----TIME---- ,F10.5/
* 12H SETTLEMENT= ,F10.5/
* 20H WATER TABLE DEPTH= ,F10.5//)
2002 FORMAT(3X,12H NODE N. ,5X,11H EXCESS PP. ,5X,10H DISSIP. RAT. )
2003 FORMAT(5X,15,5X,F15.6,5X,10H UNDEFINED )
2004 FORMAT(5X,15,5X,E15.6,5X,F10.5)
2008 FORMAT(5X,37H TOTAL TIME FOR DISSIPATION ANALYSIS= ,F10.5)
2009 FORMAT(3X,28H OVERALL DISSIPATION RATIO= ,F10.5)
2010 FORMAT(30X,15H PORE PRESSURES /
* 8H NODE N. ,
* 7X,8H IN SITU ,
* 9X,10H AFTER EQ. ,
* 7X,7H EXCESS )
2011 FORMAT(2X,15,3X,E15.6,3X,E15.6,10H 0.0 )
2012 FORMAT(2X,15,3X,E15.6,3X,E15.6,3X,E15.6)
END

```



```

SUBROUTINE TRIA (A,MB,NEQ,N)
C
C   DIMENSION A(1),MB(1)
C
MF=NEQ-1
MH=M-1
MM=MM+NEQ
MK=NEQ-MH
DO 300 N=1,NE
NT=N-MK
IF (NT.GT.0) MH=MH-NEQ
MR(N)=0
IF (A(N).EQ.0.0) GO TO 300
L=N
IL=N+NEQ
IH=N+MH
JB=0
IB=0
DO 200 I=IL,IH,NEQ
L=L+1
J=L
IB=IB+1
C=A(I)/A(N)
IF (C.EQ.0.0) GO TO 200
DO 100 K=I,IH,NEQ
A(J)=A(J)-C*A(K)
100 J=J+NEQ
A(I)=C
JB=IB
200 CONTINUE
MB(N)=JB
300 CONTINUE
MB(NEQ)=0
RETURN
END

```

```

SUBROUTINE BACKS (A,B,MB,MM,MM)
C
  DIMENSION A(1),B(1),MB(1)
C
  MMM=MM-1
  N=0
270  N=N+1
  C=B(N)
  IF (A(N).NE.0.0) B(N)=B(N)/A(N)
  IF (N.EQ.MM) GO TO 300
  IL=N+1
  IH=N+MB(N)
  M=N
  DO 285 I=IL,IH
  M=M+MM
285  B(I)=B(I)-A(M)*C
  GO TO 270
C
300  IL=N
  N=N-1
  IF (N.EQ.0) RETURN
  IH=N+MB(N)
  M=N
  C=B(N)
  DO 400 I=IL,IH
  M=M+MM
400  C=C-A(M)*B(I)
  B(N)=C
  GO TO 300
C
  END

```

```
      SUBROUTINE PROFIL(A,MB,NEQ,MBAND)
C
      DIMENSION A(1),MB(1)
C
      NN=NEQ*MBAND
      DO 300 N=1,NEQ
      NI=0
      NJ=0
      L=0
      II=N+NEQ
      DO 100 I=IL,NN,N*Q
      L=L+1
      IF (A(I).NE.0.0) NI=I
      IF(N-L) 100,100,80
      80 IF(A(I-L).NE.0.0) NJ=I-L
      100 CONTINUE
      MB(N)=NI
      MB(N+MBAND)=NJ
      300 CONTINUE
      RETURN
      END
```

```

SUBROUTINE MLTPLY(A,B,BO,MB,NEQ)
C
C DIMENSION A(1),B(1),BO(1),MB(1)
C
MM=NEQ-1
DO 100 N=1,NEQ
BB=A(N)*BO(N)
L=N
IL=N+NEQ
IH=MB(N)
IF(IH) 120,120,50
50 DO 100 I=IL,IH,NEQ
L=L+1
100 BB=BB+A(I)*BO(L)
120 L=N
IF(L.PQ.1) GO TO 250
IL=N+MM
IH=MB(N+NEQ)
IF(IH) 250,250,150
150 DO 200 I=IL,IH,MM
L=L-1
200 BB=BB+A(I)*BO(L)
250 B(N)=B(N)+BB
300 CONTINUE
RETURN
END

```

SUBROUTINE SCAL(CX, DIST, SCA1, SCA2)

C

```
DX=CX*2.  
A=10. B+11  
DO 1 I=1,20  
A=A/10.  
B=A/10.  
IF(DX.LT.A.AND.DX.GE.B) GO TO 2  
1 CONTINUE  
SCA1=-DX/2.  
SCA2=DX/DIST  
RETURN  
2 ID=INT((DX/B)+0.99)  
SCA1=- (FLOAT(ID)/2.) *B  
SCA2=-2.*SCA1/DIST  
RETURN  
END
```

```
      SUBROUTINE SZERO (A,NTLLL)
C
      DIMENSION A(NTLLL)
C
      DO 100 I=1,NTLLL
100  A(I)=0.0
      RETURN
      END
```

D-1

APPENDIX D

EXAMPLE INPUT AND OUTPUT

EXAMPLE INPUT

```

EXAMPLE PROBLEM, 100 FT. UNIFORM LAYER
  1      1  10  0  0 1000  0.005
  1      1
500     0 500  1

60.0
1200.00      20  1
8000.      3000.  7.50      3000.0  7.500 10000000.  0.108  0.0001673
.0000974  1.00  .6667  .001  0.95  0.80  0.1  0.5
EL CENTRO (X-COMP) DT=0.005
  1.0  1.0  1000  1  1
( S00E COMPONENT OF EL CENTRO EARTHQUAKE (MAY 1940) DATA
  CODED BY 8F9.0, 250 CARDS )
EL CENTRO (Y-COMP) DT=0.005
  1.0  1.0  1000  1  1
( S90W COMPONENT OF EL CENTRO EARTHQUAKE (MAY 1940) DATA
  CODED BY 8F9.0, 250 CARDS )

```


----- PROPERTIES OF LAYERS -----

LAYER NUMBER	DEPTH	NUMBER OF ELEMENTS	SERIAL NUMBER
1	1200.000	20	1

----- MATERIAL PROPERTIES -----

RAT. NO.	COMPS. MOD.	SHEAR MOD.	SH. MOD. CHGZ.	IM. PL. SH. MOD.	PL. MOD. CHGZ.	BULK MOD.(FL.)	PERMEABILITY	MASS DEN.(TOTAL)
1	.800000E+04	.300000E+04	.750000E+01	.300000E+04	.750000E+01	.100000E+08	.100000E+00	.167300E-03

RAT. NO.	MASS DEN.(FL.)	S (%V)	1./LAMBDA	ILRMC	ALPHA	THETA	RES. FFP. STPS.	VOID RAT.
1	.974000E-04	.100000E+01	.666700E+00	.100000E-02	.950000E+00	.900000E+00	.100000E+00	.500000E+00

ZL CENTER (7-COMP) DT=0.005

TIME SCALE ----- = 1.0010

AMPLITUDE SCALE ----- = 1.0000

OUTPUT OF BAY MOTION INPUT IS SUPPRESSED DUE TO USER REQUEST

EL CENTRO (Y-COMP) DT=0.005

TIME SCALE ----- * 1.0000

AMPLITUDE SCALE ----- * 1.0000

OUTPUT OF BASE MOTION INPUT IS SUPPRESSED DUE TO USER REQUEST

STORAGE INFORMATION

CORE SPACE AVAILABLE= 4000 CORE SPACE REQUESTED= 5479

----- IN-SITU STRESS CONDITION -----

ELEMENT EFFECTIVE PORE
NUMBER PRESSURE PRESSURE

1	--.2170E+01	0.
2	--.5302E+01	--.1128E+01
3	--.7855E+01	--.1305E+01
4	--.9488E+01	--.5642E+01
5	--.1163E+02	--.7899E+01
6	--.1371E+02	--.1016E+02
7	--.1580E+02	--.1241E+02
8	--.1788E+02	--.1467E+02
9	--.1996E+02	--.1693E+02
10	--.2205E+02	--.1918E+02
11	--.2413E+02	--.2144E+02
12	--.2621E+02	--.2370E+02
13	--.2830E+02	--.2595E+02
14	--.3038E+02	--.2821E+02
15	--.3246E+02	--.3047E+02
16	--.3455E+02	--.3273E+02
17	--.3663E+02	--.3498E+02
18	--.3871E+02	--.3724E+02
19	--.4080E+02	--.3950E+02
20	--.4288E+02	--.4175E+02

----- RESPONSE AT TIME ----- = 2.50000

N	EX	DY	DZ	DX	DY	DZ	FLUID VOL CHANGE	EXPANSIVE PRESSURE	SHEAR STRESS	AX	AY	AZ	AW
1	-1.77E+00	-3.09E-01	-3.22E-03	0.	-4.06E+00	4.90E+00	-2.17E+01	-7.69E+00	.4217E-01	9.39E+01	1.06E+01	1.62E-02	0.
2	-1.75E+00	-3.09E-01	-3.24E-03	2.76E-03	-4.50E+00	5.31E+00	-5.03E-03	-2.03E+01	-.1257E+00	7.97E+01	2.12E+01	1.30E-02	-1.05E-02
3	-1.73E+00	-2.91E-01	-1.36E-03	8.97E-04	-4.68E+00	5.42E+00	-1.96E-03	-3.32E+01	-.3736E+00	8.28E+01	-2.29E+01	-1.34E-02	1.63E-02
4	-1.50E+00	-2.94E-01	-1.45E-03	9.99E-04	-3.72E+00	6.26E+00	-2.08E-03	-4.29E+01	-.2626E+00	4.52E+01	2.21E+01	7.79E-04	1.64E-03
5	-1.35E+00	-2.87E-01	-1.22E-03	7.91E-04	-3.92E+00	6.49E+00	-1.99E-03	-5.93E+01	-.5164E+01	3.31E+01	3.67E+01	5.20E-04	1.74E-03
6	-1.17E+00	-2.03E-01	-7.01E-04	2.94E-04	-6.62E-01	6.66E+00	9.11E-05	-1.70E-04	-1.70E-04	-2.97E+02	4.17E+01	1.87E-02	-1.38E-02
7	-1.10E+00	-1.25E-01	-7.77E-04	3.98E-04	-3.52E+00	6.81E+00	-2.96E-04	3.04E-04	3.04E-04	-9.81E+01	2.50E+01	-6.23E-03	6.02E-03
8	-1.06E+00	-5.66E-02	-8.18E-04	4.68E-04	-4.15E+00	6.13E+00	-1.70E-04	1.77E-04	1.77E-04	-1.43E+02	4.06E+00	1.84E-03	-1.86E-03
9	-9.90E-01	-1.57E-02	-7.39E-04	4.17E-04	-4.94E+00	5.60E+00	2.29E-04	-2.23E-04	-2.23E-04	-5.13E+01	6.60E-01	-6.81E-04	6.88E-04
10	-9.28E-01	6.69E-03	-5.93E-04	2.88E-04	-5.25E+00	5.04E+00	8.65E-05	-8.10E-05	-8.10E-05	-5.76E+01	-1.53E+01	2.04E-04	-1.27E-04
11	-8.85E-01	1.12E-02	-5.73E-04	3.10E-04	-5.23E+00	4.91E+00	-6.23E-05	5.92E-05	5.92E-05	-3.00E+01	-2.04E+01	1.57E-04	-2.48E-04
12	-7.57E-01	1.47E-02	-3.67E-04	1.32E-04	-4.91E+00	3.67E+00	3.07E-04	-2.55E-04	-2.55E-04	1.39E+00	-2.47E+01	-2.12E-04	3.39E-04
13	-6.62E-01	1.22E-02	-2.76E-04	6.91E-05	-4.91E+00	2.96E+00	5.02E-05	-5.02E-05	-5.02E-05	1.91E+01	-2.37E+01	3.99E-04	-2.66E-04
14	-5.83E-01	8.87E-03	-1.79E-04	9.94E-07	-4.80E+00	2.32E+00	1.77E-04	-1.71E-04	-1.71E-04	3.51E+01	-2.76E+01	-3.34E-05	1.67E-04
15	-5.06E-01	2.78E-03	-1.95E-04	3.21E-05	-3.75E+00	1.76E+00	9.99E-05	-9.63E-05	-9.63E-05	5.48E+01	-1.73E+01	2.66E-04	-1.40E-04
16	-4.27E-01	3.15E-03	-1.82E-04	1.65E-05	-3.09E+00	1.25E+00	2.03E-04	-2.00E-04	-2.00E-04	7.05E+01	-5.27E+01	8.73E-06	1.09E-04
17	-3.81E-01	8.81E-03	-1.53E-04	5.34E-05	-2.42E+00	8.26E-01	1.94E-04	-1.35E-04	-1.35E-04	7.32E+01	2.01E+00	1.69E-04	-7.25E-05
18	-2.53E-01	-1.24E-02	-1.64E-04	9.96E-05	-1.71E+00	6.80E-01	1.37E-04	-1.36E-04	-1.36E-04	5.96E+01	3.50E+00	4.82E-06	7.12E-05
19	-1.68E-01	-1.31E-02	-2.31E-04	1.81E-04	-1.05E+00	2.27E-01	4.21E-05	-4.11E-05	-4.11E-05	3.64E+01	2.20E+00	1.39E-04	-8.67E-05
20	-7.91E-02	-9.47E-03	-1.62E-04	1.17E-04	-4.68E-01	7.31E-02	8.64E-05	-8.58E-05	-8.58E-05	1.56E+01	7.65E-01	-4.11E-05	6.77E-05

----- STRAINS AND STRESSES AT TIME ----- = 2.50000

ELEMENT NUMBER	VOLUME STRAIN	SHEAR STRN. Y	SHEAR STRN. Y	FLUID VOL CHANGE	EXPANSIVE PRESSURE	SHEAR STRESS	SHEAR STRESS	POWZ PRESSTPE	D-R
1	.3519E-06	-.2385E-03	-.1314E-04	-.4607E-04	-2.170E+01	-7.69E+00	.4217E-01	7.	
2	-.3132E-04	-.3262E-03	-.2758E-03	-.3122E-04	-4.29E+01	-2.03E+01	-.1257E+00	-.2214E+01	
3	-.1572E-05	-.2595E-02	-.9742E-08	-.1798E-05	-5.05E+01	-3.32E+01	-.3736E+00	-.5871E+01	
4	-.3815E-05	-.3655E-02	-.2177E-03	-.1866E-05	-5.93E+01	-4.29E+01	-.2626E+00	-.9143E+01	
5	-.8727E-05	-.3091E-02	-.1310E-02	-.3245E-05	-7.18E+01	-5.93E+01	-.5164E+01	-.1232E+02	
6	-.1269E-05	-.1127E-02	-.1295E-02	-.1735E-05	-3.05E+01	-1.70E-04	-1.70E-04	-.1721E+02	
7	-.6770E-06	-.1026E-02	-.1139E-02	-.1157E-05	-1.03E+02	-1.40E+01	-.4976E+00	-1.950E+02	
8	-.1338E-05	-.8795E-03	-.6973E-03	-.4665E-06	-1.33E+02	-1.65E+00	-.1659E+00	-.2377E+00	
9	-.2629E-05	-.1039E-02	-.3650E-03	-.2148E-05	-1.51E+02	-1.22E+00	-.1222E+00	-.2377E+00	
10	-.1192E-06	-.1374E-02	-.7556E-04	-.3616E-06	-1.79E+02	-1.72E+00	-.1723E+00	-.2377E+00	
11	-.3430E-05	-.1459E-02	-.4847E-04	-.2956E-05	-1.94E+02	-9.36E-01	-.936E-01	-.2614E+02	
12	-.1519E-05	-.1541E-02	-.3160E-02	-.3054E-05	-2.15E+02	-3.43E+00	-.3433E+00	-.2934E+02	
13	-.1626E-05	-.1365E-02	-.6275E-04	-.1169E-05	-2.32E+02	-9.59E+00	-.959E+00	-.3353E+02	
14	-.1011E-06	-.1288E-02	-.9554E-04	-.5092E-06	-2.58E+02	-1.76E+01	-.176E+01	-.3231E+02	
15	-.7922E-06	-.1304E-02	-.9823E-04	-.2995E-06	-2.80E+02	-2.79E+01	-.279E+01	-.3473E+02	
16	-.1890E-06	-.1438E-02	-.9439E-04	-.6212E-06	-3.02E+02	-4.04E+01	-.404E+01	-.3370E+02	
17	-.1729E-06	-.1472E-02	-.5972E-04	-.5979E-06	-3.24E+02	-5.32E+01	-.532E+01	-.3321E+02	
18	-.1112E-05	-.1497E-02	-.1206E-02	-.1730E-05	-3.43E+02	-6.43E+01	-.643E+01	-.4142E+02	
19	-.1497E-05	-.1432E-02	-.4668E-04	-.1716E-05	-3.66E+02	-1.75E+01	-.175E+01	-.4365E+02	
20	-.2360E-05	-.1302E-02	-.1578E-03	-.1949E-05	-3.87E+02	-.7833E+01	-.7833E+01	-.4547E+02	

----- RESPONSE AT TIME ----- = 5.00000

ELBERT NUMBER	DX	DY	DZ	DR	VZ	VY	VZ	VW	RX	RY	RZ	AR
1	-2.23E+00	-1.22E+00	-1.68E-02	0.	1.94E+01	1.79E+01	-1.54E-02	0.	-9.01E+01	-6.50E+01	-2.05E-01	0.
2	-2.23E+00	-1.23E+00	-1.69E-02	1.57E-02	1.81E+01	1.75E+01	-1.76E-02	1.83E-02	-6.71E+01	1.05E+01	-8.67E-01	1.12E-01
3	-2.08E+00	-8.26E-01	-1.09E-02	9.74E-03	1.47E+01	1.77E+01	-3.99E-04	1.37E-03	-1.55E+02	2.71E+02	-6.25E-01	2.32E-01
4	-1.94E+00	-7.64E-01	-8.89E-03	7.77E-03	9.56E+00	2.03E+01	-2.81E-03	4.64E-03	6.37E+01	4.09E+01	-5.91E-02	3.39E-01
5	-1.64E+00	-6.61E-01	-3.79E-03	2.73E-03	1.28E+01	1.39E+01	4.17E-04	1.95E-03	-7.40E+01	1.20E+02	-5.44E-01	2.44E-01
6	-8.22E-01	-7.26E-01	-3.53E-03	2.54E-03	6.92E+00	1.56E+01	-5.95E-03	9.08E-03	-2.13E+02	8.81E+01	6.61E-02	-2.54E-01
7	-1.95E+00	-2.66E-01	-3.02E-03	2.10E-03	6.80E+00	1.12E+01	3.65E-03	-6.27E-04	-1.61E+02	-3.04E+01	1.74E-01	-3.04E-01
8	-7.54E-01	-2.35E-01	-1.32E-03	4.93E-04	2.54E+00	1.14E+01	5.20E-03	3.02E-03	-2.02E+02	1.53E+01	-3.07E-01	-2.16E-01
9	-7.41E-01	-1.29E-01	-2.34E-03	1.59E-03	1.80E+00	9.57E+00	4.56E-04	1.36E-03	-1.94E+02	5.63E+01	1.36E-01	-2.64E-01
10	-6.37E-01	-1.88E-01	-2.99E-03	2.32E-03	4.19E-01	6.81E+00	-7.26E-03	8.12E-03	-5.78E+01	5.92E+01	-3.04E-01	2.08E-01
11	-5.75E-01	-9.64E-02	1.31E-03	-1.88E-03	-1.10E+00	4.56E+00	1.45E-02	-1.42E-02	-5.80E+01	-8.95E+00	-3.04E-01	1.95E-01
12	-5.89E-01	-6.39E-02	-9.26E-04	4.17E-04	-1.32E+00	3.50E+00	-1.19E-03	1.52E-03	-1.47E+01	1.52E+02	4.18E-02	-6.01E-02
13	-5.29E-01	-6.14E-02	1.40E-04	-5.86E-04	-1.20E+00	2.85E+01	1.25E-03	-9.53E-04	-9.38E+00	1.42E+02	-1.07E-01	1.65E-02
14	-4.96E-01	-3.71E-02	-3.42E-04	-4.20E-05	-1.09E+00	-1.13E+00	9.73E-04	-7.03E-04	8.52E+01	2.06E+01	-7.38E-02	-5.18E-03
15	-4.50E-01	-5.34E-03	-4.03E-04	7.73E-05	-1.52E+00	-9.59E-01	1.10E-03	-8.62E-04	1.54E+02	-9.43E+01	-6.81E-02	5.99E-04
16	-3.69E-01	4.98E-03	-6.55E-05	-2.04E-04	-1.50E+00	-7.65E-01	1.40E-03	-1.20E-03	8.99E+01	-8.72E+01	-5.62E-02	5.67E-05
17	-2.62E-01	9.95E-04	-4.16E-04	1.99E-04	-7.24E-01	-1.13E+00	7.60E-05	8.63E-05	-5.25E+01	3.34E+00	-4.83E-02	-5.46E-04
18	-1.83E-01	-1.96E-03	-8.42E-04	6.77E-04	2.51E-01	-1.68E+00	-5.44E-04	6.67E-04	-1.62E+02	1.04E+02	-3.31E-02	-5.27E-04
19	-1.14E-01	-3.40E-03	-1.48E-03	1.33E-03	7.99E-01	-1.78E+00	-1.32E-04	2.15E-04	-2.24E+02	1.43E+02	-2.23E-02	-7.18E-05
20	-5.33E-02	3.19E-04	-7.53E-04	6.99E-04	6.54E-01	-1.13E+00	1.97E-04	-1.55E-04	-1.49E+02	1.00E+02	-1.11E-02	1.03E-04

----- STRAINS AND STRESSES AT TIME ----- = 5.00000

ELBERT NUMBER	VOLUME STRAIN	SRAP STRN. Y	SRBR STRN. Y	PLUID VOL CHRGY	REFLECTIVE PRESSURE	SHEAR STRESS	SHEAR STRESS	SHEAR STRESS	PORE PRESSURE
1	.1070E-05	.4412E-04	.1740E-03	-.2623E-03	-.2170E+01	.1423E+00	.5610E+00	0.	
2	-.1004E-03	-.2575E-02	-.6740E-02	.1000E-03	-.1280E+01	.2565E+00	-.8263E+00	-.4638E+01	
3	-.3337E-04	-.2265E-02	-.1037E-02	.3268E-04	-.1661E+01	.1578E+01	-.2311E+01	-.9620E-01	
4	-.8488E-04	-.5054E-02	-.1723E-02	.8408E-04	-.3784E+00	.2359E+00	-.1487E+01	-.1365E+02	
5	-.4212E-05	-.1356E-01	.1080E-02	.3207E-05	-.2453E+00	.2330E+00	-.2483E+01	-.1795E+02	
6	-.8632E-05	.3873E-02	-.7658E-02	.7283E-05	-.1000E+00	.2393E+01	-.3539E+01	-.2365E+02	
7	-.2879E-04	-.4940E-02	-.5165E-03	.2679E-04	-.3551E+01	.3374E+01	-.1852E+01	-.2842E+02	
8	.1694E-04	-.2923E-03	-.1764E-02	-.1822E-04	-.5533E+01	.5256E+01	-.1899E+01	-.2745E+02	
9	.1077E-04	-.1732E-02	.9879E-03	-.1216E-04	-.7311E+01	.6945E+01	-.2346E+01	-.3079E+02	
10	-.7157E-04	-.1019E-02	-.1535E-02	.6999E-04	-.7202E+01	.6842E+01	-.2803E+01	-.3493E+02	
11	.3722E-04	-.1094E-03	-.5408E-03	-.3836E-04	-.1274E+02	.7007E+01	-.2050E+01	-.3278E+02	
12	-.1777E-04	-.6616E-03	-.4267E-04	.1672E-04	-.1566E+02	.6567E+01	-.3913E+01	-.3420E+02	
13	.8039E-05	-.5492E-03	-.4004E-03	-.9061E-05	-.1802E+02	.6235E+01	-.5925E+01	-.3618E+02	
14	.1008E-05	-.7768E-03	-.5332E-03	-.1988E-05	-.2053E+02	.4576E+01	-.5745E+01	-.3801E+02	
15	-.5618E-05	-.1337E-02	-.1705E-03	.4688E-05	-.2111E+02	.2011E+01	-.4204E+01	-.3977E+02	
16	.5838E-05	-.1795E-02	.6483E-04	-.6717E-04	-.2571E+02	.2845E+00	-.2933E+01	-.4152E+02	
17	.7095E-05	-.1321E-02	.4921E-02	-.7973E-05	-.2781E+02	.3378E+00	-.2618E+01	-.4376E+02	
18	.1002E-04	-.1156E-02	-.2401E-04	-.1093E-04	-.2962E+02	.2018E+01	-.3652E+01	-.4629E+02	
19	-.1149E-04	-.1004E-02	-.6196E-04	.1057E-04	-.3157E+02	.4239E+01	-.5212E+01	-.4867E+02	
20	-.1256E-04	-.4889E-03	-.5316E-05	.1164E-04	-.3369E+02	.5533E+01	-.6211E+01	-.5089E+02	

----- MAXIMUM RESPONSE -----

----- I-DIRECTION -----

N	MAX. DISP.	TIME	MAX. VEL.	TIME	MAX. ACC.	TIME
1	-.4433E+01	4.87000	-.2252E+02	4.63500	-.2383E+03	2.60000
2	-.4410E+01	4.81500	-.2191E+02	4.63000	.2101E+03	4.80500
3	-.4410E+01	4.81500	-.2090E+02	4.61000	.2237E+03	3.84000
4	-.4146E+01	4.81000	-.1961E+02	4.88000	.3825E+03	4.78000
5	-.3763E+01	4.79000	.1983E+02	4.93000	.3897E+03	4.77500
6	-.3034E+01	3.74000	.1862E+02	4.90500	.4967E+03	4.77000
7	-.2952E+01	4.90500	-.1661E+02	1.88500	.7779E+03	4.80500
8	-.2690E+01	3.73500	-.1549E+02	1.88500	.5951E+03	4.93500
9	-.2505E+01	3.72500	-.1438E+02	1.87500	.4366E+03	4.92500
10	-.2279E+01	3.72000	-.1319E+02	1.87500	.3046E+03	4.96500
11	-.2041E+01	3.71000	-.1211E+02	1.87000	-.3587E+03	4.82500
12	-.1798E+01	3.70500	-.1072E+02	1.86500	-.3511E+03	2.03000
13	-.1554E+01	3.69500	-.9857E+01	1.86000	-.3333E+03	2.01500
14	-.1319E+01	3.68500	-.8513E+01	1.84000	-.3008E+03	2.00000
15	-.1098E+01	4.70000	-.7524E+01	1.81000	-.2543E+03	1.98500
16	-.9181E+00	4.69000	-.6488E+01	1.79000	-.2329E+03	4.89500
17	-.7281E+00	4.68500	-.5529E+01	1.77500	-.1942E+03	4.90000
18	-.5461E+00	4.65000	-.4322E+01	1.77000	.2232E+03	4.96000
19	-.3787E+00	2.73500	-.3012E+01	1.75500	.2656E+03	4.96500
20	-.1931E+00	2.73500	.1934E+01	4.98500	.1999E+03	4.96500

----- Y-DIRECTION -----

N	MAX. DISP.	TIME	MAX. VEL.	TIME	MAX. ACC.	TIME
1	-.2595E+01	4.87500	-.1833E+02	4.75500	.2789E+03	4.85500
2	-.2580E+01	4.88000	-.1798E+02	4.76500	.2504E+03	4.82500
3	-.2364E+01	4.85500	-.1770E+02	5.00000	.2989E+03	4.85500
4	-.2170E+01	4.86000	-.2026E+02	5.00000	.3913E+03	4.97500
5	-.2068E+01	4.86000	-.1603E+02	4.71500	.4289E+03	4.88000
6	-.1994E+01	1.66500	-.1560E+02	5.00000	.5362E+03	4.73500
7	-.1898E+01	1.66500	.1407E+02	4.97500	-.8446E+03	4.73500
8	-.1792E+01	1.66500	.1142E+02	5.00000	.4176E+03	4.80000
9	-.1649E+01	1.66500	.9567E+01	5.00000	.6210E+03	4.80500
10	-.1506E+01	1.66000	.8765E+01	1.85500	.4590E+03	4.86000
11	-.1348E+01	1.66500	.9138E+01	1.85500	-.2145E+03	4.87500
12	-.1195E+01	1.65500	-.9096E+01	4.60500	-.2212E+03	4.89000
13	-.1032E+01	1.63000	-.7705E+01	4.60000	-.1979E+03	4.90000
14	-.8925E+00	1.61500	-.7272E+01	4.59500	-.1800E+03	4.91500
15	-.7579E+00	1.60000	-.6829E+01	4.59500	-.1939E+03	4.92500
16	-.6287E+00	1.58500	-.5412E+01	4.58500	-.1849E+03	4.93500
17	-.5046E+00	1.56500	-.4620E+01	4.57500	-.1545E+03	4.94500
18	-.3812E+00	1.56000	-.3645E+01	4.57500	-.1566E+03	4.96500
19	-.2559E+00	1.55000	-.2698E+01	4.99000	-.1891E+03	4.97000
20	-.1290E+00	1.54500	-.1745E+01	4.59000	-.1368E+03	4.97000

----- Z-DIRECTION -----

#	MAX. DISP.	TIME	BAK. VEL.	TIME	MAX. ACC.	TIME
1	-.1688E-01	5.00000	-.2007E-01	4.87500	.1015E+01	4.77000
2	-.1690E-01	5.00000	-.1970E-01	4.86500	.2370E+01	4.76500
3	-.1098E-01	4.97500	-.1172E-01	4.79500	.2320E+01	4.76500
4	-.8879E-02	5.00000	-.1178E-01	4.98000	.2589E+01	4.76500
5	-.3826E-02	4.98500	-.8092E-01	4.95500	-.1632E+01	4.82000
6	-.3534E-02	5.00000	-.4995E-01	4.77500	.7112E+01	4.76500
7	-.3052E-02	4.98500	-.5138E-01	4.77500	-.4617E+01	4.76500
8	-.1470E-02	4.96000	-.2216E-01	4.88000	-.2727E+01	4.78500
9	-.2341E-02	4.99500	-.1577E-01	4.83500	-.2208E+01	4.78000
10	-.2987E-02	5.00000	-.2341E-01	4.84000	-.1546E+01	4.82500
11	-.1307E-02	5.00000	-.1978E-01	4.97000	-.8466E+00	4.78500
12	-.9218E-03	5.00000	-.3356E-02	4.97500	.6248E+00	4.77500
13	-.3578E-03	3.29000	-.2761E-02	4.78000	.4890E+00	4.77500
14	-.5029E-03	4.74500	-.2579E-02	4.79000	.4290E+00	4.77500
15	-.6233E-03	4.74000	-.2341E-02	4.78000	.3742E+00	4.77500
16	-.4792E-03	4.05000	-.2713E-02	4.79000	.3127E+00	4.77500
17	-.4171E-03	4.99000	-.1858E-02	4.67000	.2526E+00	4.77500
18	-.9416E-03	5.00000	-.1631E-02	4.66500	.1971E+00	4.77500
19	-.1443E-02	5.00000	-.1639E-02	4.65000	.1259E+00	4.77500
20	-.8128E-03	4.68000	-.1330E-02	4.34000	-.7362E-01	4.61500

----- WATER -----

#	MAX. DISP.	TIME	MAX. VEL.	TIME	MAX. ACC.	TIME
1	0.	5.00000	0.	5.00000	0.	5.00000
2	-.1578E-01	5.00000	-.1833E-01	5.00000	.6119E+00	4.85500
3	-.9820E-02	4.91000	-.6845E-02	4.79500	-.8738E+00	4.80000
4	-.7773E-02	5.00000	-.1192E-01	4.98500	.9083E+00	4.80000
5	-.2730E-02	5.00000	-.1636E-01	4.96000	.1372E+01	4.92000
6	-.2538E-02	5.00000	-.4246E-01	4.77500	-.4591E+01	4.76500
7	-.2135E-02	4.92500	-.5504E-01	4.77500	.4900E+01	4.76500
8	-.6157E-03	3.81000	-.2162E-01	4.88000	-.2302E+01	4.83500
9	-.1586E-02	5.00000	-.1493E-01	4.81500	-.1968E+01	4.82000
10	-.2316E-02	5.00000	-.2355E-01	4.84000	.1521E+01	4.82500
11	-.1888E-02	5.00000	-.1572E-01	4.97000	-.1098E+01	4.79000
12	-.4175E-03	5.00000	-.3291E-02	4.97000	.2666E+00	4.79000
13	-.5857E-03	5.00000	-.1525E-02	4.90000	-.7061E-01	4.76000
14	-.1165E-03	4.74500	-.8847E-03	4.76000	-.6972E-01	4.75000
15	-.3717E-03	4.02000	-.8953E-03	4.97000	-.1002E+00	4.74000
16	-.2702E-03	4.05000	-.1597E-02	4.68500	-.1589E+00	4.72500
17	-.2268E-03	3.67000	-.1192E-02	4.68500	.7644E-01	4.65500
18	-.6774E-03	5.00000	-.1101E-02	2.75500	-.6716E-01	4.64500
19	-.1333E-02	5.00000	-.1059E-02	4.65500	-.4562E-01	4.69500
20	-.7577E-03	4.68000	.1285E-02	4.34000	-.4539E-01	4.67500

----- EXTREME STRESSES AND STRAINS -----

----- Y-DIRECTION -----

N	SHEAR STRS.	TIME	SHEAR STR.	TIME
1	.1490E+01	2.6000	.4619E-03	2.6000
2	-.2566E+01	4.9600	-.3639E-02	4.9600
3	-.5061E+01	4.8000	-.4765E-02	3.9050
4	-.5625E+01	4.8150	-.8319E-02	3.8900
5	-.7876E+01	4.7950	-.1631E-01	4.9150
6	-.1650E+02	4.7650	-.5182E-02	4.4650
7	-.1224E+02	4.8050	-.9925E-02	4.8700
8	-.9260E+01	4.7950	-.8568E-02	4.8000
9	-.1280E+02	4.8300	-.7418E-02	4.8300
10	-.9331E+01	3.7250	-.4738E-02	4.8250
11	-.1013E+02	3.7150	-.4267E-02	3.7850
12	-.1085E+02	3.7050	-.4208E-02	3.7300
13	-.1184E+02	3.6950	-.4020E-02	3.7150
14	-.1224E+02	4.6950	-.3792E-02	3.7050
15	-.1278E+02	4.6900	-.3482E-02	3.6900
16	-.1342E+02	4.6950	-.3369E-02	4.7150
17	-.1393E+02	4.6950	-.3113E-02	4.6950
18	-.1405E+02	4.6850	-.3082E-02	4.6850
19	-.1432E+02	4.3150	-.3100E-02	2.7400
20	-.1527E+02	4.3300	-.3218E-02	2.7350

----- Y-DIRECTION -----

N	SHEAR STRS.	TIME	SHEAR STR.	TIME
1	-.1678E+01	4.8550	-.5204E-03	4.8550
2	-.2958E+01	4.9800	-.7981E-02	4.9550
3	-.6731E+01	4.8550	-.3273E-02	4.8550
4	-.8931E+01	4.9450	-.5489E-02	4.8450
5	-.1130E+02	4.8800	-.3053E-02	4.8900
6	-.1335E+02	4.8600	-.1175E-01	4.8500
7	-.1368E+02	4.8350	-.4831E-02	4.8350
8	-.1040E+02	4.9050	-.4460E-02	4.9050
9	-.1459E+02	4.7950	-.2524E-02	4.7950
10	-.1142E+02	4.8850	-.3812E-02	4.8950
11	-.1152E+02	4.8350	-.2401E-02	1.6800
12	-.1031E+02	4.9150	-.2447E-02	1.6800
13	-.1091E+02	4.8550	-.2644E-02	1.6650
14	-.1059E+02	4.8550	-.2447E-02	1.6500
15	-.1071E+02	4.8200	-.2310E-02	1.6300
16	-.1156E+02	4.8200	-.2224E-02	1.6150
17	-.1175E+02	4.8150	-.2124E-02	1.6000
18	-.1218E+02	4.8000	-.2110E-02	1.5750
19	-.1213E+02	4.8000	-.2119E-02	1.5600
20	-.1230E+02	4.7850	-.2151E-02	1.5450

