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STATIC AND CYCLIC BEHAVIOR OF SEMI-RIGID STEEL BEAM-COLUMN CONNECTIONS

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Final Report

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A Report of an Investigation Conducted by

The Civil Engineering Department University of South Carolina

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ABSTRACT

The purpose of the study has been to investigate the behavior of semi-rigid beam to column connections subjected to static and cyclic loadings. Tests were conducted on bolted connections comprised of top and seat beam flange angles, and double web angles, to determine moment-rotation behavior under monotonic (static) loading, and to evaluate cyclic performance under constant amplitude and variable amplitude displacements. From the static tests, geometric parameters which affect connection performance have been quantified, and compared with analytical models formulated to predict the initial stiffness and complete non-linear moment-rotation behavior of the connections.

In the cyclic tests, the beam-column connections exhibited ductile behavior, with generally stable moment-rotation hysteresis loops being established at each controlled displacement amplitude. The tests culminated in the formation and subsequent propagation of fatigue cracks at the toe of the fillet in one or more of the beam flange angles. From the constant amplitude cyclic tests, linear log-log equations have been established relating fatigue life to connection cyclic hysteretic energy absorption, and to a generalized flange angle rotation parameter. The empirical relationships established by the constant amplitude fatigue tests have been applied to a linear cumulative damage model; the results of several variable amplitude block cyclic tests are compared with damage summations predicted by the model.

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I. INTRODUCTION

1.1 Background, Research Objectives

The satisfactory performance of ductile moment-resisting steel frame building structures in an earthquake environment is dependent upon the ability of the beam-column connections to provide the rigid frame behavior and energy absorption capacity necessary to withstand the seismically induced lateral Considerable experimental data have been generated forces. on the moment-rotation behavior of beam-column connections (1-45), the results of which have demonstrated that the connections can contribute adequate strength and to ensure the required performance of the structural system. ductility Recently, studies have been reported (46-58) which consider the effect of connection flexibility on the performance of building frames. The analytical predictions of frame behavior are typically based on assumed non-linear mathematical models of the beam-column connections. However, there is a continuing need for additional experimental data to substantiate the appropriateness of the mathematical models used to describe the behavior of semi-rigid connections, including those utilizing both welded and bolted connection elements. Such information is needed for modeling the load-deformation behavior of complete building systems, and for possible application to the retrofitting of existing structures as a means of improving their resistance to lateral forces.

From cyclic tests of connections and subassemblages, it has been found that the performance of steel frame building structures, under seismically induced load histories, may be limited by low cycle fatigue of the connection elements. Consequently, recent attention has been directed to the applicability of

cumulative damage models for predicting the cyclic response and eventual failure of structural connections and frames subjected to earthquake type loadings (5, 59-62). Additional information, both experimental and analytical, is required to determine the efficacy of such models in assessing the total time-history performance of a complete building system.

The objective of the research program herein has been to experimentally determine the moment-rotation performance of semi-rigid beam-column connections under static (monotonic) and cyclic loadings. Specifically, the effect varying the stiffness of the various connection elements on the static response of the connections, and on their hysteretic response under cyclic controlled displacement loading, has been studied. From these tests, the significant material and geometric parameters affecting the connection behavior are identified, and used to formulate models of the non-linear connection moment-rotation response. The constant amplitude and variable amplitude cyclic tests have served to identify the mechanisms of distress under severe excursions of connection rotation, to quantify hyseretic energy absorption capacity under cyclic loading, and to establish bench-mark fatigue life relationships. A linear damage accumulation model has been examined for for prediction of connection fatigue response under variable amplitude loading.

1.2 Scope of Investigation

In an initial investigation, NSF Grant No. 79-23520 (63), tests were conducted of bolted beam to column connections comprised of top and seat beam flange angles, and double web angles, to determine moment-rotation behavior under monotonic (static) loading, and to measure energy absorption capability under cyclic loading. ASTM A36 steel was used for the members and connection elements; the fasteners were 3/4-inch diameter, ASTM A325 high-strength bolts. A pair of duplicate specimens was tested simultaneously by framing simply supported beam sections into a centrally-loaded stub column.

Two beam sizes, W14X38 and W8X21, were used in the test program. For the top and seat (flange) angles, the thickness, length, and gage (in the legs attached to the column flange) were varied, together with beam depth, to effect connections of varying stiffness. Variations in the thickness and length of the web angles were investigated also. The results of the static tests were used to quantify the effect of the test variables on the non-linear moment- rotation behavior of the connections, and to establish semi-empirical models of connection response. The data were compared, also, to predictions of moment-rotation behavior using a two dimensional finite element model of the connection.

The cyclic tests in the initial investigation consisted of subjecting the connections to several stages of full reversal, controlled amplitude displacements of progressively increasing magnitude. The connections exhibited ductile behavior, with generally stable moment-rotation hystersis loops being established at each displacement amplitude to the time that testing was discontinued. The tests culminated in the formation and subsequent propagation of fatigue cracks at the toe of the fillet in one or more of the beam flange angles. The cyclic tests demonstrated that the effectiveness, under seismically induced loading, of connections of the type studied may be limited by low-cycle fatigue of the connection elements.

The scope of the current investigation (Grant No. CEE-8115014) extended the initial study by including the static testing of additional bolted connections utilizing a wider range of connection element stiffnesses. Because major slip occurred in two of the earlier tests in which 3/4-inch diameter bolts

were used, 7/8-inch diameter, A325 bolts were used in all of the test specimens in the present study. Slip was observed in one of the tests in which the 7/8-inch bolts were used.

The empirical equation developed in the initial study was found to offer reasonable predictions of the static moment-rotation response of the connections in the present series of tests; i.e., those using the 7/8-inch diameter bolts. In addition, a three-dimensional finite element model has been generated to represent one flange angle of the test connections; the load-displacement relationship predicted by the model has been compared to the results of a double angle pull test conducted as an extension of the test program.

As a consequence of the fatigue failures exhibited by the connection elements in the initial test program, a series of constant amplitude cyclic tests was conducted in the present study to establish bench-mark strain based fatigue life curves for bolted connections of varying stiffness. Fatigue lives on the order of 10^{1} to 10^{3} cycles to failure were considered in this phase of the study. Besides the constant amplitude tests, two specimens were subjected to several blocks of full reversal, controlled displacements of progressively decreasing magnitude for comparison with the low-to-high amplitude block loadings examined in the initial study.

From the constant amplitude cyclic tests, a linear log-log relationship between fatigue life and a generalized flange angle rotation parameter has been established for the low cycle, strain based fatigue tests considered in the investigation. A similar relationship, between fatigue life and hysteretic energy absorbed per test cycle, has also been developed. The empirical relationships established by the constant amplitude fatigue tests have been applied to a linear fatigue damage accumulation model to predict the behavior of the specimens subjected to the variable amplitude cyclic loadings. In addition,

the total hysteretic energy accumulated at the connections under both constant amplitude and variable amplitude cyclic loading has been examined.

As a final phase of the present investigation, a pilot study was conducted using connections comprised of top and seat angles welded to the beam flanges and bolted to the supporting column, together with web angles also welded to the beam and bolted to the column. The results of two static tests, using connections framed to W14X38 beam sections, are reported.

1.3 Acknowledgements

The tests reported in this study are from an investigation conducted in the Department of Civil Engineering at the University of South Carolina, Columbia, South Carolina. The experimental data and analytical studies represent a compilation of the results obtained during both an initial investigation (Grant No. 79-23520) and the present study (Grant No. CEE-8115014) under support by the National Science Foundation. Any opinions, findings, and conclusions or recommendations expressed in this document are those of the authors and do not necessarily reflect the views of the National Science Foundation.

The investigations were conducted under the supervision of Dr. J.B. Radziminski, Professor, and Dr. J.H. Bradburn, Associate Professor, of the Department of Civil Engineering. The latest test program and associated research studies were conducted by A. Azizinamini, with assistance from F. Farley, J. Rabley, and W. Harper, Research Assistants in Civil Engineering. Guidance concerning the scope of the investigation, provided by Dr. J.B. Scalzi of the National Science Foundation, is gratefully acknowledged.

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II. DESCRIPTION OF TEST PROGRAM

2.1 Materials

The material for all of the test specimens, including beam sections, stub columns, and framing angles, was specified to be ASTM A36 steel, supplied by two local fabricators. The mechanical properties obtained from selected coupon specimens for material supplied by each of the fabricators is given in Table 2.1. For the all-bolted specimens, the beam-column connections were made using either 3/4-inch diameter or 7/8-inch diameter ASTM A325 heavy hex high-strength bolts, and A325 hardened washers. For the combined bolted-welded test specimens, welding of the top and seat angles, and of the web angles, to the beam sections was accomplished using AWS E70 electrodes. No tests of the mechanical properties of the bolts or the filler metal were conducted.

2.2 Description of Test Specimens

The specimens consisted of a pair of beam sections attached to a centrally positioned stub column using the particular flange and web angles to be investigated in a given test. The connections contained top and seat angles bolted to the flanges of the supporting stub column, together with double web angles bolted to the column flanges. For the all-bolted specimens, the flange and web angles were connected to the beam sections using the same diameter bolts as those used in the connection to the column flange. In the combined bolted-welded specimens, the top and seat angles were attached to the beam flanges by continuous longitudinal and transverse fillet welds (with returns on the end of the beam); the double web angles were similarly welded to the web of

the beam.

Two beam sizes, W8X21 and W14X38, have been used throughout the testing Each of these sections has a flange width to thickness ratio of 6.6, program. typical of that encountered in building applications. For the W14X38 sections, the overall test beam length was 20 feet, and for the W8X21 sections, 12 feet, so that the span-to-depth ratios were slightly less than 20 in each case. The stub column for the W8X21 beams was a W12X58 section, and a W12X96 column section was used with the W14X38 beams. Heavy column sections were selected to eliminate column panel zone distress as a contributing behavior factor, thereby confining the moment-rotation interaction to the connection elements. It is noted here that the same stub column sections were used repeatedly throughout the testing program without exhibiting any evidence of inelastic behavior. The general configurations of typical test members using the 14-inch and 8-inch deep beams are shown in Figures 2.1a, and 2.1b, respectively.

The web angles were centered on the beam web and proportioned initially for shears equal to 1-1/2 times the end reactions the member would experience at its A.I.S.C. allowable uniform load as a simply supported beam with a span equal to the length of the test beam (64). The lightest web angles used would thus be adequate, also, for shear forces corresponding to the increased loads that would be permitted if end connections had been used that were capable of developing one-half the beam allowable moment at working load.

The top and bottom flange angles were of the same size in a particular test specimen. Because the connections were to experience moment reversals, it was felt that a symmetric arrangement would reduce the parameters influencing the moment-rotation behavior, yet still represent a realistic design configuration. For each of the two beam sizes, three different thicknesses of the top and bottom angles were tested. Initial angle thicknesses were selected

approximmately equal to the flange thickness of the beam being supported. It was reasoned that these sizes, together with the use of standard gages in the legs of the angles attached to the column flange, would provide the bending flexibility required of semi-rigid connection response. At the same time, the connections would be expected to exhibit sufficient moment capacity (and energy absorption capability) to contribute significantly to the resistance of a structural frame subject to earthquake induced loads.

The details of the connection angles used to frame the W14X38 and W8X21 beams to the stub columns are shown in Figures 2.2a and 2.2b, respectively (all-bolted specimens), and in Figure 2.3 (combined bolted-welded specimens). For the W14X38 beam tests, 3/8-inch, 1/2-inch, and 5/8-inch thick top and seat angles were used; these angles were of 5/16-inch, 3/8-inch, and 1/2-inch thickness for the W8X21 beam tests. For the 14-inch deep beams, the bolt diameter (3/4-inch and 7/8-inch), and the length and thickness of the web angles were varied for the static moment-rotation parameter studies. In addition, the length of the flange angle, and the gage and bolt spacing on the leg attached to the column flange were varied in one static test series of W8X21 beam specimens. Dimensions of the various connection elements are presented in the test specimen schedules, Tables 2.2 and 2.3 (all-bolted specimens using 3/4-inch and 7/8-inch diameter bolts, respectively), and Table 2.4 (combined bolted-welded test specimens).

Bolting of the connection elements was accomplished with an air wrench using the standard turn-of-the-nut method.(64) A325 flat hardened washers were used under the turned elements in all of the connections. The holes were all of standard size, 13/16-inch diameter for the 3/4-inch diameter bolts, and 15/16-inch diameter for the 7/8-inch diameter bolts.

Welding was accomplished using the shielded metal-arc process by a local

steel fabricator in accordance with standard welding practice. All of the connection angles were welded to the beam sections in the fabricator's shop; the combined beam-connection assemblies were then delivered to the testing laboratory for bolting to the stub column by project personnel.

2.3 Testing Equipment and Test Procedures

A pair of duplicate specimens was tested simultaneously by framing the beams into a centrally loaded stub column using the arrangement shown schematically in Figure 2.4. The beam sections are supported at the ends by roller-type seats located at the beam mid-depth, and designed to allow longitudinal movement so that no direct axial forces would be introduced as the specimen deflects. The height of the beam supports is adjustable to accomodate the mounting of beams of different depth in the structural loading frame; photographs of the supports are shown in Figure 2.5.

Adjustable roller-type guides were used to ensure vertical movement of the stub column and, consequently, to prevent torsional displacements at the beam-column interface. The guides are comprised of rollers mounted on channels attached to the top and bottom of the stub column; the rollers ride against the flanges of the actuator supporting columns of the main structural loading frame. Photographs of the roller guides are shown in Figure 2.6. The rollers were oiled and checked periodically to permit freedom of movement in the vertical direction along the loading frame support columns. Photographs of the complete test set-up, including loading frame, beam supports, and roller guides are shown in Figures 2.7 and 2.8.

A 55 kip, servo-controlled, hydraulically actuated ram was used to apply load to the test members through the stub column, Figure 2.4. Local monitoring

of the actuator displacement was accomplished through an X-Y plotter. In addition, the output data from the various measuring devices, described later, were transferred directly to the College of Engineering VAX 11/780 computer system for subsequent retrieval and graphic display; the basic elements of the recording system are illustrated schematically in Figure 2.9.

Using the test arrangement and loading system illustrated in Figure 2.4, the connections were subjected to combined shear and bending moment. For both the static and cyclic tests the controlled input variable was the rate and magnitude of actuator movement and, correspondingly, the displacement of the stub column. Displacement control was imposed to avoid the possibility of instantaneous collapse of the test member should complete separation occur in any of the connection elements during testing.

2.3.1 Static Tests

For each of the all-bolted static test specimens, the beam sections were first mounted in the end supports and then bolted to the stub column, which had been blocked in the loading frame to effect a centered, level member. The erection sequence proceeded as follows. For each beam size the actuator load cell was initialized to a load equal in magnitude and opposite in sense to the total weight of the specimen (beams plus stub column) less one-half the weight of the beams. Having thus established the initial load cell reading, the actuator was next attached to the top of the stub column. The bolts were then loosely inserted in all of the connection elements. Power was supplied to the actuator to maintain the specimen in a level position as the supporting blocks were removed from beneath the stub column. The bolts in the legs of the angles attached to the column flanges were then tightened, followed by tightening of

the remaining bolts in the angle-to-beam connections. At this point the load on the specimen caused by fit-up (recorded by the load cell) was removed by adjusting the position of the stub column. Thus, the average static moment at the beam-column interface, resulting from the erection operations, was essentially null. This established the point of origin for the subsequent load-displacement (and moment-rotation) plots; the static moments thereafter calculated from the load-cell output thus excluded the weight of the specimen from the measured moment-rotation response of the connection. (The same installation and load initialization procedure was used for the bolted-welded test specimens except, of course, that erection consisted only of bolting the connection angles to the stub column, the angles having been previously shop welded to the beam sections).

It should be noted that, as a result of member configuration tolerances, slight misalignment of the connection elements, and welding distortions, local residual stresses were introduced during the erection operations. All specimens were prepared by area fabricators using standard shop practice, so that the fit-up stresses would be of the order encountered during normal field erection.

For a select number of test specimens, strain gages were mounted on both faces of the leg of the top flange angle attached to the column to determine local strains introduced during the bolting operation, and to monitor the surface conditions as testing progressed. In addition, for all tests, LVDTs were mounted to each flange of the beam sections on either side of the stub column, and seated against the flanges of the column. The device used to seat the LVDT probe and to accomodate the rotations developed during a test is illustrated in Figure 2.10. The data from a pair of LVDTs mounted on one beam section were used to determine the angle of rotation of the connection as testing progressed. The LVDT data were compared, also, to rotations calculated

from the actuator displacement readings.

Besides the direct strain measurements and LVDT displacements, light gage aluminum channel-shaped devices with attached strain gages were used to detect slip between the top and bottom flange angles and the elements to which they were connected. These devices (slip monitors) were intended only to record the presence of major slip, not the magnitude thereof.

After a specimen had been mounted in the loading frame and the displacement-measuring devices attached, the test was undertaken using an actuator displacement rate of 1.0 in./min. for the 14-inch deep beams, and 0.75 in./min. for the 8-inch beams (except for specimen 8S7, for which a rate of 1.0 in./min. was used). The upward (downward for specimen 8S4) movement of the actuator (and stub column) was continuous, with load, displacement, LVDT, strain gage, and slip indicator output each being sampled two times per second. In addition, the actuator load and displacement were recorded locally on an X-Y plotter to allow continuous visual monitoring of the system behavior. A test was concluded when the actuator displacement reached 4 inches for the 20-foot long W14X38 beam specimens, and 3 inches for the 12-foot long W8X21 beams.

2.3.2 Cyclic Tests

The preparation and installation of the specimens in the cyclic tests was the same as that used for the static loading, described above. During mounting of a test member in the loading frame, the initial load setting was established to exclude the contribution of the weight of the specimen to the static moment at the connection in the manner described above for the static tests. In addition, the same arrangement of LVDTs and slip monitors as in the static tests was employed for measuring joint rotations and determining slip in the flange

angles, respectively.

2.3.2.1 Low-to-High Amplitude Block Tests

For the low-to-high amplitude cyclic tests, Figure 2.11a, an initial range of actuator displacement of 0.4 inches (0.2-inch amplitude) was selected, approximately 10 percent of the total displacement used in the static tests of the 14-inch beams. The initial displacement amplitude was intended to produce a hysteresis loop representing minimal non-linear response (estimated from the corresponding static moment-rotation curves). In all tests, the full range of controlled displacement was set to provide equal displacement amplitudes about the initial horizontal beam position. Full reversal of displacement was chosen to provide the symmetry required for comparison of test data from beams of different depths, and to approximate the reversals that might be exhibited under extreme conditions during seismic loading.

For the specimens tested in the initial study (using 3/4-inch diameter bolts), the first displacement cycle in each test was applied sinusoidally using a frequency of 0.10 Hz. This relatively slow rate of actuator movement was selected to allow visual monitoring of the load- displacement relationship, to ensure that the strain and displacement measuring devices were recording properly, and to check the alignment of the lateral support devices. Additional individual cycles were then applied using a frequency of 0.10 Hz or 0.25 Hz until a stable hysteresis loop was established; usually this occurred within a few cycles after the initial cycle had been run. To complete the sequence, ten additional cycles were applied continuously at a frequency of 0.25 Hz, so that a total of 12 to 15 complete cycles were normally imposed at one displacement amplitude. The displacement range was then increased to 0.8 inches and the above procedure repeated; i.e., several individual cycles followed by a continuous run of 10 cycles at 0.25 Hz. Each sequence was followed by an increase of 0.4 inches in the displacement range and the process repeated, resulting in displacement-time histories typified by the block arrangement illustrated in Figure 2.11a.

For the specimens tested in the current investigation (using 7/8-inch diameter bolts), a constant test frequency of 0.25 Hz was used at each displacement amplitude. Otherwise, testing followed the same procedure as that described in the previous paragraph for specimens tested in the initial study.

2.3.2.2 High-to-Low Amplitude Block Tests

The high-to-low amplitude cyclic tests, Figure 2.11c, were intended to follow basically the reverse time-displacement histories as those imposed in the low-to-high amplitude tests, for specimens of duplicate geometry. However, for one of the specimens tested under these conditions, 8B1, fatigue cracking was not as extensive, at the conclusion of the intended block history, as that exhibited by the corresponding low-to-high test specimen, 8C3. Thus, to complete the testing of specimen 8B1, the displacement amplitude was again increased to the same magnitude, 1.2 inches, as that of the first block of cycles in the sequence. The fatigue crack then grew considerably larger during the first cycle of the higher amplitude, and the test was stopped.

The other specimen tested under the high-to-low amplitude history, 14Bl, exhibited appreciable fatigue cracking during the first block of imposed cycles; the cracks continued to grow, albeit at a reduced rate, during the remainder of the test. Testing of specimen 14Bl was concluded after five blocks of loading at decreasing displacement amplitudes (compared to nine plus blocks sustained by

its companion specimen, 14C3), due to the presence of extensive cracking in two of the beam flange angles.

2.3.2.3 Constant Amplitude (Fatigue) Tests

The constant displacement amplitude cyclic (fatigue) tests, Figure 2.11b, were conducted at a frequency of 0.25 Hz (with some exceptions, as noted in the tables in which the fatigue test data are reported). For several of the specimens, a number of "half" cycles (displacement excursions from the null position to the maximium displacement amplitude and return) were applied before proceeding with the full reversal test cycles. This was done to apply several initial cycles of tensile strain to the top flange angles in an effort to promote the initiation of fatigue cracking first in those angles, so that the subsequent crack propagation could be easily monitored with the specimens mounted in the testing machine. It should be noted that fatigue cracking did initiate first in the top flange angles to which the half cycles had been applied before continuing with the full reversal cycles.

All of the cyclic tests were terminated when observed fatigue cracking had progressed partially across the face(s) of one or more of the flange angles at the toe of the fillet (see following discussions of test results). No test was extended to the point of complete fracture of a connection element.

III. EXPERIMENTAL INVESTIGATION

3.1 Static Tests

3.1.1 Scope of Investigation

Eighteen all-bolted specimens tested in the static were test investigations, eleven in the initial study (63), and seven in the current program. In addition, two combined bolted-welded members were tested in the latter investigation. The purpose of this phase of the study was twofold: (1)to quantify the static moment-rotation behavior of the semi-rigid beam-column and (2) to identify and measure the effect of various geometric connections: parameters on the connection behavior. The static tests were intended, also, to serve as a frame of reference against which the cyclic hysteresis behavior of the connections could be compared.

The geometric variables that were altered in the parametric study included: the depth of the beam sections (W8X21 and W14X38 sections), the thickness and length of the top and bottom beam flange angles, the gage and spacing of bolts in the leg of the flange angles connected to the column flange, the bolt diameter (3/4-inch and 7/8-inch), and the thickness and length of the web angles.

3.1.2 Test Results

Summaries of the test results for the static test investigations are presented in Table 3.1 (bolted specimens, 3/4-inch diameter bolts), Table 3.2 (bolted specimens, 7/8-inch diameter bolts), and Table 3.3 (bolted-welded specimens). Details of the corresponding specimen geometries are reported in Tables 2.2, 2.3, and 2.4, respectively.

Tables 3.1-3.3 include the initial stiffness of the connections (initial slope of the moment-rotation curve). The slope was measured tangent to the moment-rotation $(M-\phi)$ curve at the origin as the derivative of a second degree polynomial fit through the first several data points. The tables also list: (1) the slope and intercept moment of a secant line from the origin and intersecting the M- ϕ curve at a rotation of 4.0X10⁻³ radians; and (2) the moment, and the slope tangent to the $M-\phi$ curve at 24×10^{-3} radians, a rotation achieved in all of the static tests. Although the latter slope offers a measure of the degradation of connection stiffness as the applied moment increases, it should not be interpreted as a constant or final slope for a specific connection. In some tests, the connections continue to "soften" as the moment increased, never actually reaching a constant $M-\phi$ slope at the conclusion of loading. The tangent slope at the rotation of 24×10^{-3} radians does, however, allow comparisons to be made among the various connections at a common point, as well as quantifying the degree of connection softening in a particular test. Similarly, the secant slope offers an additional indication of the early stiffness of the connection. In some respects the secant slope may be more representative than the initial tangent slope, because the latter is highly sensitive to any irregularities in the first few data points from which it was calculated.

The moments reported in Tables 3.1-3.3 (and the figures to follow) were calculated directly from the actuator load cell readings. To obtain the corresponding ϕ values, initially the displacements measured by the LVDTs mounted to each flange of the beam were converted to relative rotations between the flange of the stub column and the end of the beam. The rotations were also

independently calculated using the actuator displacement and the beam span by considering rigid body movement of each beam segment and correcting for elastic curvature from bending of the beam. Because of the high stiffness of the stub column, and the transfer of load in friction between the connecting elements (except for the slip encountered in three tests) the beam did rotate essentially as a rigid body with respect to the column flange, which was maintained in a vertical position by the lateral support system.

A typical comparison of the M- ϕ relationship obtained from LVDT data with the results obtained from the displacement measurements is shown in Figure 3.1. The curves labeled East and West represent the data from individual pairs of LVDTs mounted to the flanges of each of the two beam segments framing into the central stub column. It can be seen from Figure 3.1 that the LVDT data obtained from each of the two connections in the test member were very close, and consistent with the M- ϕ curve calculated using the actuator displacements. Consequently, the data reported in Tables 3.1-3.3, and plotted in the figures to follow, use rotations calculated from actuator displacements; the results may thus be considered to represent an "average" of the behavior exhibited by the connections attached to each face of the stub column.

For each of the static tests, the beams were observed to rotate, with respect to the stub column, by pivoting about a point near the surface of the beam compression flange, as illustrated in Figures 3.2a (bolted specimens) and 3.2b (bolted-welded specimens). The heel of the tension flange angle was observed to "curl around" the end of the beam flange in the all-bolted specimens (Figure 3.2a); however, this deformation pattern was less pronounced in the bolted-welded specimens (Figure 3.2b), as the weld return served to restrain the movement of the heel of the angle. It should be noted that the beam set-back was 1/2-inch for all of the test specimens (Figures 2.2, 2.3).

Photographs of typical deformation patterns observed in the connection flange and web angles are shown in Figures 3.3 and 3.4, respectively. With the exception of specimens 14S2, 8S2, and 8S10, post-test inspection revealed no apparent inelastic deformation in either the flanges or the web of the beams. Similarly, no distress was evident in the stub columns, because, as discussed previously, intentionally heavy sections were selected to confine the study to the response of the beams and their connection elements.

In the testing of specimen 14S2, major slip first occurred when approximately one-half the final actuator displacement had been reached. After the specimen had been dismantled, the holes in both legs of the tension flange angle and in the beam flange were elongated, as were the holes in the beam web. The plastically deformed steel formed a protruding lip on the bearing surface of each of the elements exhibiting the elongated holes. Post-test inspection of specimens 8S2 and 8S10 indicated patterns of distress in the connection elements similar to those observed in specimen 14S2.

At the conclusion of each of the static tests, there was no rupture nor were there any cracks observed by visual inspection in any of the fasteners or connection elements.

3.1.3 Discussion of Static Test Results

3.1.3.1 Bolted Test Specimens

The moment-rotation curves for the tests reported in Tables 3.1 and 3.2 are plotted in Figures 3.5 through 3.15. The figures provide comparisons of the initial stiffness and non-linear connection behavior for test members in which individual geometric parameters were altered. General observations with respect

to these test results are discussed in the following paragraphs.

From practical design considerations, one of the most apparent means of increasing the initial stiffness and total moment transfer capability in a connection of the type studied is to increase the thickness of the angles attached to the top and bottom flanges of the supported beam. This flange dimension was, therefore, the principal variable investigated in both the static and cyclic test series.

Figure 3.5 presents the moment-rotation curves for two W14X38 beam specimens fastened with 3/4-inch diameter bolts, one (14S1) with flange angles of 3/8-inch thickness, and the other (14S2) with 1/2-inch thick flange angles. Both the initial stiffness and the moment developed at comparable rotations are greater for specimen 14S2. For example, at a rotation of 24×10^{-3} radians, specimen 14S2 developed a connection moment of about 950 k-in., or almost 1-1/2times the 668 k-in. moment of specimen 14S1. The rotation of 24X10⁻³ radians has been used for purposes of comparison among the test members in Tables 3.1-3.3 and in this discussion because it was a number easily reached in all of the static tests. The rotation corresponds to a deflection of approximately 2-3/4 inches for the 14-inch beam tests, or approximately four times the mid-span deflection a W14X38 beam, 20 feet long, would exhibit as a simply supported member at its A.I.S.C. allowable uniform load (assuming full lateral For the 8-inch beam tests, a rotation of 24×10^{-3} radians support). corresponds to a deflection of about 1.6 inches, four times the deflection, at allowable load, of a 12-foot long simply supported beam using the W8X21 sections. These deflections were considered to be reasonably representative of a severe ductility demand, even under seismic loading conditions.

Specimen 14S2 exhibited major slip in the leg of the tension flange angle bolted to the beam (and in the legs of the web angles attached to the beam web)

at a rotation of approximately 12×10^{-3} radians, followed by slip in the leg of the flange angle bolted to the column face at approximately 20×10^{-3} radians. For the static tests, in which the rate of actuator movement was the controlled input variable, slip as indicated in Figure 3.5 corresponds to a gradual drop in moment until bearing is achieved in the connected elements. With bearing established, the stiffness of the connection prior to slip is regained, with no anticipated permanent degradation in the capacity of the connection (barring premature bolt shear failure or tear-out in the connected parts).

The effect of flange angle thickness on the moment-rotation behavior of W14X38 beam connections using 7/8-inch diameter bolts is shown in Figure 3.6. As with the members fastened with 3/4-inch diameter bolts, the initial stiffness and the moment developed at comparable rotations increased with increasing flange angle thickness. The initial slope of the moment-rotation curve was 247×10^3 k-in./radian for specimen 1455 (3/8-inch thick angles), 286\times10^3 and 258×10^3 k-in./radian for specimens 1486 and 1489, respectively (1/2-inch thick angles), and 579×10^3 k-in./radian for specimen 1485 (3/8-inch thick angles). Similarly, at a rotation of 24×10^{-3} radians, the connection moment increased from 736 k-in. for specimens with 1/2-inch thick flange angles, and 1561 k-in. for specimens 1458, with 5/8-inch thick angles. It should be noted also that in contrast to specimen 1452, which was fabricated using 3/4-inch diameter bolts, no slip was exhibited by the 14-inch beam specimens fastened with the 7/8-inch diameter bolts.

The effect of bolt diameter on the static moment-rotation behavior of the 14-inch beam specimens is illustrated in Figures 3.7a (specimens with 3/8-in. thick flange angles) and 3.7b (specimens with 1/2-inch thick flange angles). Comparison of Figures 3.7a and 3.7b (and Tables 3.1, 3.2) shows that the initial

stiffnesses of the connections (initial slope of the M-& curve) are approximately the same for specimens with flange angles having the same Beyond the initial portions of the $M-\phi$ curves, however, the thickness. connections fastened with 7/8-inch diameter bolts developed moderately larger moments, at comparable rotations, than those fabricated using the 3/4-inch diameter bolts. For example, specimens 14S6 and 14S9 developed an average moment of approximately 1040 k-in. at 24×10^{-3} radians, compared to a moment of 947 k-in. for specimen 14S2. (Although specimen 14S2 exhibited major slip, a projection of the $M-\phi$ curve that might be expected had slip not occurred would still fall below those of 14S6 and 14S9). Similarly, specimen 14S5 developed a moment of 763 k-in. at a rotation of 24×10^{-3} radians, about 14 percent higher than the moment for specimen 14S1 at that rotation, 668 k-in.

The closeness of the initial slopes for the 14-inch beam specimens fastened with the 7/8-inch and 3/4-inch diameter bolts was not anticipated, as it was expected that the connections with the 7/8-inch diameter bolts would initially be stiffer, by developing an increased clamping force between the connected elements, by having a smaller clear distance between the bolt head (and washer) and the toe of the fillet in the angle, and by having a smaller clear distance between the two bolts on the column gage line. No explanation is offered at this time for the difference between the anticipated and observed effect of bolt diameter on initial connection stiffness for the 14-inch beam specimens (and for the 8-inch beam specimens, as discussed subsequently).

In contrast to the influence of flange angle thickness on the moment-rotation behavior of the 14-inch beam specimens, moderate changes in the size of the web angles did not as significantly affect the connection performance. Figures 3.8 and 3.9 show the effect of web angle thickness and length, respectively, on the $M-\phi$ relationships for W14X38 sections with 3/8-inch

thick flange angles. For example, increasing the thickness of the web angle by 50 percent, from 1/4-inch to 3/8-inch (specimens 14S1 and 14S4), produced a corresponding increase in moment, at a rotation of $24X10^{-3}$ radians, of approximately 25 percent, from 668 k-in. to 822 k-in. An apparently lesser influence on post-elastic moment capacity was exhibited by a change in the length of the web angles, as comparison of specimens 14S1 and 14S3, Figure 3.9, At a rotation of 24×10^{-3} radians, specimen 14S3, with web angles indicates. having a length of 5-1/2 inches, developed a moment of 652 k-in., some 17 k-in. less than the 668 k-in. moment of specimen 14S1, which had the standard 8-1/2inch long web angles. It should be noted that specimen 14S3 had the only non-symmetrical connection in the test series, with the legs of the web angles attached to the beam column stub each using two bolts placed in the upper two holes of the standard detail, Figure 2.2a. In this location, with the web angles closer to the beam tension flange, they would be expected to contribute differently to the moment transfer capability of the connection than if they had been positioned at mid-depth, closer to the pivot point of the connection. The arrangement used is of practical importance, however, in that it represents a normal positioning of web angles designed for shear transfer in beams using simple (flexible) framing.

The influence of flange angle thickness on moment-rotation behavior was examined also for the W8X21 beam specimens, the results of which are shown in Figures 3.10a, 3.10b, and 3.11. Figure 3.10a presents a comparison of the $M-\phi$ curves for specimen 8S1, with a flange angle thickness of 5/16-inch, and specimen 8S2, with 3/8-inch thick flange angles. The gage in the legs of the flange angles attached to the stub column was 2 inches, and the angle length was

6 inches in both of these specimens. The bolt diameter was 3/4 inches. Although comparison of the initial portion of the moment-rotation relationships indicated a considerably stiffer connection for specimen 8S2 relative to that of 66.7×10^3 k-in./radian), (123.4×10^3) k-in./radian vs. and 8S1 а correspondingly greater moment transfer capability, specimen 8S2 exhibited major slip in the connection elements at a rotation of approximately 16X10⁻³ radians. Unlike specimen 14S2, in which slip also occurred, specimen 8S2 did not regain nor approach the stiffness it had maintained prior to slip. The stiffness continued to degrade with continued loading, the slope of the $M-\phi$ curve reducing to only 1.5×10^3 k-in./radian at a rotation of 24×10^{-3} radians. As there were no cracks nor other geometric irregularities observed in the connection elements of specimen 8S2, either during testing or upon post-test visual inspection, no explanation is offered for the singular behavior of this specimen.

In Figure 3.10b, the moment-rotation curves for specimens 8S6 (5/16-inch flange angle thickness) and 8S7 (3/8-inch angle thickness) are compared. In these specimens, the bolt diameter was 3/4 inches, the gage in the legs of the flange angles attached to the column was 2-1/2 inches, and the angle length was 6 inches. As with the 14-inch deep beam tests, both the intitial stiffness and the moments developed at common rotations were greater for the W8X21 beam connection having the heavier flange angles. For example, the 1/16-inch increase in flange angle thickness of specimen 8S7 over that of specimen 8S6 effected a greater than 50 percent increase in moment (381 k-in. vs. 244 k-in.) at a connection rotation of 24×10^{-3} radians. As no slip occurred in either of these two tests, the comparative behavior of the two specimens, shown in Figure 3.10b, may be considered representative of similar connections framing the 8-inch deep beams.

Figure 3.11 presents a comparison of the M- ϕ curves for specimens 8S8 (5/16-inch thick flange angles), 8S9 (3/8-inch thick angles), and 8S10 (1/2-inch thick angles). For each of these specimens the bolt diameter was 7/8 inches, the gage in the legs of the flange angles attached to the column was 2 inches, and the angle length was 6 inches. Again, the initial connection stiffness and the moments at comparable rotations increased with increasing flange angle thickness. At 24×10^{-3} radians, the connection moment developed in specimen 8S8 was 380 k-in., increasing to 423 k-in. in specimen 8S9, and 634 k-in. for specimen 8S10. It may be noted, also, that specimen 8S10 exhibited major slip at 5.3×10^{-3} radians; this specimen had the thickest flange angles, 1/2 inch, of all the W8X21 beam members. (It was also the only specimen fastened with 7/8-inch diameter bolts that exhibited slip in either the static or cyclic test series.) Specimen 8S10 was similar to 14S2 in that it was able to regain, after slip, the stiffness it held just prior to the occurrence of the slip (c.f., Figures 3.5 and 3.11).

The effect of bolt diameter on the moment-rotation behavior of the 8 inch beam specimens is illustrated in Figures 3.12a (specimens with 5/16-inch thick flange angles) and 3.13b (specimens with 3/8-inch thick flange angles). As with the 14-inch beam specimens discussed previously, there were no consistent, significant differences in the initial stiffnesses of the specimens fabricated using the two bolt sizes. In fact, the initial slope of the M- ϕ curve for specimen 8S2, with 3/4-inch diameter bolts (123.4X10³ k-in./radian), is greater than that of specimen 8S9, 104X10³ k-in./radian, which had 7/8-inch bolts as the fasteners. It should be noted, again, that the behavior of specimen 8S2 is somewhat of an anomaly, in that it was the only specimen, of all of those tested under either static or cyclic loading, that did not regain a positive slope to the moment-rotation curve after slip occurred. Thus, comparison of the moments developed at either $4X10^{-3}$ or $24X10^{-3}$ radians cannot be significant for these two specimens. Additional data, including tests of specimens with a greater range of flange angle thicknesses, are needed before the relative effect of bolt diameter on connection behavior can be better quantified.

The effect of varying the gage in the leg of the flange angle attached to the column flange was examined in the W8X21 beam test series. With an angle thickness of 3/8 inch, gages of 2, 2-1/2, and 4-1/2 inches were used in specimens 8S2, 8S7, and 8S4, respectively. The bolt diameter was 3/4 inches for each of these specimens. To accommodate the 4-1/2 inch gage in specimen 8S4, a 6X6X3/8 angle was used in place of the smaller 6X3-1/2X3/8 and 6X4X3/8 angles used in the other two specimens. Specimens 8S1 and 8S6, with flange angles of 5/16-inch thickness, had gages of 2 inches and 2-1/2 inches, respectively. Complete details of the dimensions for these specimens are presented in Table 2.2.

The static test results for these five specimens are summarized in Table 3.1. For the two members having 5/16-inch thick flange angles, the moment-rotation curves are plotted in Figure 3.13a; the curves for the three specimens with flange angles of 3/8-inch thickness are compared in Figure 3.13b. As expected, changes in flange angle gage had a pronounced effect on both the initial slope of the M- ϕ curve, and on the moment capacity of the connection at large displacements. For example, with the 3/8-inch thick flange angles, the initial connection stiffness decreased from 123.4X10³ k-in./radian to 15.3X10³ k-in./radian as the angle gage was changed from 2 inches to 4-1/2 inches (specimens 8S2 and 8S4). Specimen 8S7, with a gage of 2-1/2 inches, exhibited an initial M- ϕ slope of 48.0X10³ k-in./radian, intermediate in stiffness between those of the other two members. At a rotation of 24X10⁻³.

radians, specimen 8S7 achieved a moment of approximately 380 k-in., more than twice the 165 k-in. moment of specimen 8S4 at that rotation. It should be noted again, that specimen 8S2 sustained slip at about $16X10^{-3}$ radians, after which its moment-rotation curve reduced to a slope of only $1.5X10^{3}$ k-in./radian at a rotation of $24X10^{-3}$ radians. This behavior is not considered indicative of the performance expected of the connection had slip not occurred; consequently, comparison of specimen 8S2 with the other two members at large displacements is not appropriate.

The two connections with 5/16-inch flange angles exhibited the same relative response as those with 3/8-inch angles; i.e., decreasing the gage results in an increase in initial connection stiffness and subsequent moment capacity at large displacements. For specimen 8S1 (2-inch gage), the initial slope of the M- ϕ curve was 66.7×10^3 k-in./radian, almost double the 39.5×10^3 k-in./radian slope for specimen 8S6 with a 2-1/2 inch gage. Similarly, at a connection rotation of 24×10^{-3} radians, specimen 8S1 developed a moment of 329 k-in., significantly higher than the 244 k-in. moment in specimen 8S6.

For the W8X21 beam sections, the effect of changing the length of the flange angle was examined. As indicated in Table 2.2, with all other connection dimensions remaining the same, a flange angle length of 6 inches was used for specimen 8S1, and a length of 8 inches used for specimen 8S3. The one-third increase in flange angle length resulted in a corresponding increase of about one-third in the initial connection stiffness $(104.7X10^3 \text{ k-in./radian vs.} 66.7X10^3 \text{ k-in./radian})$, and the development of higher moments at large displacements (422 k-in. vs. 329 k-in. at a rotation of 24X10⁻³ radians). The complete moment rotation curves for specimens 8S1 and 8S3 are plotted in Figure 3.14.

Finally, in Figure 3.15, a comparison is made between a W14X38 section

specimen (14S1) and a W8X21 specimen (8S5) in which the dimensions of all of the connection elements were the same except for the length of the web angle (8-1/2 inches for 14S1, and 5-1/2 inches for 8S5). As seen from the M- ϕ curves of Figure 3.15 and the data recorded in Table 3.1, the initial slope of the moment-rotation curve is increased significantly, from 76.7X10³ k-in./radian to 195.0X10³ k-in./radian, for the W14X38 specimen in comparison to the W8X21 member. Similarly, the moment developed at 24X10⁻³ radians was 668 k-in. for specimen 14S1, about double the 337 k-in. moment of specimen 8S5. The increase in initial connection stiffness and moment development capability are to be expected, as the deeper beam section provides, at comparable rotations, a larger displacement of the tension flange angle (and larger force in the angle) together with a larger moment arm from the position of the tension flange.

3.1.3.2 Bolted-Welded Test Specimens

The moment-rotation curves for the two bolted-welded test specimens are shown in Figure 3.16. Numerical values for the initial slope, secant slope at 4.0×10^{-3} , and slope at 24×10^{-3} radians are presented in Table 3.3, together with the moment developed at both 4.0×10^{-3} and 24×10^{-3} radians. As expected, specimen 14WS2, fabricated using 1/2-inch thick flange angles, exhibited the larger initial stiffness, and developed larger moments at comparable rotations than did specimen 14WS1, which had 3/8-inch thick flange angles.

Comparison of the data in Table 3.3 for the bolted-welded specimens with the test results for comparable all-bolted specimens 14S5 (3/8-inch flange angle thickness; 7/8-inch bolt diameter), and specimens 14S6 and 14S9 (1/2-inch thick angles, 7/8-inch bolt diameter) indicates that the initial stiffnesses of the bolted-welded specimens are somewhat higher than those of the all-bolted specimens (Table 3.2). This may be attributed to the greater restraint against movement of the heel of the angle at the end of the beam flange in the welded elements, as illustrated in Figure 3.2. The weld return, together with the continuous longitudinal fillet welds connecting the top and seat angles to the beam flange, did not permit the angles the freedom to curl around the beam end (as in the all-bolted specimens) in accommodating the rotations between the end of the beam and the flange of the column. The greater restraint thus imposed by the welded connection resulted in a larger initial stiffness for those specimens in comparison to the all-bolted members, where greater relative movement was more easily achieved.

In addition to the higher initial stiffnesses, the bolted-welded specimens developed moderately larger moments than those in the bolted specimens at comparable rotations. For example, specimen 145W2 developed a moment at 1235 k.-in. at 24×10^{-3} radians, almost 20 percent larger than the approximately 1040 k.-in. average moment for specimens 1456 and 1459. Similarly, specimen 145W1 developed 923 k.-in. at 24×10^{-3} radians, compared to 763 k.-in. for specimen 1455 at that rotation. However, because only two specimens fabricated in the bolted-welded configuration were tested in this study, the above observations should be considered preliminary, and not necessarily indicative of the relative performance of the welded specimens with respect to the all-bolted specimens when a more complete range of section depths, and flange and web angle sizes are considered. Such tests have been proposed as part of the continuation of the current investigation.

The summary of the static tests in the following section, 3.1.4, refers to the behavior of all-bolted test specimens; generalizations regarding the

performance of the combined bolted-welded specimens were not considered appropriate from the limited data available at this time.

3.1.4 Summary of Static Test Results

For all of the specimens tested in the static test series, the connections exhibited a moment-rotation response which becomes non-linear relatively early in the loading sequence. This non-linearity is contributed to, in part, by local yielding and eventual plastic hinge formation at each toe of the fillet in the flange angle attached to the tension flange of the beam. Another hinge develops in the vicinity of the bolt line in the leg of the flange angle attached to the column, together with progressive plastic hinging in the outstanding legs of the web angles. It is of interest to note, however, that each of the connections developed a moment greater than two times the capacity that would be predicted by simple plastic hinging mechanisms in the leg of the web angles; further analysis of this post-elastic connection response is presented below.

Inspection of Figures 3.5 through 3.15 shows that each of the test specimens (with the exception of specimen 8S2) was able to develop increasing moments through the full range of rotations imposed during the test. In fact, a nearly constant or slightly decreasing positive $M-\phi$ slope was observed during the latter stages of loading for these static test specimens. It is believed that this nearly constant stiffness at large deformations can be attributed to, in part, to material strain hardening, and to the consequences of significant changes in the geometries of the connecting angles. The increasing deflection of the tension flange angle at large connection rotations produces a continuous

change in the internal force distribution in the legs of the angle, with axial tension becoming an increasingly larger factor (relative to bending) as the angle progressively "flattens out." A gradual transition from a predominantly flexural to a combined flexural-axial response in the tension flange angle, with the accompanying strain hardening, can thus be expected to contribute to the ability of the connection to achieve a considerably greater moment capacity than that predicted by a simple plastic hinge mechanism, as noted above.

From the static tests, was been found that the geometric parameters that most significantly affect the static moment-rotation performance of the semi-rigid connections investigated were: the depth of the beam section to which the connection elements were framed; the thickness of the flange angles; and the gage in the leg of the flange angles attached to the column flange. Although the data are inconclusive, it appears that bolt diameter has a minimal effect on the initial stiffness of the connections; however, increasing the bolt diameter effects a corresponding increase in moment capacity at large rotations (beyond about $4X10^{-3}$ radians). Variations in the length of the flange angles, and in the length and thickness of the web angles, had a less pronounced effect on connection response than the other parameters listed above.

Analytical models proposed in the initial investigation (63) to predict the initial stiffness of the semi-rigid connections have been applied to the specimens tested in the current study. Comparisons of the predicted stiffnesses with the experimental data from the static test investigations are presented in Section 4.1. Further, using the results of the parametric study, a semi-empirical analytical model has been developed to generate complete non-linear moment-rotation curves for the connections; the results of this phase of the study are reported also in Section 4.1.

3.2 Cyclic Tests

3.2.1 Scope of Investigation

The purpose of this phase of the investigation was twofold: (1) from the variable amplitude cyclic tests, to quantify the cyclic moment-rotation behavior of the semi-rigid beam-column connections; and (2) from the constant amplitude cyclic tests, to obtain base-line fatigue data for connections of varying stiffness. The objectives of the variable amplitude tests have been to determine energy absorption capabilities under complete reversal of moment, and to qualitatively describe the characteristics of the attendant hysteresis loops. From the constant amplitude tests, fatigue life relationships have been developed for application to appropriate cumulative damage models for predicting total fatigue lives of connections subjected to variable amplitude displacement histories. The fatigue tests have served, also, to provide additional data from which the total energy absorption capacities of connections of varying stiffness could be evaluated.

The intent of the cyclic tests was to examine the connection response to moment reversals, not the behavior of a complete subassemblage under seismic loading. Consequently, the rate of loading in the cyclic tests was "quasi-static," and was not intended to suggest that the loading would be the direct result of actual earthquake induced ground motions.

3.2.2 Variable Amplitude Block Tests

Seven specimens were tested under the low-to-high amplitude block displacement histories; the geometric parameters that were varied in this test series included the beam depth (W14X38 and W8X21 sections), the flange angle thickness, and the bolt diameter. Two specimens were tested under high-to-low amplitude block histories; one was an 8-inch beam connection, the other was a W14X38 beam connection. Details of the test specimens are reported in Tables 2.2 and 2.3; the testing procedures are described in Section 2.3.2.

3.2.2.1 Test Results

As discussed previously, all of the cyclic test specimens were subjected to complete displacement reversal to facilitate comparison of the hysteresis loops generated for beams of different depth. The tests were terminated when observed fatigue cracking had progressed partially across the faces of the flange angles. No test was extended to the point of complete rupture of a connection element. No slip was observed during the cyclic tests.

Figure 3.17a shows front and rear views of a top flange angle from specimen 14Cl after the test was stopped. It can be seen that cracking had progressed over most of the width at the toe of the fillet in the leg bolted to the column flange. (It should be noted that, for the majority of the cyclic test specimens, fatigue cracking initiated, in one or more of the flange angles, at the toe of the fillet in the leg bolted to the beam flange; otherwise, the appearance of the crack patterns is similar to that shown in Figure 3.17a).

After disassembly of test specimen 14Cl (and several of the other cyclic test specimens), it was discovered that significant cracking had progressed in the vicinity of the bolt hole under the washer. Although the formation of fatigue cracks had an observable effect on the load-displacement hysteresis loops, the decrease in maximum load was usually a small percentage of the maximum load for the stabilized

The permanent distortions shown in the flange and web angles of specimen 14C1, Figure 3.17b, give an indication of the large deformations experienced by the connection angles during the cyclic tests.

As mentioned previously, the specimens were intended to simulate, within reason, actual connections in situ. During the erection procedure, it would be natural to seat the beam on the bottom flange angle for support, thereby aligning the bottom angle as required at the expense of the top angle. As a consequence, the top angle would be subjected to the greater initial strains resulting from any lack of fit during the bolting procedure. This same erection sequence was followed in the test program, and is believed to explain the tendency of the top angle to form the first cracks in most of the cyclic tests. Also, the hysteresis loops tended to exhibit signs of stiffness degradation first in the negative moment region, corresponding to tension in the top flange angle.

Summaries of the cyclic test results are presented in Tables 3.4 through 3.8 for the W14X38 beam specimens, and in Tables 3.9 through 3.12 for the connections framed to the W8X21 sections. Complete hysteresis loop traces at each displacement amplitude for each of the nine test specimens are shown in Figures 3.18 through 3.26. The tables include the actuator displacement amplitude, the number of cycles imposed at each amplitude and test frequency, and the cumulative number of test cycles. For each displacement amplitude, the range of rotation (peak-to-peak) and the range of moment is given for the hysteresis loops. The area enclosed by a single hysteresis loop is given as well as the cumulative loop area. For the specimens tested in the initial study (14C1, 14C2, 8C1, 8C2) the areas of the hysteresis loops, other than for the single cycles reported in the tables, were calculated as the average of the first and last loop areas at a particular displacement amplitude and test

frequency. For those specimens investigated in the present study (14C3, 14C4, 14B1, 8C3, 8B1), the areas of all of the hysteresis loops at each displacement amplitude were taken to be the same as the single reported area for purposes of calculating cumulative hysteretic energy.

3.2.2.2 Discussion of Test Results

In the variable amplitude cyclic test series, stable hysteresis loops were maintained, for the 14-inch beam specimens, within a few cycles after a change in amplitude was imposed relative to the preceding displacement under the block-type loading. For several of the 8-inch deep beam connections, a continual, though small, softening (loss of moment) was noted for each progressive cycle at a constant displacement amplitude; however, the succeeding hysteresis loops were otherwise similar in appearance. As seen in Figures 3.18 through 3.26, the moment-rotation behavior of the connections was characterized by hysteresis loops of continually decreasing slope for relatively small displacements in the non-linear range. In contrast, the loops exhibited a moderate "pinching" effect at larger amplitudes, the degree of pinching being more pronounced in the W14X38 beam connections than in the W8X21 members. This increase in stiffness observed toward the tip of each hysteresis hoop may be attributed, in large measure, to the changing geometry of the connection during each half cycle of loading; this behavior is explained in greater detail subsequently.

As noted earlier, each of the variable amplitude cyclic tests culminated in the formation and subsequent propagation of fatigue cracks originating at the toe of the fillet in one or more of the beam flange angles. The cracks generally initiated in the region of greatest restraint against displacement;

i.e., in the region between the bolt in the leg of the flange angle attached to the column and the first bolt from the end of the beam in the leg attached to the beam flange. The tests were terminated when cracking had progressed at least partially across the face of the angle at the fillet; no tests were extended to the point of rupture of a connection element. The connections maintained ductile behavior during the full extent of the cyclic tests, and exhibited only modest loss of maximum moment from the time fatigue cracking was noticed to the termination of a test. No slip was observed during the cyclic tests, nor was there any local buckling of the connection elements.

Discussion of Moment-Rotation Hysteresis Loops

The shape of the hysteresis loops for the cyclic test specimens can be described in terms of the changes in the geometry of the connection as the moment is reversed. Consider one half of a typical loop, shown as a solid line in Figure 3.27. Point 1 in Figure 3.27 corresponds to one extreme of the actuator movement (Point 1 in Figure 3.28, actuator displacement vs. time). The portion of the moment-rotation curve that is generated as the actuator moves from Point 1 to Point 3 can be divided into three regions based on the configuration of the connection; these regions are labeled I, II, and III in Figure 3.27.

The initial loading of the connection in a cycle, culminating in the attainment of maximum negative moment, causes the connection to assume the configuration shown in Figure 3.29a. In this configuration the beam is pivoting about a point near BFA, the current compression flange angle. The remaining connection angles are pulled away from the column flange, generating the tension forces which establish the corresponding resisting moment at the beam-column

interface. With the bottom angle in full bearing on the column flange, the stiffness of the connection is now at a relative maximum. The completion of this initial loading is indicated as Point 1 in Figure 3.27.

Reversal of the direction of actuator movement, with the specimen in the configuration shown in Figure 3.29a effects a period of essentially elastic unloading at a slope comparable to the initial slope of a statically loaded connection. This is identified as Region I in Figure 3.27.

Region II is a transition stage. During this time, the geometry of the connection is undergoing significant change. The compression force in BFA, which bears on the column face in Region I, decreases and eventually converts to a tension force as the moment is reversed; hence, the angle moves away from the column face (see Figure 3.29b).

The force in the top flange angle, TFA, changes from tension to compression in Region II, causing that angle to move toward the column face. As a result, the center of rotation of the connection moves (reflecting the redistribution of forces taking place) and eventually maintains a position near the top of the beam. During the time when both flange angles are temporarily bent away from the column face, the connection stiffness is at a minimum. The stiffness of Region II is not a constant for all loading histories. The initiation of yield in the flange angles is affected by the presence of residual stresses (and, later, fatigue cracks). The response of the connection in Region II is analogous to a rigid beam on an elastic-plastic foundation, where the foundation is represented by springs with changing stiffnesses. The relative stiffnesses of the springs depends on the magnitude of the connection rotation at the previous reversal of moment. As a result of this behavior, it is hypothesized that unloading from the central range of Region II will not be at a slope equal to that of Region I. Rather, the slope will lie between the limits established

from the Region I response and the Region II slope immediately preceding unloading. (This has not been experimentally tested in the present investigation.) The end of Region II is reached when angle TFA has folded back upon the column face in compression. The behavior of the connection in Region II occurs only in cyclic loading, and hence cannot be compared to a monotonic static test.

Region III can be considered geometrically the reverse of the configuration existing in Region I. As shown in Figure 3.29c, the compression angle in bearing against the column face is now TFA, whereas flange angle BFA and the web angles are now pried in tension from the column. The center of rotation is again stationary, located near the top flange of the beam. The change in stiffness as the configuration changes from that of Figure 3.29b to the one in Figure 3.29c can be determined by noting the difference in the slope of the moment-rotation curve. The magnitude of this change depends on the connection details, as discussed below.

Comparing the change in slope between Regions II and III in specimens 14Cl and 14C2, for example, (Figures 3.18 and 3.19, respectively), it can be seen that the change is more pronounced in specimen 14Cl. This difference can be attributed to the thicker flange angles of specimen 14C2, the web angles and bolt diameter being identical for the two specimens. Assuming the angles behave as beams, an analogy may be drawn between a span-to-depth ratio for a beam and the ratio of an "effective" gage length, $g - d_b$, to the thickness of the angle, t, for the leg of the flange angle mounted to the column flange. For specimen 14Cl, $(g - d_b)/t$ is 4.7 and, for specimen 14C2, 3.5, indicating a stiffer beam in bending for the flange angles of specimen 14C2. During the transition phase of Region II the stiffer flange angles of specimen 14C1. Thus, when

the compression flange angle goes into bearing, the <u>change</u> in stiffness is greater in specimen 14Cl than the corresponding change in stiffness of specimen 14C2. The same observations may be drawn by comparing the relative response of the other three 14-inch beam specimens, 14C3, 14C4, and 14Bl. Specimens 14C3 and 14Bl, with $(g - d_b)/t$ ratios of 3.25, exhibited very little evidence of pinching of the hysteresis loops, while 14C4, with a $(g - d_b)/t$ ratio of 4.3, exhibited perhaps a bit more prominent pinching than the other two members. (The pinching effect in specimen 14C4 was still considerably less pronounced than that of 14Cl, however, as comparison of Figures 3.18 and 3.21 indicates).

By comparing the moment-rotation curves of specimens 8Cl, 8C2, 8C3, and 8Bl, the observations of the previous paragraph are again applicable. Specimen 8Cl, with a $(g - d_b)/t$ ratio of 4.0, exhibited a more prominent change in slope from Region II to Region III than that of specimen 8C2, with a $(g - d_b)/t$ ratio of 3.3, or specimens 8C3 and 8Bl, with identical ratios of 3.0. In fact, the latter three specimens are distinguished as having exhibited almost no consistent pinching behavior at all, even at large displacements.

Connection Hysteretic Energy Capacity

The "average" hysteresis loop area at each displacement amplitude, and the total hysteretic energy accumulated at the termination of testing, is presented in Tables 3.4 through 3.12 for the nine variable amplitude test specimens. In general, for the low-to-high amplitude block tests, it was found that, with the exception of the first cycle following an increase in displacement amplitude, the hysteretic energy absorbed per cycle remained reasonably constant at each amplitude. Further, the ductile behavior of the connections was evident by the increase in hysteresis loop area with each succeeding increase in displacement amplitude (and connection rotation) through the full range of testing, even with pinching evident at the larger amplitudes.

As a consequence of the general stability of the connections at large rotations, and of the ductility of the connection elements, it is reasonable that the overall energy absorption capacities of like connections would increase directly with the depth of the beam sections to which they are attached. This is demonstrated, for example, by comparing the data for specimens 14Cl and 8C2, both of which contained 3/8-inch thick flange angles and were fastened with 3/4-inch diameter bolts. For specimen 14Cl, the total accumulated hysteresis loop area was 520 k-in., more than twice the 243 k-in. achieved by specimen 8C2.

The hysteretic energy absorption performance of the specimens framed to a particular beam section, however, exhibited limited consistency. For example, specimen 14C4, fabricated with 3/8-inch thick angles and 7/8-inch diameter bolts, developed only 345 k-in. of hysteretic energy, well below the 520 k-in. of specimen 14C1 (3/8-inch flange angles, 3/4-inch bolts). It may be noted that fatigue cracking was observed during the block of cycles applied at a displacement amplitude of 1.6 inches for specimen 14C4; these cracks thereafter propagated continuously, and the test was discontinued after nine cycles were applied at a displacement amplitude of 1.8 inches. In contrast, fatigue cracking was not observed in specimen 14C1 until the twelfth cycle at a 2.0-inch displacement amplitude, enabling the latter member to accumulate considerable hysteretic energy at the large loop areas corresponding to that displacement.

Comparison of the behavior of specimens 14Cl and 14C4 serves to illustrate the sensitivity of total hysteretic energy absorption capacity to the formation and rate of propagation of fatigue cracks in the connection elements, particularly the flange angles. Fatigue crack initiation, in turn, is influenced by such factors as surface irregularities formed during the rolling or fabrication of the connection angles, residual stresses introduced during the erection process, and concentrations of stress resulting from the restraint against movement in the area adjacent to the bolts in each leg of the flange angle. Further illustration of the dependency of energy absorption on fatigue behavior is obtained by comparison of specimens 14C3 and 14B1. Geometrically the same, specimen 14C3 was tested under low-to-high amplitude loading, with displacement amplitudes increasing in blocks from 0.2 to 2.0 inches, and accumulated a 683 k-in. total hysteresis loop area. A fatigue crack was detected during the 1.6 inch displacement amplitude block, and progressed at a moderate rate until the test was stopped during cycling at an amplitude of 2.0 inches. Specimen 14B1, in a high-to-low amplitude test, exhibited fatigue cracking during the first block of cycles at a displacement amplitude of 1.8 inches; these cracks continued to grow, although at decreased rates, as the displacements were lowered progressively to 1.0 inches. At this point, a large crack had extended to the limit permitted in the other tests, and cycling of specimen 14B1 was discontinued. The total hysteretic energy achieved was 514 k-in., about 75 percent of that for the companion member, 14C3.

The influence of fatigue crack propagation on hysteretic energy absorption is further demonstrated by comparison of the behavior of specimen 14B1 with that of specimen 8B1. Although fatigue cracks were first detected in specimen 8B1 during the first block of cycles at its largest displacement amplitude, 1.2 inches, crack retardation (temporary cessation of crack growth) was observed at succeedingly smaller displacement amplitudes. At 0.2 inches, the crack lengths were still within the limits permitted in the cyclic test series; the amplitude was then increased again to 1.2 inches, and the crack extended rapidly during the first cycle at that amplitude. The total hysteretic energy accumulated by

specimen 8Bl was 216 k-in., greater than that for its companion specimen, 8C3, (186 k-in.), which was tested under low-to-high amplitude block loading.

The consequences of fatigue crack acceleration or retardation on energy absorption capacity during variable amplitude cyclic loading are evident from the above comparisons. The differences in the crack growth rates between the low-to-high and the high-to-low amplitude tests also serve to illustrate the dependence of cyclic performance (and, correspondingly, damage accumulation models) on sequencing history as well as on amplitude of load or displacement. Thus, a linear damage rule of the form proposed by Miner (65), although simple to apply, cannot be expected to offer a consistently accurate prediction of damage accumulation for displacement histories more typical of a seismic event; this is discussed further in Section 4.3.

3.2.3 Fatigue Tests

Sixteen specimens were tested under constant amplitude cyclic (fatigue) displacement histories. The geometric parameters that were varied in this test series were the beam depth (W14X38 and W8X21 sections) and the flange angle thickness (3/8 inch and 1/2 inch for the 14-inch beam specimens, 5/16 inch and 3/8 inch for the W8X21 specimens). The bolt diameter was 7/8 inch for all specimens in this test series. Details of the test specimens are reported in Table 2.3; the testing procedures are described in Section 2.3.2.

3.2.3.1 Test Results

A compilation of the fatigue test results for the sixteen specimens is

presented in Table 3.13. The table includes the nominal chord rotation, the fatigue life, and the total accumulated hysteresis loop area for the specimens. The fatigue data for each of the specimens (except 8F6), including range of rotation, range of moment, and individual hysteresis loop area at selected percentages of the total fatigue life are presented in Tables 3.14 through 3.17. No hysteresis loop areas are available for specimen 8F6 because of a malfunction in the data recording equipment.

As discussed in Section 2.3.2.3, several of the fatigue test specimens were subjected to a number of initial "half" cycles before continuing with the full reversal displacements, in order to induce first cracking in the top flange angles, where inspection was easiest. Cracking did initiate in the top angles for these specimens, with the origin of cracking at the toe of the fillet, usually in the leg of the angles mounted to the beam flange. Fatigue "failure" was defined as the number of cycles at which the longest fatigue crack had extended over approximately three-fourths of the width of the flange angle. For some of the test specimens, this crack had grown through the thickness of the flange angle at one or more points by the time it had reached its limit length.

Complete hysteresis loop traces at selected cycles are shown in Figures 3.30 through 3.44 for the fifteen fatigue specimens for which data are available. For a few of the low amplitude tests (e.g., specimens 14F8, 14F4, and 8F2) the hysteresis loop traces shown in the figures appear somewhat erratic and non-coincidental. This is attributed to the sensitivity of the recorded data to slight self adjustments in the testing apparatus at low actuator loads corresponding to reversals in the direction of actuator movement. The irregular appearance of the tops of the hysteresis loops results from the limited number of digitized data points that could be recorded by each channel of the recording equipment, particularly in those specimens in which elastic displacements were

prevalent. In general, however, it can be seen that the hysteretic response in specimens 14F3, 14F4, and 8F2 was reasonably consistent, with only small inelastic displacements evident during each cycle, and little degradation of moment carrying capability even toward the end of a test when fatigue cracking was quite extensive.

For the specimens tested at large displacement amplitudes, and which exhibited fatique failures at the lower lives in the test program, it is apparent that the hysteresis loops were quite stable throughout each test, and that only nominal loss of moment occurred for the complete connection even toward the end of a test. Specimen 8F7, shown in Figure 3.40, typifies the response observed in the large displacement constant amplitude tests. The hysteresis loops are large and quite stable, with minor pinching evident toward the end of the loop. Note also the gradual, though rather nominal, loss of moment exhibited by the specimen toward the end of the test (N_{f} = 67 cycles). This behavior was exhibited by the fatique test specimens in spite of the fact that fatigue cracks had progressed to some depth through the thickness of the flange angle at the time they had reached the limit length at the surface. Because the crack was extending rapidly along the surface at the time testing was stopped, however, it was felt that the recorded fatigue life was very close to the total number of cycles that could be tolerated before complete rupture of one of the flange angles. The fatigue cracks were generally first visually detected as a series of fine hairline cracks which coincided with slight irregularities in the surface of the flange angle at the toe of the fillet. As cycling progressed, these individual cracks would eventually coalesce into a single crack, which then propagated more rapidly along the surface (and through the thickness, as the increasing width of the opening at the surface would indicate).

The appearance of the fatigue cracks in specimen 14F9 at 126, 136, 158, and 214 cycles is shown in Figure 3.45. Note the irregularity of the crack front, typical of that observed in all of the cyclic test specimens. Although cycle 126 is reported as the time at which a fatigue crack was first observed in specimen 14F9, the actual onset of visible cracking probably occurred slightly earlier, as the previous time the test had been stopped to examine for cracks was at 105 cycles. It should be noted, also, that the testing of specimen 14F9 was stopped at 230 cycles, at which time the crack shown in Figure 3.45 had a total surface length of about six inches.

3.2.3.2 Discussion of Test Results

The test data for the four sets of fatigue tests are plotted in Figures 3.46 through 3.49. Figures 3.46 and 3.47 present the data for the W14X38 beam specimens fabricated with flange angles of 3/8-inch and 1/2-inch thickness, The data in Figures 3.48 and 3.49 represent the W8X21 beam respectively. specimens with flange angle thicknesses of 5/16 inch and 3/8 inch, respectively. In the figures, the total fatigue lives (number of complete cycles of displacement, as identified in Figure 3.28) are plotted as a function of the total nominal range of rotation in an individual cycle, the range of rotation being calculated directly from the controlled actuator displacements. For each of the four sets of tests, the data generally are seen to follow a linear log-log relationship for the range of fatigue lives obtained. Using standard regression analysis, Manson-Coffin (66-68) type fatigue life relationships, with two empirically determined constants, have been generated for each of the four individual sets of data, and are shown in the figures.

In order to develop a single expression capable of predicting constant

amplitude specimens with fatique lives for varying geometries, а non-dimensionalized nominal flange angle chord rotation index was calculated for each of the sixteen specimens tested in this phase of the study. This chord rotation index may be considered representative, proportionally, of the surface strain in the tension flange angle of the test specimen at a particular displacement amplitude. The numerical values of the chord rotation index, R, are reported in Table 3.13 for each of the test specimens. The applicability of a relationship between R and N_{f} as a model for predicting constant amplitude cyclic life expectancies is discussed in Section 4.2, where an analysis of the cyclic test data is apresented. The efficacy of using such a fatigue life relationship as a baseline for cumulative damage assessment under variable amplitude displacement excursions is explored also in Section IV.

Tables 3.14 through 3.17 include the total hysteretic energy (summation of moment-rotation hysteresis loop areas) accumulated by each of the specimens during fatigue testing. Typical of structural elements subjected to strain-based, low-cycle fatigue loading, the total accumulated hysteretic energy for a specific type of connection was not found to be constant over the range of fatigue lives considered in the investigation. From examination of the data in Tables 3.14 through 3.17, there appears to be a general trend toward increasing total hysteretic energy accumulation at the longer fatigue lifes corresponding to the smaller per cycle loop areas. For example, with the W8X21 specimens containing 3/8-inch thick flange angles (Table 3.16), the total hysteretic energy increases from 116.6 k-in. for specimen 8F1 (tested at a 1.5-inch actuator displacement amplitude, and exhibiting a fatigue life of 10 cycles) to approximately 308 k-in. for specimen 8F2 (which was tested as a displacement amplitude of 0.5 inches, and had a fatigue life of 560 cycles). This trend is not consistent, however, as the somewhat erratic pattern of energy accumulation

in the 14-inch beam fatigue test specimens indicates (Tables 3.14, 3.15). It is apparent that additional data are required, covering a greater variety of specimen geometries, and for tests conducted over a broader range of fatigue lives, before any correlation between total energy absorption capacity and fatigue performance can be attempted. It may be noted here, however, that a linear log-log relationship between energy absorbed per cycle and fatigue life expectancy has been established for the specimens tested in this study; such a relationship offers promise as a means of predicting fatigue lives under constant amplitude testing, and as a baseline for use in damage accumulation models involving variable amplitude test excursions. The results of this analytical phase of the study are examined in Section IV.

As one element of the constant amplitude cyclic test program, it was intended that the separate stages of crack initiation and propagation be studied during each fatigue test. This turned out to be a rather formidable task because, as noted earlier, the fatigue cracks first appeared as a series of fine, hairline cracks separated from one another both along the width of the flange angle and in elevation from the toe of the fillet in the angle. These individual cracks would grow, at varying rates, until they eventually coalesced into a single, irregular crack similar in appearance to the one shown in Figure 3.45d. Beyond that point, the crack, usually not symmetrically positioned on the face of the flange angle, would extend quite rapidly to the limit length established for that test specimen. It was quite difficult, then, to define a representative crack growth history from among the several individual cracks that first appeared on the specimen surface.

The crack growth rate through the thickness of the affected flange angle was also difficult to determine. To obtain depth measurements, the fatigue test was stopped periodically with the top flange angle in the full tension position.

A 0.001-inch thick feeler gage was then inserted in the open crack to try to probe to the crack root.* The results of these measurements have been analyzed in a separate study (69), using a fracture mechanics crack growth model to predict the growth pattern. The results of that investigation are not reported here because it was felt that too few measurements were made to offer meaningful interpretations of the correlation between through-thickness crack growth and the observable surface crack growth behavior. Additional studies in this area have been proposed for consideration in a subsequent study.

^{*}Because of the complex geometries of the test members and the loading apparatus, other potential non-destructive crack size measurement techniques, such as ultrasonic inspection, were not attempted.

IV. ANALYTICAL INVESTIGATION

4.1 Static Tests

In the initial study (63) a number of analytical models were investigated for their ability to predict the moment-rotation characteristics of semi-rigid beam-to-column connections. It was determined that the initial stiffness of the connection could be reasonably predicted by a simple model which models the legs of the connecting angles as an assembly of beams. In addition, it was determined that the complete moment-rotation curve was best predicted by an empirical model which incorporates the physical and material characteristics of the connection as parameters. These models were utilized in this study in an attempt to predict the behavior of the specimens tested in the investigation. In addition to these models, a three dimensional finite element model using solid isoparametric elements was developed in an attempt to predict the moment-rotation curve for a typical connection.

4.1.1 Prediction of Moment-Rotation Behavior

4.1.1.1 Beam Model for Initial Stiffness

The initial stiffness of the connections under study is assumed to correspond to the physical behavior indicated by Figure 4.1a; namely, that the center of rotation of the connection is located at the point of contact of the bottom flange of the beam with the compression flange angle at the end of the beam. Also, it is assumed that the material is linearly elastic and that displacements are small. From these assumptions, the horizontal displacement of the heel of the top flange angle, X, (Figure 4.1a) is:

where:

 ϕ = rotation of end of beam with respect to column face

It is assumed that the vertical leg of the flange angle can be represented by "stiff" beams and "flexible" beams as shown in Figures 4.1a, 4.2a, and Figure 4.3, where:

 λ = assumed beam length, flange angle leg adjacent to column face

 M_{AB} = moment at end A of beam AB

 M_{BA} = moment at end B of beam AB

F = shear force in beam (nominal bolt force)

It is assumed that the outstanding legs of the web angles can also be represented by "stiff" beams and "flexible" beams, as shown in Figures 4.1b, and 4.2b and Figure 4.4, where:

 λ_{c} = assumed beam length, web angle leg adjacent to column face

 p_{c} = pitch, center-to-center spacing of bolts in legs of web angle

 $\Delta_i = d_i \phi(i=1,2,3)$, displacement of heel of web angle for beam i

 $d_i = distance$ from assumed center of rotation to beam i

(4.1)

$$d_1 = d/2 + (n-1)p/2$$

$$d_2 = (n-2) d/2$$

$$d_3 = d/2 - (n-1)p/2$$

 F_i = shear force in beam i

$$(M_{CD})_i$$
 = moment at end C of beam i

 $(M_{DC})_i$ = moment at end D of beam i

Neglecting the bending moment in the compression flange angle at the assumed center of rotation, and including both flexural and shear deformation, the total resisting moment of the connection is

$$M = M_{f} + M_{c}$$
(4.2)

 M_{f} = moment contributed by flange angle

 M_{C} = moment contributed by web angle

where

$$M_{C} = M_{C}(\text{stiff}) + M_{C}(\text{flexible})$$

 $M_{C}(\text{stiff})$ = moment contributed by stiff portion of web angle

 M_{C} (flexible) = moment contributed by flexible portion of web angle

Considering equilibrium of the beam shown in Figure 4.2a and using the slope deflection equations, it can be shown (71) that

$$M_{f} = \left\{ \frac{6EI_{1}D}{b^{2}(1+r_{1})} \left[\frac{2D}{b} + 1 \right] + \frac{6EI_{2}D}{B^{3}(1+r_{2})} \left[1 - \frac{2-r_{2}}{4+r_{2}} \right] (D + B) \right\} \phi$$
(4.3)

Similarly considering the beams in Figure 4.2b:

$$M_{c}(\text{stiff}) = \frac{24EI_{3}}{b_{c}^{3}(1+r_{3})} \left[d_{1}^{2} + d_{2}^{2} + d_{3}^{2}\right]\phi$$

$$M_{c}(\text{flexible}) = \frac{12EI_{4}}{B_{c}^{3}(1+r_{4})} \left[1 - \frac{2-r_{4}}{4+r_{r}}\right] \left[d_{e1}^{2} + d_{e2}^{2}\right]\phi + \frac{12EI_{5}}{B_{c}^{3}(1+r_{5})} \left[1 - \frac{2-r_{5}}{4+r_{5}}\right] \left[d_{f1}^{2} + d_{f2}^{2}\right]\phi$$

where:

$$\mathbf{r}_{i} = \frac{12EI_{i}}{A_{si}G\lambda_{i}^{2}}, \quad \mathbf{I}_{i} = \frac{1}{12}p_{i}t_{i}^{2}, \quad A_{si} = \frac{2}{3}p_{i}t_{i}, \quad i = 1,2,3,4,5$$

$$p_{1} = (no. of bolts) \times d_{w} \qquad \lambda_{1} = b \qquad t_{1} = t$$

$$p_{2} = L - p_{1} \qquad \lambda_{2} = B \qquad t_{2} = t$$

$$p_{3} = d_{w} \qquad \lambda_{3} = b_{c} \qquad t_{3} = t_{c}$$

$$p_{4} = 1/2[L_{c} - d_{w} - (n-1)p_{c}] \qquad \lambda_{4} = B_{c} \qquad t_{4} = t_{c}$$

$$p_{5} = p_{c} - d_{w} \qquad \lambda_{5} = B_{c} \qquad t_{5} = t_{c}$$

$$d_{e1} = [2d+(n-1)p_{c}+L_{c}+d_{w}]/4$$

$$d_{e2} = [2d-(n-1)p_{c}-L_{c}-d_{2}]/4$$

$$d_{f1} = d/2+(n-2)p_{c}/2$$

$$d_{f2} = (n-2)(d-p_{c})/2$$

$$n = number of bolts in beam web (2 or 3)$$

Equations 4.1 through 4.4 were evaluated for the specimens of this investigation which were tested statically. These equations were evaluated for both inclusion and exclusion of shear deformation; the results are compared in Table 4.1 with the corresponding test data. The test results presented in this table are taken from Tables 3.1 and 3.2, which include results from both the initial investigation and the current study.

4.1.1.2 Empirical Model

In the initial study (63) an empirical model was developed to predict the moment-rotation behavior of semi-rigid beam to column connections of the type investigated herein. The resulting equation is:

$$\phi = C_1(KM) + C_2(KM)^3 + C_3(KM)^5$$
(4.5)

where

- ϕ = rotation of beam with respect to column
- M = moment developed by beam to column connection

 $\kappa = P_1^{\alpha} P_2^{\alpha} P_3^{\alpha} P_4^{\alpha} P_5^{\alpha}$

$$P_1 = t \qquad \alpha_1 = -1.12808769$$

 $P_2 = d$ $\alpha_2 = -1.2870455$

$$P_3 = t_c$$
 $a_3 = -.41454097$

$$P_4 = L$$
 $\alpha_4 = -.69412158$

 $P_5 = b+t/2$ $\alpha_5 = 1.34994572$

and:

 $C_1 = .2232429 \times 10^{-4}$ $C_2 = .1850728 \times 10^{-7}$

 $C_3 = .3188976 \times 10^{-11}$

Comparisons of Equation 4.5 with the results of the test investigations are presented in Figures 4.4 through 4.18.

4.1.1.3 Three Dimensional Finite Element Model - Flange Angles

Observations from all of the static tests indicated that a major portion of the connection deformation take place in the tension flange angle. Consequently, both analytical and experimental studies were carried out to determine its deformational characteristics. Pull tests were conducted to determine experimentally the behavior of the flange angle (see Appendix B.1) and a three dimensional finite element model of the flange angle was generated to analytically determine its behavior (see Appendix B.3). The moment-rotation characteristics for both the experimental and analytical studies were determined from the force-displacement relationships by assuming that the moment is calculated by multiplying the force in the angle by the depth of the beam, and that the rotation is calculated by dividing the flange angle displacement by the depth of the beam. A comparison of the pull test data with the finite element results is presented in Appendix B; a more detailed report of this study is given in Reference 69.

4.1.2 Discussion

Comparison of the test results with the predicted initial slopes, Table 4.1, indicates that slopes predicted by Equations 4.1 to 4.4 are reasonable, although not precise. The comparison also indicates that, in general, the predicted values are too low for the thinner angles and too high for the thicker angles for specimens using both the 3/4-inch diameter bolts and 7/8-inch diameter bolts. It also appears that inclusion of shear deformation in the prediction equations produces results that are generally more accurate.

Results obtained from the three-dimensional finite element analysis (see Figure B.10) for predicting the full moment-rotation curves were encouraging. The program and model developed in this investigation produced results far more accurate than the two-dimensional or three-dimensional models developed in the initial investigation (63). This appears to indicate that material nonlinearities are more significant than geometric nonlinearities in the behavior of the flange angle. In addition, it appears that solid elements are necessary to accurately model the behavior of the flange angles. Although the

finite element analysis developed in this study is much more efficient than that of the initial study, the effort required to predict the full moment-rotation characteristics of the connections is still prohibitively large for design purposes.

Results presented in Figures 4.4 to 4.18 indicate that the empirical model, Equation 4.5, is a good predictor of the overall moment-rotation characteristics of connections of the type studied in this investigation. The equation is simple and suitable for incorporation into computer programs for design purposes or nonlinear analysis of frames with semi-rigid connections.

4.2 Fatigue Tests

4.2.1 Fatigue Life Predictions

This study employed the low cycle fatigue concept to generate baseline fatigue data in terms of two different parameters. In low cycle fatigue, the baseline fatigue data are usually expressed in terms of plastic strain. For most metals, the plot of plastic strain versus the number of cycles to failure produces a linear relationship on a log-log plot. This observation led Coffin (66, 67) and Manson (68) to propose the following equation:

$$\frac{\Delta \varepsilon_{\mathbf{p}}}{2} = \varepsilon_{\mathbf{f}}^{(\mathbf{N}_{\mathbf{f}})} \varepsilon_{\mathbf{f}}^{\mathbf{n}}$$

where

 $\frac{\Delta \varepsilon_{p}}{2} = \text{plastic strain}$ $\varepsilon_{f}^{*} = \text{fatigue ductility}$ $N_{f} = \text{total number of cycles to failure}$ c = fatigue ductility exponent

A number of researchers have concluded that if the strain at critical

locations in the structure could be measured, these measurements, together with Miner's Rule (65), baseline fatigue data, and an appropriate cycle counting method, could be used to make a reasonably good prediction of the life of structural components under random loading. Methods like that of Neuber's Rule (70) could be used to estimate local behavior if the external load is known for simple specimens. However, for complex systems such as connections, predicting strain at critical locations is not an easy task.

In order to establish baseline fatigue data in this study, four sets of constant amplitude tests were conducted, as discussed in Section III. Then, in order to develop a single expression for predicting fatigue lives for specimens of varying geometry, a parameter, R, representative of the degree of deformation in the tension flange angle, was considered. The parameter R, called the "nominal flange angle chord rotation index," is defined as

$$R = 2 \left[\frac{(d+t)\tan\phi}{g-d_w/2-t} \right]$$
(4.6)

where:

t = flange angle thickness

 ϕ = rotation of end of beam with respect to column face

 d_w = diameter of washer

g = gage in the flange angle; distance from the heel of the angle to the center of the bolt hole in the leg of the flange angle attached to the column face

Referring to Figure 4.1(a) we can write

$$\tan\phi \simeq \frac{X}{d+t}$$
(4.7)

$$\tan \alpha = \frac{\chi}{(g-t_w/2-t)}$$
(4.8)

Since one complete reversal goes through the relative beam to column rotation twice, the total chord rotation index, R, is found as

$$R = 2\tan\alpha \qquad (4.9)$$

Equations 4.7 to 4.9 are then combined to give Equation 4.6.

Figure 4.19 shows a plot of R versus the number of cycles to failure on a log-log scale for the constant amplitude cyclic tests. The least squares fit of a straight line through the data resulted in the following equation, which relates R to the number of cycles to failure, N_{f} :

$$N_{f} = 1.868(R)^{-3.2531}$$
(4.10)

At high displacement amplitudes, plastic strain is the predominant cause of energy dissipation in semi-rigid connections. In this study the amount of dissipated energy is approximated as the area of the hysteresis loop under the moment-rotation curve. To examine the effect of energy dissipation on fatigue life, the energy per cycle at approximately midlife, E, was plotted against the number of cycles to failure for all of the constant displacement amplitude cyclic tests on a log-log scale, as shown in Figure 4.20. This figure indicates that a linear relationship exists for each beam depth. Using a least squares fit, the following equations were obtained for beams of 14-inch depth and 8-inch depth, respectively:

$$N_{f} = 844.9(E)^{-1.20}$$

$$N_{f} = 298.65 (E)^{-1.2639}$$

where:

The parameter E becomes an alternative to the parameter R, so that the equations of Figure 4.20 could be considered as baseline fatigue relationships which could be used with Miner's Rule to calculate the life of a specimen under random loading.

4.3 Variable Amplitude Cyclic Tests

4.3.1 Prediction of Damage Accumulation

To predict the cumulative damage for the specimens tested under the low-to-high amplitude and high-to-low amplitude cyclic loadings, the chord rotation index, R, was calculated as described above for each test displacement. Equation 4.10 was then used to predict the number of cycles to failure, N_{f} , and the cumulative damage ratio, n/N_{f} , was calculated using the number of applied cycles, n, obtained from the test data. The results of this analysis are presented in Tables 4.2 and 4.3.

Cumulative damage in the variable amplitude cyclic tests was also predicted using energy dissipation. The average hysteresis loop area, obtained from the tests, was chosen to represent the dissipated energy, E, and Equations 4.11 and 4.12 were then used to predict the number of cycles to failure, $N_{\rm f}$. The cumulative damage was then calculated. The results of this analysis are presented in Tables 4.4 and 4.5.

Comparison of Tables 4.3 and 4.4 with Tables 4.5 and 4.6 indicates that slightly better predictions of cumulative damage are obtained using energy dissipation, E, to predict fatigue life. Predictions based on the chord rotation index, R, are seen to be smaller than those obtained using E. Additional tests are needed, however, to further refine the proposed fatigue life relationships, for application to a linear cumulative damage model, as above, or to other models appropriate to the prediction of fatigue behavior under random loading conditions. Such tests have been proposed as an extension of the present investigation.

V. SUMMARY AND CONCLUSIONS

5.1. Static Tests

In an initial investigation (63) and in the current study, a combined total 18 bolted beam to column connections were tested under monotonic loading to of generate static moment-rotation relationships. The connections consisted of top and seat angles bolted to the flanges of beam sections and a supporting stub column, together with double web angles bolted to the beam web and column ASIM A36 steel was used for the members and connection elements; the flange. fasteners were ASTM A325 high-strength bolts. Eight of the test connections were framed to W14X38 beam sections; of these, four were fastened with 3/4-inch diameter bolts, the remaining four with 7/8-inch diameter bolts. Ten connections were framed to W8X21 beam sections; seven of these were fabricated using 3/4-inch diameter bolts, the remainder with 7/8-inch diameter bolts. For the top and seat flange angles, the thickness, length, and gage (in the leg attached to the column flange) were varied, together with the beam depth and bolt diameter, to effect connections of varying stiffness. The thickness and length of the web angles were varied also.

In all of the static tests, the connections exhibited a moment-rotation response that became non-linear relatively early in the loading sequence. This is attributed, primarily, to local yielding and eventual plastic hinge formation at each toe of the fillet in the angle attached to the tension flange of the beam. Another hinge developed in the vicinity of the bolt line in the leg of the flange angle attached to the column, together with progressive plastic hinging in the outstanding legs of the web angles. Two of the specimens

fastened with 3/4-inch diameter bolts, 852 and 1452, and one specimen fastened with 7/8-inch bolts, 8510, exhibited slip in the connection angles during testing. These were the stiffer connections for each beam size, developing the larger moments (and, correspondingly, larger bolt shear forces) in each test group.

With the exception of specimens 8S2, 8S10, and 14S2, all of the test connections were able to develop continually increasing moments through the full range of rotations imposed during the tests. (The maximum rotations corresponded to deflections exceeding four times the deflection, at allowable load, of simply supported beams having the same section and span as those in the test program). During the latter period of loading, a nearly constant or only very gradually decreasing positive slope of the moment-rotation curve was exhibited by each of the specimens (except 8S2). This nearly constant stiffness at large deformations has been attributed to material strain hardening, and to the consequences of progressive changes in the geometries of the connecting angles. The increasing deflection of the tension flange angle at large connection rotations produces a continuous change in the internal force distribution in the legs of the angle, with axial tension becoming an increasing factor as the angle progressively "flattens out." The gradual transition from a predominately flexural response to a combined flexural-axial response, with the accompanying strain hardening, can thus account for the ability of the connections to achieve considerably greater moment capacities, by a factor of at least two, than those predicted by a simple flexural plastic hinge mechanism.

From the static tests, it has been found that the geometric parameters that most significantly affect the static moment-rotation performance of the semi-rigid connections investigated are: the depth of the beam section to which the connection elements are framed; the thickness of the flange angles; and

the gage in the leg of the flange angles attached to the column flange. Although the data are inconclusive, it appears that bolt diameter has a minimal effect on the initial stiffness of the connections; however, increasing the bolt diameter effects a corresponding increase in moment capacity at large rotations (beyond about 4×10^{-3} radians). Variations in the length of the flange angles, and in the length and thickness of the web angles, had a less pronounced effect on connection response than the other parameters.

An analytical model developed to predict the initial stiffness of the semi-rigid connections has been found to correlate reasonably well with the test results for the specimens considered in the investigation. The model represents the legs of the connection angles as an assembly of "stiff" and "flexible" beam elements, the stiff elements associated with the segments of the angles confined by the connecting bolts, and the flexible elements representing those segments between the bolt lines and at each end of the angles.

Using the results of the parametric test program, an empirical model has been generated to predict the complete non-linear moment-rotation behavior of the test connections. With the exception of the stiffest connections in both the W14X38 and W8X21 test series, this model offers reasonable approximations to the moment-rotation curves of the connections up to the limits of rotation examined in the test program. For the stiffest connections of each beam size, the model underestimates the moments developed at the larger connection rotations.

In a pilot study, tests were conducted of two specimens comprised of flange and web angles welded to W14X38 beam sections and bolted to the flanges of the supporting stub column. AWS E70 electrodes were used for the angle to beam welds; 7/8-inch diameter A325 bolts were used in the attachment of the angles to the stub column. For specimens of comparable geometry, the combined

bolted-welded connections exhibited higher initial stiffnesses than the corresponding all-bolted specimens. This was attributed to the greater restraint against movement of the heel of the angle at the end of the beam flanges occasioned by the presence of the weld return on the top and seat angles. In addition to the higher initial stiffness, the bolted-welded specimens developed moderately larger moments than those in the all-bolted specimens at comparable rotations. These results are considered preliminary, however, and not necessarily indicative of expected relative performances when a more complete range of section depths, and flange and web angle sizes are considered. Such tests have been proposed as part of a continuation of the current investigation.

5.2 Cyclic Tests

5.2.1 Variable Amplitude Block Tests

Nine specimens, with geometries comparable to those of the static test series connections, were tested under variable amplitude cyclic loadings. Five of the specimens were framed to the W14X38 beam sections, the remaining four to the W8X21 beams. The other geometric parameters that were varied were the bolt diameter and the thickness of the top and seat flange angles.

Seven of the specimens were tested under low-to-high amplitude block displacement histories; the other two were subjected to high-to-low amplitude block loadings. The tests were conducted using full reversal of displacement to generate data indicative of the displacement extremes to which the connections could be subjected under seismic loading. The test procedure consisted of cycling sinusoidally between controlled limits of displacement, while monitoring

the range in moment and the local displacements (rotations) developed during each cycle. The displacement-time histories followed a sequential block loading pattern, with a total of 12-15 cycles applied in each block before the amplitude was altered (increased in the low-to-high amplitude tests, decreased in the high-to-low amplitude tests).

Stable hysteresis loops were established, for the 14-inch test specimens, within a few cycles after an increase in amplitude was imposed relative to the preceding displacement under the low-to-high amplitude block loading pattern. For several of the 8-inch deep beam connections, a continual, though small, softening (loss of moment) was noted for each progressive cycle at a constant amplitude; however, the succeeding hysteresis loops were otherwise similar in appearance.

For each of the test specimens, the moment-rotation behavior was characterized by loops of continually decreasing slope for relatively small displacements in the non-linear range. In contrast, the hysteresis loops exhibited a moderate "pinching" effect at larger amplitudes, the degree of pinching being more pronounced in the W14X38 beam connections than in the W8X21 members. This increase in connection stiffness observed toward the tip of each hysteresis loop may be attributed, in large measure, to the changing geometry of the connection during each half cycle of loading. As rotation progresses, following a reversal in the direction of the moment at the connection, there is a period when both flange angles are drawn away from the column. With the connection in this configuration, the slope of the moment-rotation curve decreases as rotation proceeds. Eventually, the vertical leg of the compression flange angle folds back into full bearing on the column flange, with the connection exhibiting a concurrent increase in relative stiffness (pinching of the $M-\phi$ curve).

Each of the cyclic tests culminated in the formation and subsequent propagation of fatigue cracks at the toe of the fillet in one or more of the beam flange angles. The tests were terminated when cracking had progressed at least partially across the face of the angle at the fillet; no tests were extended to the point of rupture of a connection element. The connections maintained ductile behavior during the full extent of the cyclic tests, and exhibited only modest loss of maximum moment from the time fatigue cracking was noticed to the termination of the test. No slip was observed during the cyclic tests, nor was there any local buckling of the connection elements.

In general, for the low-to-high amplitude block tests, it was found that, with the exception of the first cycle following an increase in displacement amplitude, the hysteretic energy absorbed per cycle remained reasonably constant at each amplitude. Further, the ductile behavior of the connections was evident by the increase in hysteresis loop area with each succeeding increase in displacement amplitude, even with pinching evident at the larger amplitudes.

As a result of the general stability of the connections at large rotations, and of the ductility of the connection elements, it was found that the overall energy absorption of like connections increased directly with the depth of the beam sections to which they were attached. The hysteretic energy absorption performance of specimens framed to a particular beam section, however, exhibited limited consistency. This was attributed largely to the sensitivity of total energy absorption capacity to the time of formation, and rate of propagation of fatigue cracks in the connection elements, particularly the top and seat flange angles. Fatigue crack initiation, in turn, is influenced by such factors as surface irregularities formed during the rolling or fabrication of the connection angles, residual stresses introduced during the erection process, and stress concentrations at the toe of the fillet in each leg of the angles.

5.2.2 Constant Amplitude (Fatigue) Tests

Sixteen specimens were tested under constant displacement amplitude cyclic loading. Nine of the specimens were framed to the W14X38 beam sections, the remaining seven framed to the W8X21 beams. For each of the beam sizes, two thicknesses of the top and seat flange angles were used in the test members. The bolt diameter was 7/8 inch for all specimens in this test series. With the exception of several specimens which were initially subjected to a number of half cycles (null position to maximum displacement and return), the constant amplitude tests were conducted using full reversal of controlled displacement. The displacement amplitudes chosen resulted in fatigue lives ranging from nine to approximately 3500 cycles to "failure" (failure was defined as the number of cycles at which the longest fatigue crack had extended over approximately three-fourths of the width of the flange angle).

As with the variable amplitude tests, the specimens tested in the constant displacement amplitude series exhibited fatigue cracking that initated at the toe of the fillet in one or more of the beam flange angles. Again, the observed hysteresis loops remained quite stable throughout each test, with only nominal loss of moment evident even toward the end of a test, when fatigue cracks had progressed to some depth through the thickness of the flange angle.

For each of the four test sets in the constant amplitude series (two thicknesses of flange angle framed to both W14X38 and W8X21 beam sections), it was found that a linear log-log relationship exists between the cyclic range of rotation in the connection and the resultant total fatigue life. To develop a single expression capable of predicting constant amplitude fatigue lives for specimens of varying geometry, a nominal chord rotation index, R, indicative of the magnitude of the surface strain in the tension flange angle, was determined for each of the sixteen test specimens in the series. For the combined data, a linear log-log expression was generated relating the chord rotation index, R, to the total number of cycles to failure, N_{f} :

$$N_{f} = 1.868(R)^{-3.2531}$$

At large displacement amplitudes, plastic strain is the predominant means of energy dissipation in the semi-rigid connections. In this study, the amount of dissipated energy is approximated as the area of the hysteresis loops under the moment-rotation curve. To examine the effect of energy dissipation on fatigue life, the energy per cvcle, E, measured at approximately mid-life, was compared to the number of cycles to failure for each of the constant amplitude test specimens. Again, a linear expression, on a log-log scale, was found to provide a reasonably good relationship between energy per cycle and total fatigue life, for each of the beams sizes individually:

$$N_{f} = 844.9(E)^{-1.20}$$
 (14-inch beam section)
 $N_{f} = 298.65(E)^{-1.2639}$ (8-inch beam section)

The low cycle, constant amplitude fatigue relationships between N_f and R or E were then applied to Miner's linear damage accumulation model in an attempt to predict the behavior of the specimens subjected to the variable amplitude cyclic displacements. Cumulative damage summations for both the low-to-high amplitude and the high-to-low amplitude block cyclic tests ranged from 0.4279 to 1.2848. In general, slightly better predictions of cumulative damage were obtained using energy dissipation, E, to predict fatigue life, than were obtained from the fatigue relationship based on the chord rotation index. Additional data, leading to more refined fatigue life relationships, are needed

to improve variable amplitude fatigue life predictions using Miner's Rule or other cumulative damage models; such tests have been proposed as a continuation of the present investigation.

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APPENDIX A

NOMENCLATURE

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APPENDIX A

NOMENCLATURE

Symbol

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A	=	cross-sectional area of flange angle, t X L
В	=	B' - t/2
в'	=	overall length of leg of flange angle adjacent to column face
^B c	=	$B'_{c} - t_{c}/2$
^B 'c	=	overall length of leg of web angle adjacent to column face
c _i	=	coefficients in empirical equation of static M- ϕ curve
D	=	d + t/2
Е	=	Modulus of Elasticity of steel, 29000 ksi
Ε	=	energy per cycle; area of single hysteresis loop
F	=	shear force in beam representative of angle leg
G	=	shear modulus of steel
ĸ	**	$P_1^{\alpha_1}P_2^{\alpha_2} - P_n^{\alpha_n}$
Ľ	=	overall length of flange angle
г ^с	=	overall length of web angle
М	=	resisting moment transferred from beam to column through connection
м _b	=	moment in beam representing connection angle
Mc	z	moment contribution of web angles
M _{el}	Ξ	moment in connection at elastic limit
^M f	=	moment contribution of flange angle
M Y	=	yield moment of connection
$^{ m N}$ f	=	fatigue life for constant displacement amplitude cyclic test
Pi	=	parameters affecting relationship between M and ϕ

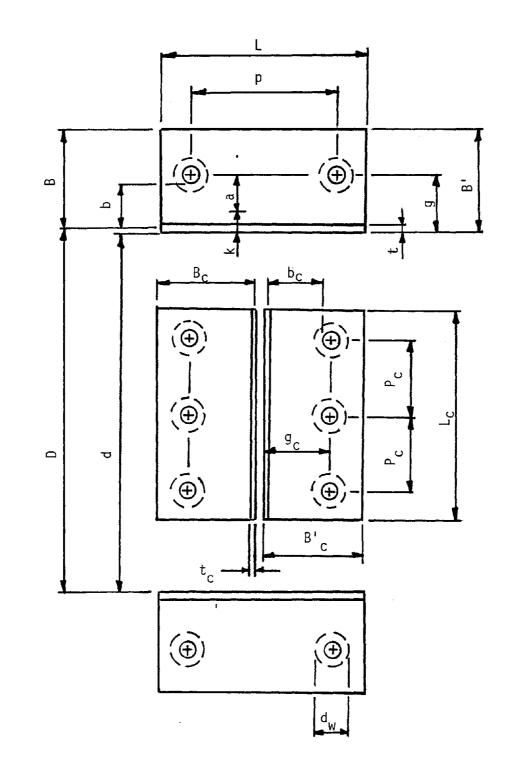
nominal flange angle chord rotation index, $2\left[\frac{(d+t) \tan \phi}{g-dw/2-t}\right]$ R = elastic section modulus S = plastic section modulus \mathbf{Z} = = g - kа $= g - d_{\rm h}/2 - t/2$ b $= g_{c} - d_{b}/2 - t_{c}/2$ bc = depth of beam d diameter of bolt d_h = đh diameter of bolt hole diameter of washer đ,, = gage in flange angle; from heel of angle to center of bolt hole = g in leg adjacent to column face gage in web angle; from heel of angle to center of g_c = bolt hole k distance from heal of angle to toe of fillet, flange angle = k_c distance from heel of angle to toe of fillet, web angle = number of applied constant amplitude displacement cycles n = n number of bolts in beam web = pitch, center-to-center spacing of bolts in leg of flange angle р = adjacent to column face P_C pitch, center-to-center spacing of bolts in each leg of web angle = t thickness of flange angle = t_{c} thickness of web angle = exponents in empirical equation of static $M-\phi$ curve αi = length of flange angle used in finite element analysis γ Ξ = displacement of heel of flange angle Δ

Symbol

- ε_{v} = strain at initial yieldng in connection angles
- λ = length of beam representative of flange angle leg adjacent to column face
- λ_{c} = length of beam representative of web angle leg adjacent to column face

 $\boldsymbol{\sigma}_{_{\boldsymbol{\mathrm{Y}}}}$ = stress at initial yielding in connection angles

 ϕ = rotation of end of beam with respect to column face



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FIG. A1 NOMENCLATURE FOR CONNECTION ELEMENTS

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APPENDIX B

THREE DIMENSIONAL FINITE ELEMENT

ANALYSIS OF DOUBLE ANGLE PULL

TEST SPECIMENS

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APPENDIX B

B.1 Pull Tests

The main objective of the pull tests was to investigate the behavior of the flange angle only. A total of two pull tests was conducted. The general configuration of these specimens is shown in Figure B.1.

Flange angle thicknesses of 1/2-inch and 3/8-inch were investigated. An imposed displacement rate of 0.624 inch/minute was applied to the specimens through the actuator ram, which was attached to the center plate, as shown in Figure B.1. Figure B.2 shows the load vs. the average displacement obtained from the LVDTs attached to the two flange angles for specimens with a flange angle thickness of 1/2-inch. For the purpose of analysis, the experimentally obtained load-deformation curve was approximated by the smooth curve. It should be noted that Figure B.2 depicts the load-deformation curve for two flange angles attached as shown in Figure B.1. The assumption was made that the actuator load was evenly carried by the two flange angles, allowing for the load displacement curve for one flange angle to be obtained as shown in Figure B.4.

Figure B.3 shows the actuator load vs. the average of the two LVDT displacements for specimens with 3/8-inch thick flange angles, together with a smooth approximated curve for the purpose of analysis. Because of actuator load limitations, the test was discontinued when a load of approximately 50 kips had been applied to the specimen. Again, the assumption was made that each flange angle carries half the actuator load, to obtain the load-displacement curve for one flange angle as in Figure B.4.

B.2 Specimens With Top and Bottom Flange Angles

In addition to the pulltests, tests were conducted of two specimens

comprised of top and seat angles attached to W14X38 beam sections. The purpose of these tests was to study the ability of the results of the pull tests, and of a finite element analysis (discussed in Section B.3), to predict the moment-rotation characteristics of a connection with top and seat flange angles only. The test configuration for the specimens with top and bottom flange angles was identical to the specimens tested in the present investigation, Figure 2.2a, except that the web angles were omitted.

The results of tests for moment-rotation obtained for specimens with 1/2-inch thick flange angles and 3/8-inch flange angles are shown in Figures B.9 and B.10, respectively.

B.3 Three Dimensional Finite Element Analysis

The finite element analysis program used in the analytical study is described in Reference 69. The model used in the analysis was developed from a portion of the flange angle, as shown in Figure B.5, by considering approximate boundary conditions and conditions of symmetry. Instead of modeling the entire length of the horizontal leg, only 1.75 inches of the 1/2-inch thick flange angle, and 1.625 inch of the 3/8-inch thick flange angle was modeled, since test observations indicated no appreciable deformation in the remainder of the horizontal leg.

A model was generated for both the 1/2-inch thick and 3/8-inch thick angles, each model consisting of 150 twenty-node isoparametric elements producing a total of 993 nodes, as shown in Figure B.6. For simplicity, the bolt hole in the vertical leg was modeled as a square with an area equivalent to that of a circular hole having a 15/16-inch diameter.

Symmetry conditions were imposed on Face A by restraining displacements in the Y direction on this face. Bolt head restraint was simulated by restraining

all displacements for nodes at the intersection of the bolt hole and the front face of the angle. Displacements in the Z direction were restrained along line B-B and displacements in the X direction were restrained along line A-A.

Loading on the model was created by imposing uniform displacement of Face B in the X direction, as shown in Figure B.7, in small increments.

The stress-strain relation used in the analysis was obtained by conducting tension tests on sample coupons of flange angles used in the pull tests. The results were approximated by the bi-linear relationship indicated by Figure B.8.

Comparisons of the moment-rotation diagrams obtained from the pull tests, the finite element analysis, and the connection tests are shown for 1/2-inch and 3/8-inch thick flange angles in Figures B.9 and B.10, respectively, for a 14X38 beam section. For the 1/2-inch thick flange angles, the initial slopes from the finite element analysis, pull test, and connection test are 430,000, 365,000, and 840,000 k.-in./radian, respectively, while for the 3/8-inch thick flange angles, the slopes were 209,000, 338,000, and 135,000 k.-in./radian, respectively.

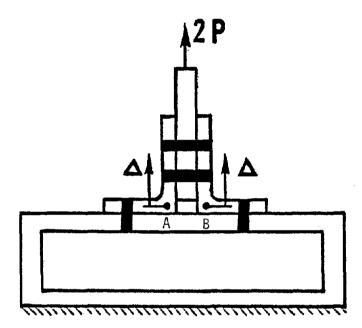


FIG. B.1 GENERAL CONFIGURATION OF PULL TEST SPECIMEN

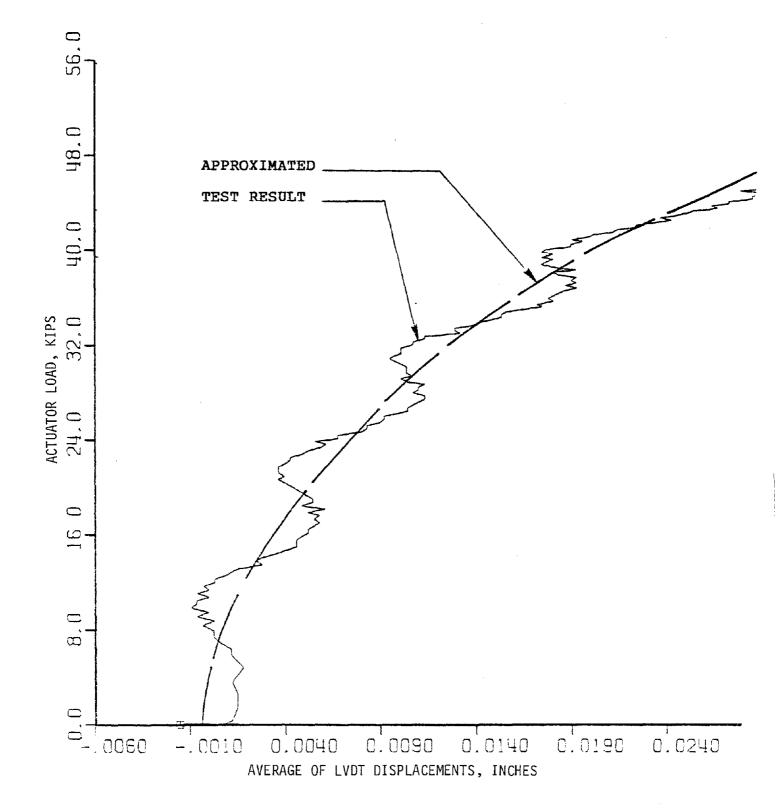


FIG. B.2 LOAD DEFORMATION CHARACTERISTICS OF PULL TEST SPECIMEN (FLANGE ANGLE THICKNESS OF ½-INCH)

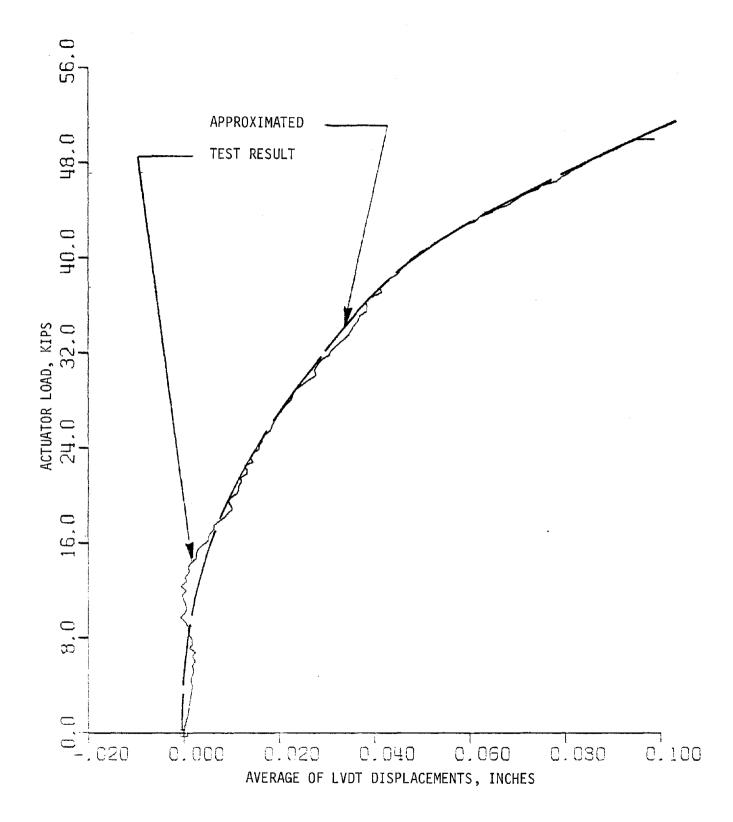


FIG. B.3 LOAD DEFORMATION CHARACTERISTICS OF PULL TEST SPECIMEN (FLANGE ANGLE THICKNESS OF %-INCH)

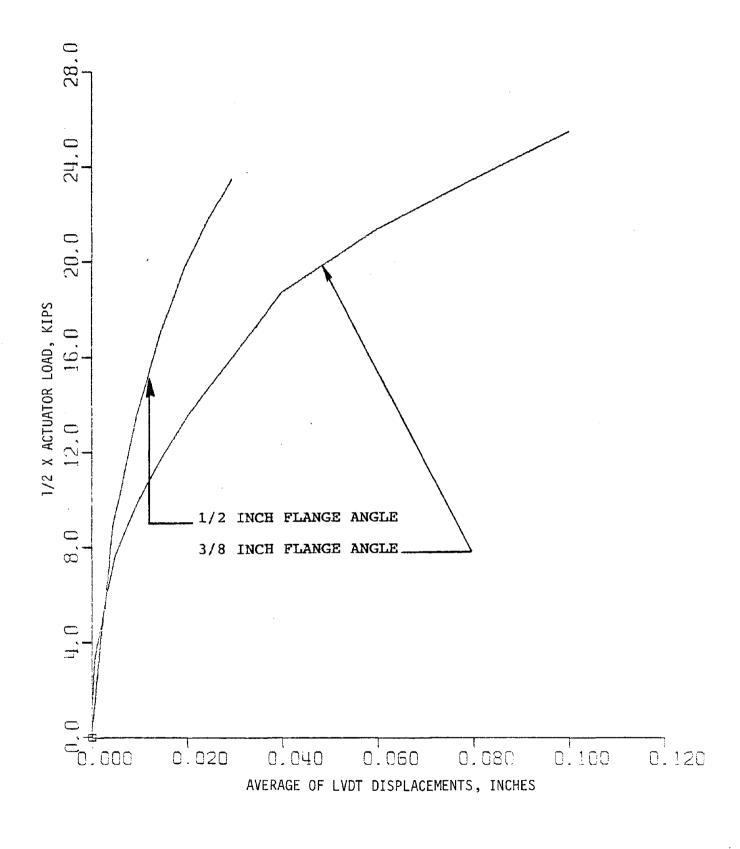


FIG. B.4 LOAD DEFORMATION CHARACTERISTICS OF PULL TEST SPECIMENS.

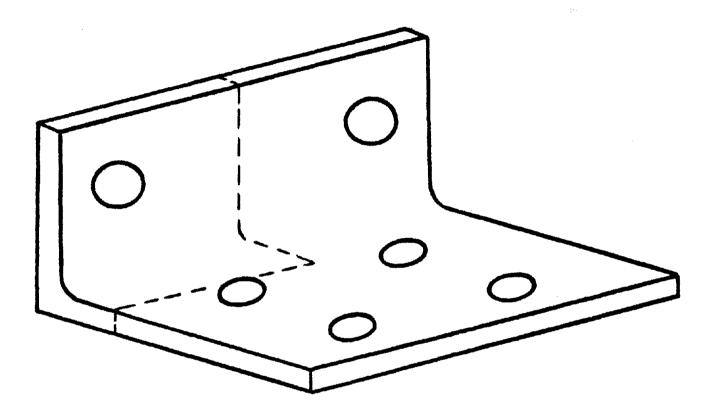
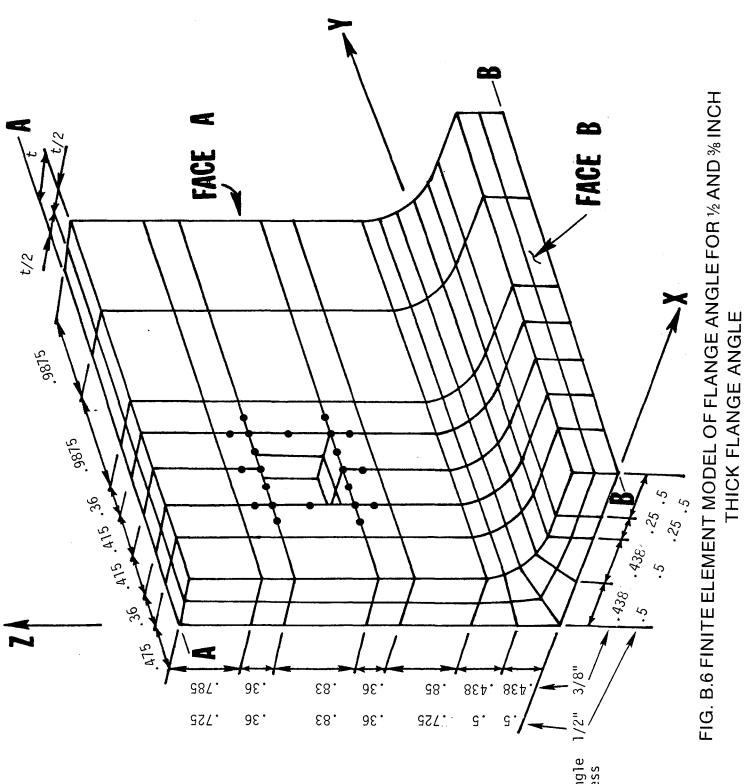


FIG. B.5 PORTION OF THE FLANGE ANGLE MODELED FOR FINITE ELEMENT ANALYSIS



for flg. angle thickness

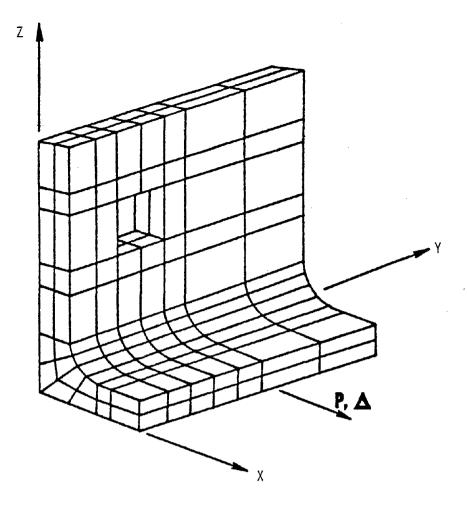


FIG. B.7 LOADING DIRECTION FOR FINITE ELEMENT MODEL

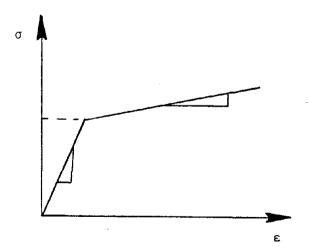


FIG. B.8 STRESS-STRAIN DIAGRAM OBTAINED FROM COUPON TEST USED IN FINITE ELEMENT ANALYSIS OF FLANGE ANGLE

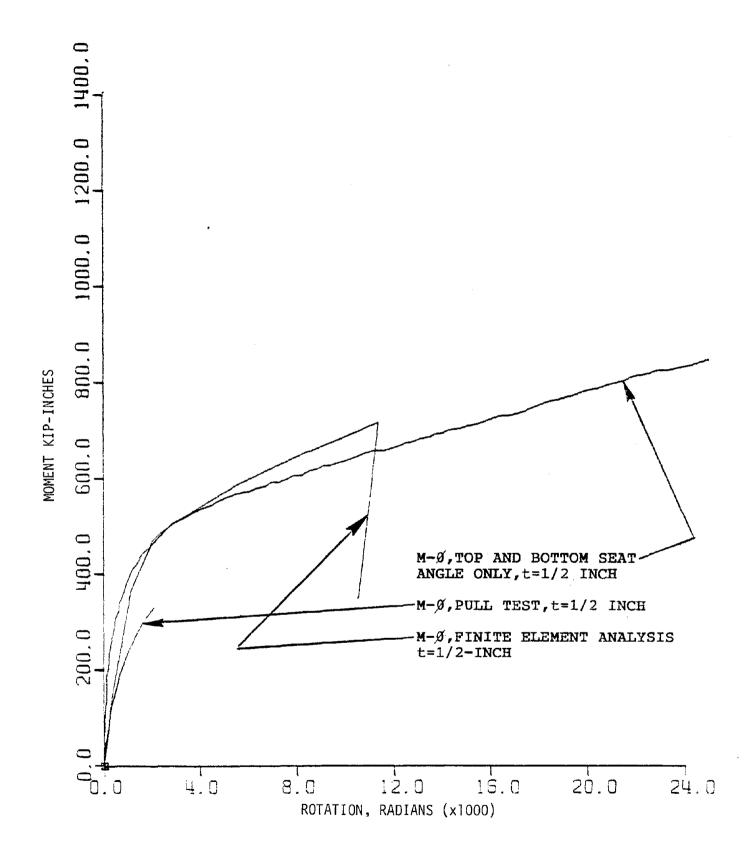
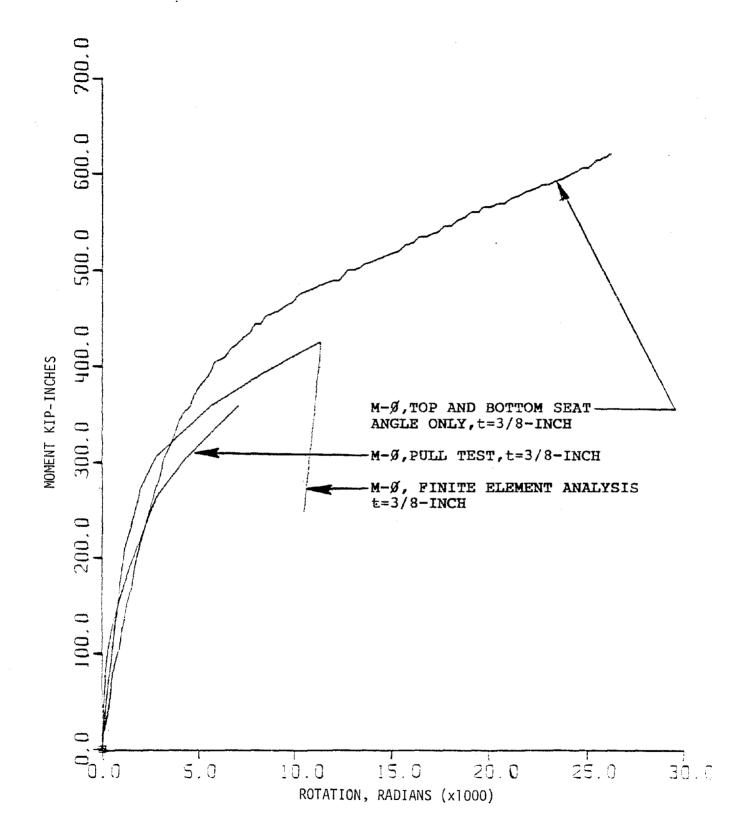


FIG. B.9 COMPARISON OF MOMENT—ROTATION CURVES FOR CONNECTION WITH TOP AND BOTTOM FLANGE ANGLE ONLY, T= ½-inch





TABLES

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MECHANICAL PROPERTIES OF TEST MATERIAL

	Ν	Mechanical Properties	5*
Designation	Yield Stress (ksi)	Ultimate Strength (ksi)	Elongation in 2-inch Gage Length (percent)
ASTM A36	42.8	69.9	23.8
	42.9	67.9	22.9
	39.3	68.0	32.5
	37.6	67.9	31.9
	53**	80**	
	36.5	71.9	31.3
	43.7	69.9	31.3
	40.0	64.0	34.4
	38.0	66.0	37.5

* Top five entries represent stock used in fabrication of specimens in initial study (with 3/4" dia. bolts); bottom four entries represent stock used in fabrication of specimens in current study (with 7/8" dia. bolts, welds).

** Flange angle material, specimen 14S2.

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SCHEDULE OF BOLTED TEST SPECIMENS

3/4 - INCH DIAMETER BOLTS

				Top and	Top and Bottom Flange Angles	Angles **	Web Angles	es **
Specimen Number	Type of Test *	Beam Section	Angle	Length "L" (inches)	Gage in Leg on Column Flange "g" (inches)	Bolt Spacing in Leg on Column Flange, "p" (inches)	Angle	Length, "L _c " (inches)
14S1	Static	W14X38	L6X4X3/8	8	2 ¹ ₂	512	2L4X3 ¹ ₂ X ¹ 4	8 ¹ ₂
14S2	Static	W14X38	L6X4x ¹ ₂	8	$2^{1_{2}}_{2_{2}}$	512	2L4X3 ¹ ₂ X ¹ ₄	8 ¹ ₂
1453	Static	W14X38	L6X4X3/8	∞	$2^{1_{2}}_{2_{2}}$	512	2L4X3 ¹ ₂ X ¹ ₄	51 ² [†]
14S4	Static	W14X38	L6X4X3/8	8	$2^{1_{2}}_{2_{2}}$	5 ¹ 2	2L4X3 ¹ 2X3/8	8^{1}_{2}
8S1	Static	W8X21	L6X3 ¹ ₂ X5/16	9	7	3_{2}^{1}	$2L4X3_{2}X_{4}$	5^{1}_{2}
8S2	Static	W8X21	L6X3 ¹ 2X3/8	9	2	3^{1}_{2}	2L4X3 ¹ ₂ X ¹ ₄	5^{1}_{2}
853	Static	W8X21	L6X3 ¹ ₂ X5/16	8	7	$3_{2}^{1_{2}}$	2L4X3 ¹ 2X ¹ 4	512
8S4	Static	W8X21	L6X6X3/8	6	$4^{1_{2}}_{2}$	$3_{2}^{1_{2}}$	2L4X3 ¹ ₂ X ¹ ₄	5^{1}_{2}
8S5	Static	W8X21	L6X4X3/8	∞	$2^{1_{2}}_{2_{2}}$	51	2L4X3 ¹ 2X ¹ 4	512
8S6	Static	W8X21	L6X4X5/16	6	$2^{1_{2}}_{2_{2}}$	3_{2}^{1}	2L4X3 ¹ 2X ¹ 4	5^{1}_{2}
8S7	Static	W8X21	L6X4X3/8	9	2^{1}_{2}	3^{1}_{2}	2L4X3 ¹ ₂ X ¹ ₄	5^{1}_{2}
14C1	Cyclic-LH	W14X38	L6X4X3/8	8	$2^{1_{2}}_{2_{2}}$	512	2L4X3 ¹ ₂ X ¹ ₄	812
14C2	Cyclic-LH	W14X38	L6X4 ¹ ₂	∞	$2^{1_{2}}_{2_{2}}$	5^{1}_{2}	2L4X3 ¹ ₂ X ¹ ₄	8 ¹ ₂
8C1	Cyclic-LH	W8X21	L6X3 ¹ ₂ X5/16	6	7	3_{2}^{1}	2L4X3 ¹ ₂ X ¹ ₄	5^{1}_{2}
8C2	Cyclic-LH	W8X21	L6X3 ¹ 2X3/8	6	2	3^{1}_{2}	2L4X3 ¹ ₂ X ¹ ₄	5 ¹ 2
* Cyclic - LH: Cyclic - CF: Cyclic - HL:	LH: CF: HL:	o high amp ant amplit to low amp	LH: Low to high amplitude block loading, CF: Constant amplitude (fatigue) loading, HL: High to low amplitude block loading,	loading, loading loading,	Fig. 2.11a , Fig. 2.11b Fig. 2.11c	·		

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** See Nomenclature, Appendix A

 † Two bolts at 3-inch spacing, mounted on top two holes on stub column, Fig. 2.2a

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SCHEDULE OF BOLTED TEST SPECIMENS

7/8 - INCH DIAMETER BOLTS

				Top and	Bottom Flange Angles	ingles **	Web Angles	es **
Specimen Number	Type of Test *	Beam Section	Angle	Length "L" (inches)	Gage in Leg on Column Flange "g" (inches)	Bolt Spacing in Leg on Column Flange, "p" (inches)	Angle	Length, "Lo" (inches)
14S5	Static	W14X38	L6X4X3/8	8	2 ¹ / ₂	512	2L4X3 ¹ ₂ X ¹ ₄	812
14S6	Static	W14X38	$L6X4X_{2}$	80	$2^{1_{2}}_{2_{2}}$	512	2L4X3 ¹ ₂ X ¹ ₄	8^{1}_{2}
14S8	Static	W14X38	L6X4X5/8	8	2^{1}_{2}	512	2L4X3 ¹ ₂ X ¹ ₄	8^{1}_{2}
14S9	Static	W14X38	L6X4X ¹ ₂	∞	$2^{1_{2}}_{2_{2}}$	512	2L4X3 ¹ ₂ X ¹ ₄	8 ¹ ₂
14F1	Cyclic-CF	W14X38	L6X4X3/8	80	2^{1}_{2}	512	2L4X3 ¹ ₂ X ¹ ₄	8^{1}_{2}
14F2	Cyclic-CF	W14X38	L6X4X3/8	8	2^{1}_{2}	57	2L4X3 ¹ 2X ¹ 4	8 ¹ / ₂
14F3	Cyclic-CF	W14X38	L6X4X3/8	8	2^{1}_{2}	512	2L4X3 ¹ ₂ X ¹ ₄	812
14F4	Cyclic-CF	W14X38	L6X4X3/8	∞	2 ¹ / ₂	512	2L4X3 ¹ ₂ X ¹ ₄	8^{1}_{2}
14F5	Cyclic-CF	W14X38	L6X4X ¹ ₂	8	$2^{1_{2}}_{2_{2}}$	512	2L4X3 ¹ ₂ X1 ₄	8 ¹ 22
14F6	Cyclic-CF	W14X38	L6X4X ¹ ₂	8	2 ¹ / ₂	512	2L4X3 ¹ ₂ X ¹ ₄	8 ¹ / ₂
14F7	Cyclic-CF	W14X38	L6X4X ¹ ₂	8	$2^{1_{2}}_{2_{2}}$	512	2L4X3 ¹ ₂ X ¹ ₄	8 ¹ 2 ²
14F8	Cyclic-CF	W14X38	L6X4X ¹ ₂	8	$2^{1_{2}}_{2_{2}}$	512	2L4X3 ¹ ₂ X1 ₄	8 ¹ / ₂
14F9	Cyclic-CF	W14X38	L6X4X3/8	8	2^{1}_{2}	5^{1}_{2}	2L4X3 ¹ ₂ X ¹ ₄	8 ¹ / ₂
14C3	Cyclic-LH	W14X38	L6X4X ¹ ₂	8	2^{1}_{2}	512	2L4X3 ¹ ₂ X ¹ ₄	8 ¹ / ₂
14C4	Cyclic-LH W14X38	W14X38	L6X4X3/8	8	$2^{1_{2}}_{2}$	512	2L4X3 ¹ ₂ X ¹ ₄	8 ¹ ₂
* Cyclic - LH: Cyclic - CF: Cyclic - HL:	- LH: Low to - CF: Consta - HL: High 1	o high ampl ant amplitu to low ampl	Cyclic - LH: Low to high amplitude block loading, Fig. Cyclic - CF: Constant amplitude (fatigue) loading, Fig. Cyclic - HL: High to low amplitude block loading, Fig.	loading, loading, loading,	Fig. 2.11a , Fig. 2.11b Fig. 2.11c			

** See Nomenclature, Appendix A

TABLE 2.3 (CONTINUED)

SCHEDULE OF BOLTED TEST SPECIMENS 7/8 - INCH DIAMETER BOLTS

				Top and	Bottom Flange A	Angles **	Web Angles	es **
Specimen Number	Type of Test *	Beam Section	Angle	Length "L" (inches)	Gage in Leg on Column Flange "g" (inches)	Bolt Spacing in Leg on Column Flange, "p" (inches)	Angle	Length, "Lc" (inches)
1481	Cyclic-HL	W14X38	L6X4X ¹ ₂	8	2^{1}_{2}	512	2L4X3 ¹ ₂ X ¹ 4	812
8S8	Static	W8X21	L6X3 ¹ ₂ X5/16	6	7	$3l_2$	2L4X3 ¹ ₂ X ¹ ₄	5 ¹ ₂
8S9	Static	W8X21	L6X3 ¹ ₂ X3/8	6	7	312	2L4X3 ³ ₂ X ¹ ₄	512
8S10	Static	W8X21	L6X3 ¹ ₂ X ¹ ₂	9	2	312	2L4X3 ¹ ₂ X ¹ ₄	5^{1}_{2}
8F1	Cyclic-CF	W8X21	L6X3 ¹ ₂ X3/8	6	2	312	2L4X3 ¹ ₂ X ¹ ₄	51 ₂
8F2	Cyclic-CF	W8X21	L6X3 ¹ ₂ X3/8	6	7	3_{2}^{1}	2L4X3 ¹ ₂ X ¹ ₄	51 ₂
8F3	Cyclic-CF	W8X21	L6X3 ¹ ₂ X3/8	9	5	3_{2}^{1}	2L4X3 ¹ ₂ X ¹ ₄	51_{2}^{1}
8F4	Cyclic-CF	W8X21	L6X3 ¹ ₂ X3/8	9	.2	3_{2}^{1}	2L4X3 ¹ ₂ X ¹ ₄	5^{1}_{2}
8F6	Cyclic-CF	W8X21	L6X3 ¹ ₂ X5/16	6	2	312	2L4X3 ¹ ₂ X ¹ ₄	$5\frac{1}{2}$
8F7	Cyclic-CF	W8X21	L6X3 ¹ ₂ X5/16	9	2	312	2L4X3 ¹ ₂ X ¹ ₄	5 ¹ ₂
8F8	Cyclic-CF	W8X21	L6X3 ¹ ₂ X5/16	9	2	312	2L4X3 ¹ ₂ X ¹ ₄	5^{1}_{2}
8C3	Cyclic-LH	W8X21	L6X3 ¹ ₂ X3/8	9	2	312	2L4X3 ¹ ₂ X ¹ ₄	5^{1}_{2}
8B1	Cyclic-HL	W8X21	L6X3 ¹ ₂ X3/8	9	0	312	2L4X3 ¹ ₃ X ¹ ₄	5 ¹ 2 ²
* Cyclic - Cyclic - Cyclic -	LH: CF: HL:	Low to high amplitu Constant amplitude High to low amplitu	Low to high amplitude block loading, Fig. Constant amplitude (fatigue) loading, Fig. High to low amplitude block loading, Fig.	loading, loading, loading,	Fig. 2.11a , Fig. 2.11b Fig. 2.11c			

** See Nomenclature, Appendix A

SCHEDULE OF BOLTED-WELDED TEST SPECIMENS 7/8-INCH DIAMETER BOLTS

				Ţ	Top and Bottom Flange Angles*	lange Angles*		Web	Web Angles*	
Specimen Number	Type of Test	Beam Section	Angle	Length "L" (inches)	Gage in Leg On Col Flange "g" (inches)	Bolt Spacing in Leg on Column Flange "p" (inches)	Weld size (inches)	Angle	Length "Lc" (inches)	Weld size (inches)
	Static	W14X38	L6X4X3/8	œ	2^{1}_{2}	512	5/16	2L4X3 ¹ ₂ X ¹ ₄	8 ¹ ₂	3/16
	Static	W14X38	L6X4X ¹ ₂	ø	2^{1}_{2}	512	5/16	2L4X3 ¹ ₂ X ¹ ₄	8^{1}_{2}	3/16

*See Nomenclature, Appendix A For weld details, see Fig. 2.3

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SUMMARY OF STATIC TEST RESULTS - BOLTED SPECIMENS 3/4-INCH DIAMETER BOLTS

Remarks		Major slip at 12X10 ⁻³	CITETNET OTVOZ B			Major slip at 16X10 ⁻³	t autans				
Moment at 24X10 ⁻⁵ radians (k-in.)	688	(947)	652	822	329	(384)	422	165	337	244	381
Moment at Slope of M- ϕ Curve 4.0X10 ⁻³ radians at 24X10 ⁻³ radians (k-in.) (k-in./radian)	5.8X10 ⁺³	12.6	7.2	8.3	4.1	1.5	4.0	2.2	2.7	3.2	3.2
Moment at 4.0X10 ⁻⁵ radians (k-in.)	435	607	355	496	177	276	257	57.5	191.5	120	163
Specimen Initial Slope of Slope of Secant Line to Number M-\$ Curve M-\$ Curve at 4.0X10 ⁻³ radians (k-in./radian) (k-in./radian)	108.7X20 ⁺³	151.8	88.8	124.0	44.3	69.0	64.3	14.4	47.9	30.0	40.8
Initial Slope of M-¢ Curve (k-in./radian)	195.0X10 ⁺³	295.0	115.9	221.9	66.7	123.4	104.7	15.3	76.7	39.5	48.0
Specimen Number	14S1	14S2	14S3	14S4	8S1	8S2	853	8S4	8C5	8S6	8S7

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Remarks							Major slip at 5.3X10 ⁻³	radians	
Moment at 24X10 ⁻³ radians (k-in.)	763	1053	1561	1024	380	423	(634)		
Slope of M-¢ Curve at 24X10 ⁻³ radians (k-in./radian)	10.8X10 ⁺³	10.3	15.0	9.3	3.8	4.4	6.9	•	
Moment at 4.0X10 ⁻³ radians (k-in.)	467	589	1027	624	183	226	434		
Slope of Secant Line to M-¢ Curve and 4.0X10 ⁻³ radians (k-in./radian)	117.4X10 ⁺³	146.9	256.9	154.1	44.4	54.5	104.1		
Initial Slope of M-¢ Curve (k-in./radian)	247X10 ⁺³	286	579	258	70	104	427		
Specimen Number	14S5	14S6	14S8	14S9	8S8	8S9	8S10		

SUMMARY OF STATIC TEST RESULTS - BOLTED SPECIMENS (7/8-INCH DIAMETER BOLTS)

SUMMARY OF STATIC TEST RESULTS - BOLTED-WELDED SPECIMENS

Moment at 24X10 ⁻³ radians (k-in.)	923	1235		
Slope of M-¢ Curve at 24X10 ⁻⁵ radians (k-in./radian)	12.1	11.5		
Moment at 4.0X10 ⁻⁵ radians (k-in.)	486	773		-
Slope of Secant Lige to M-¢ Curve at 4.0X10 ⁻ radians (k-in./radian)	119.4X10 ⁺³	188.5	<u>.</u>	
Initial Slope of M-¢ Curve (k-in./radian)	200X10 ⁺³	456		
Specimen Number	14WS1	14WS2		

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	Remarks			No Data																													loop areas.
14C1	Cumulative Number	of Cycles		4	5	9	7	17	18	19	20	21	22	32	33	34	35	36	37	47	48	49	50	51	52	62	63	64	65	66	67	77	first and last 1
TS – SPECIMEN 14C1	Cumulative Area of	Hysteresis Loops	(kip-inches)	-	0	0	0		.296	.419	.530	.599	. 663	1.353	2.087	2.506	2.826	3.109	3.388	6.208	7.816	8.814	9.638	10.450		19.571	22.021	23.933	25.808	\sim	9.4	47.256	average of the fi
LC TEST RESULTS	Area of a Single	Hysteresis Loop*	(kip-inches)	I	0	0	0	0	.296	.123	.111	.069	. 064	.069	.734	.419	.320	.283	.279	.282	1.608	.998	.824	.812	.831	.829	2.45	1.912	•	•	1.83	1.78	as the
SUMMARY OF CYCLIC TEST	Range of Moment	(kip-inches)		1	435.8	441.5	428.5	439.2	745.0	738.5	741.5	742.5	737.1	751.7	931.3	934.9	933.2	924.9		932.2	1068	1046	1031	1032	1034	1042	1142	1105	1102	1095	1094	1109	loop is computed
S	Range of Rotation	(radians X 1000)		1	2.20	2.08	2.10	2.34	4.75	4.87	4.89	4.91	4.77	5.04	7.84	7.77	7.85	7.78	•	8.08	11.10	10.99	10.86	0	1.	11.23	•	14.32	•	•	4.2	14.70	area of one
	Number of	Cycles		4	Ч	Ч	Ч	10	-1	IJ		Ч	-1	10	1	٦	1	г	7	10	Ч			Ч	Ч	10	Г			Г	1	10	, the ar
	Frequency (Hz)			.05			.5		.1			.25			.1			.25						.25						.25			iple cycles
	Actuator Displacement	Amplitude (inches)		0.2					0.4						0.6					×	0.8		-				1.0				<u></u>		*For multiple

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		Remarks																																half cycle			cracks detected-6th cycle	loop areas.
1401	Cumulative	Number	of Cycles		78	5.	80	2	10	07 07	03		94	95	96	97	107	108	109	110	111	112	113	123	124	125	126	127	128	138	139	140	141		142	143	149	and last
S - SPELIMEN 14C1	Cumulative	Area of	Hysteresis	Loops (ktn-tnches)	51_003	54.38	57 77	11.1C	40°TO	04.20 96 21	101 60	60'TNT	6.0UL	112.2	117.2	122.3	172.1	179.2	185.9	192.5	199.0	205.6	212.2	277.2	286.2	295.1	303.9	312.5	321.1	405.2	416.2	427.1	437.9	1	448.4	458.9	520.5	e of the first
OF CYCLIC TEST RESULTS	Area of	a Single	Hysteresis	Loop* (ktn-tnches)	272 8	3, 372	3 30	3 278	170 0	3.241	101.1	J.40U	0.230	5.232	5.09	5.033	4.98	7.092	6.704	6.577	6.594	6.58	6.537	6.507	9.0	8.912	8.734	8.615	8.60	8.415	11.0	10.87	10.775	1	10.55	10.474	10.26	as the average
SUMMARY OF CYCL	Range of	Moment	(ktp-tnches)		1185	9711	114.2	1130		11/0	04TT	1071	1183	1173	1171	1169	1170	1276	1250	1238	1230	1217	1219	1217	1261	1232	1213	1213	1203	1206	1257	1225	1220		1193	1198	1197	p is computed
S	Range of	Rotation	(radlans	X 1000)	17 73	17.64	17 78	17 67	/0./T	17. 0/	•	71.12	21.17	21.36	21.22	21.18	21.73	24.51	24.65	24.68	24.83	24.52	24.60	25.11	28.30	28.42	28.31	28.17	28.22	28.55	31.81	31.76	32.17		31.85	31.90	2.46	of one loop
	Number	of	Cycles		-	4	4		-4 r		01				-1	П	10		1	-1		i		10		н	-	Ч	1	10	-	-	-				6	the area
	Frequency	(Hz)			-	4		<u></u> Э г	C7.	,					.25			.1				.25			-1.			.25			• 1			.25				cycles,
	Actuator	Displacement	Amplitude	(fuches)	6 [\ \ -	L.4						1.6							1.8						2.0							*For multiple

TABLE 3.4 (CONTINUED)

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SUMMARY OF CYCLIC TEST RESULTS - SPECIMEN 14C1

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وبالمحافظة المحافظة والمحافظة والمحافظة والمحافظة والمحافظة والمحافظة والمحافظة والمحافظة والمحافظة والمحافظة	Remarks												Inverted cycle***	Inverted cycle	Inverted cycle			Inverted cycle	Inverted cycle											
Cumulative	Number	of Cycles			F1	2	e	13	14	15	16	26	27	28	29	39	40	41	42	43	44	54	55	56	57	67.	68	69	70	80
Cumulative	Area of	Hysteresis	Loops	(ktp-inches)				0	.238	.390	.525	2.635	3.360	3.764	4.074	7.114	8.583	9.461	10.499	11.247	12.175	21.365	24.174	26.611	28.873	50.843	55.406	59.643	63.744	103.86
Area of	a Single	Hysteresis	Loop*	(k1p-inches)	0	0	0	0	.238	.152	.135	.211**	.725	.404	.310	.304	1.469	.878	1.038	.748	.928	.919	2.809	2.437	2.262	2.197	4.563	4.237	4.101	4.012
Range of	Moment	(ktp-inches)			472.3	478.1	474.2	488.7	850.7	831.1	857.0	**	1132	1143	1139	1154	1357	1345	1345		1331	1332	1490	1477	1466	1465	1571	1548	1541	1536
Range of		(radians	X 1000)		2.16	2.12	2.09	2.37	4.47	4.45	4.54	4.43	7.07	7.0	7.1	7.31	10.12	9.95	9.87	10.08	9.82	10.09	13.12	12.98	13.26	13.43	16.28	16.31	16.18	16.70
Number	of	Cycles			1			10	1	щ		10	1	-	-1	10	1	-1	Ч		-	10	1			10	1	1	1	10
Frequency	(Hz)				.1	.25			.1	.25				.25			۲.			.25			.1	.25			.1	.25		
Actuator	nt	Amplitude	(fuches)		0.2				.4				.6				8.						1.0				1.2			

SUMMARY OF CYCLIC TEST RESULTS - SPECIMEN 14C2

TABLE 3.5

Continued - 501

*For multiple cycles, the area of one loop is computed as the average of the first and last loop areas. **Questionable data. ***Load cycle inverted from normal sine wave, Fig. 3.28.

	-	Kemarks							Inspection for cracks				Inverted cycle**	Inverted cycle	Inverted cycle									Crack detected					loop areas.
14C2	Cumulative	Number	of Cycles			81	82	83	84	85	86	87	88	89	66	100	101	102	103	113	114	115	116	126	127	128	129	130	first and last
TS - SPECIMEN	Cumulative	Area of	Hysteresis	Loops	(kip-inches)	110.70	117.18	123.57	124.02	124.26	130.46	136.89	141.49	147.85	210.25	218.18	227.25	236.04	244.79	330.38	341.87	353.16	364.28	472.05	486.08	499.95	513.67	527.20	of the
SUMMARY OF CYCLIC TEST RESULTS - SPECIMEN 14C2	Area of	a Single	Hysteresis	Loop*	(kip-inches)	6.837	6.481	6.389	.451	.234	6.206	6.428	4.595	6.363	6.24	7.933	9.069	8.79	8.749	8.559	11.487	11.296	11.113	10.777	14.032	13.871	13.722	13.529	ed as the average 8.
UMMARY OF CYCI	Range of	Moment	(kip-inches)			1637	1608	1590	660.4	662	1579	1577	1560	1559	1562	1653	1622	1615	1613	1606	1670	1647	1636	1633	1687	1659	1643	1623	loop is computed wave, Fig. 3.28.
SI	Range of	Rotation	(radians	X 1000)		19.79	19.96	19.80	6.92	6.83	19.80	19.89	20.15	19.95	20.21	23.39	23.52	23.44	23.30	23.78	26.78	26.86	27.05	27.20	30.48	30.37	30.54	30.60	f one sine
	Number	oF	Cycles			FI			-1		1	-	-	п	10	1	г	-1	Ч	10	1		-	10	ч	г	-1	1	, the from
	Frequency	(zH)				.1	.25		.1						.25	.1		.25			.1	.25			.1				*For multiple cycles, **Load cycle inverted
	Actuator	Displacement	Amplitude	(fuches)		1.4			0.5	0.5	1.4					1.6					1.8				2.0				*For mult **Load cyc

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TABLE 3.5 (CONTINUED)

Remarks							Crack detected
Cumulative Number of Cycles	2 3 12	14 15 26	28 29 38	40 41 50	52 53 62 64	77 79 87	68 06
Cumulative Area of Hysteresis Loops* (kip-inches)	.064 .096 .384	.567 .659 1.666	2.806 3.376 8.506	11.78 13.42 28.15	35.12 38.60 69.96 82.55 88.85	145.5 172.4 181.2 261.9	286.0 298.0 406.1
Area of a Single Hysteresis Loop (kip-inches)	 .032 	 .092 	 .570 	 1.637 	 3.484 6.297	 8.954	12.015
Range of Moment (kip-inches)	 486.5 	 	 1272 	 1503 	 1666 1740	 - 1825 	 1909
Range of Rotation (radians x 1000)	 2.25 	4.2	 6.7 	 9.7 	 12.8 16.0	19.0	22.4
Number of Cycles	0 1 0	2 1 11	6 1 0	2 9	0 1 6 7 1	5 г о	2 1
Frequency (Hz)	. 25	. 25	. 25	. 25	. 25	.25	.25
Actuator Displacement Amplitude (inches)	0.2	0.4	0.6	0.8	1.0	1.4	1.6

TABLE 3.6

SUMMARY OF CYCLIC TEST RESULTS - SPECIMEN 14C3

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* At each displacement amplitude, the area of all hysteresis loops is assumed constant.

Continued -

	Remarks		Large cracks - all flange angles
	Cumulative Number of Cycles	103 104 113	115 116 117
MEN 1400	Cumulative Area of Hysteresis Loops* (kip-inches)	466.0 480.9 615.6	649.1 665.8 682.6
SUMMARI OF CICEIC IESI RESULIS - SFEUTMEN 1403	Area of a Single Hysteresis Loop (kip-inches)	 14.967 	 16.732
ר טוטדזט ובסו	Range of Moment (kip-inches)	 1909 	1780
	Range of Rotation (radians x 1000)	 26.1	30.3
	Number of Cycles	4 4 6	2 → →
	Frequency (Hz)	.25	. 25
	Actuator Displacement Amplitude (inches)	1.8	2.0

TABLE 3.6 (CONTINUED)

SUMMARY OF CYCLIC TEST RESULTS - SPECIMEN 14C3

108

* At each displacement amplitude, the area of all hysteresis loops is assumed constant.

Remarks							Crack detected
Cumulative Number of Cycles	2 3 12	14 15 24	26 27 36	38 39 48	50 51 60 63 72	74 75 84	86 87 96
Cumulative Area of Hysteresis Loops* (kip-inches)	.040 .060 .240	.447 .550 1.481	2.292 2.697 6.346	8.397 9.423 18.65	22.84 24.93 43.76 51.05 54.70 87.49	98.79 104.4 155.3	171.3 179.2 251.1
Area of a Single Hysteresis Loop (kip-inches)	 .020 	 .103 	 .405 	 1.026 	2.093 2.093 2.644 2.644	5.650	7.986
Range of Moment (kip-inches)	 356 	 	902	 1072 	 1191 1268 	 1291 	 1318
Range of Rotation (radians x 1000)	 2.6 	5.1	7.8	10.9 	14.2 14.2 17.4 	 20.9 	24.7
Number of Cycles	6 - 1 6	6 1 2	6 1 2	2 I 6	0 - 6 0 - 6	2 1 9	0 – 0
Frequency (Hz)	.25	.25	.25	.25	. 25	. 25	. 25
Actuator Displacement Amplitude (inches)	0.2	0.4	0.6	0.8	1.0	1.4	1.6

SUMMARY OF CYCLIC TEST RESULTS - SPECIMEN 14C4

TABLE 3.7

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Continued -

* At each displacement amplitude, the area of all hysteresis loops is assumed constant.

TABLE 3.7 (CONTINUED)

SUMMARY OF CYCLIC TEST RESULTS - SPECIMEN 14C4

Remarks	Large crack - test stopped
Cumulative Number of Cycles	98 90 105
Cumulative Area of Hysteresis Loops* (kip-inches)	272.0 282.4 345.1
Area of a Single Hysteresis Loop (kip-inches)	10.442
Range of Moment (kip-inches)	1311
Range of Rotation (radians x 1000)	27.9
Number of Cycles	0 17 10
Frequency (Hz)	. 25
Actuator Displacement Amplitude (inches)	80 T

		ed		acks- ngles		test
	Remarks	Crack detected		Extensive cracks- two flange angles		Large crack-test stopped
	Cumulative Number of Cycles	2 3 12	14 15 24	26 27 36	38 39 48	50 60 60
TOAT NIT	Cumulative Area of Hysteresis Loops* (kip-inches)	32.16 48.23 192.9	214.4 225.1 321.5	336.8 344.4 413.2	423.5 428.7 475.1	481.6 484.8 514.0
OF CICLIC ILOI NEOULIO - OF LCIMEN 14DI	Area of a Single Hysteresis Loop (kip-Inches)	 16.078 	 10.711 	 7.642 	 5.163 	
	Range of Moment (kip-inches)	 1863 	 1648 	 1472 	 1299 	1101
	Range of Rotation (radians x 1000)	 26.0 	 23.5 	 20.4 	 17.5 	14
	Number of Cycles	6 1 6	0 1 6	2 9	0 1 0	7 T 6
	Frequency (Hz)	.25	. 25	. 25	. 25	. 25
	Actuator Displacement Amplitude (Inches)	1.8	1.6	1.4	1.2	1.0

SUMMARY OF CYCLIC TEST RESULTS - SPECIMEN 14B1

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TABLE 3.8

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* At each displacement amplitude, the area of all hysteresis loops is assumed constant.

Remarks					rcle, crack formation
					Half cycle, abrupt crac
Cumulative Number of Cycles	11 12 13 23	24 25 26 36	37 33 40 50 50	51 52 53 54 66 65 66 71 70	77 78 -
Cumulative Area of Hysteresis Loops (kip-inches)	.045 .415 .785 1.032 2.652	3.741 4.612 5.433 13.173	15.476 17.775 20.117 22.534 46.144	50.332 54.554 58.708 58.708 63.139 63.139 105.969 112.10 118.42 149.01 179.03	186.95 194.58 -
Area of a Single Hysteresis Loop** (kip-inches)	.045 .037 .370 .247 .162	1.089 .871 .821 .774	2.303 2.299 2.342 2.417 2.361	4.188 4.222 4.154 4.431 4.283 6.130 6.130 6.118 6.004	7.923 7.626 -
Range of Moment * (kip-inches)	231.2 233.8 399.7 422.2	495.9 488.4 485.3 484.0	538.6 523.5 500.2 495.9 490.1	511.6 516.2 490.8 490.9 499.7 521.3 513.9 505.7 480.5	498.2 478.6 -
Range of Rotation (radians X 1000)	4.33 4.27 9.11 8.96 9.54		20.22 19.80 19.98 20.18 20.5	26.03 26.36 26.23 26.23 27.20 28.00 32.35 32.35 32.55	38.94 39.05 -
Number of Cycles	10 10 10	1 1 1 10	0	0 0 1 1 1 0 1 1 1 1 0 0 0 0 0 0 0 0 0 0	1 1 -
Frequency (Hz)	.1 .25 .1	.1	.1 .25	.1 .25 .1 .25	.1 values repo
Actuator Displacement Amplitude (inches)	0.2	. و	8.	1.0	1.4 *Extreme '

TABLE 3.9 SUMMARY OF CYCLIC TEST RESULTS - SPECIMEN 8C1

- 1					i						r—		-											r	• •		-
		Remarks																					Cracks detected-btm. angle			Cracks detected-top angles	
007	Cumulative	Number	of Cycles			1	11	12	13	23	24	25	35	36	37	38	48	67	50	60	61	62	72	73	74	76	
SUFFMAL UP OF DEST AESULTS - SERVICES OCZ	Cumulative	Area of	Hysteresis	Loops	(kip-inches)	.062	3.232	3.686	3.993	6.533	7.971	9.243	21.89	25.01	28.04	30.93	59.96	65.16	70.38	119.9	127.2	134.5	205.1	214.8	224.5	243.4	-
The TEST NESUL	Area of	a Single	Hysteresis	Loop* *	(ktp-inches)	.062	.317	.454	.307	.254	1.438	1.272	1.265	3.112	3.039	2.886	2.903	5.202	5.22	4.956	7.265	7.303	7.063	9.704	9.647	9.449	
UPURANT UP CICI	Range of	Moment	(k1p-1nches)			252.2	268.9	439.3	454.0	453.8	564.3	556.0	554.5	605.2	601.5	589.6	592.9	616.0	619.4	611.1	635.0	637.1	650.2	663.7	659.1	653.2	
ā	Range of	Rotation	(radians	X 1000)		4.13	4.39	8.39	8.05	8.49	13.43	13.29	13.85	19.00	19.12	18.80	19.89	25.02	25.32	25.75	30.78	31.12	32.17	37.29	36.89	37.21	
	Number	of	Cycles			1	10	-	Ч	10			10		-		10	1	Г	10	1	1	10			2	reported
	Frequency	(Hz)					.25			.25	-1-		.25	.1			.25	.1		.25	.1		.25	•1	,	.25	values
	Actuator	Displacement	Amplitude	(fuches)		0.2		.4			.6			8.				1.0			1.2			1.4			*Extreme

SUMMARY OF CYCLIC TEST RESULTS - SPECIMEN 8C2

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TABLE 3.10

**For multiple cycles, the area of one loop is computed as the average of the first and last loop areas.

	Remarks					Cracks detected	Large cracks - test stopped
	Cumulative Number of Cycles	2 3 12	14 15 24	26 27 36	38 39 48	50 51 60	62 63 70
EN 8C3	Cumulative Area of Hysteresis Loops* (kip-inches)	.040 .060 .240	.730 .975 .3.180	5.280 6.329 15.78	21.11 23.77 47.77	57.84 62.88 108.2	123.9 131.7 186.5
ESULTS - SPECIMEN 8C3	Area of a Single Hysteresis Loop (kip-inches)	.020	 .245 	 1.050 	 2.666 	 5.037 	7.835
OF CYCLIC TEST RESULTS	Range of Moment (kip-inches)	 316.8 	 541.6 	 681.4 	 735.4 	 764.8 	750.3
SUMMARY OF	Range of Rotation (radians x 1000)		7.6	12.1	17.3	23.9	29.8
	Number of Cycles	0 1 0,	6	2 1 0	1 2	6 - 1 6	0 - 1 2
	Frequency (Hz)	.25	.25	.25	.25	. 25	.25
	Actuator Displacement Amplitude (inches)	0.2	0.4	0.6	0.8	1.0	1.2

SUMMARY OF CYCLIC TEST RESULTS

TABLE 3.11

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* At each displacement amplitude, the area of all hysteresis loops is assumed constant.

Remarks	Cracks detected						Large crack - test stopped
Cumulative Number of Cycles	2 2 12 3	14 15 24	26 27 36	38 39 48	50 51 60	62 63 72	73
Cumulative Area of Hysteresis Loops* (kip-inches)	16.46 24.63 93.74	$\frac{103.7}{113.6}$ 158.3	163.7 166.4 190.6	193.0 194.2 205.0	205.6 206.0 209.1	209.2 209.2 209.5	216.1
Area of a Single Hysteresis Loop (kip-inches)	 8.228 	 4.961 	 2.694 	 1.196 	 .347 	 .029 	6.623
Range of Moment (kip-inches)	 775.5 	 660.4 	 572.5 	 461.5 	 343.5 	 195.2 	668.2
Range of Rotation (radians x 1000)	 29.9	 24.9 	 19.7 	 14.2 	 9.2 	4.6	30.7
Number of Cycles	2 1 9	6 1 2	0 - 1	6 1 2	0 1 0	6 1 5	
Frequency (Hz)	.25	.25	. 25	.25	. 25	.25	.25
Actuator Displacement Amplitude (inches)	1.2	1.0	0.8	0.6	0.4	0.2	1.2

SUMMARY OF CYCLIC TEST RESULTS - SPECIMEN 8B1

TABLE 3.12

* At each displacement amplitude, the area of all hysteresis loops is assumed constant.

COMPILATION OF CONSTANT AMPLITUDE CYCLIC (FATIGUE) TEST RESULTS ALL TEST SPECIMENS

* Twice actuator displacement amplitude divided by distance from support to column face.

** $R = 2 \left[\frac{(d+t) \tan \phi}{g - dw/2 - t} \right]$. See Nomenclature, Appendix A.

SUMMARY OF CONSTANT AMPLITUDE CYCLIC TEST RESULTS W14X38 SPECIMENS WITH 3-INCH THICK FLANGE ANGLES

					-				
Specimen Number	Actuator Displacement Amplitude (inches)	Frequency (Hz)	Cycle Number	Percent of Total Fatigue Life	Range of Rotation (radians x 1000)	Range of Moment (kip-inches)	Area of a Single Hysteresis Loop (kip-inches)	Cumulative Area of Hysteresis Loops* (kip-inches)	Remarks
14F7	2.5	0.025 0.025 0.25 0.10 0.10 0.10 0.10	1 3 12 18 25 25 26	3.8 11.5 26.9 46.2 69.2 96.2 100	19.0 38.4 38.6 38.6 39.2 39.2 39.2	1601 2054 1877 1852 1829 1829 1806	1.830 35.264 27.139 26.063 25.639 24.975 	1.83 38.92 159.67 292.14 447.03 623.85 648.82	Cycles 1,2 - half cycles Cycle 20 - cracks de- tected End of test
14F5	1.5	0.25	6 112 24 54 54 59 59 59 59 59 59 59 59 59 59 50 50 50 50 50 50 50 50 50 50 50 50 50	$\begin{array}{c} 10.2 \\ 20.3 \\ 30.5 \\ 50.8 \\ 61.0 \\ 61.0 \\ 71.2 \\ 81.4 \\ 91.5 \\ 91.5 \\ 100 \end{array}$	21.5 21.7 21.7 21.6 21.8 21.9 21.9 	1729 1703 1692 1663 1663 1653 1678 	8.968 8.832 8.874 8.550 8.533 8.728 8.728 8.728 	53.81 107.14 160.28 212.39 264.91 317.02 368.90 421.23 473.01 515.84	Cycle 33 - crack de- tected End of test
* For cycl and succ	cycles between those reported, succeeding reported loop areas	se reported, alloop areas	the .	area of a s	single hyste	hysteresis loop is	calculated as	the average	of the preceding Continued -

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TABLE 3.14 (CONTINUED)

SUMMARY OF CONSTANT AMPLITUDE CYCLIC TEST RESULTS W14X38 SPECIMENS WITH 3-INCH THICK FLANGE ANGLES

·····													-								 	 			 ,
Remarks		Cycles 1-10,	half cycles		Cycle 199 -	cracks de-	tected			End of test	Cycles 1-25,	half cycles					Cycle 795 -	cracks de-	tected	End of test		 			
Cumulative Area of Hysteresis	Loops* (kip-inches)	2.18	30.79	45.33	569.33	773.42	836.09	867.36	897.66	924.00	0.17	5.77	9.07	13.36	54.72	408.36	696,62	•	833.88	911.30					
Area of a Single Hysteresis	Loop (kip-inches)	2,180	2,996	2.849	2.909	3.179	3.093	3.155	2.927	1	0.165	0.823	0.827	0.879	0.881	0.896	0.878	0.893	1.052	1.013					
Percent Range of Range of of Total Rotation Moment Fatigue (radians (kip-inches)		1051	1571	1568	1537	1434	1318	1313	1265	t I	795	1342	1327	1308	1280	1200	1197	1202	1173	1174					
Range of Rotation (radians	x 1000)	6.2	13.1	12.9	13.1	13.4	13.7	14.1	14.1	1	1.1	8.3	8.4	8.5	8.6	8.3	8.4	8.5	8.8	8.9	 	 			
Percent of Total Fatigue	Life	0.3	4.1	5.7	63.3	84.5	90.8	94.0	97.2	100	0.1	2.6	3.0	3.5	8.1	46.7	78.2	87.9	92.7	100	 <u></u>	 		<u></u>	
Cycle Number	1	1	13	18	200	267	287	297	307	316	1	27	31	36	83	481	806	906	926	1031					
Frequency Cycle (Hz) Numbe		0.25									0.25							_				 			
Actuator Displacement Amplitude	(inches)	1.0									0.7												¢		
Specimen Number		14F6									14F8										 	 			

* For cycles between those reported, the area of a single hysteresis loop is calculated as the average of the preceding and succeeding reported loop areas. TABLE 3.15 SUMMARY OF CONSTANT AMPLITUDE CYCLIC TEST RESULTS W14X38 SPECIMENS WITH 3/8-INCH THICK FLANGE ANGLES

formation in Sudden crack Remarks End of test End of test End of test cracks de-9th cycle Cycle 43 tected (kip-inches) Hysteresis Cumulative Loops* Area of 31.4858.40 19.38 85.00 156.06 292.87 359.20 425.06 ~800 159.66 36.56 201.32 284.43 364.88 109.87 208.05 232.06 84.37 443.14 520.38 589.41 134.99 184.05 116.32 (kip-inches) Hysteresis a Single Area of 24.39 24.00 9.14 8.64 8.38 8.38 8.26 7.87 7.87 7.87 7.79 14.6213.94Loop 31.48 26.92 25.97 25.50 25.15 19.38 13.47 13.13 24.67 I I (kip-inches) - -1172 1000 991.5 Range of Moment 1210 1176 1166 1008 995 904 901 1435 1409 $\frac{1510}{1315}$ 1267 L648 l538 l508 l470 1454 l449 1 Rotation (radians Range of x 1000) 24.5 23.9 24.2 25.2 44.6 44.6 45.2 45.3 45.7 30.731.531.831.932.0 25.7 25.4 24.7 45.5 45.6 45.4 1 1 Number of Total Fatigue 77.8 88.9 $\begin{array}{c}
 1.7 \\
 8.6 \\
 17.2 \\
 34.5 \\
 \end{array}$ Percent 43.1 51.7 31.9 22.2 33.3 44.4 55.6 66.7 5.6 18.1 45.8 59.7 73.6 87.5 Life 11.1 00 00 100 Frequency Cycle 59186 10 25 30 58 4 4 ŝ (Hz)0.25 0.250.25Displacement Amplitude Actuator (inches) 2.8 2.0 1.6 Specimen Number 14F314F2 14F1

Continued

* For cycles between those reported, the area of a single hysteresis loop is calculated as the average of the preceding and succeeding reported loop areas.

a single hysteresis loop is calculated as the average of the preceding assumed equal Cycles 12-23 I Remarks ł cracks de-End of test End of test Cycle 2680 crack de-Cycle 126 No data** tected tected area (kip-inches) Hysteresis Cumulative Area of Loops* 24.62 508.80 515.76 284.36 342.76 456.24 0.44 1.02 622.11 719.56 763,57 73.46 21.27 46.77 118.36 165.17 212.74 290.75 382.62 504.14 150.19 155.63 426.42 646.85 751.12 Hysteresis (kip-inches) a Single Area of Loop 2.375 2.497 0.165 2.189 2.295 2.382 2.476 2.482 2.428 2.365 2.319 2.052 0.439 0.239 0.175 0.224 0.188 0.249 0.256 W14X38 SPECIMENS WITH 3/8-INCH THICK FLANGE ANGLES 0.211 0.235 0.251 0.254 ł I (kip-inches) Range of Moment 949 603 622 612 622 633 1109 1068 1063 1056 $1038 \\ 1012$ 964 630 623 638 617 613 607 607 1169 1124 1125 I Rotation (radians Range of x 1000) 14.3 14.6 14.6 14.5 14.5 14.5 14.8 14.9 14.8 15.0 7.0 6.8 6.8 6.8 7.0 7.2 7.0 7.1 7.1 7.4 15.1 1 of Total Fatigue Frequency Cycle Percent Life 0.090.032.9 7.2 23.2 69.1 23.9 46.160.076.1 89.1 97.8 4.8 10.0 20.0 28.7 37.4 98.7 42.160.9 83.4 86.3 95.0 98.6 100 Number 1 - 1186 106 138 159 175 205 225 225 227 230 23 46 826 2876 2976 3276 66 101 251 801 1451 2101 3450 3401 (Hz) 0.025 0.25 0.25 Displacement Amplitude Actuator (inches) 1.0 0.5 Specimen Number 14F914F4

TABLE 3.15 (CONTINUED)

SUMMARY OF CONSTANT AMPLITUDE CYCLIC TEST RESULTS

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Cycles 1-11 are half cycles - no data recorded. and succeeding reported loop areas.

**

* For cycles between those reported, the area of

SUMMARY OF CONSTANT AMPLITUDE CYCLIC TEST RESULTS

	Remarks		Cycles 1,2 -	half cycles	T	Cycle 9-large	cracks observed	End of test	No data - cy-	cles 1, 2	half cycles			Cycle 30-cracks	detected			•			End of test	 	 		 of the preceding
	Cumulative Area of Hvsteresis	Loops* (kip-inches)	6.50	26.81	53.39	78.82		116.57		25.98	46.27	70.92	95.49	115.16	144.14	168.40	192.70	211.66	240.24	258.89	263.46				11
E ANGLES	Area of a Single Hvsteresis	<u> </u>	6.499	13.809	13.121	12.581		1	1	5.196	4.999	4.884	4.934	4.909	4.772	4.904	4.831	4.868	4.818	4.571	1 1				
SPECIMENS WITH 3/8-INCH THICK FLANGE	Range of Moment (kip-inches)	L.	669	891.2	824.4	791.6		1	1	654.4	621.5	615.4	611	605.1	591	604.9	599.6	593	590.3	575.1	1	 	 		
ITH 3/8-INC	Range of Rotation (radians	x 1000)	17.4	37.6	38.7	39.3		ı 1	1	24.9	24.4	24.8	24.6	24.9	24.4	24.9	24.9	24.9	25.0	25.2	1	 	 	 	
SPECIMENS W	Percent of Total Fatigue	Life	10.0	30.0	50.0	70.0		100	1.8	12.5	19.6	28.6	37.5	44.6	55.4	64.3	73.2	80.4	91.1	98.2	100		 	 	
W8X21 S	Cycle Number			33	ഹ	7		10		7	11	16	21	25	31	36	41	45	51	55	56				
	Frequency Cycle (Hz) Numbe		0.025	0.25					0.025	0.25															
	Actuator Displacement Amplitude	(inches)	1.5						1.0																
	Specimen Number		8F1						8F4													 	 		

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Continued -

* For cycles between those reported, the area of a single hysteresis loop is calculated as the average of the preceding and succeeding reported loop areas.

(CONTINUED)	
3.16	
TABLE	

SUMMARY OF CONSTANT AMPLITUDE CYCLIC TEST RESULTS

	Remarks			Cycles 1-5	half cycles					Cycle 86 -	crack detected					End of test	Cycles 1-10 -	half cycles			80	cracks de-	tected					End of test	 	
	Cumulative Area of	Hysteresis Loops*	(kip-inches)	1.15	9.61	24.16	48.21	72.79	97.55	121.70	170.72	196.07	219.76	247.09	254.24	257.76	0.36	10.31	28,81	54.46	109.85	140.87	179.15	212.48	246.55	279.12	307.47	307.99		
E ANGLES	Area of a Single	Hysteresis Loop	(kip-inches)	1.154	1.922	1.738	1.700	1.804	1.738	1.714	1.785	1.832	1.815	1.828	1,762	3 1	0.364	0.606	0.427	0.488	0.501	0.605	0.670	0.613	0.604	0.560	0.491	0.519		
WWWART OF CONSTANT AWELITIOUE CICLUL TEST RESULTS W8X21 SPECIMENS WITH 3/8-INCH THICK FLANGE ANGLES	Range of Moment	(kip-inches)		462	688.8	652.8	640.7	602.9	605.9	601	603.7	596.6	577.9	573.4	565.6	1	334	581.3	578.5	559.5	546.7	534.2	532.5	522.8	598.6	477.9	437.8	430		
SPECIMENS WITH 3/8-INCH	Range of Rotation	(radians x 1000)		7.5	15.5	15.1	15.7	14.7	16.0	15.8	16.1	16.1	16.4	16.3	16.6	i I	4.8	6.6	6.6	10.4	10.4	10.9	10.7	10.8	10.9	10.9	11.5	11.4	 	
SPECIMENS W	Percent of Total	Fatigue Life		0.7	4.8	10.2	19.7	29.3	38.8	48.3	67.3	76.9	85.7	95.9	98.6	100	0.18	3.8	10.2	20.2	40.2	50.2	60.9	70.2	80.2	90.2	99.8	100	 	
W8X21	Cycle Number			1	2	15	29	43	57	71	66	113	126	141	145	147	1	21	57	113	225	281	341	393	449	505	559	560		
	Frequency (Hz)			0.25													0.25									-				
	Actuator Displacement	Amplitude (inches)		0.7													0.5													
	Specimen Number			8F3													8F2												 	

* For cycles between those reported, the area of a single hysteresis loop is calculated as the average of the preceding and succeeding reported loop areas.

SUMMARY OF CONSTANT AMPLITUDE CYCLIC TEST RESULTS W8X21 SPECIMENS WITH 5/16-INCH THICK FLANGE ANGLES

Specimen	Actuator	Frequency Cycle	Cycle		Range of	Range of	Area of	Cumulative	Remarks
Number	Displacement Amplitude (inches)	(Hz)	Number	of Total Fatigue Life	Rotation (radians x 1000)	Moment (kip-inches)	a Single Hysteresis Loop*	Area of Hysteresis Loops (kip-inches)	
8F8	1.5	0.025	1	6.3	21.2	578.8	6.381	6.38	Cycle 1-half
		0.25	3	18.8	39.1	724	10.950	28.28	cycle
			9	37.5	39.7	703.2	10.087	59.40	Cycle 8-cracks
	c		6	56.3	39.7	690.5	9.789	89.07	detected
	-		13	81.3	39.9	655.4	9.339	127.10	
			15	93.8	40.8	610.9	8.885	145.10	
			16	100	1	1	1	153.98	End of test
8F7	1.0	0.25		1.6	2.0	473.0	2.746	2.75	Cycles 1-5-half
			6	14.5	24.6	631.7	4.065	29.99	cycles
			19	30.6	25.6	617.1	3.989	70.22	
			31	50.0	25.4	609.4	3.922	117.65	Cycle 30-
			43	69.4	25.4	595.9	3.825	164.09	cracks de-
			56	90.3	25.7	529.3	3.608	212.29	tected
			61	98.4	26.9	496.0	3.090	228.78	
			67	100	1	1	1	231.87	End of test
8F6	0.7	0.25	1-169	1	1	1	1	1	No data**
			170	98.3	17.5	431.8	1.377	1	Cycle 95-
			171	98,8	17.3	417.8	1.182	1	cracks de-
			172	99.4	17.7	430.3	1.251	1	tected
			173	100	1	1	i 1	ţ	End of test
									
								the sucree	of the preceding

* For cycles between those reported, the area of a single hysteresis loop is calculated as the average of the preceding and succeeding reported loop areas. ** Malfunction of recording system.

TABLE 4.1

COMPARISON OF PREDICTED INITIAL CONNECTION STIFFNESS WITH TEST RESULTS

	Initia	l Slope (kin./r	adian)
		Pred	icted
Specimen	Test	Including	Excluding
Number		Shear	Shear
14S1	$ \begin{array}{r} 195,000 \\ 295,000 \\ 115,900 \\ 221,900 \\ 247,000 \\ 286,000 \\ 579,000 \\ 258,000 \\ 66,700 \\ 123,400 \\ 104,700 \\ 15,300 \\ 76,700 \\ 39,500 \\ 48,000 \\ \end{array} $	152,900	172,000
14S2		328,700	409,800
14S3		150,000	169,500
14S4		212,200	240,900
14S5		191,000	217,000
14S6		408,800	518,900
14S8		748,000	1,093,000
14S9		408,800	518,900
8S1		62,100	72,300
8S2		103,200	129,000
8S3		63,300	73,500
8S4		12,500	13,000
8S5		52,900	59,700
8S6		31,700	34,500
8S7		51,400	58,200
858	70,000	80,100	94,500
859	104,000	132,700	169,400
8510	427,000	292,600	453,500

TABLE 4.2 PREDICTION OF CUMILATIVE DAMAGE USING FATIGUE RELATIONSHIP BASED ON NOMINAL CHORD ROTATION INDEX W14X38 BEAM SPECIMENS

CUTATO DEPOSIT	$\begin{array}{ c c c c c c c c c c c c c c c c c c c$	$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	-
THE SECTION	Nominal Applied Cycles, n, at Displacement Amplitude	17 15 15 15 15 15 15 15 15 15 15 15 15 15	
	NominalNominalRange ofFlange ARotation, ϕ Chord Rots(radians x 1000)Index, F	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	
	Actuator No Displacement Ran Amplitude Rotat (inches) (radia	0.2 0.6 0.8 0.8 0.2 1.6 0.2 0.5 1.2 0.5 1.2 0.5 1.2 0.5 1.6 0.5 1.6 0.5 1.6 0.5 1.6 0.5 1.6 0.5 1.6 0.6 1.6 0.6 1.6 0.6 1.0 0.6 0.6 0.7 1.0 0.6 0.7 1.0 0.6 0.7 1.0 0.6 1.0 1.0 0.6 1.0 0.6 1.0 0.6 1.0 1.0 0.6 1.0 1.0 1.0 1.0 1.0 1.0 1.0 1.0 1.0 1.0	tan þ
	Specimen Number	14C1 14C2	$*R = 2 \left \frac{(d+t)}{\sigma_{md}} \right $

Continued -

**From Equation: N_f =.1.868(R)^{-3.2531} (see Fig. 4.19)

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TABLE 4.2 (CONTINUED) PREDICTION OF CUMULATIVE DAMAGE USING FATIGUE RELATIONSHIP BASED ON NOMINAL CHORD ROTATION INDEX W14X38 BEAM SPECIMENS

	Ň	Nominal	Nominal	Nominal			•
Ulsplacement Range of Amplitude Rotation, ϕ Cl (inches) (radians x 1000)		U U	Flange Angle Chord Rotation Index, R*	Applied Cycles, n, at Displacement Amplitude	Predicted Constant Amplitude Fatigue Life, Nf**	JN/n	Σn/N _f
0.2 3.5	3.5		0.046	12	41,837	0.0003	0.0003
	7.0		0.091	14	4,547	0.0031	0.0034
	10.5		0.137	12	1,201	0.0100	0.0134
	14.0		0.182	12	477	0.0252	0.0386
1.0 17.5	17.5		0.227	12	232	0.0517	0.0903
	21.1		0.273	12	128	0.0938	0.1841
.4 24.6			0.319	13	77	0.1688	0.3529
.6	28.1		0.364	12	50	0.2400	0.5929
	31.6		٠	14	34	0.4118	1.0047
0.	35.1		0.455	4	24	0.1667	1.1714
3.5			0.041	12	60,832	0.0002	0.0002
7.0			0.081	12	6,640	0.0018	0.0020
.6 10.5			0.122	12	1,752	0.0068	0.0088
	14.0		0.163	12	683	0.0176	0.0264
0.	17.5		0.203	12	. 334	0.0359	0.0623
1.2 21.1	21.1		•	12	184	0.0652	0.1275
	24.6		0.284	12	112	0.1071	0.2346
1.6 28.1	28.1		•	12	72	•	0.4013
1.8 31.6	31.6		0.366	6	49	0.1837	0.5850
1.8 31.6	31.6		0.410	12	34	0.3529	0.3529
1.6 28.1	28.1		0.364	12	50	0.2400	0.5929
4.	24.6		0.319	12	77	0.1558	0.7487
21	21.1		0.273	12	128	0.0938	0.8425
0.	17.5		0.227	12	232	0.0517	0.8942
[(4·+) +··· 1]						•	

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**From Equation: $N_{f} = 1.868(R)^{-3.2531}$ (see Fig. 4.19)

*R = $2\left[\frac{(d+t) \tan \phi}{g-d/2-t}\right]$

TABLE 4.3 PREDICTION OF CUMULATIVE DAMAGE USING FATIGUE RELATIONSHIP BASED ON NOMINAL CHORD ROTATION INDEX W8X21 BEAM SPECIMENS

Σn/N _f	.0005 .0055 .0261 .0821 .1988 .3799 .3799	206 371 314 384 384 261 569 339	.0011 .0118 .0519 .0519 .1545 .3650 .6825
Σn	0.0005 0.0055 0.0261 0.0821 0.1988 0.3799 0.3799	0.0006 0.0071 0.0314 0.0314 0.0314 0.2261 0.4569 0.5839	0.0011 0.0118 0.0519 0.1545 0.1545 0.3650 0.6825
n/Nf	0.0005 0.0050 0.0206 0.1167 0.1791 0.0500	0.0006 0.0065 0.0243 0.0670 0.1277 0.2308 0.1277	$\begin{array}{c} 0.0011\\ 0.0107\\ 0.0401\\ 0.1026\\ 0.2105\\ 0.3175 \end{array}$
Predicted Constant Amplitude Fatigue Life, N _f **	22,062 2,383 631 250 120 67 40	17,627 1,848 494 194 94 52 31.5	
Nominal Applied Cycles, n, at Displacement Amplitude	11 12 14 12 2 2	11 12 13 13 12 4	12 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2
Nominal Flange Angle Chord Rotation Index, R*	0.056 0.111 0.167 0.222 0.333 0.333	0.060 0.120 0.180 0.240 0.240 0.360 0.360 0.420	$\begin{array}{c} 0.070\\ 0.140\\ 0.210\\ 0.280\\ 0.350\\ 0.420\end{array}$
Nominal Range of Rotation, ϕ (radians x 1000)	6.1 12.1 18.2 24.2 30.3 36.4 42.4	6.1 12.1 18.2 18.2 24.2 30.3 36.4 42.4	6.1 12.1 18.2 24.2 36.4 36.4
Actuator Displacement Amplitude (inches)	0.2 0.4 0.6 1.0 1.2	0.2 0.4 0.6 1.0 1.2 1.4	0.2 0.6 1.0 1.2 1.2
Specimen Number	8C1	8C2	8C3

**From Equation: $N_{f} = 1.868(R)^{-3.2531}$ (see Fig. 4.19)

 $\left[\frac{(d+t) \tan \phi}{g - d_w/2 - t}\right]$

*R = 2

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Continued -

		INDEX	
		ROTATION]	
	MAGE	CHORD	
TABLE 4.3 (CONTINUED)	MULATIVE DA	JN NOMINAL	W8X21 BEAM SPECIMENS
4.3 ((OF CUI	BASED (BEAM S
TABLE	PREDICTION	RELATIONSHIP	W8X21
		FATIGUE	
		USING	
TABLE 4.	PREDICTION OF CUMULATIVE DAMAGE	USING FATIGUE RELATIONSHIP BASED ON NOMINAL CHORD ROTATION INDEX	W8X21 BE ₄

	₩ <u>₩</u> ₩₩₩₩₩₩₩₩₩₩₩₩₩₩₩₩₩₩₩₩₩₩₩₩₩₩₩₩₩₩₩₩₩₩
Σn/N _f	0.3810 0.5915 0.6941 0.7341 0.7460 0.7777 0.7777
n/Nf	0.3810 0.2105 0.1026 0.0401 0.0011 0.0317 0.0317
Predicted Constant Amplitude Fatigue Life, N _f **	$\begin{array}{c} 31.5\\ 57\\ 117\\ 299\\ 1,120\\ 10,676\\ 31.5\end{array}$
Nominal Applied Cycles, n, at Displacement Amplitude	122221
Nominal Flange Angle Chord Rotation Index, R*	0.420 0.350 0.280 0.140 0.070 0.420
Nominal Range of Rotation, ϕ (radians x 1000)	36.4 30.3 24.2 18.2 6.1 36.4
Actuator Displacement Amplitude (inches)	1.2 0.6 0.6 1.2 1.2
Specimen Number	881

**From Equation: $N_{f} = 1.868(R)^{-3.2531}$ (see Fig. 4.19)

*R = 2 $\left[\frac{(d+t) \tan \phi}{g - d_W/2 - t}\right]$

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PREDICTION OF CUMULATIVE DAMAGE USING FATIGUE RELATIONSHIP BASED ON HYSTERETIC ENERGY

SPECIMENS
BEAM
W14X38

Specimen Number	Actuator Displacement Amplitude (inches)	Average Hysteresis Loop Area (kip-inches)	Number of Applied Cycles, n, at Displacement Amplitude	Predicted Constant Amplitude Fatigue Life, N _f *	n/Nf	εn/N _f
14C1	0.2 0.6 1.2 1.6 1.6 2.0 2.0 2.0	- 0.09 0.32 0.89 1.35 3.26 5.06 6.57 8.53 10.48	17 15 15 15 15 16 12	- 15,195 3,317 972 404 205 121 88 64.5 50.5	- .0010 .0045 .0154 .0154 .0732 .0732 .1240 .1818 .2326	- .0010 .0055 .0209 .0580 .1312 .1312 .2552 .4370 .6696 .9072
14C2	0.5 0.5 0.6 0.6 0.7 0.6 0.5 0.6 0.5 0.5 0.5 0.5 0.5 0.5 0.5 0.5 0.5 0.5	- 0.18 0.34 0.95 0.95 4.08 6.22 8.58 8.58 10.90 13.79	13 13 13 15 13 14 13 4	- 6,614 3,083 3,083 316 156 94 64 48 36	$^{-}$ 0020 0007 0042 0042 0411 0833 1809 2188 2188 .2708 .1111	- 0020 0027 0069 0647 .0647 .1480 .3289 .3289 .3289 .9296
		-1.20				

Continued -

*From Equation: $N_{f} = 844.9(E)^{-1.20}$ (see Fig. 4.20)

TABLE 4.4 (CONTINUED) PREDICTION OF CUMULATIVE DAMAGE USING FATIGUE RELATIONSHIP BASED ON HYSTERETIC ENERGY W14X38 BEAM SPECIMENS

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Σn/N _f	.0002 .0011 .0083 .0340 .0340 .0975 .4403 .7227 1.1469 1.2848	.0001 .0010 .0058 .0206 .0550 .1220 .1220 .1220 .1220 .2352 .4079 .5861
J _{N/u}	.0002 .0009 .0072 .0257 .0257 .0257 .0235 .1297 .1297 .1297 .1379	.0001 .0009 .0049 .0147 .0344 .0570 .1132 .1782 .1782
Predicted Constant Amplitude Fatigue Life, N _f *	56,788 15,195 1,659 467 189 92.5 61 42.5 33 29	92,378 13,391 2,463 2,463 815 349 179 106 69.5 50.5
Number of Applied Cycles, n, at Displacement Amplitude	12 14 12 12 12 14 14 4	12 12 12 12 12 12 12 12 12 12 12 12 12 1
Average Hysteresis Loop Area (kip-inches)	0.03 0.09 0.57 1.64 3.48 6.30 6.30 8.95 14.97 14.97	$\begin{array}{c} 0.02\\ 0.10\\ 0.41\\ 1.03\\ 2.09\\ 5.65\\ 7.99\\ 10.44 \end{array}$
Actuator Displacement Amplitude (inches)	0.2 0.4 0.6 0.8 0.8 1.2 1.4 1.8 1.8 2.0	0.2 0.6 0.8 1.2 1.2 1.8 1.8
Specimen Number	14C3	14C4

Continued -

*From Equation: $N_{f} = 844.9(E)^{-1.20}$ (see Fig. 4.20)

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TABLE 4.4 (CONTINUED) PREDICTION OF CUMULATIVE DAMAGE	USING FATIGUE RELATIONSHIP BASED ON HYSTERETIC ENERGY WIAY28 DEAM SDECTAENS	NITADO DEAN OF ECTMEND
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Σn/N _f	.4000 .6449 .9099 .9682 .9682
n/Nf	.4000 .2449 .1633 .0583
Predicted Constant Amplitude Fatigue Life, Nf	30 49 73.5 118 206
Number of Applied Cycles, n, at Displacement Amplitude	2222
Average Hysteresis Loop Area (kip-inches)	16.08 10.71 7.64 5.16 3.24
Actuator Displacement Amplitude (inches)	1.8 1.12 1.0
Specimen Number	14B1

*From Equation: $N_{f} = 844.9(E)^{-1.20}$ (see Fig. 4.20)

TABLE 4.5 PREDICTION OF CUMULATIVE DAMAGE USING FATIGUE RELATIONSHIP BASED ON HYSTERETIC ENERGY W8X21 BEAM SPECIMENS

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Specimen Number	Actuator Displacement Amplitude (inches)	Average Hysteresis Loop Area (kip-inches)	Number of Applied Cycles, n, at Displacement Amplitude	Predicted Constant Amplitude Fatigue Life, N _f *	J _{N/u}	Σn/N _f
8C1	0.2 0.4 0.6 0.8 0.8 1.0 1.2	0.04 0.19 0.81 2.36 4.27 6.09 7.77	11 12 14 14 22 2	17,465 2,437 2,437 390 101 47.5 30 22.5	.0006 .0049 .0333 .1386 .2947 .2947 .0889	.0006 .0055 .0388 .1774 .4721 .8721 .8721
8C2	0.2 0.6 1.0 1.2 1.4	0.29 0.28 1.28 2.93 5.00 9.56 9.56	11 12 12 14 14 14 14 14 14 14 14 14 14 14 14 14	1,429 1,493 219 76.5 39 25 17	.0077 .0080 .0548 .1699 .3077 .4800 .2353	.0077 .0157 .0705 .2404 .5481 1.0281 1.2634
*From Equation:	n: $N_{f} = 298.65(E)^{-1.2639}$	-1.2639 (see Fig. 4.20)	20)			

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Continued -

TABLE 4.5 (CONTINUED) PREDICTION OF CUMULATIVE DAMAGE USING FATIGUE RELATIONSHIP BASED ON HYSTERETIC ENERGY W8X21 BEAM SPECIMENS

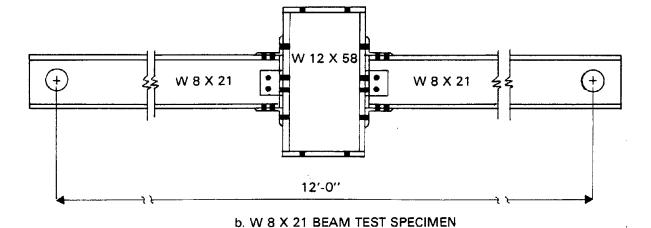
Σn/N _f	.0003 .0073 .0500 .1895 .5012 .9558	.5854 .8892 1.0296 1.0909 1.1278 1.1278
J _{N/u}	.0003 .0070 .0427 .1395 .3117 .4546	.5854 .3038 .1404 .0506 .0107 .0364
Predicted Constant Amplitude Fatigue Life, N _f *	41,943 1,723 281 86 38.5 22	20.5 39.5 85.5 237 237 25,124 25,124
Number of Applied Cycles, n, at Displacement Amplitude	12 12 12 12 10	12222222
Average Hysteresis Loop Area (kip-inches)	0.02 0.25 1.05 2.67 5.04 7.84	8.23 4.96 1.20 0.03 6.62
Actuator Displacement Amplitude (inches)	0.2 0.4 0.6 0.8 1.0 1.2	1.2 0.8 0.6 0.2 1.2
Specimen Number	8C3	8B1

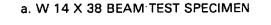
(see Fig. 4.20)

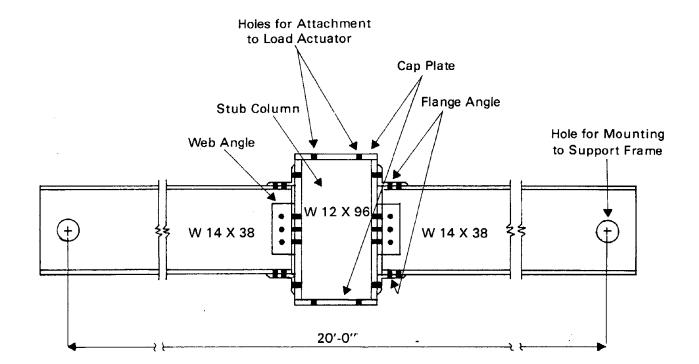
*From Equation: $N_{f} = 298.65(E)^{-1.2639}$

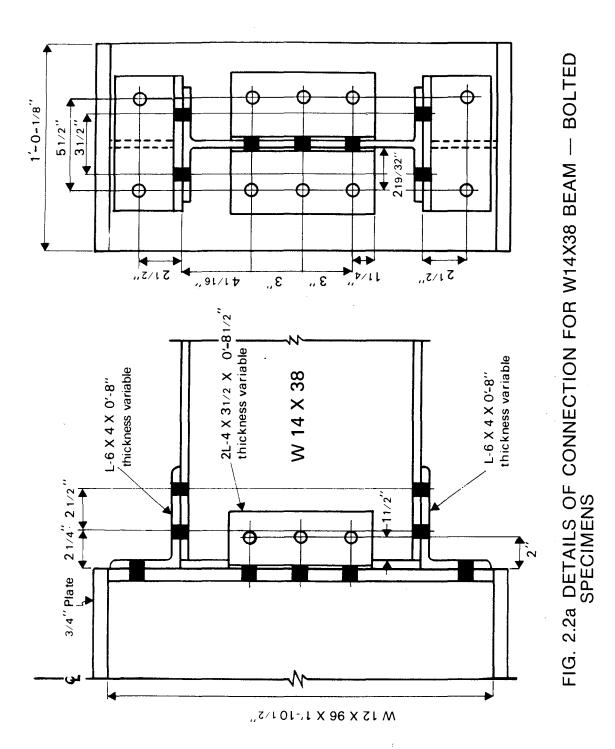
FIGURES

FIG. 2.1 GENERAL CONFIGURATIONS OF TEST SPECIMENS









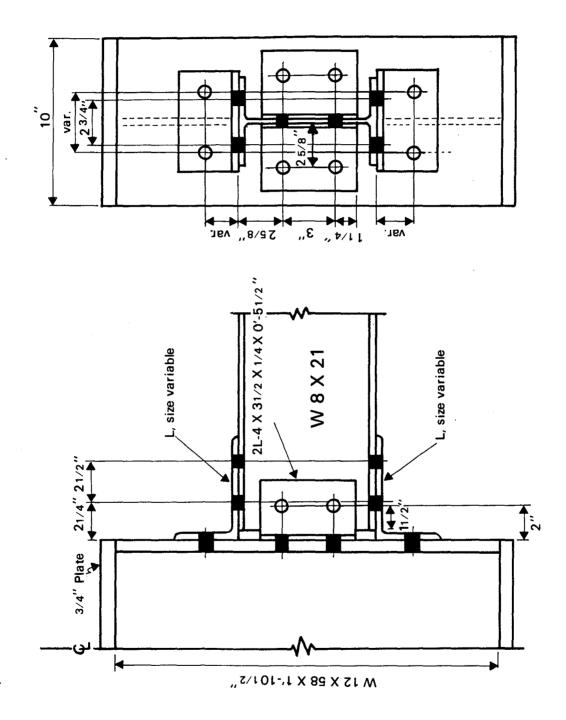


FIG. 2.2b DETAILS OF CONNECTION FOR W8X21 BEAM - BOLTED SPECIMENS

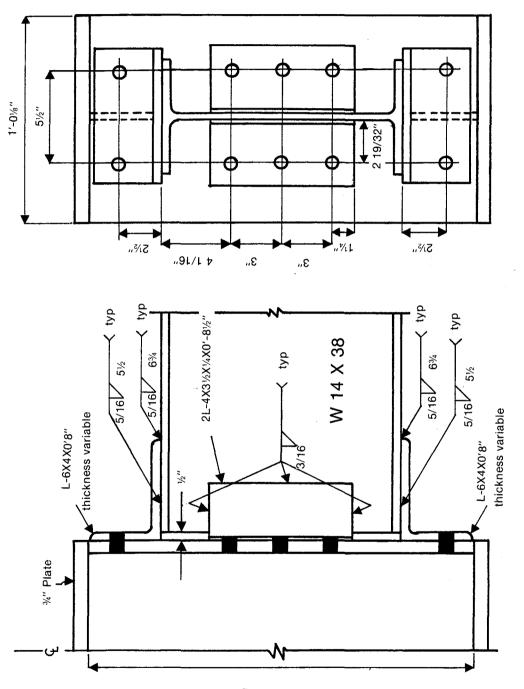
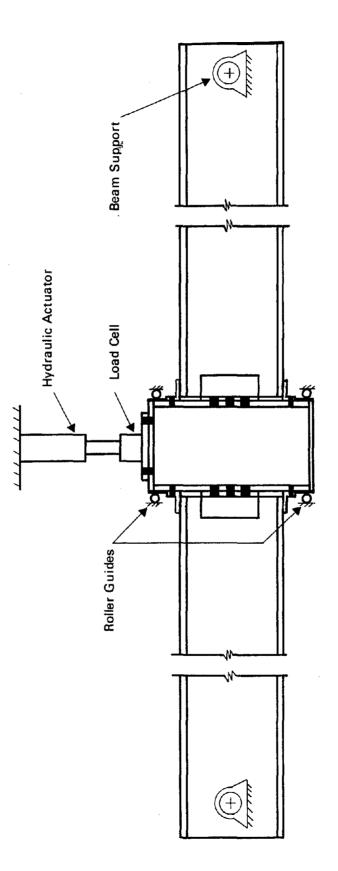


FIG. 2.3 DETAILS OF CONNECTION FOR W14X38 BEAM — BOLTED — WELDED SPECIMENS







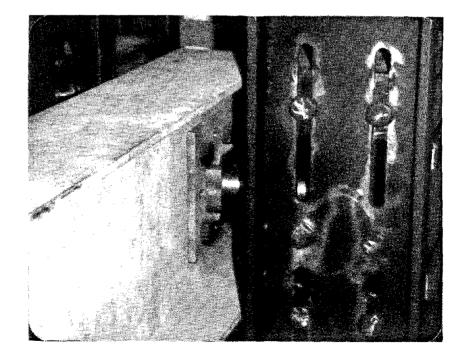
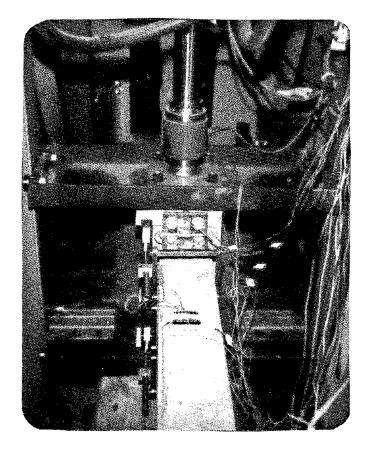
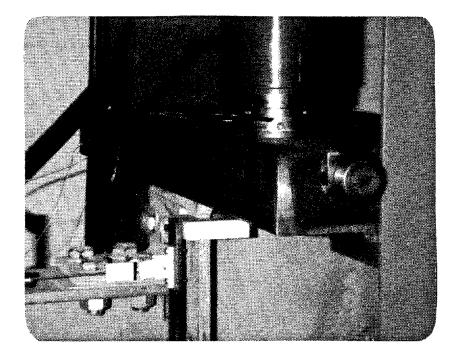


FIG. 2.5 BEAM SUPPORTS FOR TEST SPECIMENS





a.....

FIG. 2.6 LATERAL SUPPORT SYSTEM FOR TEST SPECIMENS

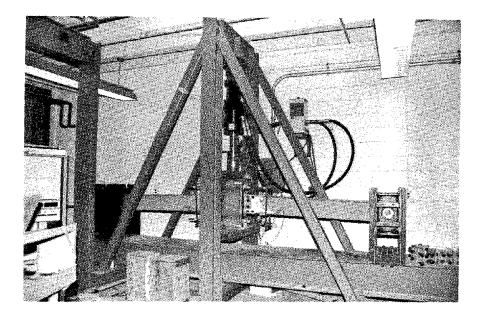


FIG. 2.7 LOADING FRAME AND TEST SET-UP

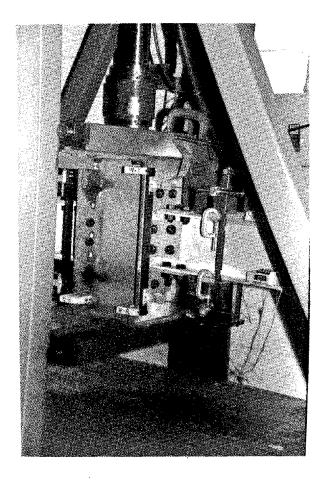
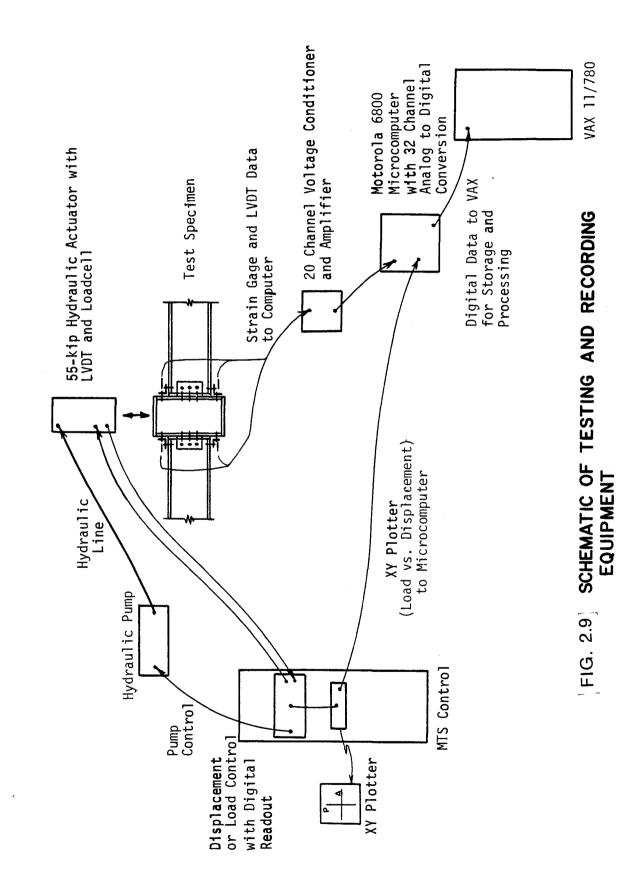


FIG. 2.8 CLOSE-UP OF TEST CONNECTION

ال. .



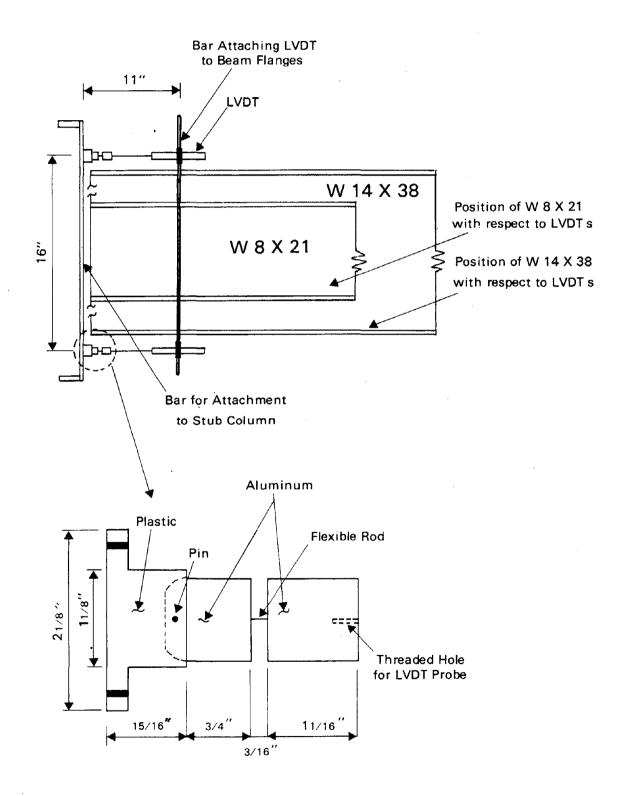
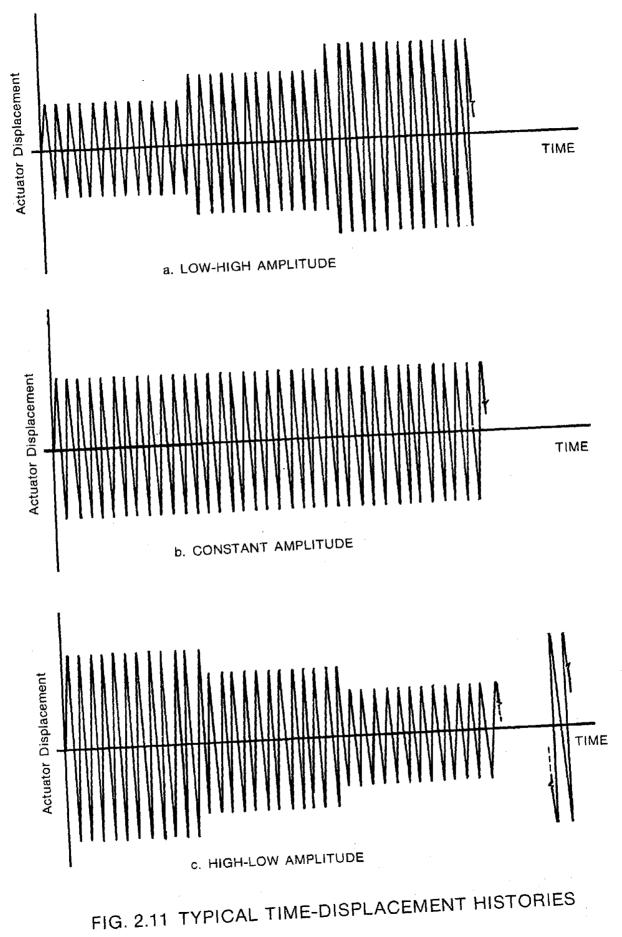


FIG. 2.10 LVDT MOUNTING APPARATUS



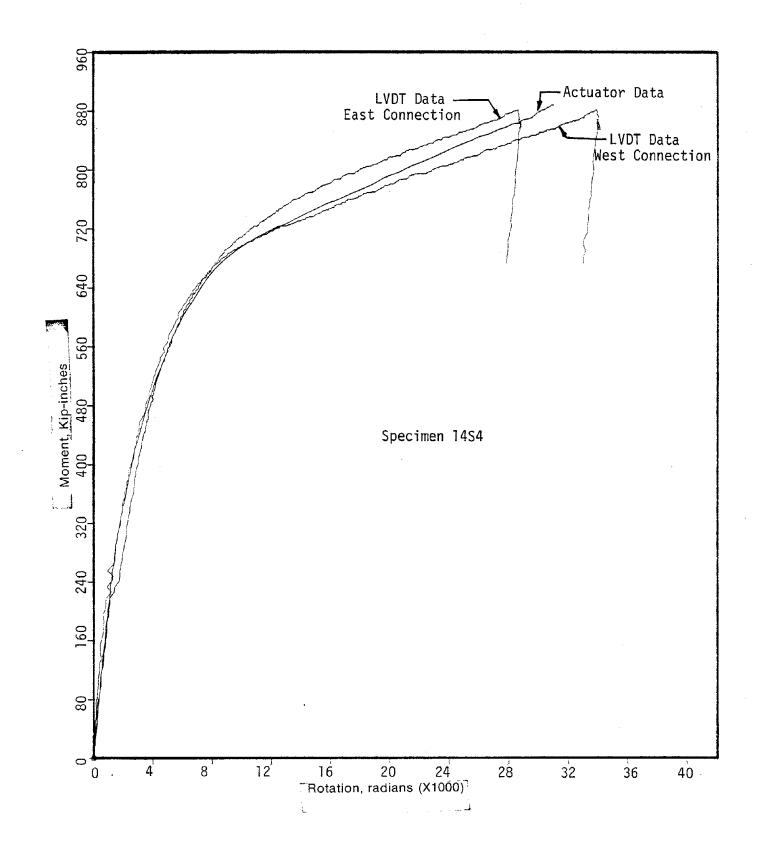
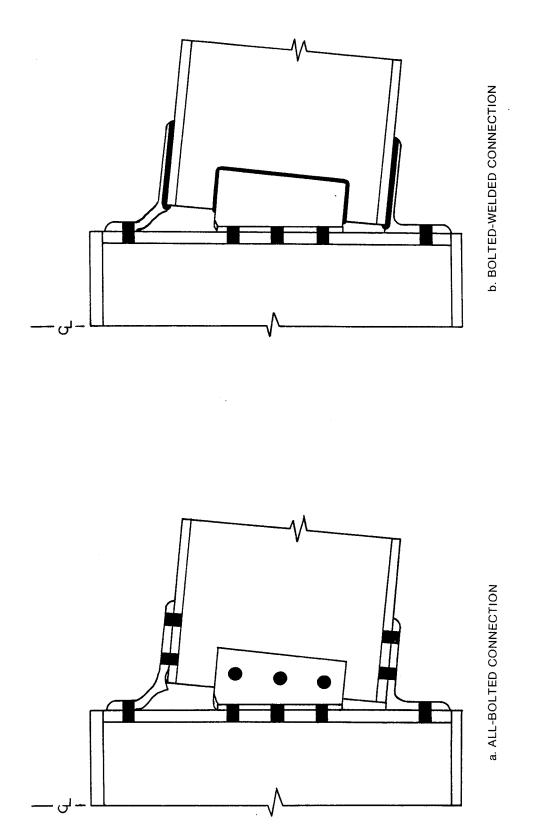


FIG. 3.1 COMPARISON OF MOMENT-ROTATION CURVES OBTAINED FROM LVDT MEASUREMENTS WITH CURVE OBTAINED FROM ACTUATOR DISPLACEMENTS





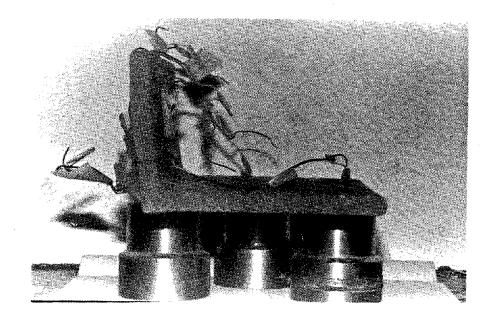


FIG. 3.3 FLANGE ANGLE FROM SPECIMEN 14S2 AFTER TEST

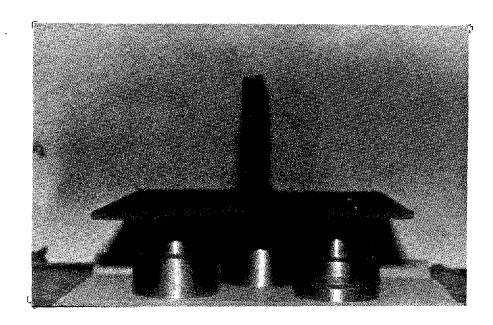


FIG. 3.4 WEB ANGLES FROM SPECIMEN 14S2 AFTER TEST

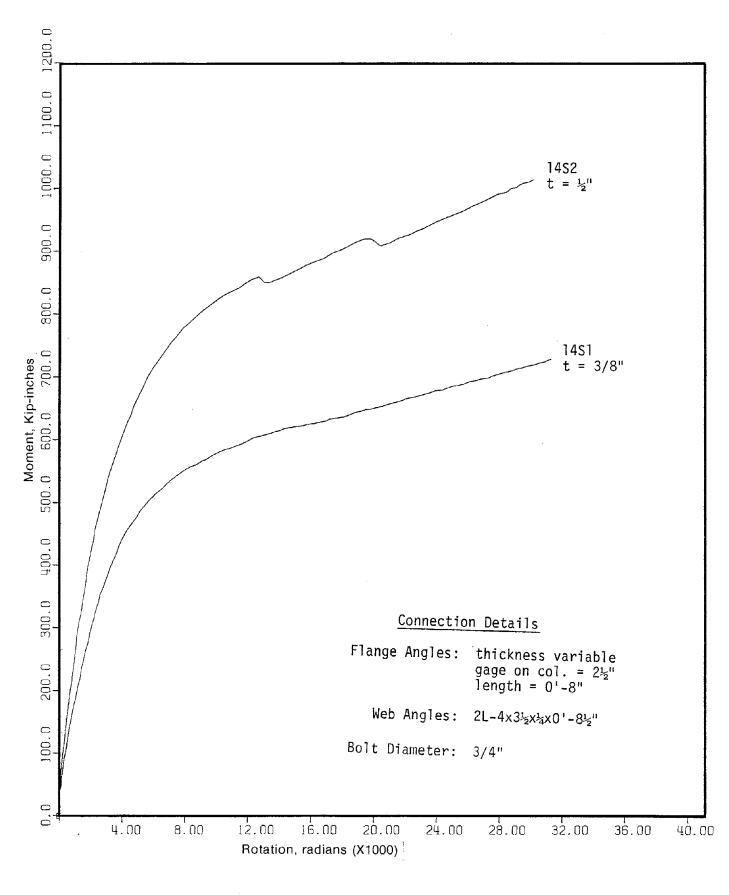


FIG. 3.5 EFFECT OF FLANGE ANGLE THICKNESS ON STATIC MOMENT-ROTATION BEHAVIOR --- W14X38 BEAM CONNEC-TION (BOLT DIAMETER = ¾")

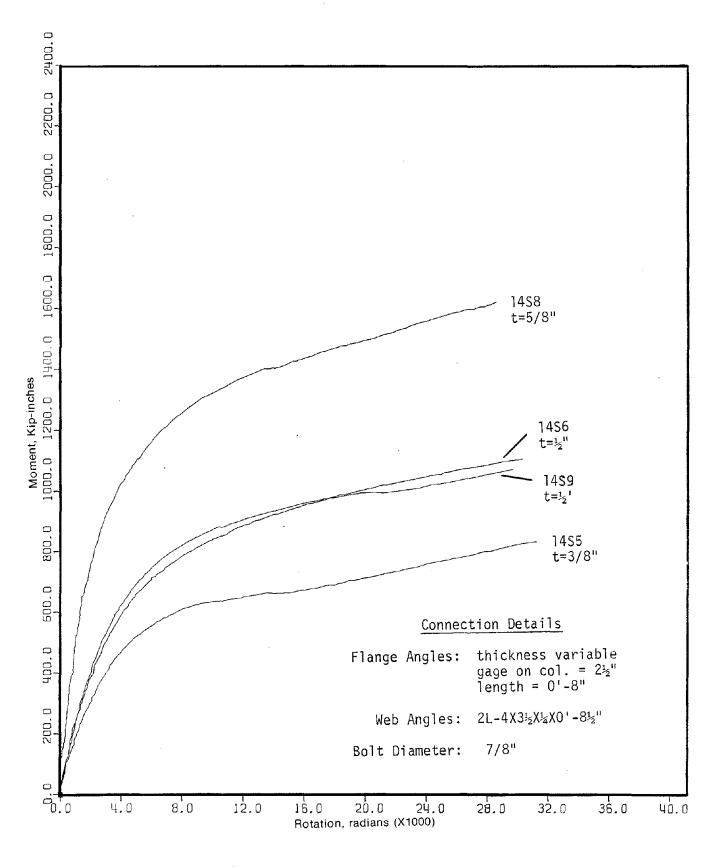


FIG. 3.6 EFFECT OF FLANGE ANGLE THICKNESS ON STATIC MOMENT-ROTATION BEHAVIOR — W14X38 BEAM CONNECTION (BOLT DIAMETER = 7/8")

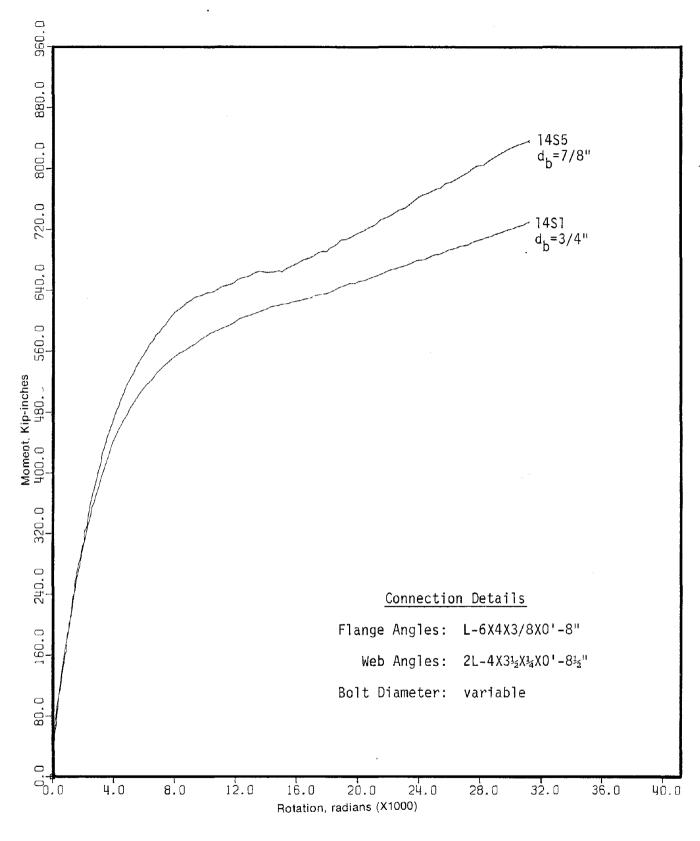


FIG. 3.7a EFFECT OF BOLT DIAMETER ON STATIC MOMENT-ROTATION BEHAVIOR --- W14X38 BEAM CONNECTION (FLANGE ANGLE THICKNESS = %")

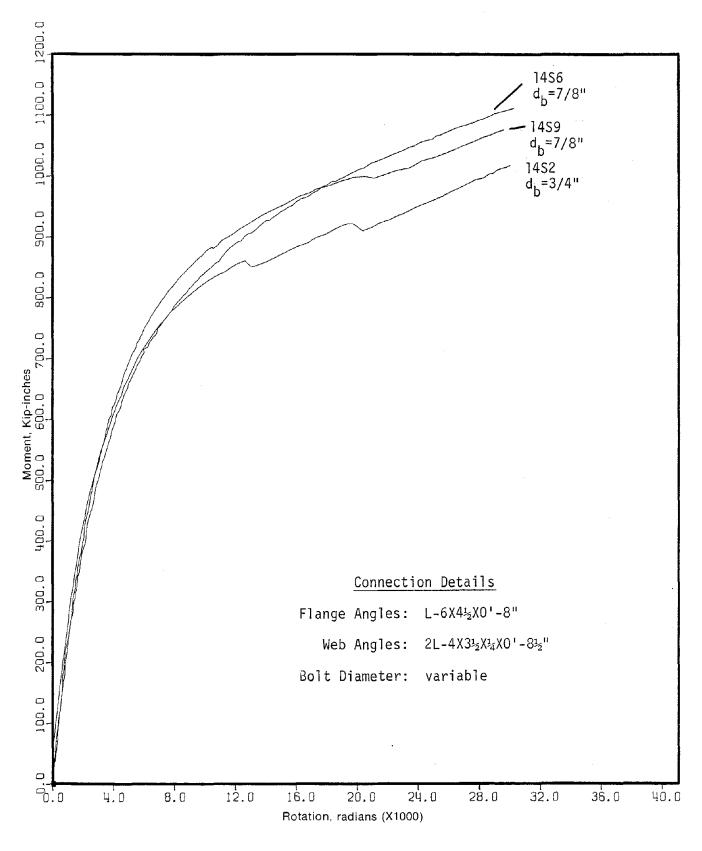


FIG. 3.7b EFFECT OF BOLT DIAMETER ON STATIC MOMENT-ROTATION BEHAVIOR — W14X38 BEAM CONNECTION (FLANGE ANGLE THICKNESS = ½")

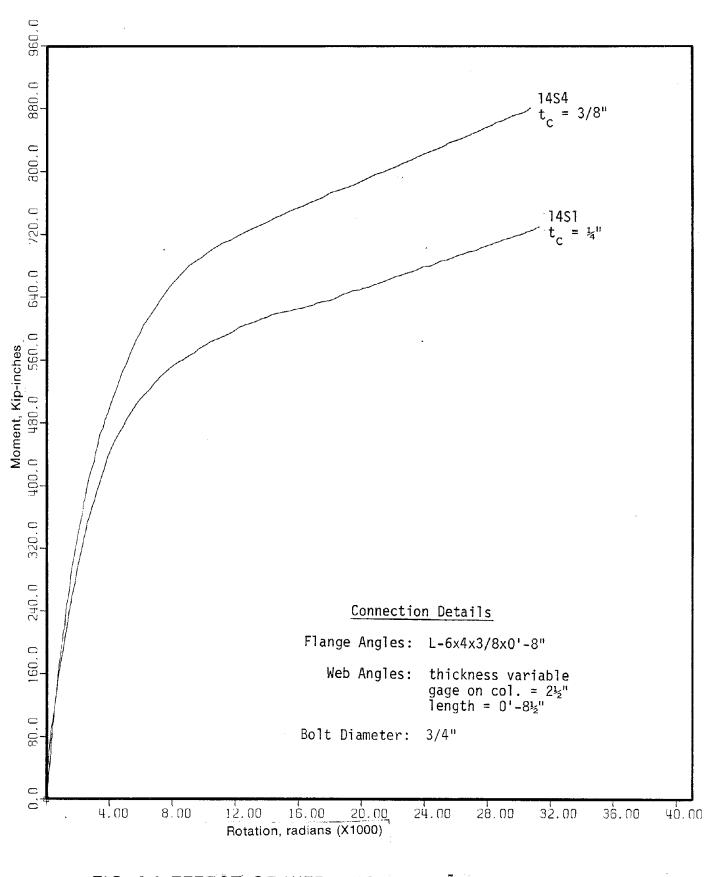


FIG. 3.8 EFFECT OF WEB ANGLE THICKNESS ON STATIC MOMENT-ROTATION BEHAVIOR - W14X38 BEAM CONNECTION

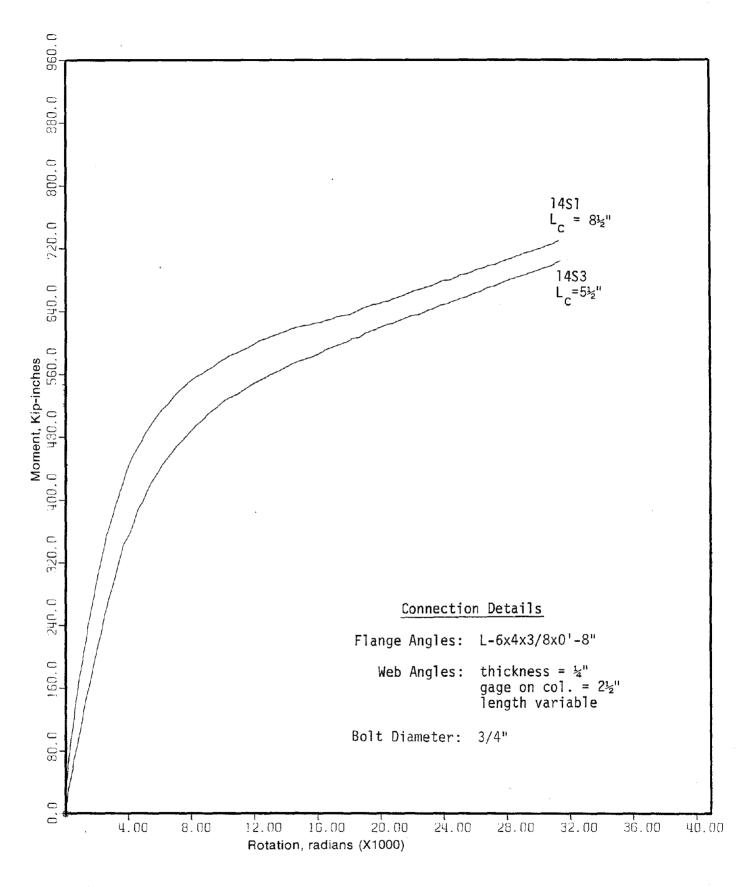


FIG. 3.9 EFFECT OF WEB ANGLE LENGTH ON STATIC MOMENT-ROTATION BEHAVIOR — W14X38 BEAM CONNECTION

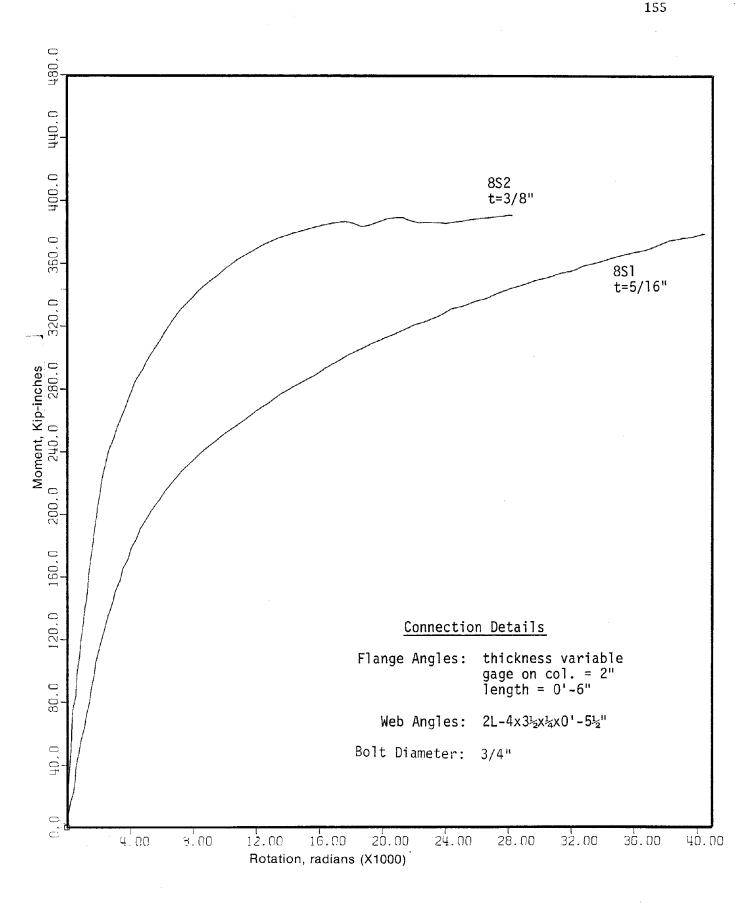


FIG. 3.10a EFFECT OF FLANGE ANGLE THICKNESS ON STATIC MOMENT-ROTATION BEHAVIOR — W8X21 BEAM CONNECTION (BOLT DIAMETER = ¾", ANGLE GAGE = 2")

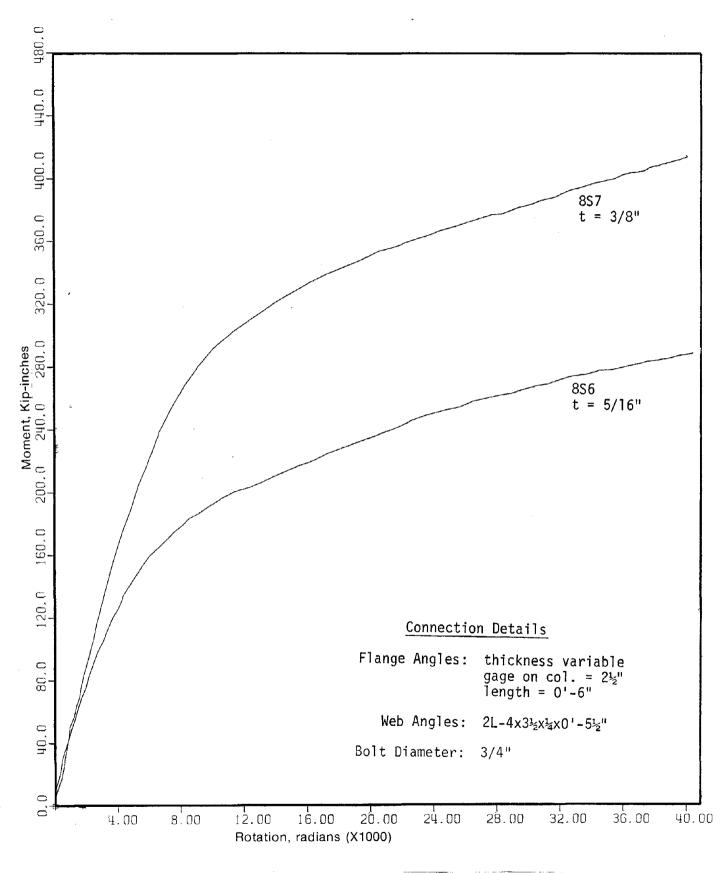


FIG. 3.10b EFFECT OF FLANGE ANGLE THICKNESS ON STATIC MOMENT-ROTATION BEHAVIOR — W8X21 BEAM CONNECTION (BOLT DIAMETER = ¾", ANGLE GAGE = 2½")

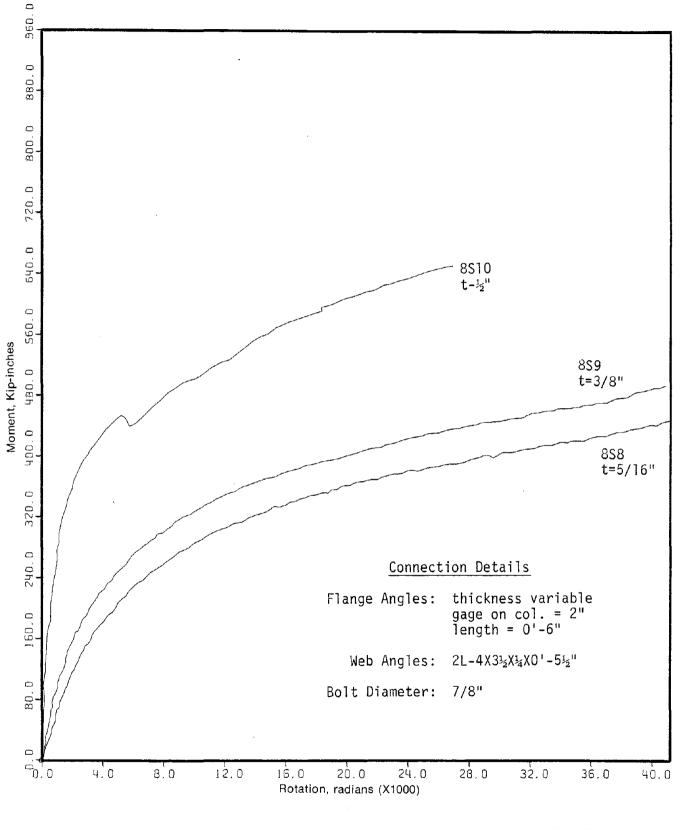


FIG. 3.11 EFFECT OF FLANGE ANGLE THICKNESS ON STATIC MOMENT-ROTATION BEHAVIOR — W8X21 BEAM CONNECTIONS (BOLT DIAMETER = 1/8", ANGLE GAGE = 2")

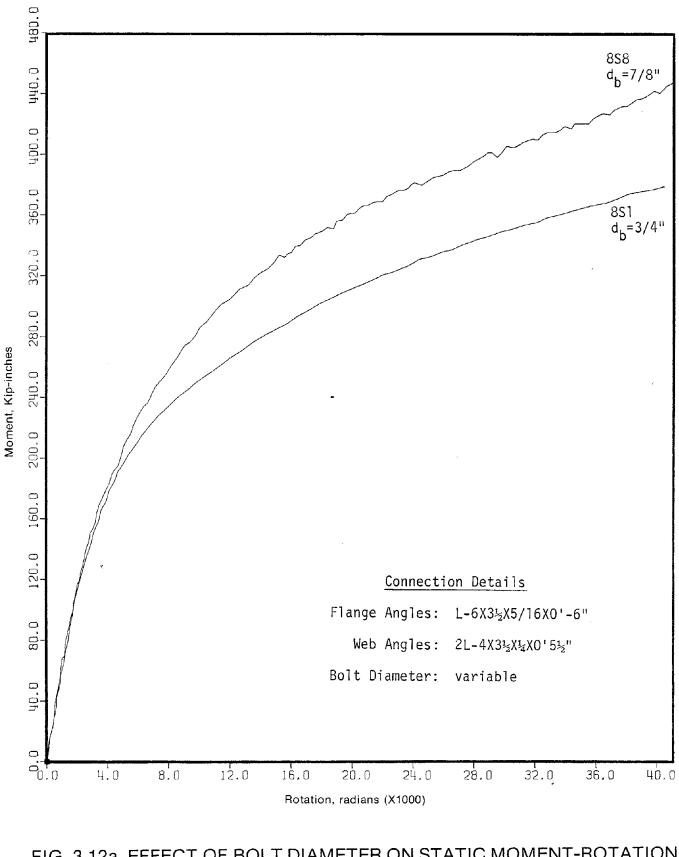


FIG. 3.12a EFFECT OF BOLT DIAMETER ON STATIC MOMENT-ROTATION BEHAVIOR — W8X21 BEAM CONNECTION (FLANGE ANGLE THICKNESS = 5/16")

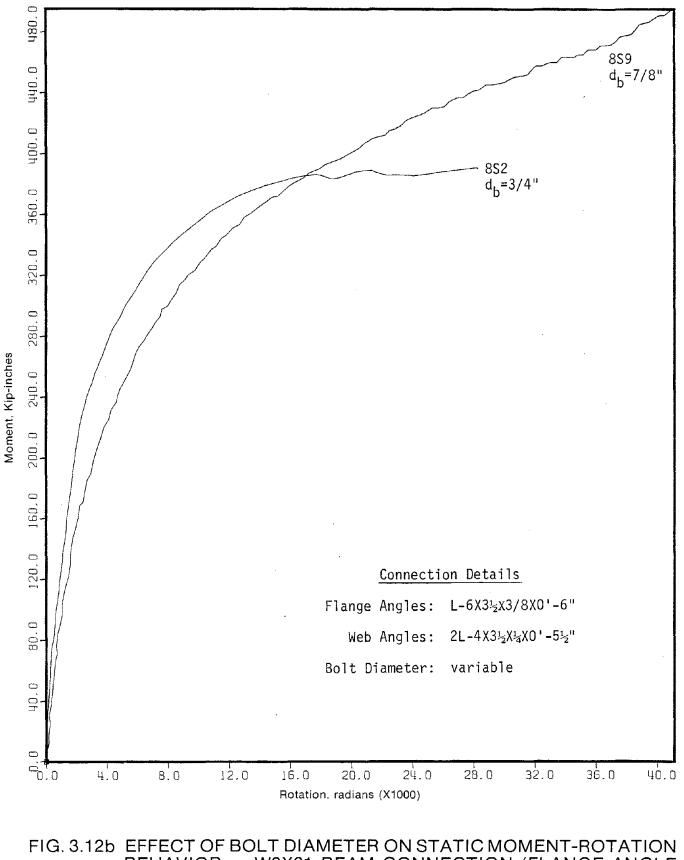


FIG. 3.12b EFFECT OF BOLT DIAMETER ON STATIC MOMENT-ROTATION BEHAVIOR — W8X21 BEAM CONNECTION (FLANGE ANGLE THICKNESS = %")

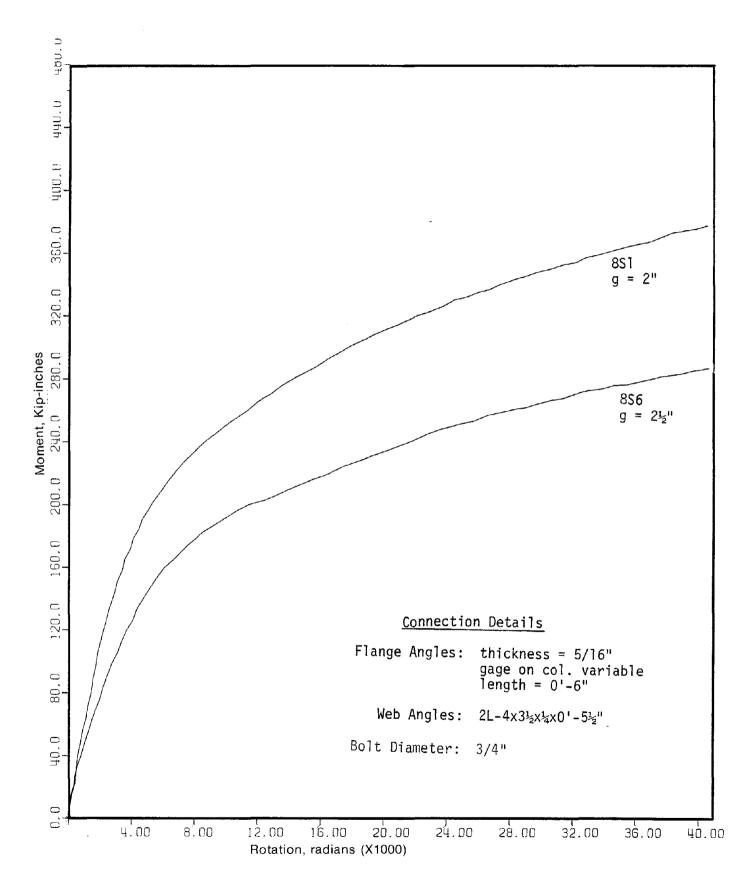


FIG. 3.13a EFFECT OF FLANGE ANGLE GAGE ON STATIC MOMENT-ROTATION BEHAVIOR — W8X21 BEAM CONNECTION (ANGLE THICKNESS — 5/16")

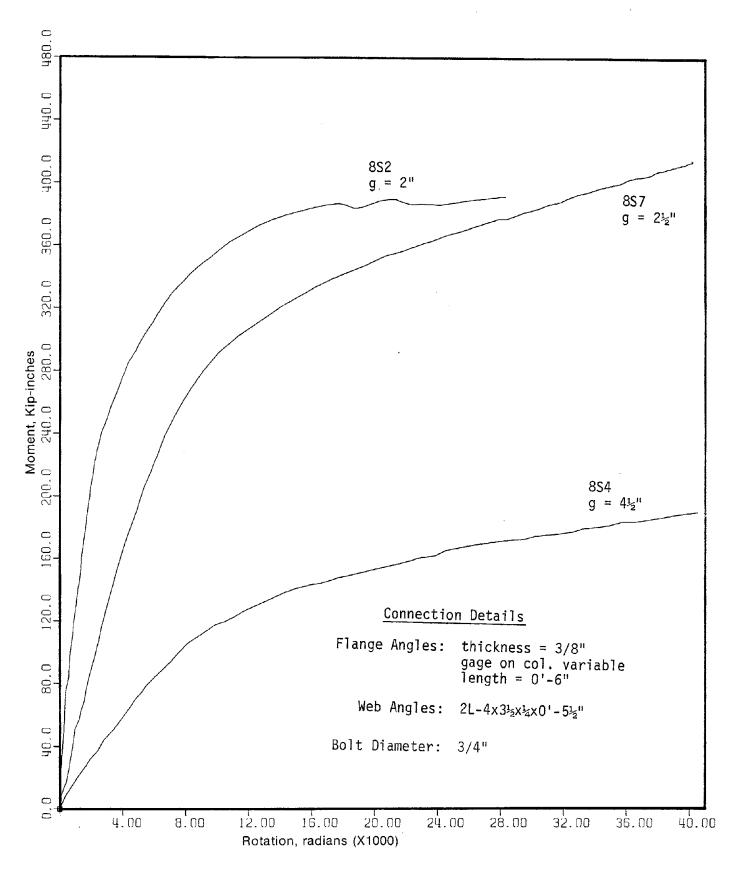
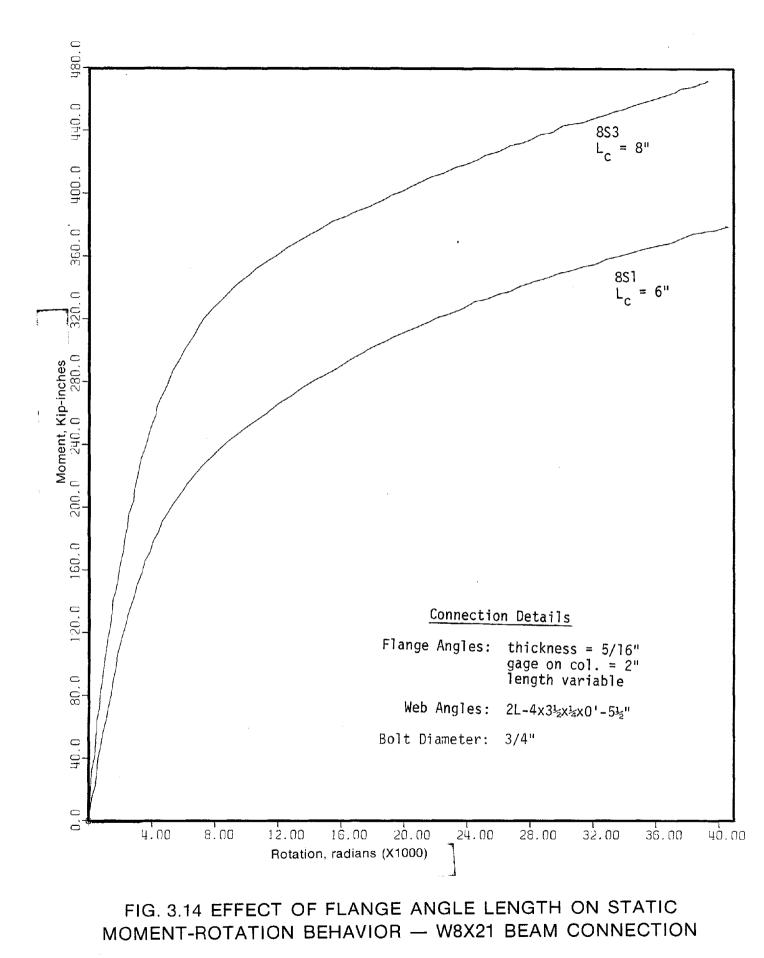


FIG. 3.136 EFFECT OF FLANGE ANGLE GAGE ON STATIC MOMENT-ROTATION BEHAVIOR — W8X21 BEAM CONNECTION (ANGLE THICKNESS = %")



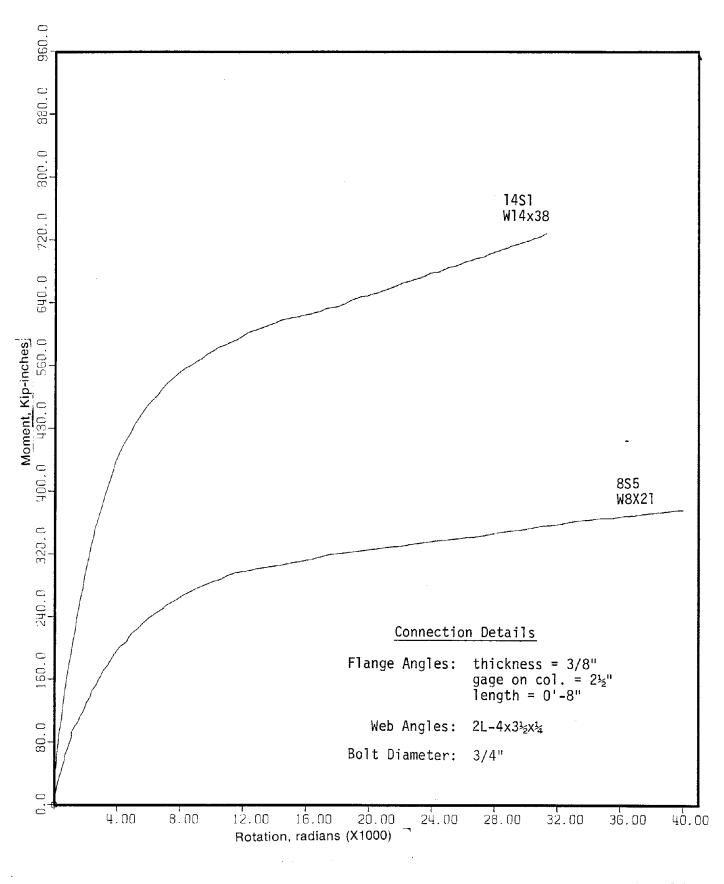
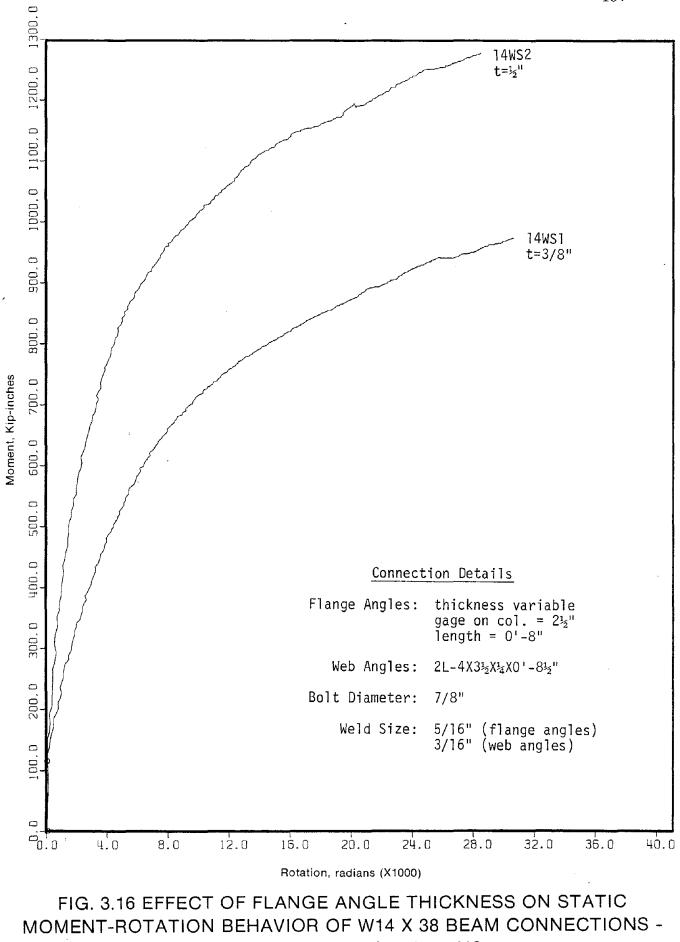
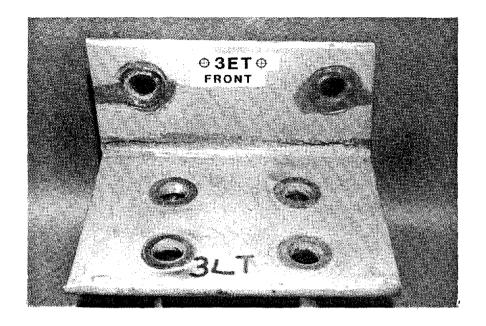


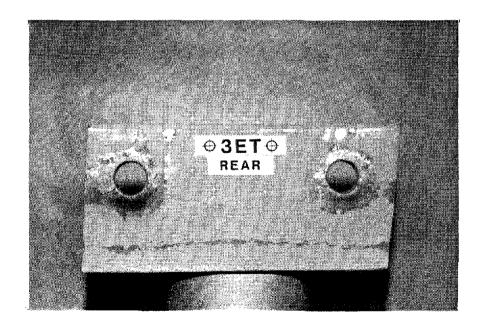
FIG. 3.15 COMPARISON OF STATIC MOMENT-ROTATION BEHAVIOR OF W14X38 and W8X21 BEAM CONNECTIONS



BOLTED-WELDED SPECIMENS



a. FRONT VIEW



b. REAR VIEW

FIG. 3.17a FLANGE ANGLE FROM SPECIMEN 14CI AFTER CYCLIC TEST

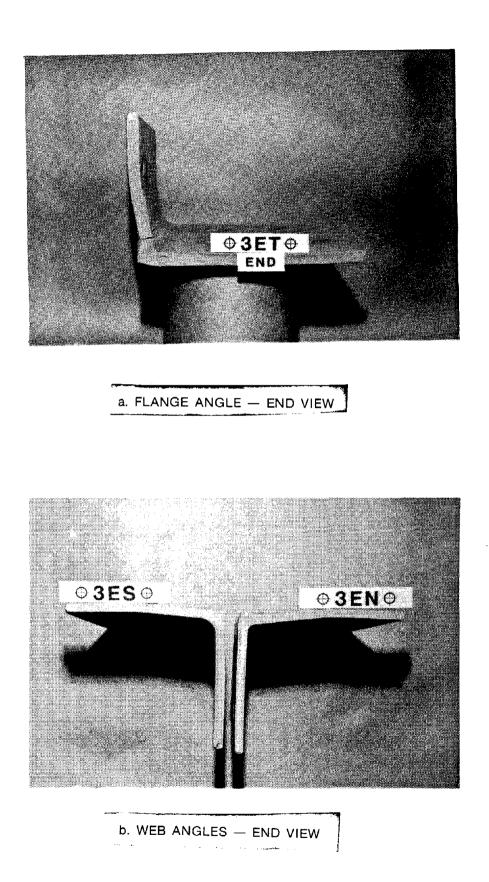


FIG. 3.17b FLANGE AND WEB ANGLES FROM SPECIMEN 14CI AFTER CYCLIC TEST

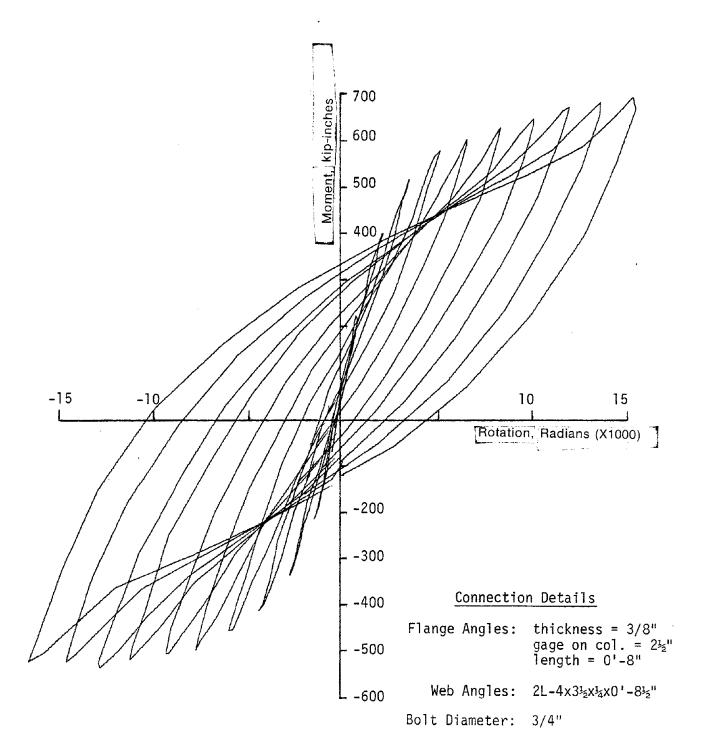


FIG. 3.18 STABLE HYSTERESIS LOOPS FOR SPECIMEN 14C1

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- -

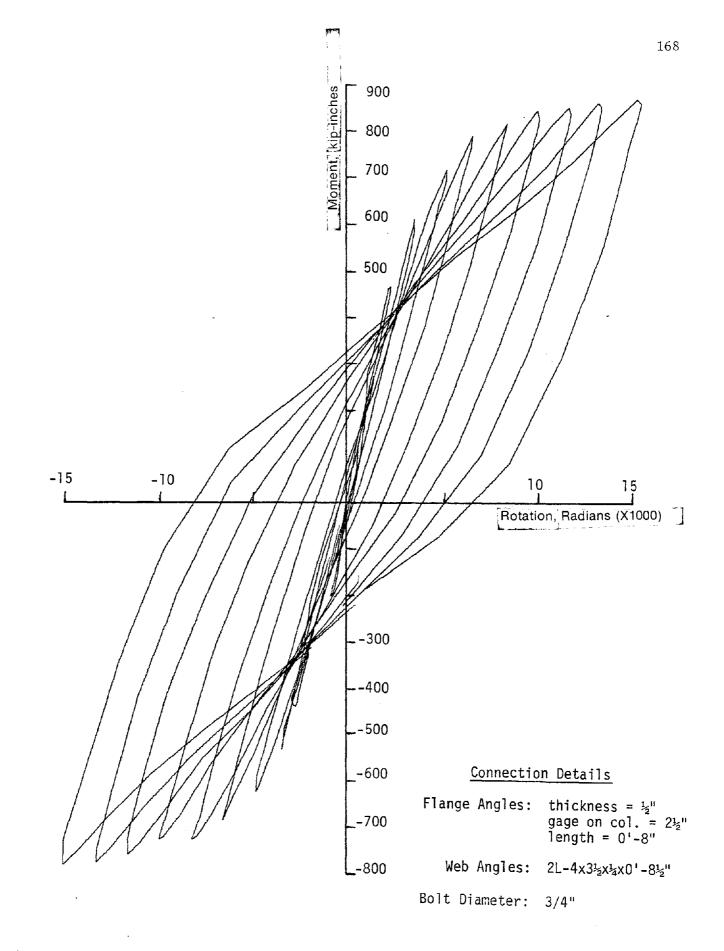


FIG. 3.19 STABLE HYSTERESIS LOOPS FOR SPECIMEN 14C2

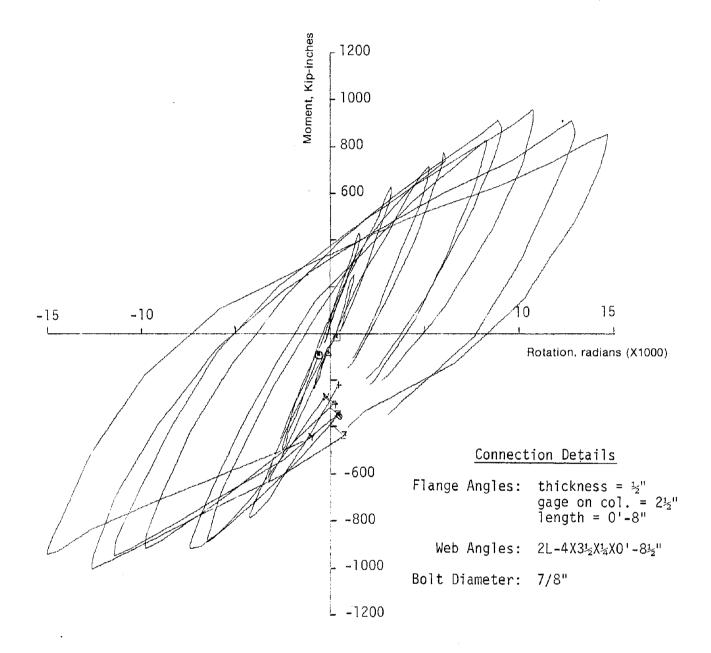


FIG. 3.20 STABLE HYSTERESIS LOOPS FOR SPECIMEN 14C3

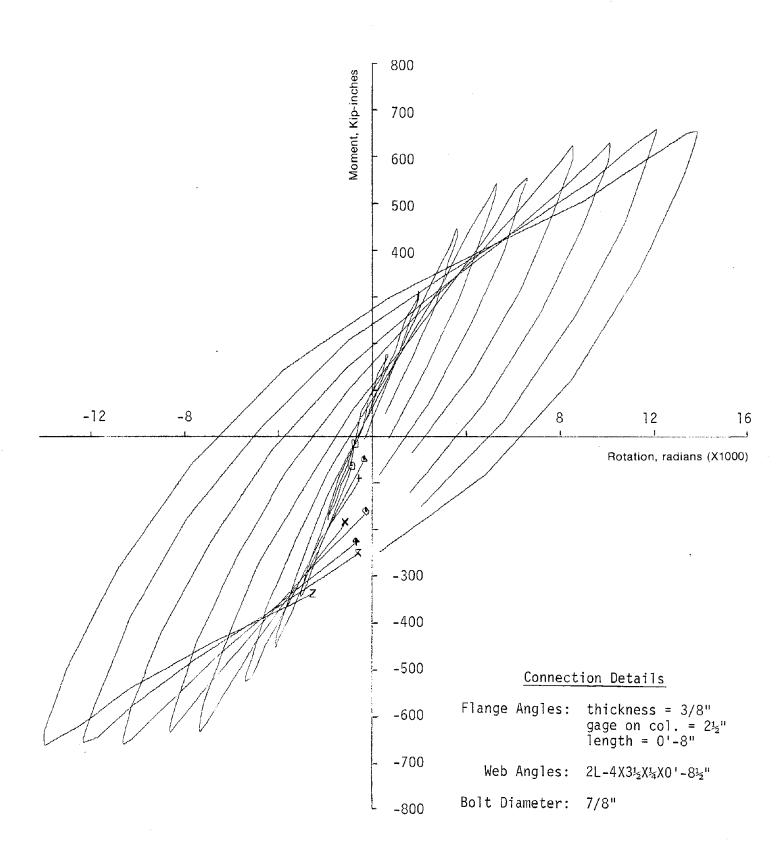


FIG. 3.21 STABLE HYSTERESIS LOOPS FOR SPECIMEN 14C4

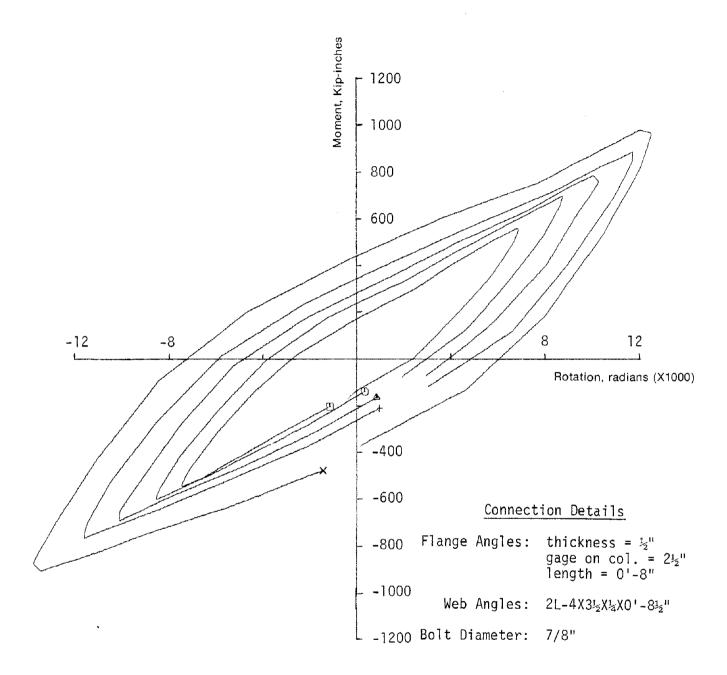


FIG. 3.22 STABLE HYSTERESIS LOOPS FOR SPECIMEN 14B1

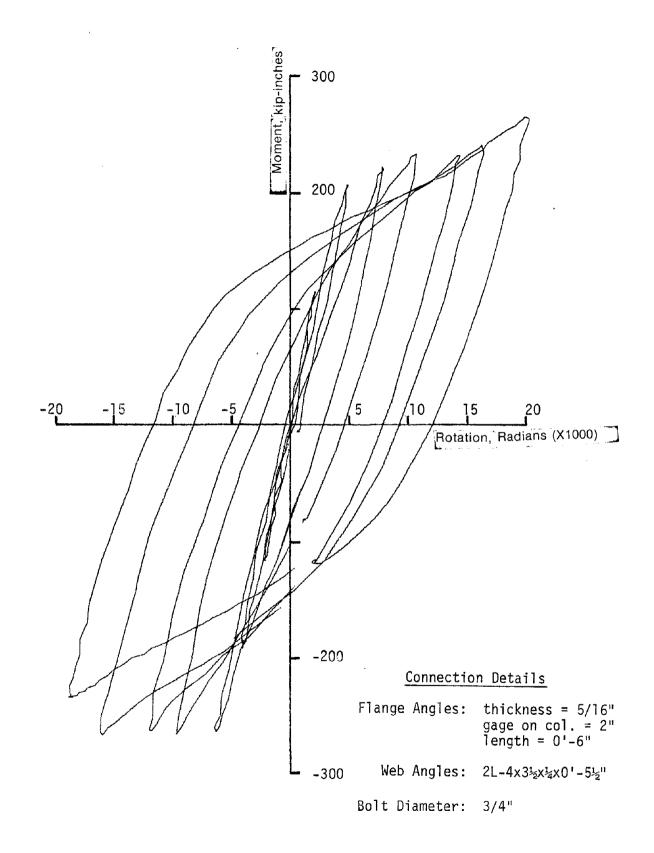


FIG. 3.23 STABLE HYSTERESIS LOOPS FOR SPECIMEN 8C1

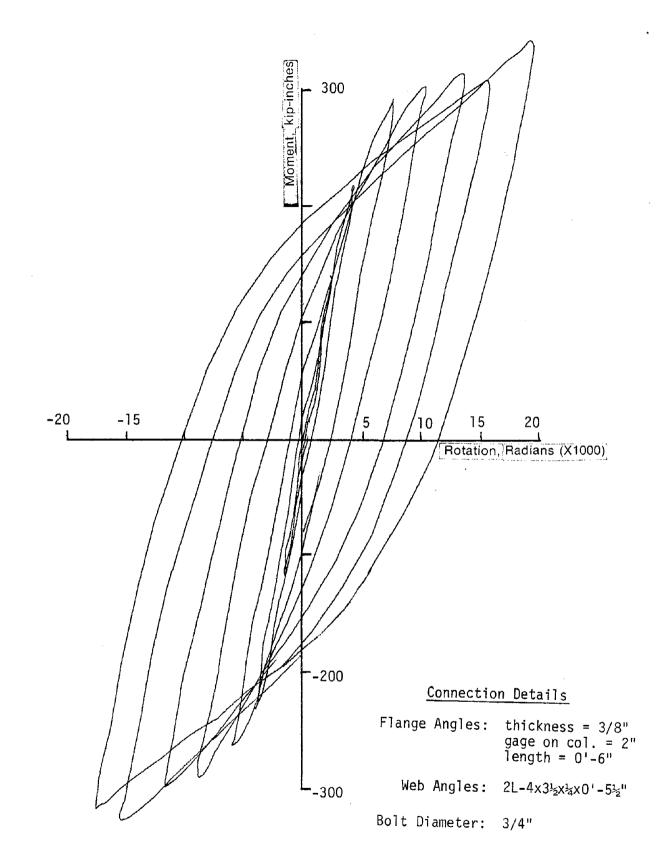


FIG. 3.24 STABLE HYSTERESIS LOOPS FOR SPECIMEN 8C2

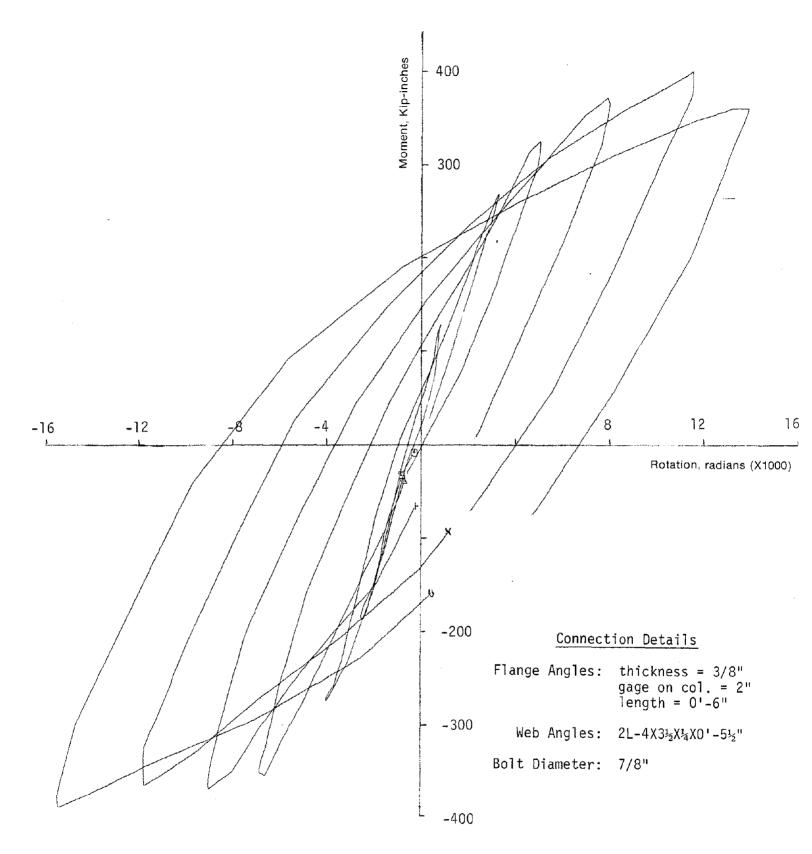


FIG. 3.25 STABLE HYSTERESIS LOOPS FOR SPECIMEN 8C3

•

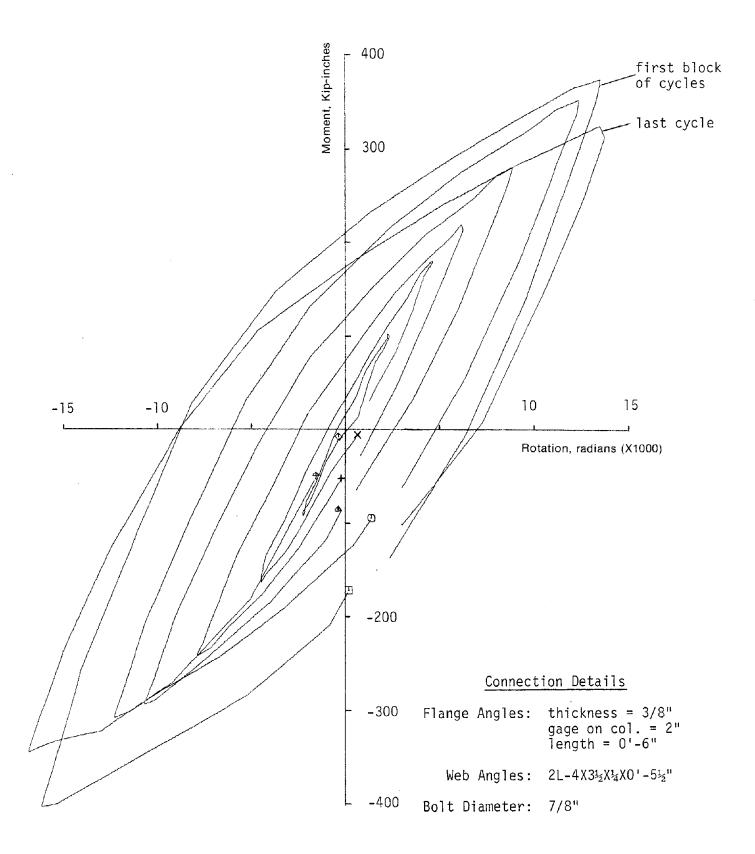
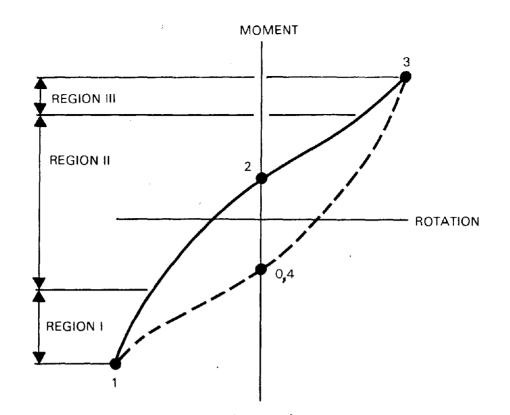
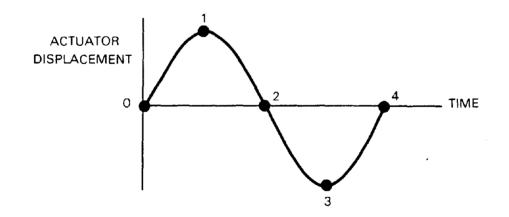


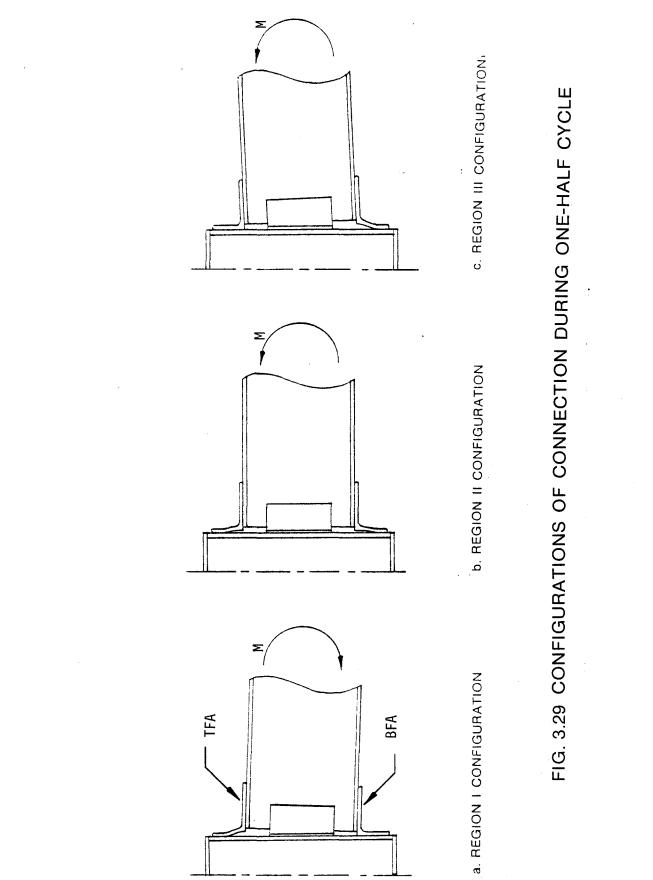
FIG. 3.26 STABLE HYSTERESIS LOOPS FOR SPECIMEN 8B1











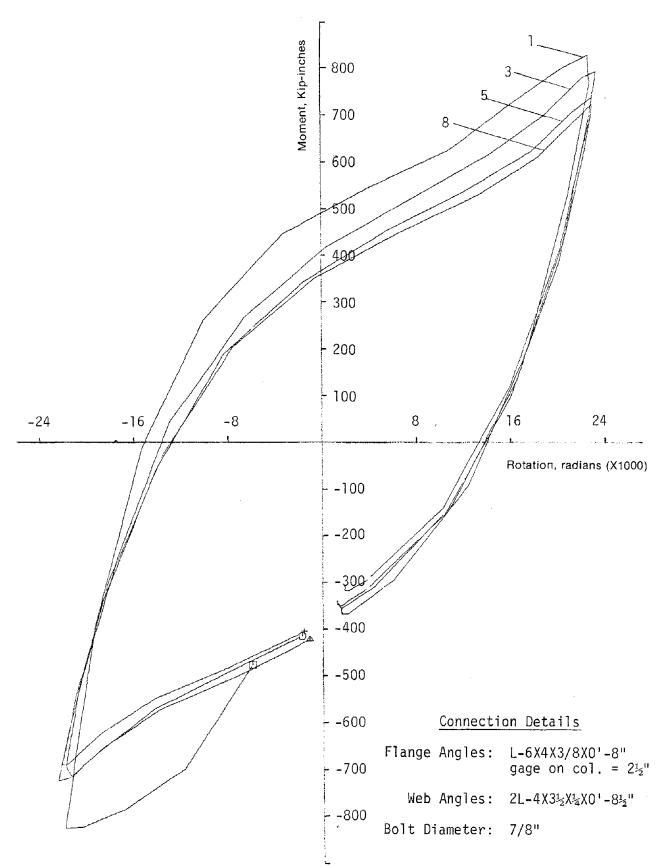


FIG. 3.30 SELECTED HYSTERESIS LOOPS FOR SPECIMEN 14F3

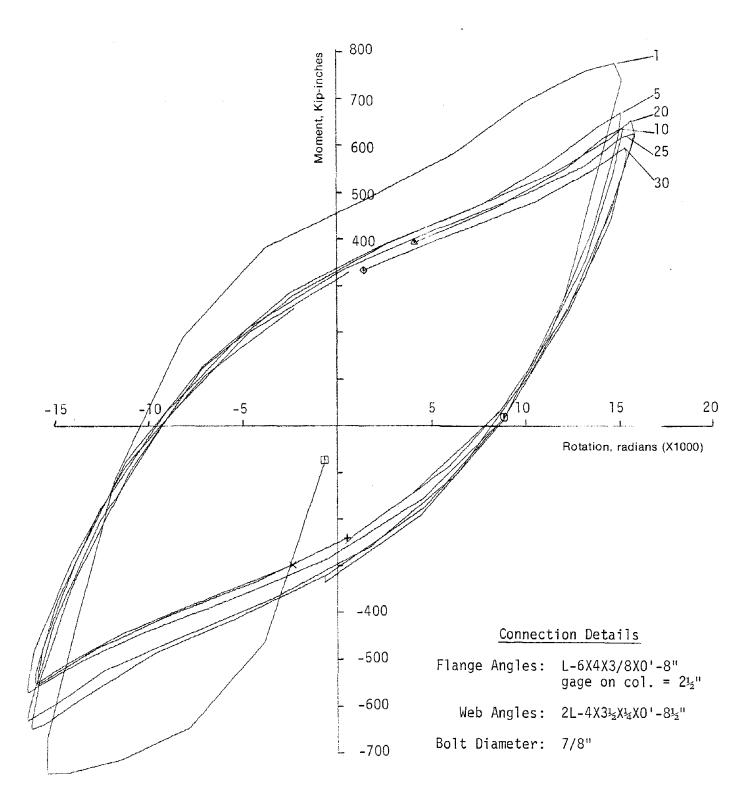


FIG. 3.31 SELECTED HYSTERESIS LOOPS FOR SPECIMEN 14F2

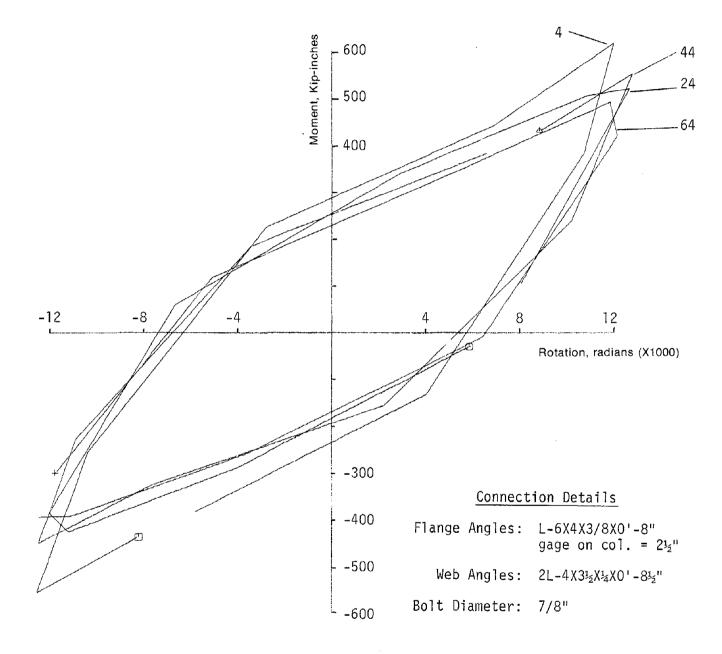


FIG. 3.32 SELECTED HYSTERESIS LOOPS FOR SPECIMEN 14F1

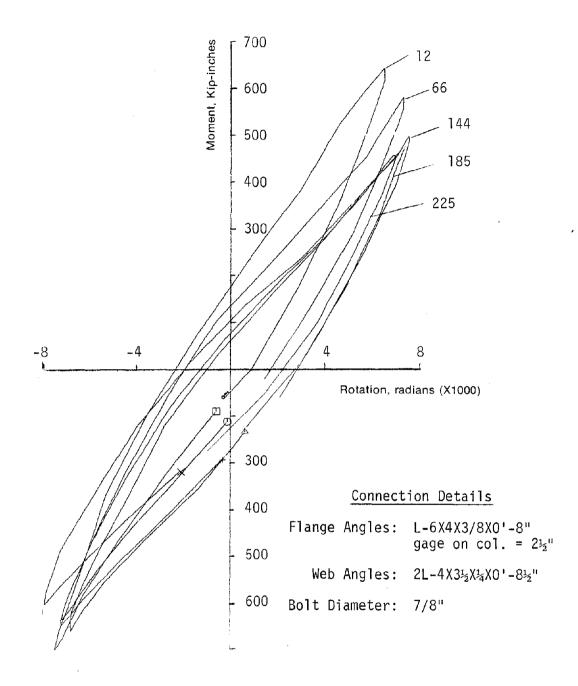


FIG. 3.33 SELECTED HYSTERESIS LOOPS FOR SPECIMEN 14F9

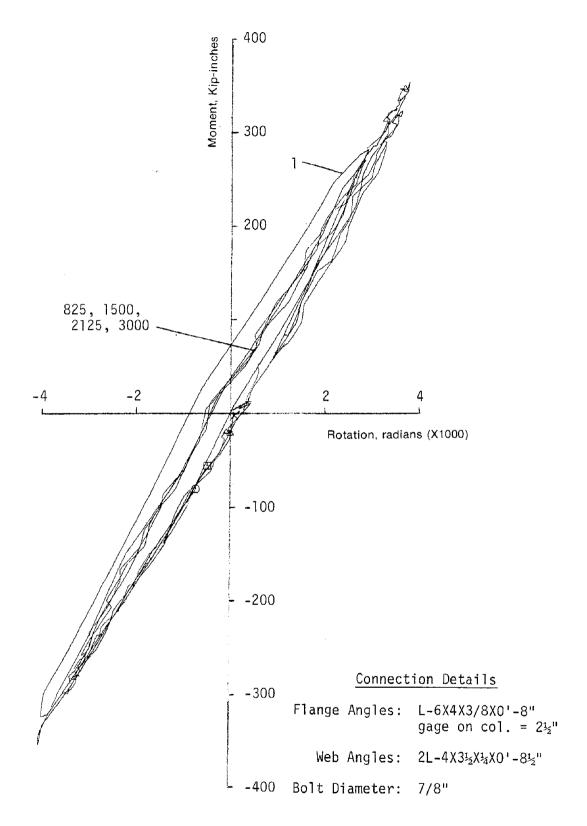


FIG. 3.34 SELECTED HYSTERESIS LOOPS FOR SPECIMEN 14F4

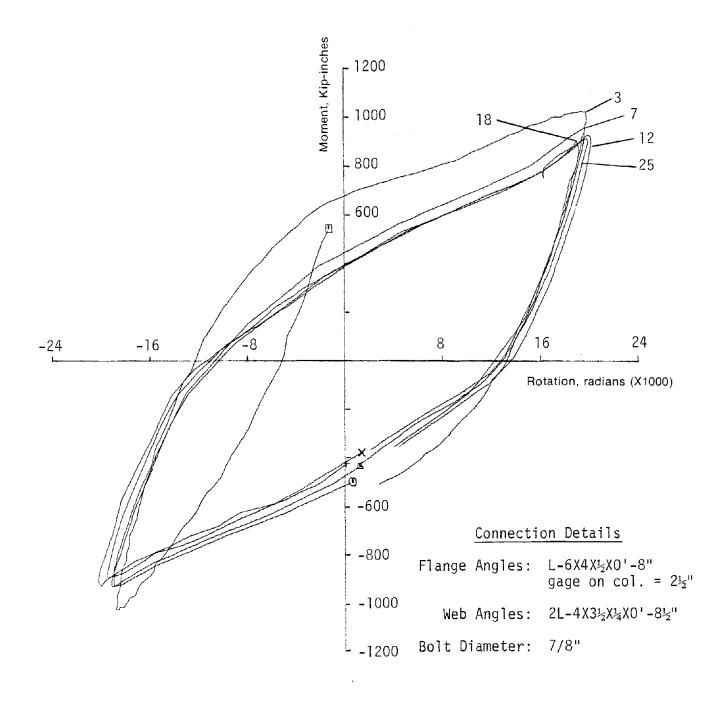


FIG. 3.35 SELECTED HYSTERESIS LOOPS FOR SPECIMEN 14F7

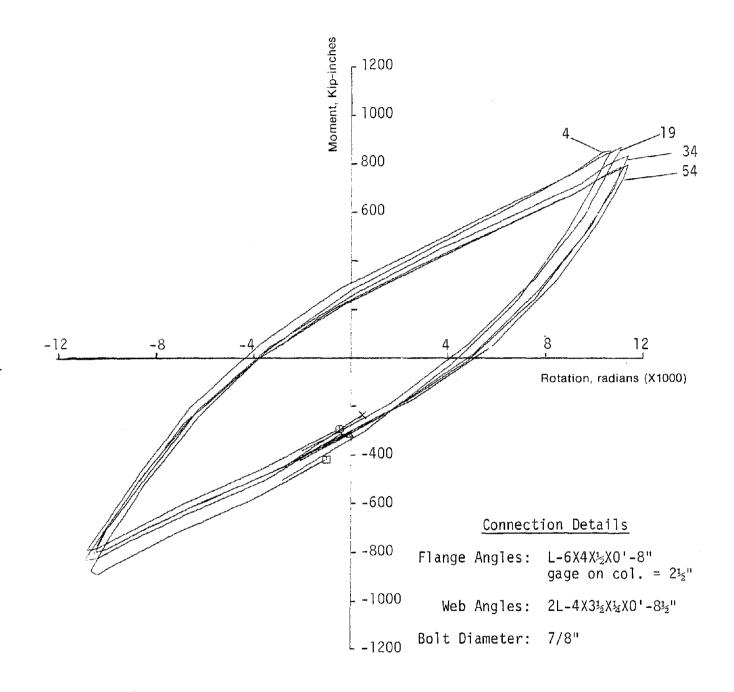


FIG. 3.36 SELECTED HYSTERESIS LOOPS FOR SPECIMEN 14F5

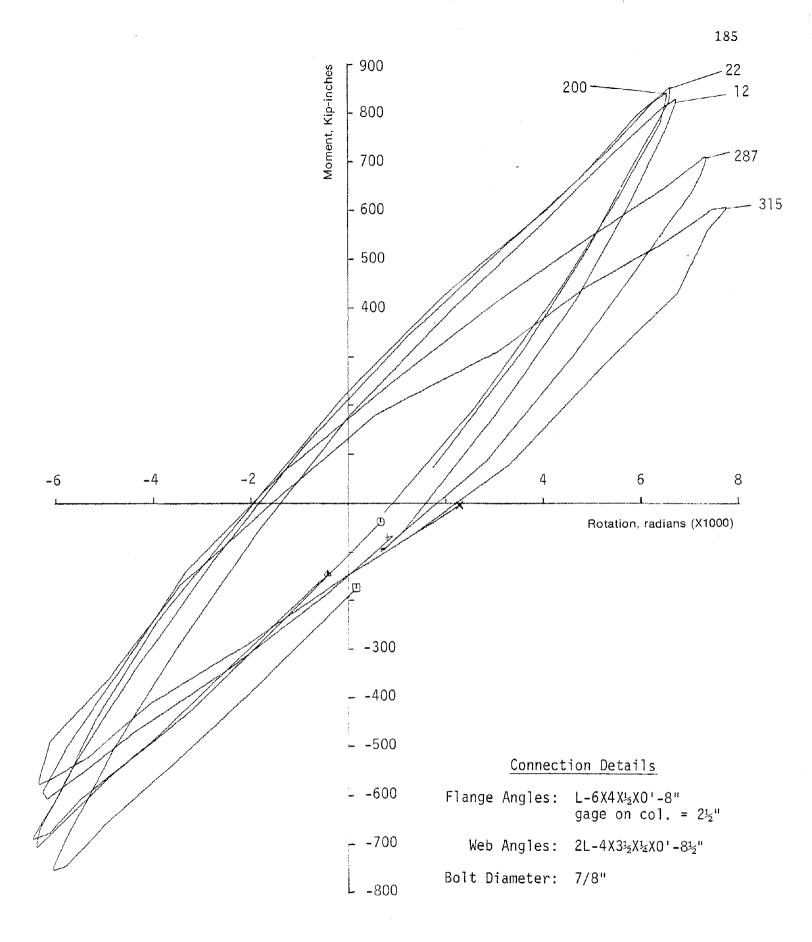


FIG. 3.37 SELECTED HYSTERESIS LOOPS FOR SPECIMEN 14F6

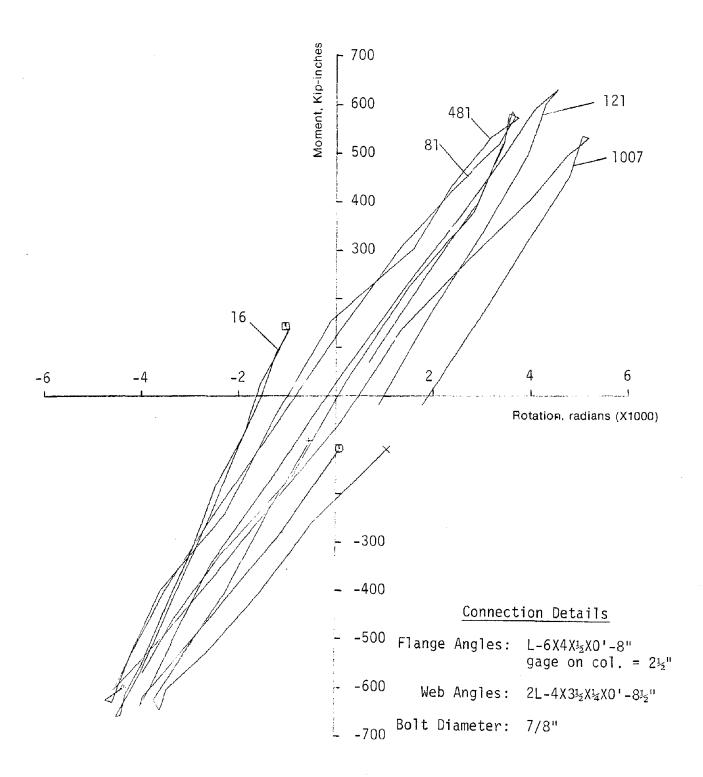


FIG. 3.38 SELECTED HYSTERESIS LOOPS FOR SPECIMEN 14F8

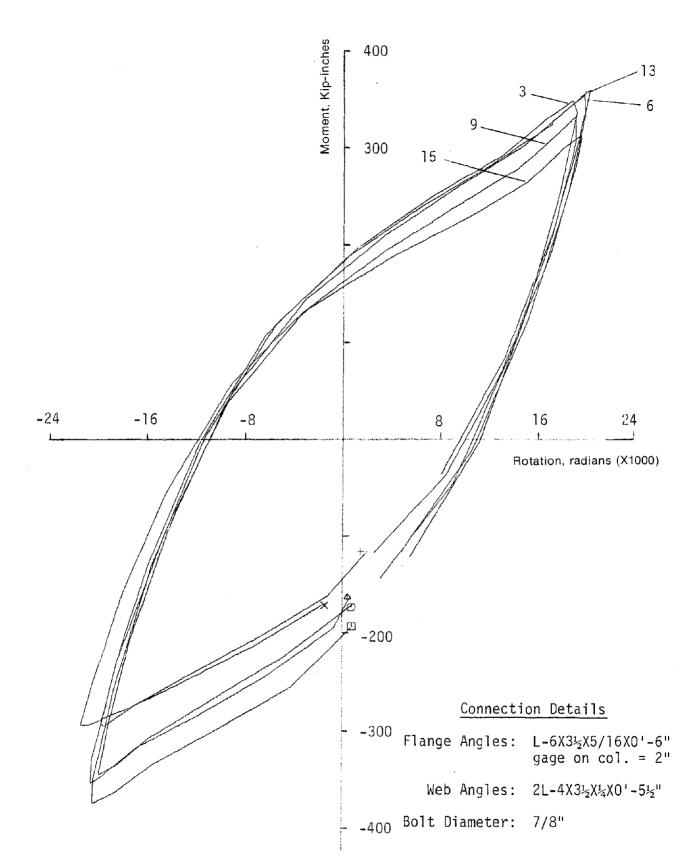


FIG. 3.39 SELECTED HYSTERESIS LOOPS FOR SPECIMEN 8F8

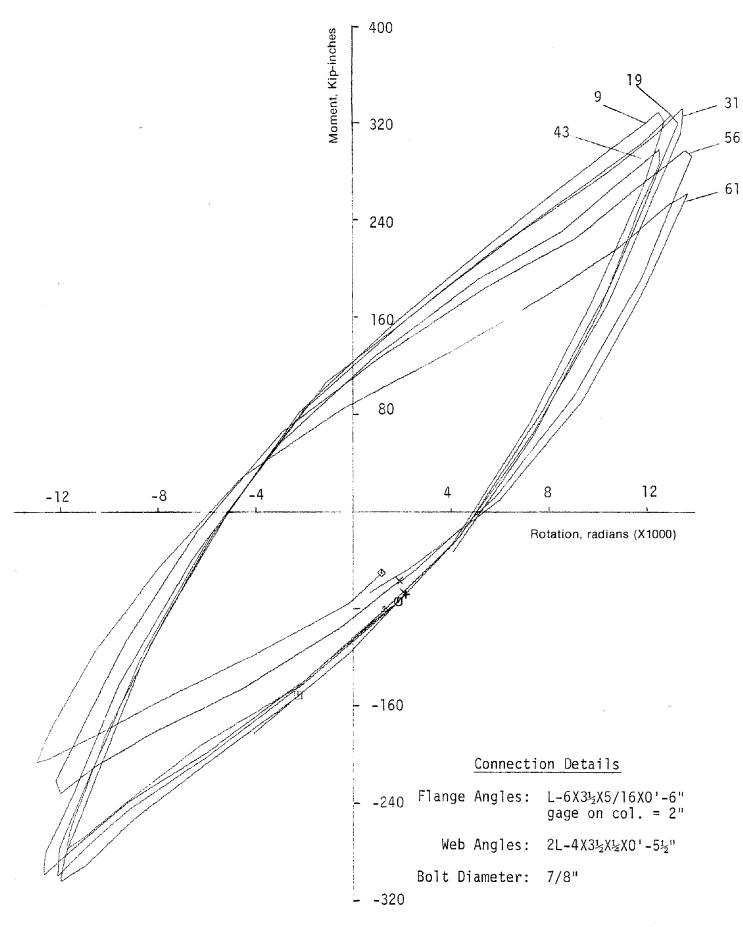


FIG. 3.40 SELECTED HYSTERESIS LOOPS FOR SPECIMEN 8F7

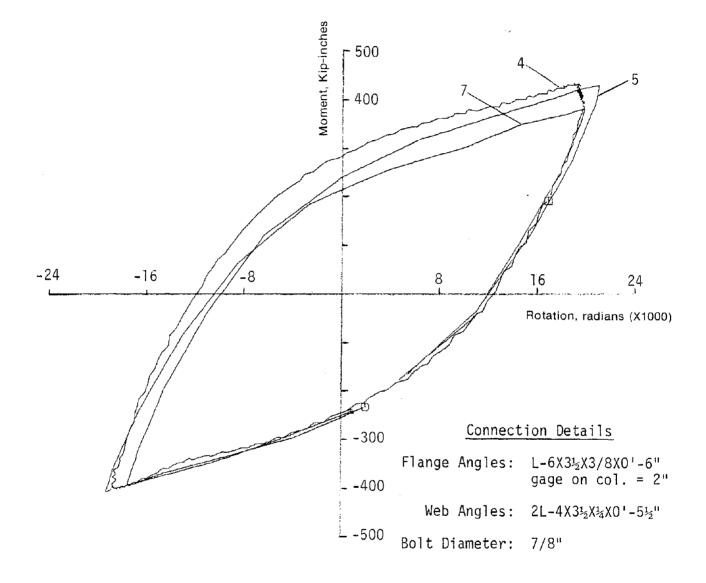


FIG. 3.41 SELECTED HYSTERESIS LOOPS FOR SPECIMEN 8F1

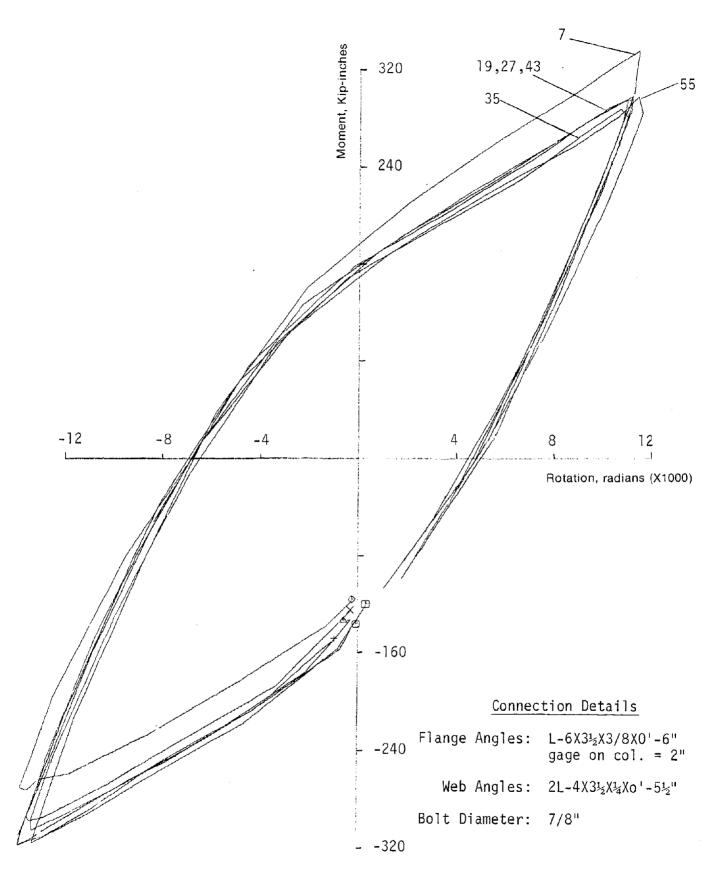


FIG. 3.42 SELECTED HYSTERESIS LOOPS FOR SPECIMEN 8F4

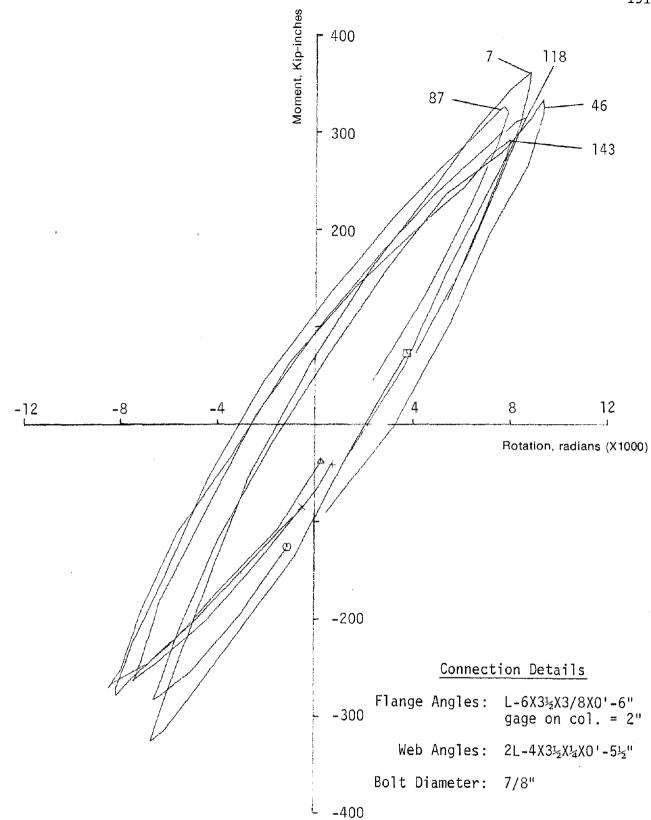


FIG. 3.43 SELECTED HYSTERESIS LOOPS FOR SPECIMEN 8F3

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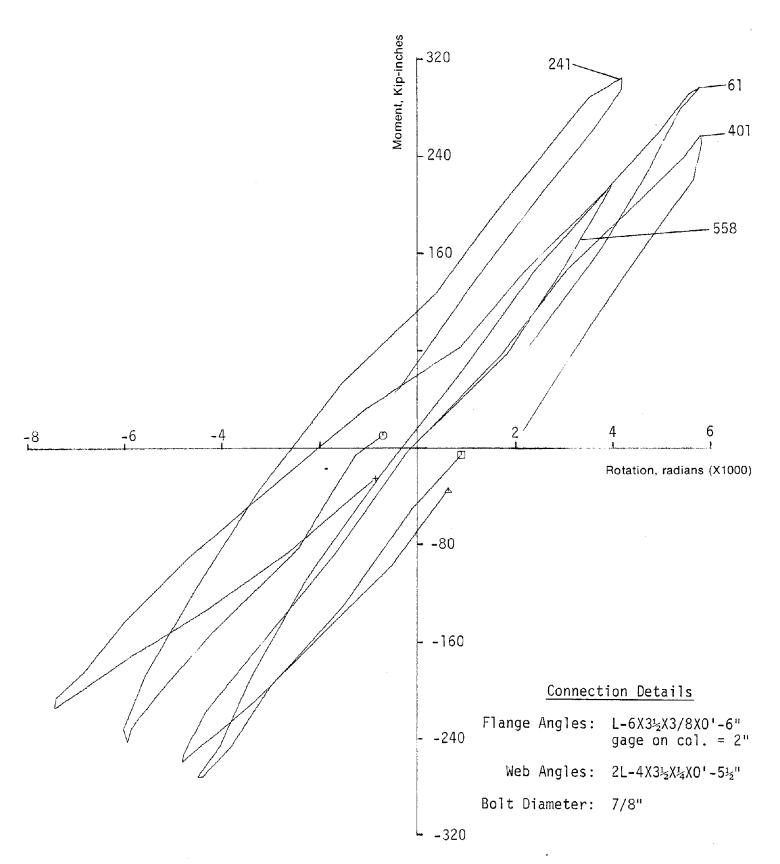
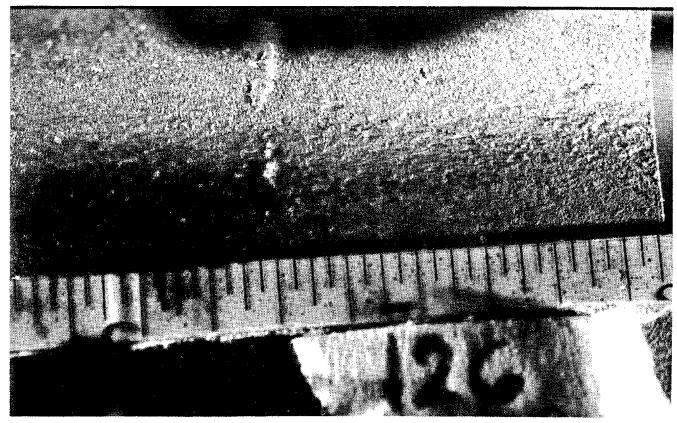


FIG. 3.44 SELECTED HYSTERESIS LOOPS FOR SPECIMEN 8F2

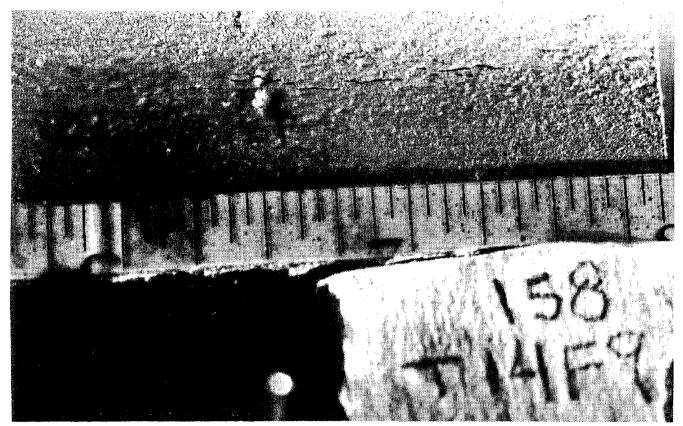


a. CRACK PATTERN AT 126 CYCLES



b. CRACK PATTERN AT 136 CYCLES

FIG. 3.45 FATIGUE CRACK PATTERN FOR SPECIMEN 14F9

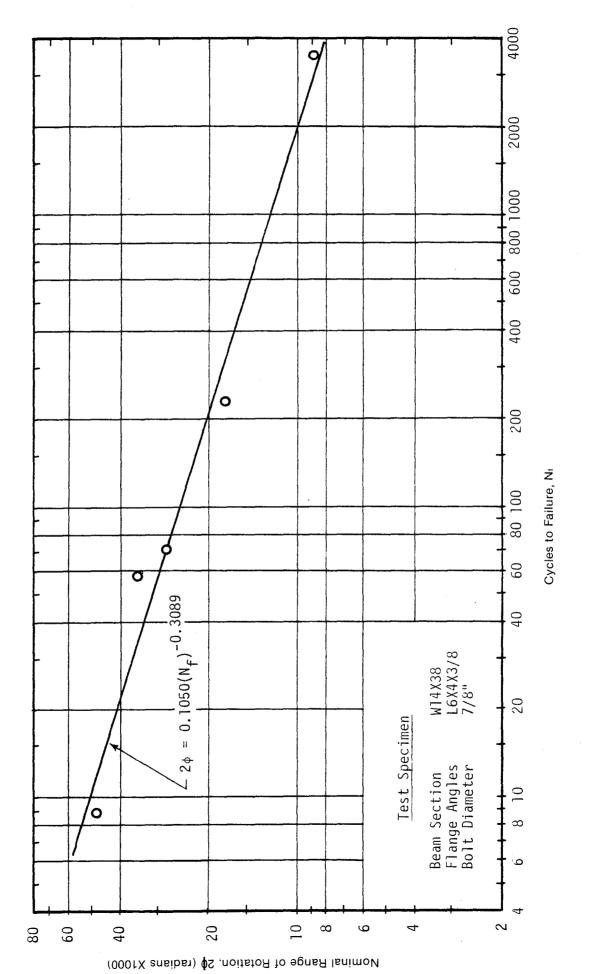


c. CRACK PATTERN AT 158 CYCLES



d. CRACK PATTERN AT 214 CYCLES

FIG. 3.45 FATIGUE CRACK PATTERN FOR SPECIMEN 14F9





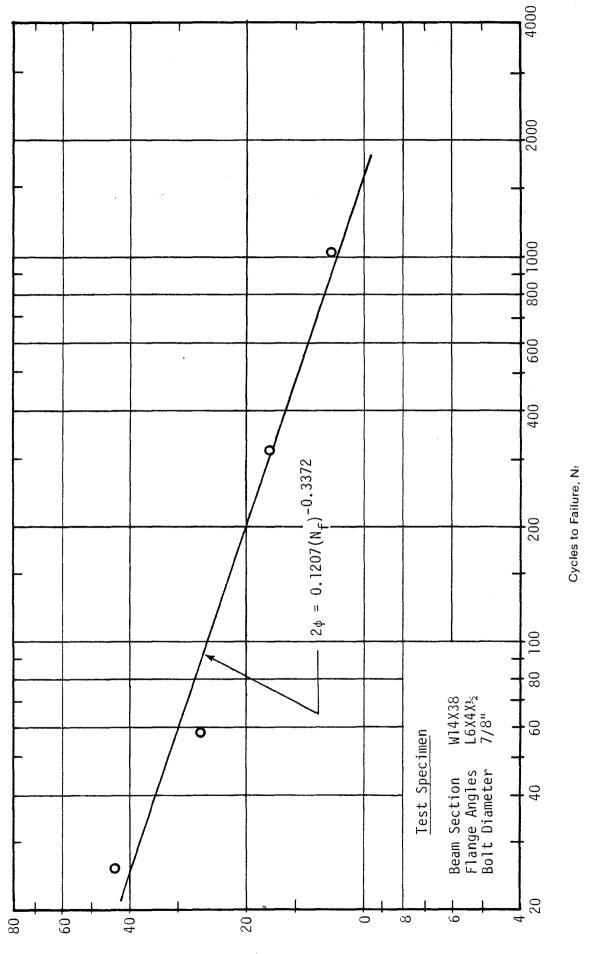


FIG. 3.47 CONSTANT AMPLITUDE CYCLIC TEST BEHAVIOR —W14X38 BEAM CONNECTIONS (FLANGE ANGLE THICKNESS = ½")

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Nominal Range of Rotation, 20 (radians X1000)

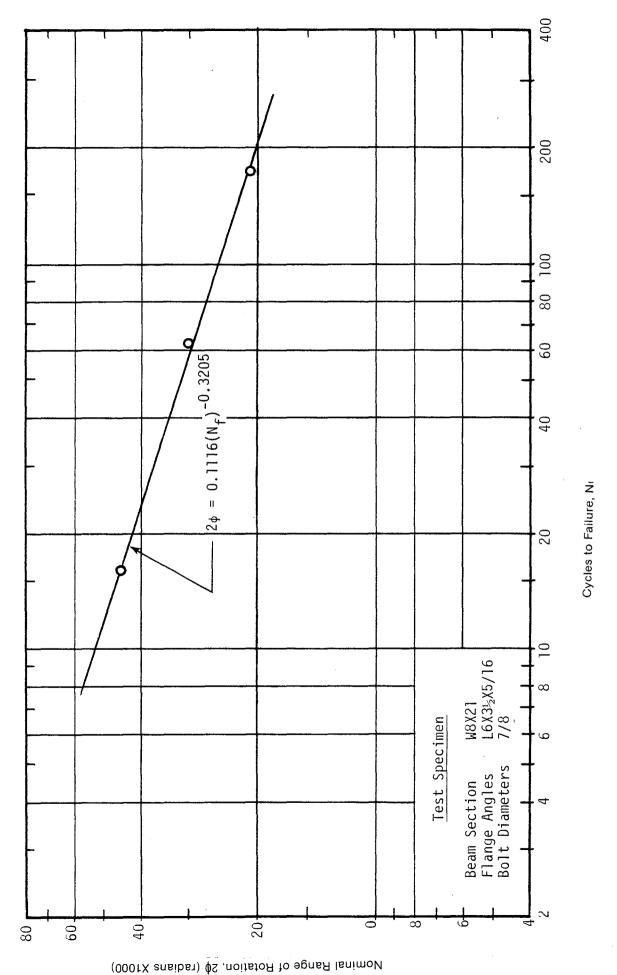
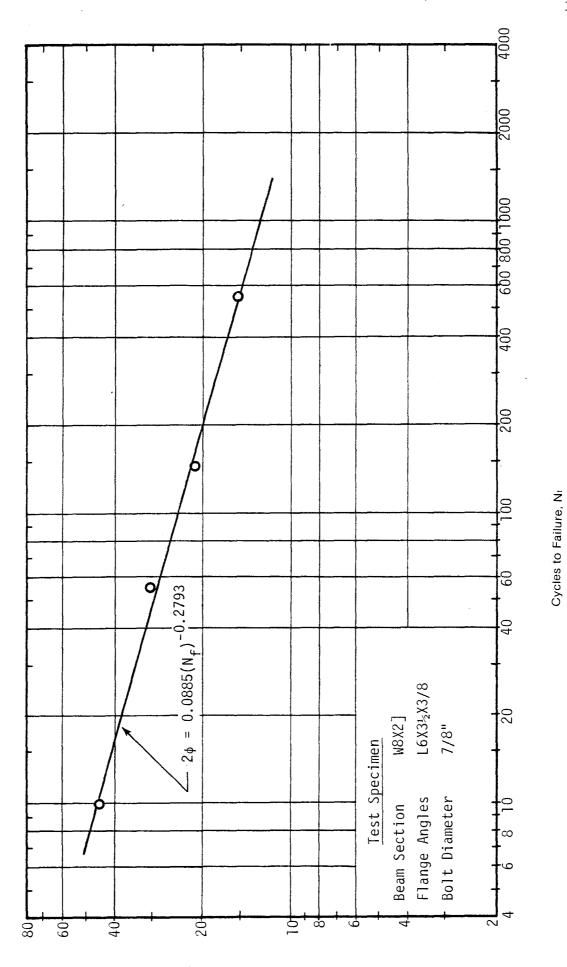


FIG. 3.48 CONSTANT AMPLITUDE CYCLIC TEST BEHAVIOR — W8X21 BEAM CONNECTIONS (FLANGE ANGLE THICKNESS = 5/16")



CONSTANT AMPLITUDE CYCLIC TEST BEHAVIOR — W8X21 BEAM CONNECTIONS (FLANGE ANGLE THICKNESS = 36") FIG. 3.49

Nominal Range of Rotation, 20 (radians X1000)

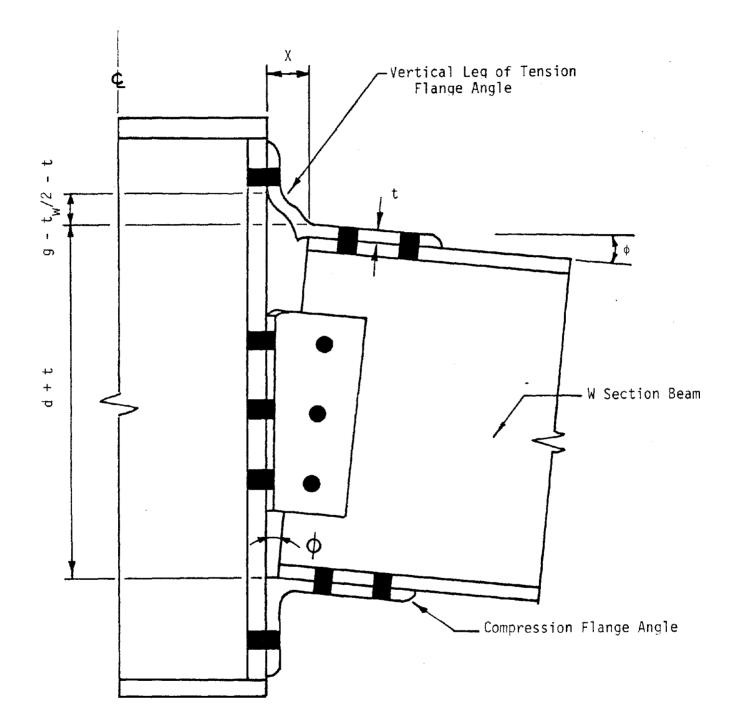
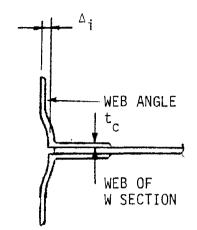


FIG. 4.1a DEFLECTED CONFIGURATION FOR FLANGE ANGLE MODEL



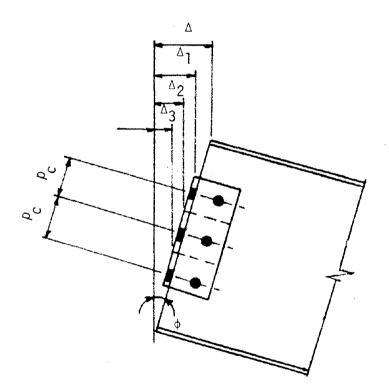


FIG. 4.1b DEFLECTED CONFIGURATION FOR WEB ANGLE MODEL

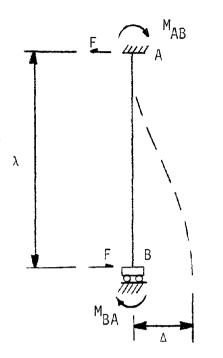


FIG. 4.2a TERMINOLOGY FOR IDEALIZED BEAM MODEL OF FLANGE ANGLE

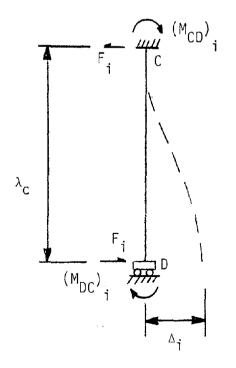


FIG. 4.2b TERMINOLOGY FOR IDEALIZED BEAM MODEL OF WEB

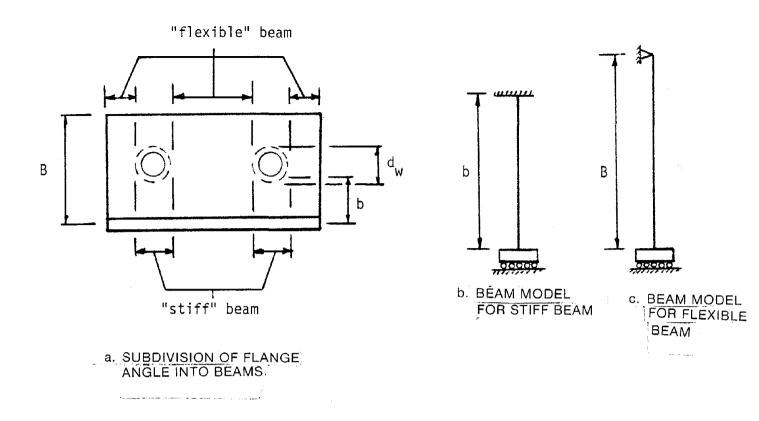
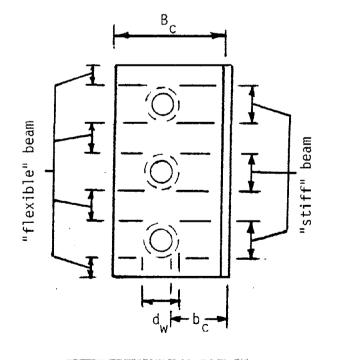
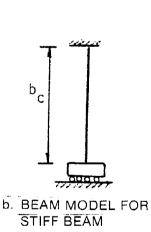
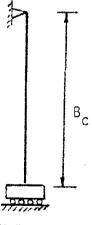


FIG. 4.3a SEGMENTAL BEAM MODEL FOR FLANGE ANGLE







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c. BEAM MODEL FOR FLEXIBLE BEAM

a. SUBDIVISION OF WEB ANGLE INTO BEAMS

FIG. 4.3b SEGMENTAL BEAM MODEL FOR WEB ANGLE

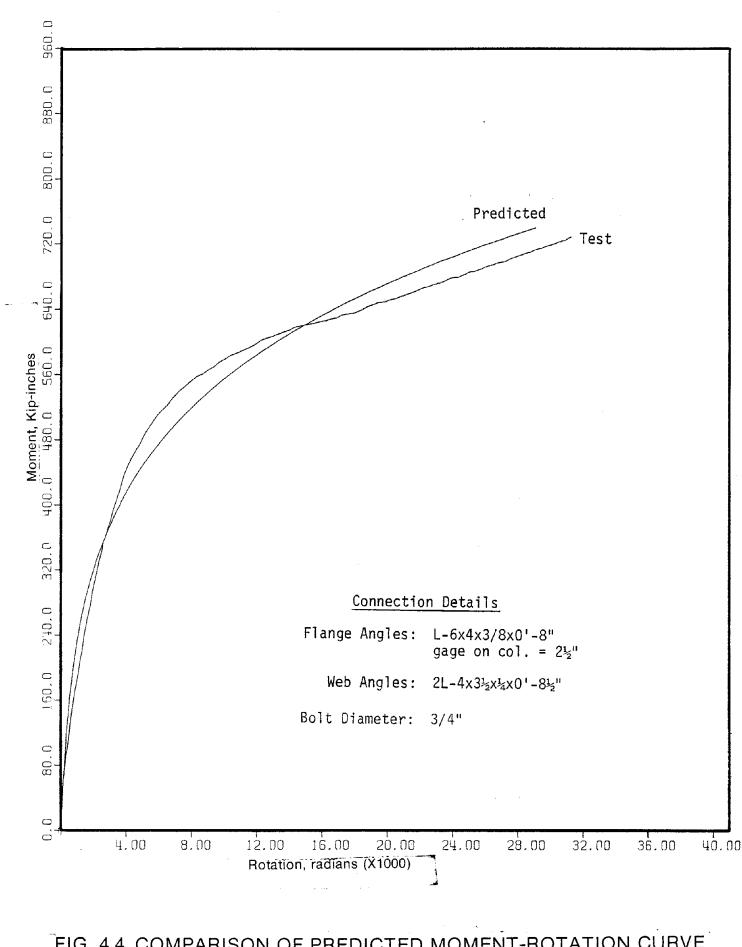


FIG. 4.4 COMPARISON OF PREDICTED MOMENT-ROTATION CURVE WITH TEST RESULTS FOR SPECIMEN 14S1

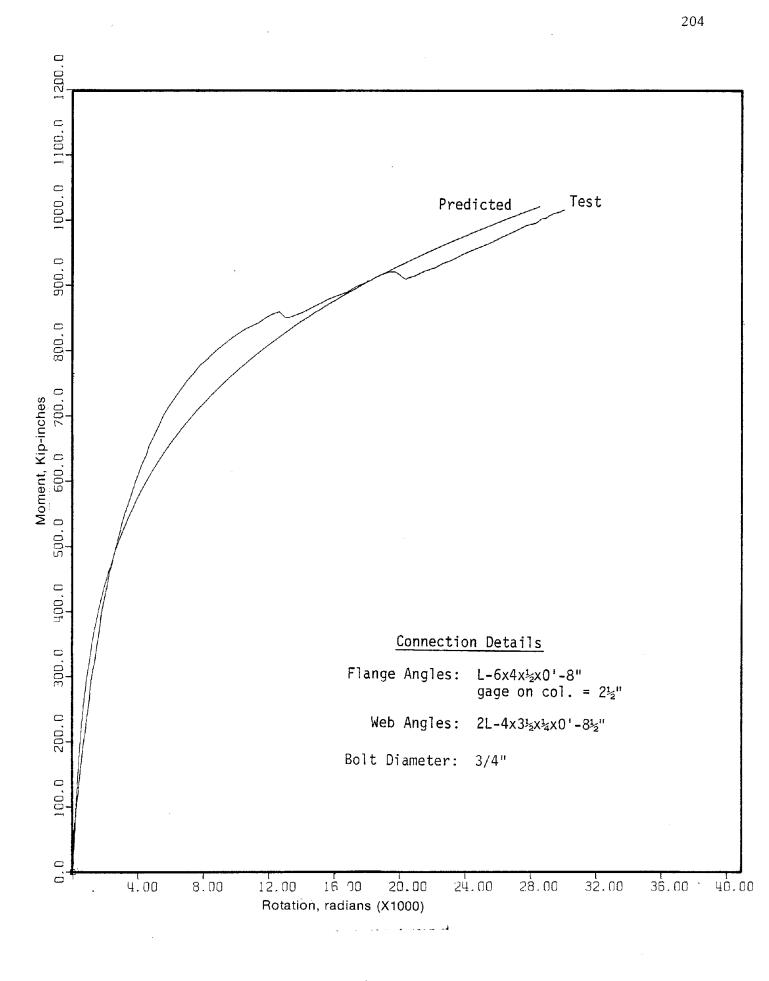


FIG. 4.5 COMPARISON OF PREDICTED MOMENT-ROTATION CURVE WITH TEST RESULTS FOR SPECIMEN 14S2

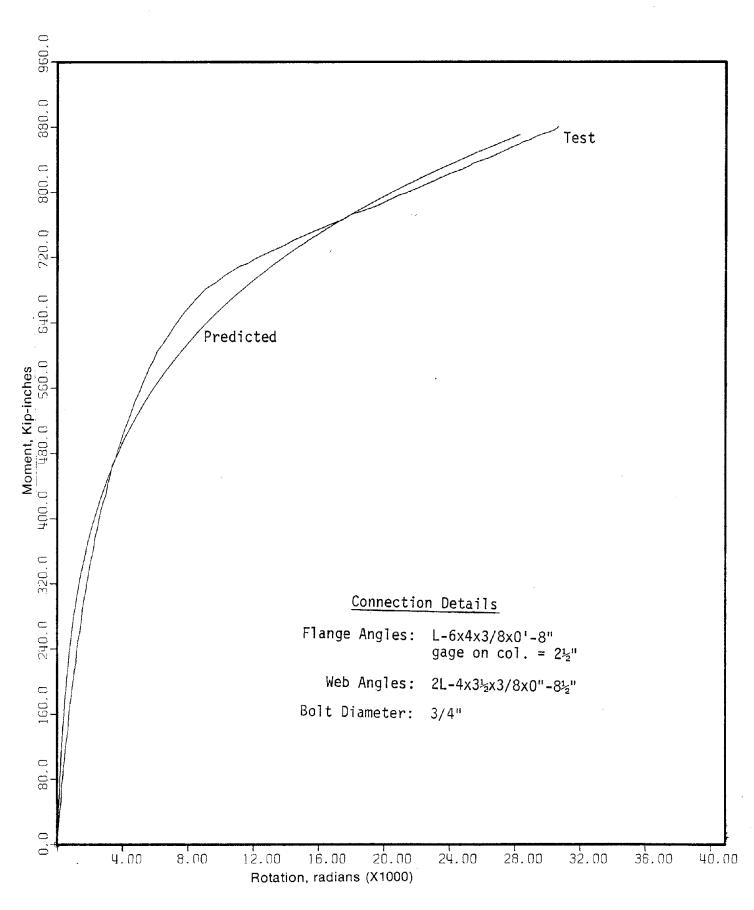


FIG. 4.6 COMPARISON OF PREDICTED MOMENT-ROTATION CURVE WITH TEST RESULTS FOR SPECIMEN 14S4

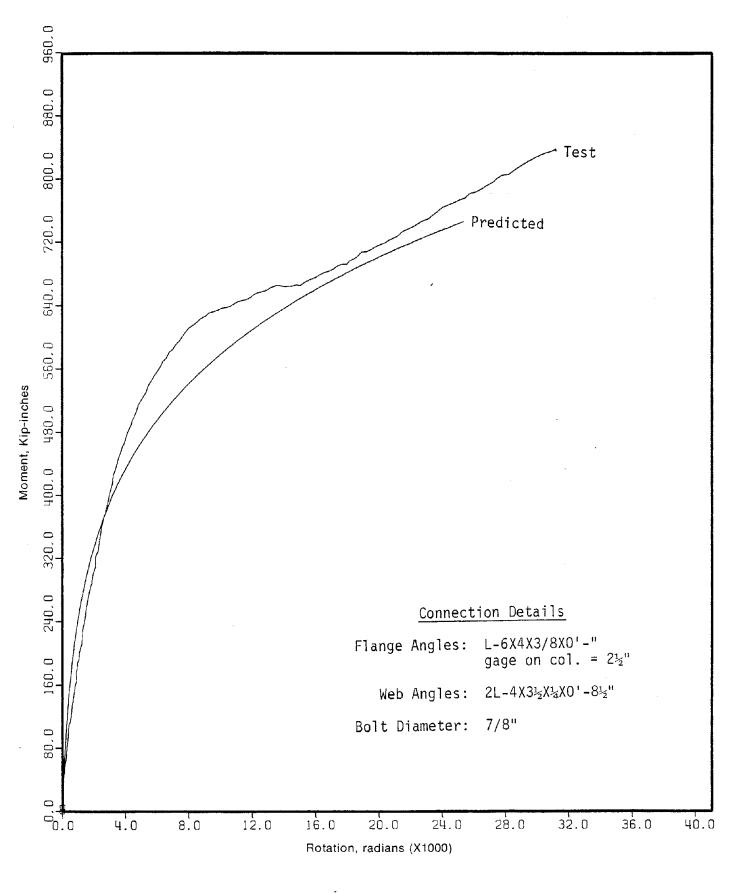


FIG. 4.7 COMPARISON OF PREDICTED MOMENT-ROTATION CURVE WITH TEST RESULTS FOR SPECIMEN 14S5

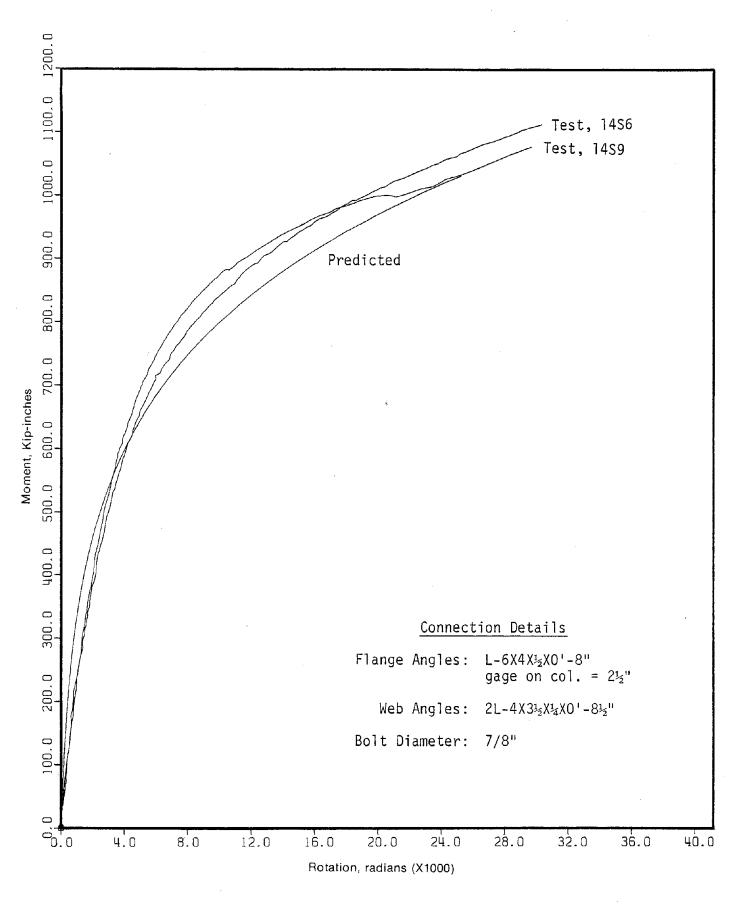


FIG. 4.8 COMPARISON OF PREDICTED MOMENT-ROTATION CURVE WITH TEST RESULTS FOR SPECIMENS 14S6 AND 14S9

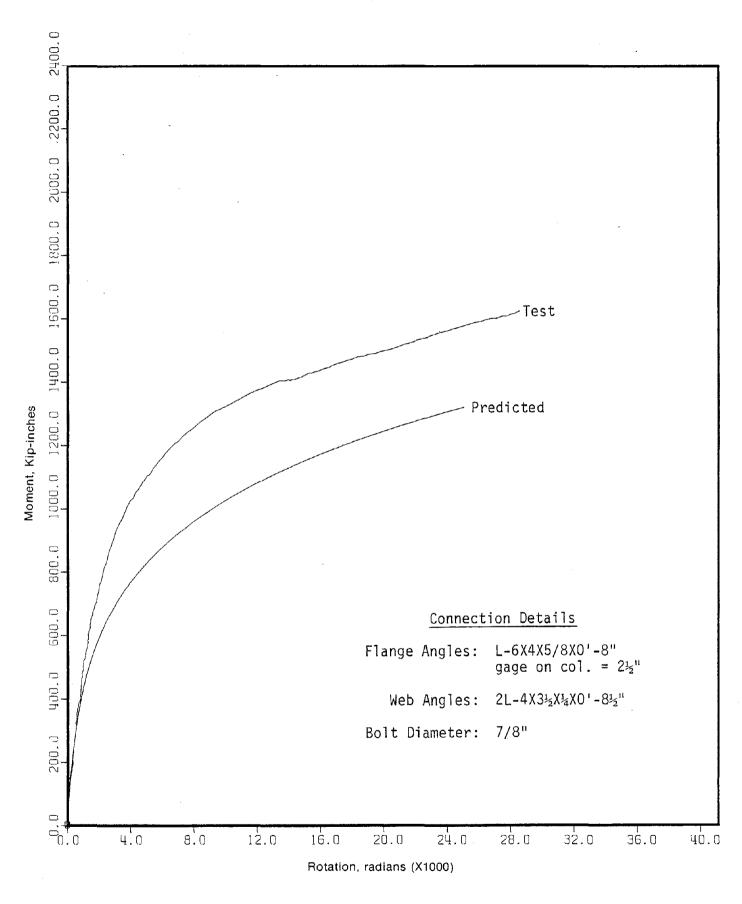


FIG. 4.9 COMPARISON OF PREDICTED MOMENT-ROTATION CURVE WITH TEST RESULTS FOR SPECIMEN 14S8

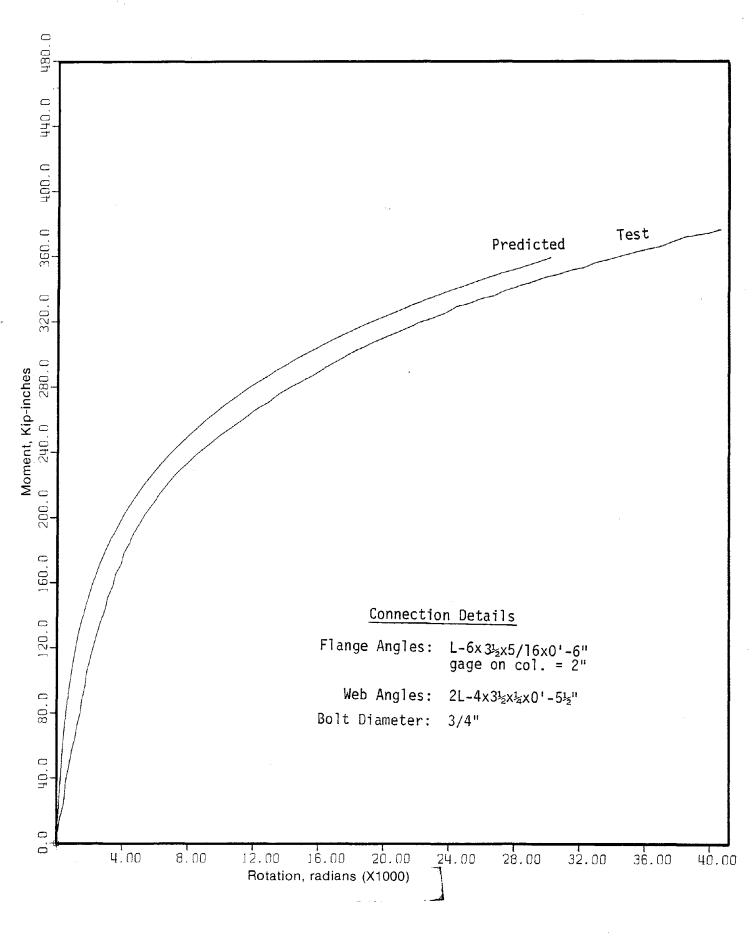


FIG. 4.10 COMPARISON OF PREDICTED MOMENT-ROTATION CURVE WITH TEST RESULTS FOR SPECIMEN 8S1

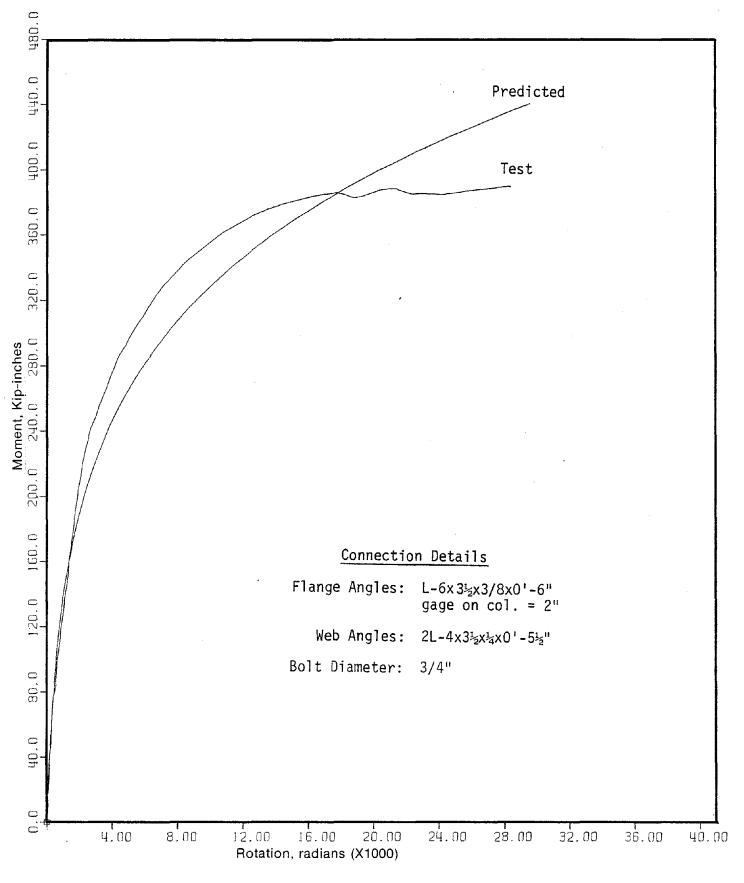


FIG. 4.11 COMPARISON OF PREDICTED MOMENT-ROTATION CURVE WITH TEST RESULTS FOR SPECIMEN 8S2

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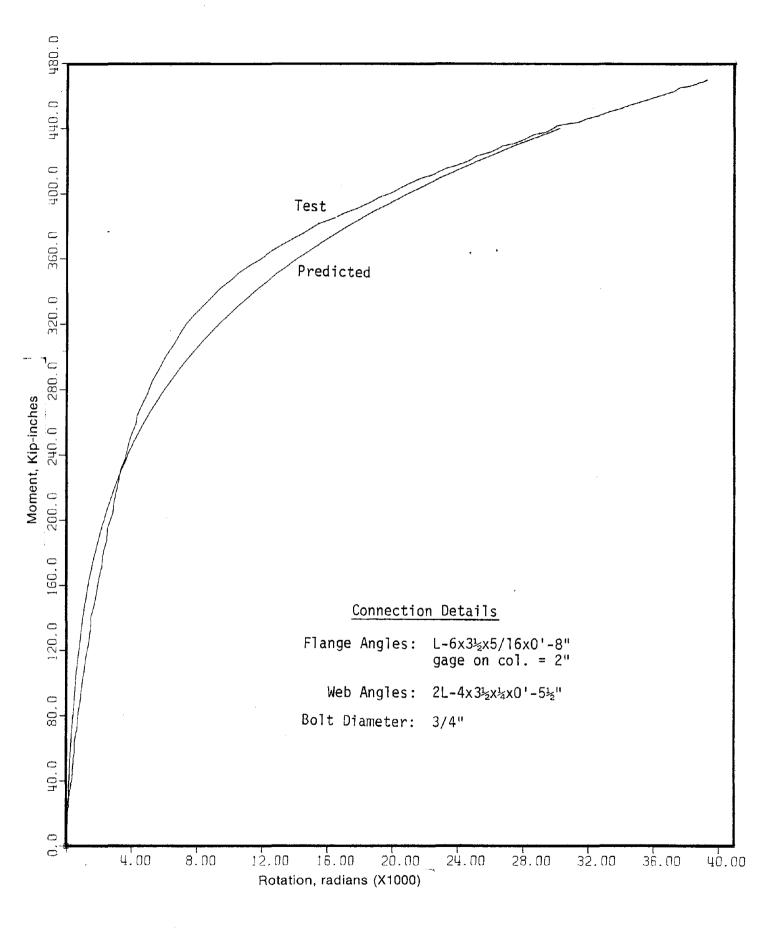


FIG. 4.12 COMPARISON OF PREDICTED MOMENT-ROTATION CURVE WITH TEST RESULTS FOR SPECIMEN 8S3

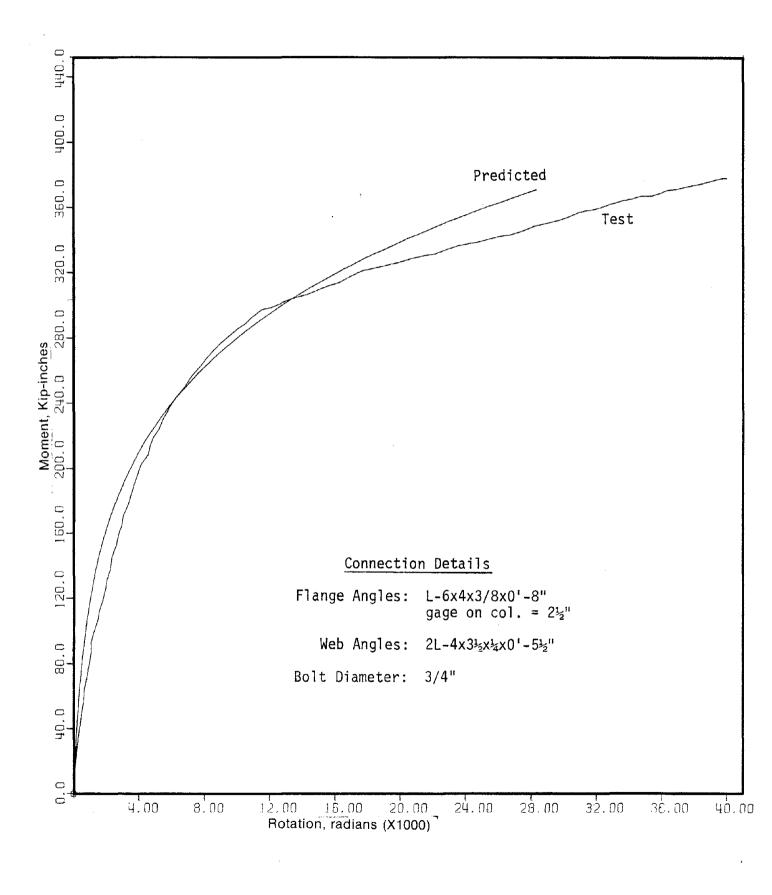
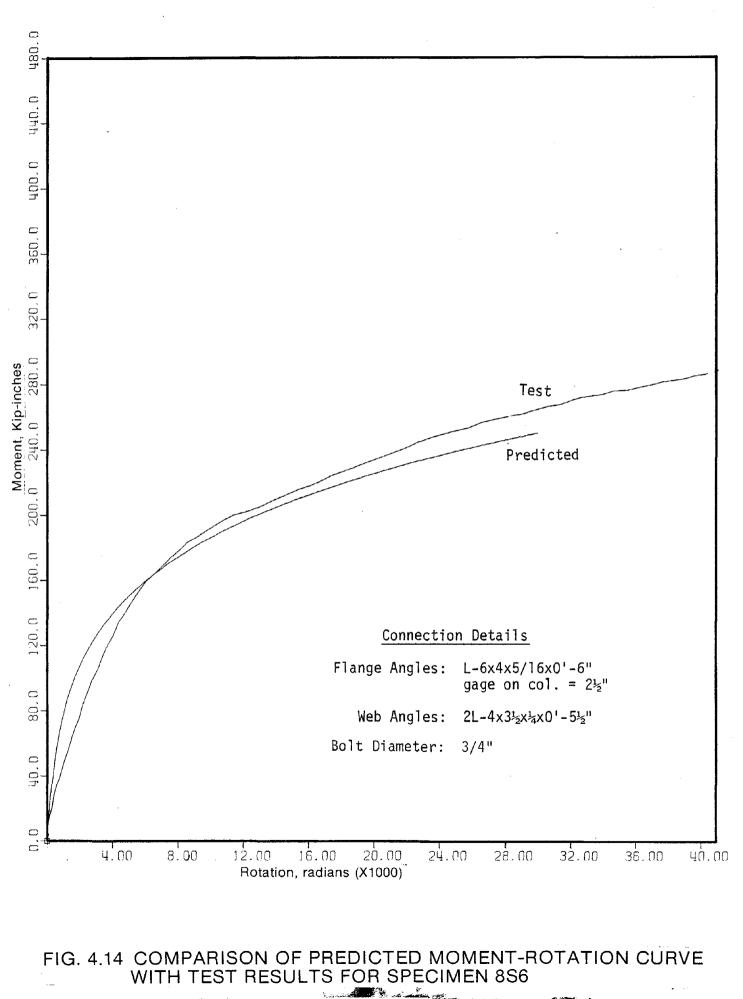


FIG. 4.13 COMPARISON OF PREDICTED MOMENT-ROTATION CURVE WITH TEST RESULTS FOR SPECIMEN 8S5



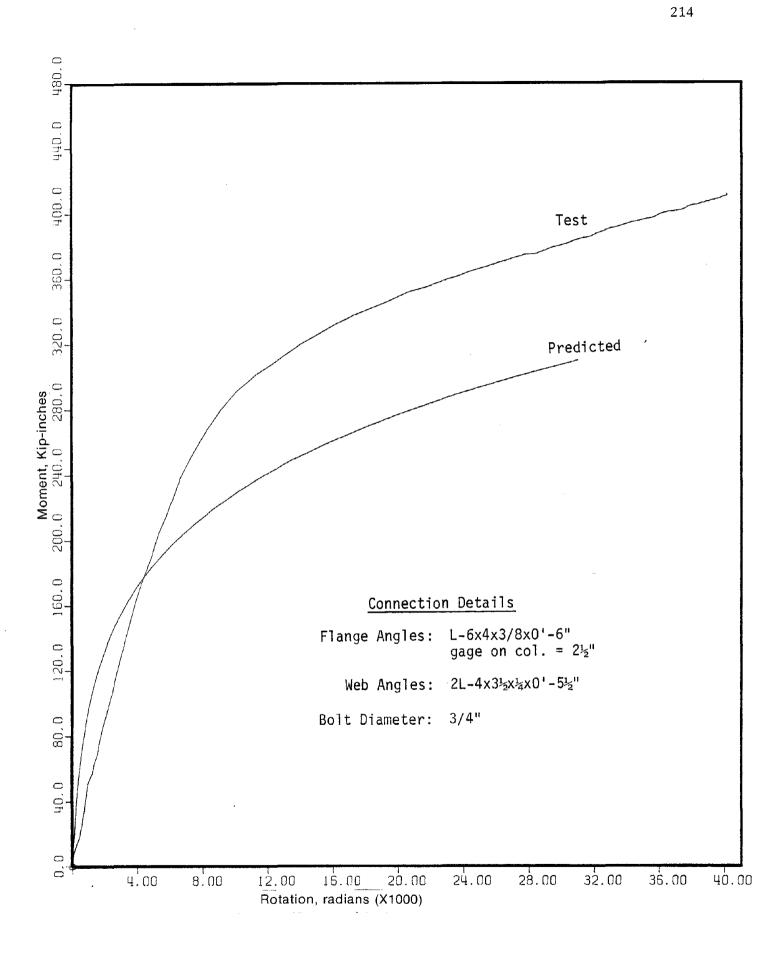


FIG. 4.15 COMPARISON OF PREDICTED MOMENT-ROTATION CURVE WITH TEST RESULTS FOR SPECIMEN 8S7

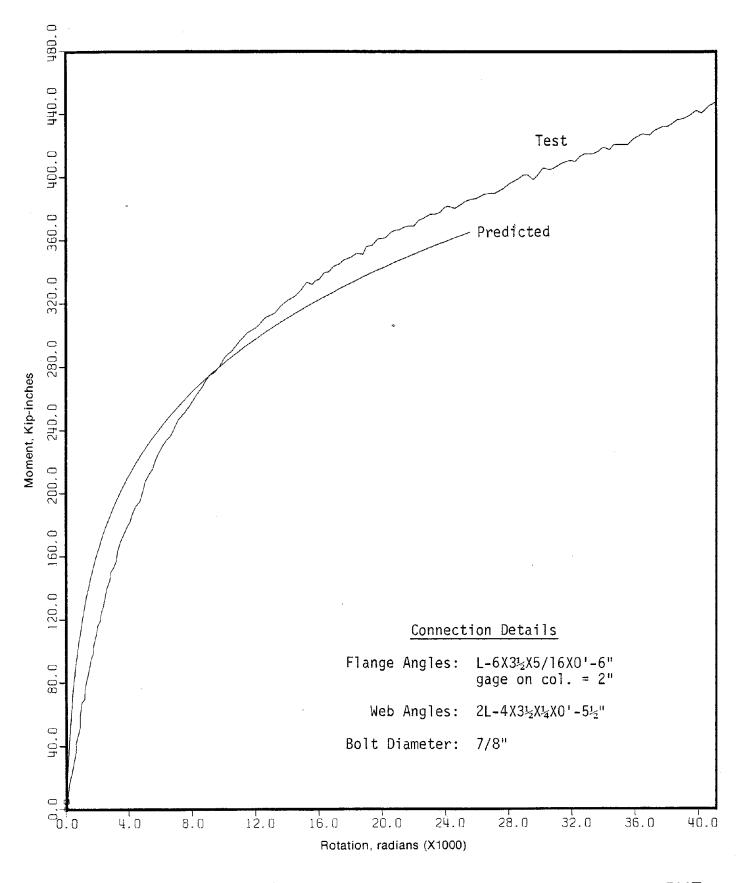


FIG. 4.16 COMPARISON OF PREDICTED MOMENT-ROTATION CURVE WITH TEST RESULTS FOR SPECIMEN 8S8

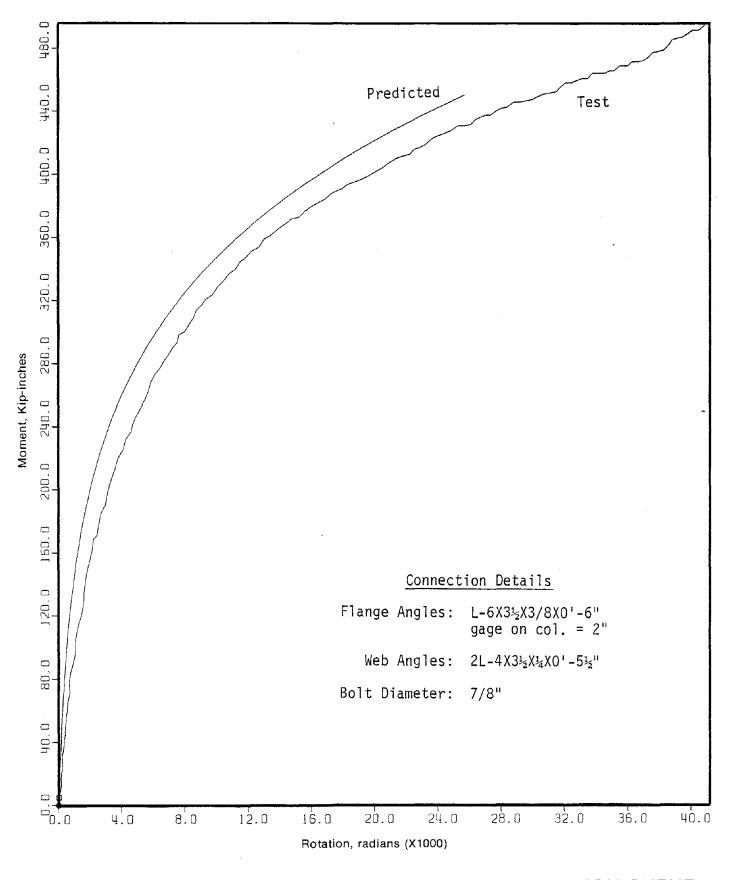


FIG. 4.17 COMPARISON OF PREDICTED MOMENT-ROTATION CURVE WITH TEST RESULTS FOR SPECIMEN 8S9

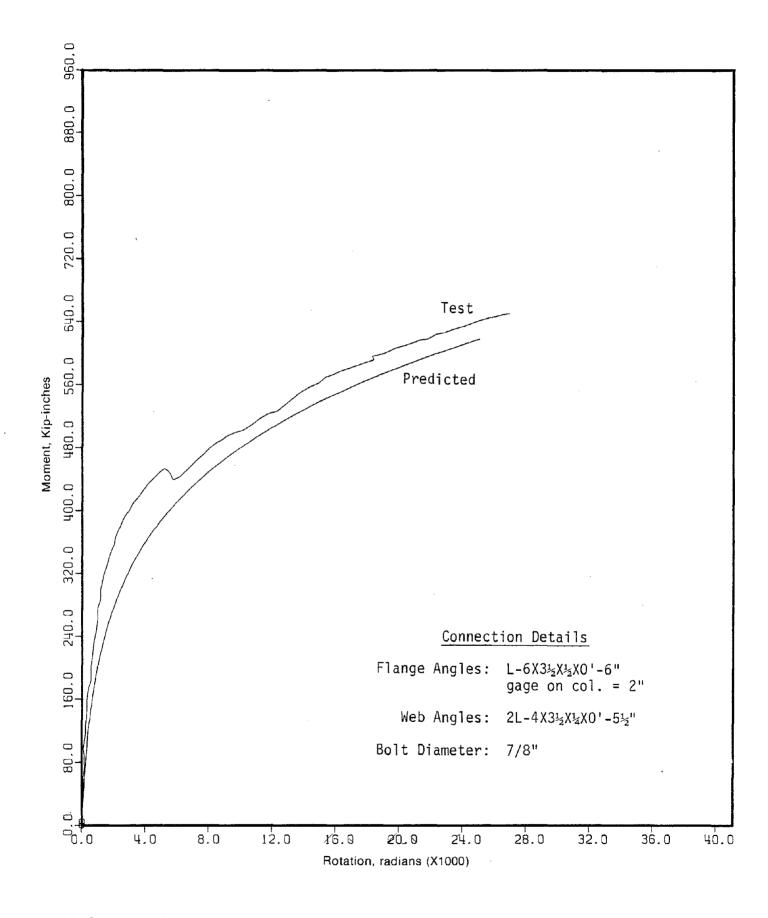


FIG. 4.18 COMPARISON OF PREDICTED MOMENT-ROTATION CURVE WITH TEST RESULTS FOR SPECIMEN 8S10

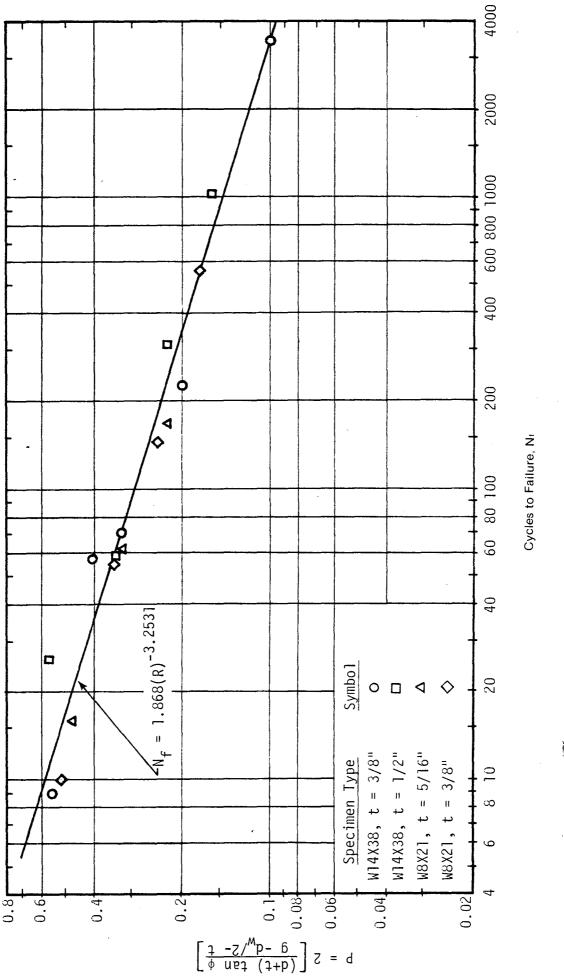


FIG. 4.19 COMPARISON OF TOTAL FATIGUE LIFE WITH NOMINAL FLANGE ANGLE CHORD ROTATION — ALL CONSTANT AMPLITUDE CYCLIC TESTS

